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Date of Submission: 30-02-19

1 House Price Assignment

Summary

The objective of this assignment is predicting the Sales Price for each house based on the given data comprising of 81 explanatory variables describing (almost) every aspect of residential homes. This problem focuses on the Machine Learning Approach to the prediction, Missing data handling, Data Preprocessing, Data Cleansing, Outliers Detection and Dropping, Hyper Parameter Tuning and so on.

1.1 Approaches included but not limited to -

Loading Data and Packages, Data visualization, Finding missing data, Normalization, Model and predictions and more.

1.2 Loading Data and Packages

In [73]: import pandas as pd import numpy as np import seaborn as sns import matplotlib import matplotlib.pyplot as plt import warnings import xgboost as xgb

from sklearn.preprocessing import StandardScaler from sklearn.metrics import accuracy_score from sklearn.metrics import mean_squared_error from sklearn.preprocessing import

LabelEncoder from scipy.stats import skew from scipy import stats from scipy.stats.stats import pearsonr from scipy.stats import norm from collections import Counter from sklearn.linear_model import ElasticNet, Lasso, BayesianRidge, LassoLarsIC from sklearn.neural_network import MLPRegressor

from sklearn.metrics import mean_squared_error from sklearn.linear_model import
LinearRegression,LassoCV, Ridge, LassoLarsCV,ElasticN from sklearn.model_selection import
GridSearchCV, cross_val_score, learning_curve from sklearn.ensemble import RandomForestRegressor,
AdaBoostRegressor, ExtraTreesRegre from sklearn.preprocessing import StandardScaler, Normalizer,
RobustScaler warnings.filterwarnings('ignore')

sns.set(style='white', context='notebook', palette='deep')

2 Data Import

```
In [3]: data_train = pd.read_csv('Data/train (7).csv') data_test = pd.read_csv('Data/test (7).csv')
```

Now lets have a look at the dataframe -

2.1 Analyzing the DataFrame

In [4]: data train.describe()

In [4]: data_train	.describe()									
Out[4]: Id MSSubClass LotFrontage LotArea OverallQual \ count 1460.000000 1460.000000 1201.000000										
1460.000000 1460.000000										
mean	730.500000	56.897260	70.049958	10516.828082	6.099315					
std	421.610009	42.300571	24.284752	9981.264932	1.382997					
min	1.000000	20.000000	21.000000	1300.000000						
25%	365.750000	20.000000	59.000000	7553.500000	5.000000					
50%	730.500000	50.000000	69.000000	9478.500000	6.000000					
75%	1095.250000	70.000000	80.000000	11601.500000	7.000000					
max	1460.000000	190.000000	313.0000	000 215245.000000	10.000000					
	OverallCond	YearBuilt Yea	rRemodAdd	MasVnrArea	BsmtFinSF1 \					
count 1460.000000 1460.000000 1460.000000 1452.000000 1460.000000										
mean	5.575342 19	71.267808	1984.865753	103.685262	443.639726					
std	1.112799	30.202904	20.645407	181.066207	456.098091					
min	1.000000 18	372.000000	1950.000000	0.000000	$0.000000 \dots$					
25%	5.000000 19	954.000000	1967.000000	0.000000	$0.000000 \dots$					
50%	5.000000 19	73.000000	1994.000000	0.000000	383.500000					
75%	6.000000 20	000.00000	2004.000000	166.000000	712.250000					
max	9.000000 20			00.000000 5644.00						
WoodDeckSF OpenPorchSF EnclosedPorch3SsnPorch ScreenPorch \ count 1460.000000										
1460.0	000000 1460.0000	00 1460.000000	1460.000000							
mean	94.244521	46.660274	21.954110	3.409589	15.060959					
std	125.338794	66.256028	61.119149	29.317331	55.757415					
min	0.000000	0.000000	0.000000	0.000000	0.000000					
25%	0.000000	0.000000	0.000000	0.000000	0.000000					
50%	0.000000	25.000000	0.000000	0.000000	0.000000					
75%	168.000000	68.000000	0.000000	0.000000	0.000000					
max	857.000000	547.000000	552.000000	508.000000	480.000000					
	PoolArea	MiscVal	MoSold	YrSold	SalePrice					
count	count 1460.000000		460.000000 1460.0	.000000 1460.000000						
mean	2.758904	43.489041		918 2007.815753 1						
std	40.177307	496.123024	2.703626	1.328095	79442.502883					

[8 rows x 38 columns]

From the "Count" row, we can see there are a lot of missing values in this dataset. Point to be noted, they are by no means from a similar data distribution i.e normalization might be necessary. Furthermore, all of the given data might not be necessary to predict the target field "SalePrice".

