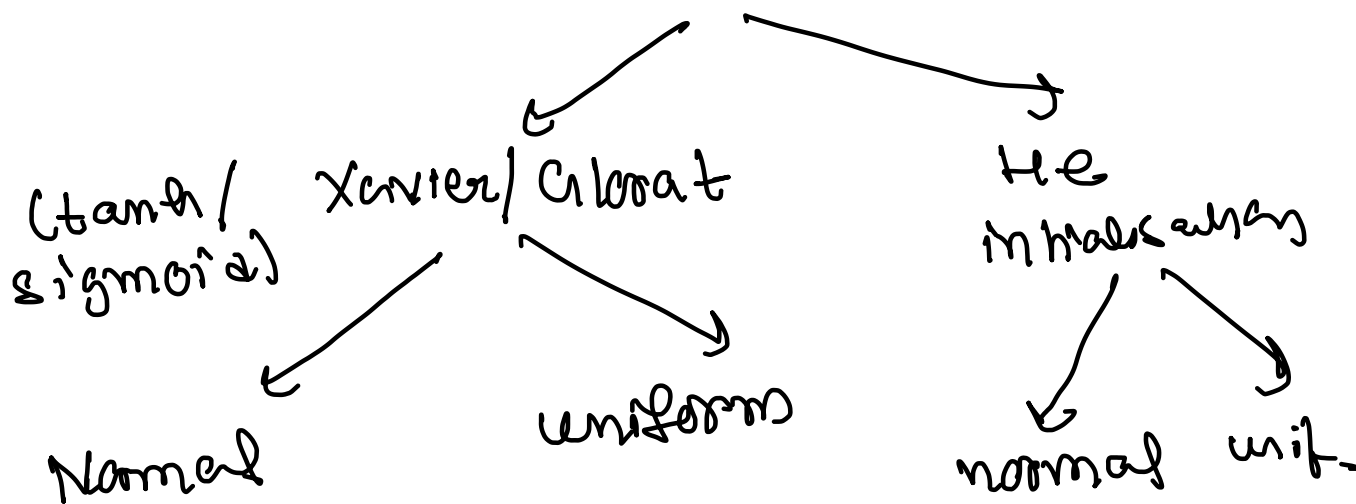


Things not to do -

- 1) Zero initialization
- 2) Non-zero constant initialization
- 3) Random initialization with small weights
- 4) Random initialization with large weights

what can be done?

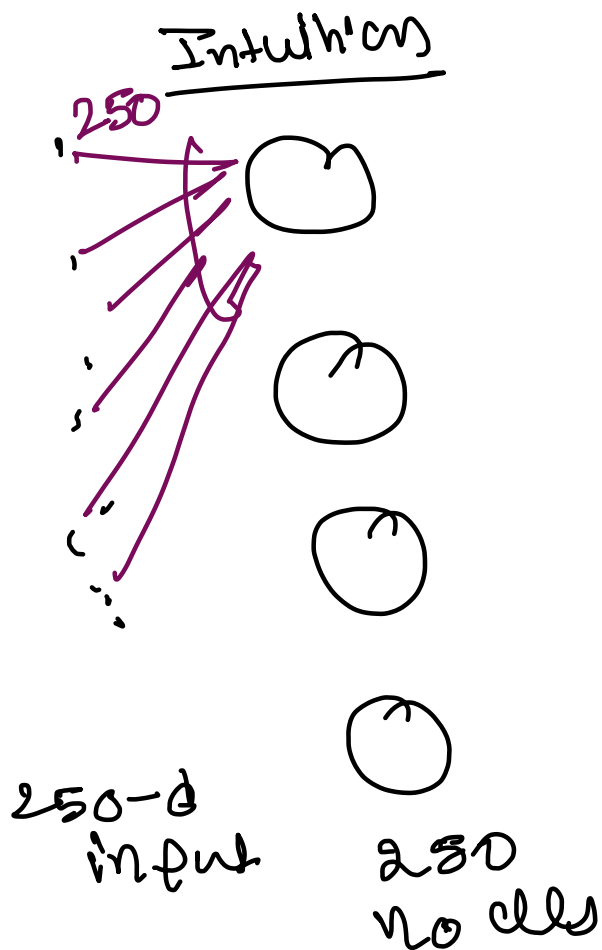
→ Heuristics (Sugar) → practical solution.



* It is proven experimentally when using tanh activation use Xavier / Glorot initialization

* increases when using ReLU activation functions using He initialization.

* Variance of randomly assigned values can't be very small or ~~exp~~ very large.



$$\frac{\text{small}}{n p, \text{ random-randoms } (250, 250)} \neq 0.01$$

$$\frac{\text{large}}{n p, \text{ random-randoms } (250, 250)} \neq 1$$

∴ Variance of the ~~new~~ weight should be

$$\propto \frac{1}{n}$$

∴ where n is the number of input from the previous layers to the nodes.
 ∴ in this case n will be 250.

S.O. 21 $\frac{1}{\sqrt{n}}$

$$Z = \sum w_i x_i$$

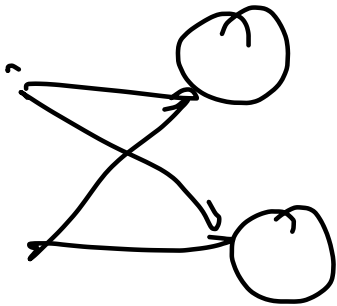
$$n \rightarrow \infty \rightarrow \frac{1}{n}$$

Xavier mit
(Normal)

$$\sqrt{\frac{1}{\text{fan-in}}}$$

$$\sqrt{\frac{2}{\text{fan-in} + \text{fan-out}}}$$

No of
inputs
coming to
nodes



n p. random. random 2,2) * $\frac{1}{\sqrt{2}}$

He Normal

$$\sqrt{\frac{2}{\sigma_{\text{in}}^2}} \leftarrow \sigma_{\text{elu}}$$

Uniform Distribution

X -values $\rightarrow [-\text{limit}, \text{limit}] \leftarrow$

$$\text{limit} = \sqrt{\frac{6}{(\sigma_{\text{in}}^2) + \sigma_{\text{out}}^2}}$$

He Normal

$[-\text{limit}, \text{limit}]$

$$\text{limit} = \sqrt{\frac{6}{\sigma_{\text{in}}^2}}$$