0.000000

0.000000

0.000000

0.000000

1.000000 2006.000000

5.000000 2007.000000 129975.000000

 $6.000000\ 2008.000000\ 163000.000000$

8.000000 2009.000000 214000.000000 12.000000 2010.000000 755000.000000

34900.000000

All of these will be handled further as we go on. Having a

0.000000

0.000000

0.000000

0.000000

738.000000 15500.000000

look into actual data -

min

25%

50%

75%

max

In [5]: data train.head()

Out[5]: Id MSSubClass MSZoning LotFrontage LotArea Street Alley LotShape \											
0	1 60	RL	65.0	8450	Pave N	NaN	Reg				
1	2 20	RL	80.0	9600 I	Pave	NaN	Reg				
2	3 60	RL	68.0	11250	Pave	NaN	IR1				
3	4 70	RL	60.0	9550	Pave	NaN	IR1				
4	5 60	RL	84.0	14260	Pave	NaN	IR1				
Lar	LandContour Utilities PoolArea PoolQC Fence MiscFeature MiscVal MoSold \										
0		Lvl	AllPub	·	0	NaN	NaN	NaN	0	2	
1		Lvl	AllPub	·	0	NaN	NaN	NaN	0	5	
2		Lvl	AllPub	·	0	NaN	NaN	NaN	0	9	
3		Lvl	AllPub	·	0	NaN	NaN	NaN	0	2	
4		Lvl	AllPub	·	0	NaN	NaN	NaN	0	12	
YrSold SaleType SaleCondition SalePrice											

²⁰⁰⁸ WD Normal 208500 0 1 2007 WD Normal 181500 2 2008 WD Normal 223500 3 2006 WD 140000 Abnorml 4 Normal 250000 2008 WD

[5 rows x 81 columns]

3 Data Cleaning

```
In [6]: train_data=data_train.copy() test_data
=data_test.copy()

#check the numbers of samples and features print("The train data size before dropping Id feature
is:", data_train.shape) print("The test data size before dropping Id feature is:", data_test.shape)

#Save the 'Id' column train_ID =
data_train['Id'] test_ID =
data_test['Id']

#Now drop the 'Id' colum since it's unnecessary for the prediction process.
data_train.drop("Id", axis = 1, inplace = True) data_test.drop("Id", axis = 1, inplace =
True)
```

^{**}Here all the data are either in categorical or in numeric value. For such, we might need to convert them into numeric data

#check again the data size after dropping the 'Id' variable print("\nThe train data size after dropping Id feature is:", data_train.shape) print("The test data size after dropping Id feature is:", data_test.shape)

The train data size before dropping Id feature is: (1460, 81) The test data size before dropping Id feature is: (1459, 80)

The train data size after dropping Id feature is: (1460, 80) The test data size after dropping Id feature is: (1459, 79)

3.1 Multivariable Analysis

Checking categorical data

Checking numerical data

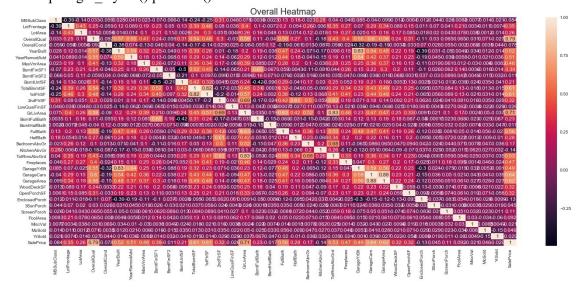
Total Features

```
In [9]: cat = len(data_train.select_dtypes(include=['object']).columns) num = len(data_train.select_dtypes(include=['int64','float64']).columns)

print('Total Features: ', cat, 'categorical', '+', num, 'numerical', '=', cat+num, 'fea Total Features: 43 categorical + 37 numerical = 80 features
```

3.2 Correlation Matrix

In [10]: # Correlation Matrix cm = data_train.corr() plt.figure(5, figsize=(20, 9)) sns.heatmap(cm, annot=True) plt.title('Overall Heatmap', fontsize=20) plt.tight layout() plt.show()

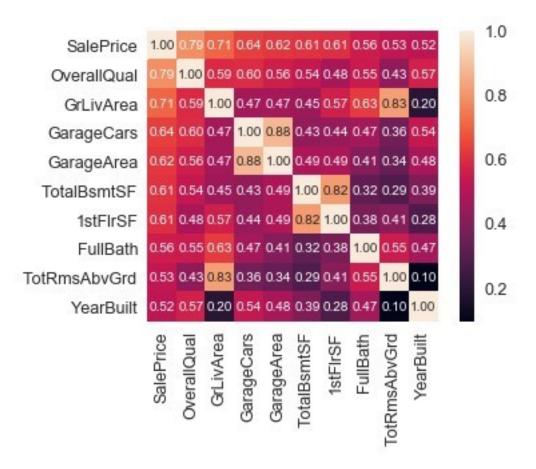


^{**}Generally there are many data with a large range of values and proportions. So To edge up the process Lets take Yop 10 heatMap into account

Generating Top 10 Features which are most relavent to SalesPrice

In [11]: # Top 10 Heatmap

k = 10 #number of variables for heatmap cols = cm.nlargest(k, 'SalePrice')['SalePrice'].index cm = np.corrcoef(data_train[cols].values.T) sns.set(font_scale=1.25) hm = sns.heatmap(cm, cbar=True, annot=True, square=True, fmt='.2f', annot kws={'size' plt.show()



In [12]: most_corr = pd.DataFrame(cols) most_corr.columns = ['Most Correlated Features'] most_corr

Out[12]: Most Correlated Features

0	SalePrice	
1	OverallQual	
2	GrLivArea	
3	GarageCars	
4	GarageArea	
5	TotalBsmtSF	
6	1stFlrSF	
7	FullBath	
8	TotRmsAbvGrd 9	YearBuilt

For obvious reasons, most correlated feature to SalePrice will be SalePrice. With the short description to other 9, they are described below

1. OverallQual: Rates the overall material and finish of the house (1 = Very Poor, 10 = Very Excellent)

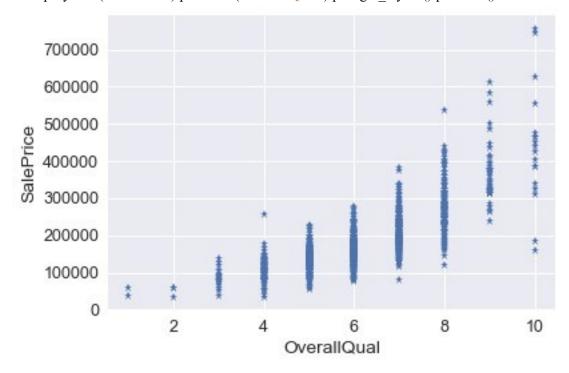
- 2. GrLivArea: Above grade (ground) living area square feet
- 3. GarageCars: Size of garage in car capacity
- 4. GarageArea: Size of garage in square feet
- 5. TotalBsmtSF: Total square feet of basement area
- 6. 1stFlrSF: First Floor square feet
- 7. FullBath: Full bathrooms above grade
- 8. TotRmsAbvGrd: Total rooms above grade (does not include bathrooms)
- 9. YearBuilt: Original construction date

3.3 Manual Outliner Detection

To make the "correlated features" easy to understand, let's figure out how each can relate to SalePrice

In [13]: # Overall Quality vs Sale Price plt.plot(data train["OverallQual"],data train["SalePrice"],"*")

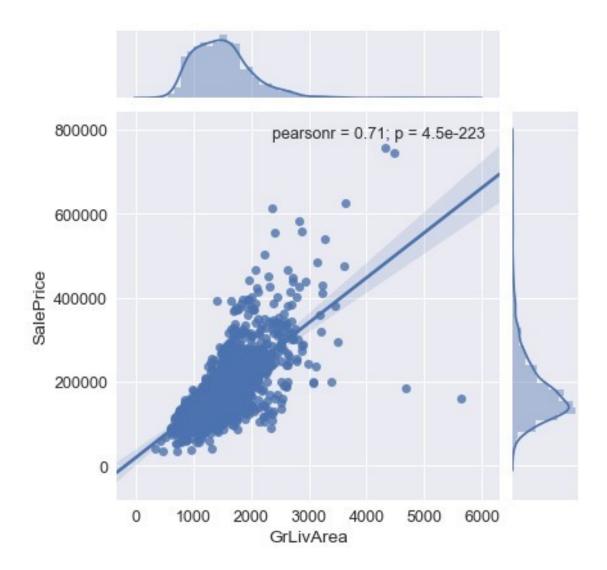
plt.ylabel("SalePrice") plt.xlabel("OverallQual") plt.tight layout() plt.show()



**Here People are paying more for better quality

In [14]: # Living Area vs Sale Price sns.jointplot(x=data train['GrLivArea'], y=data train['SalePrice'], kind='reg')

Out[14]: <seaborn.axisgrid.JointGrid at 0x18b5f9ee048>



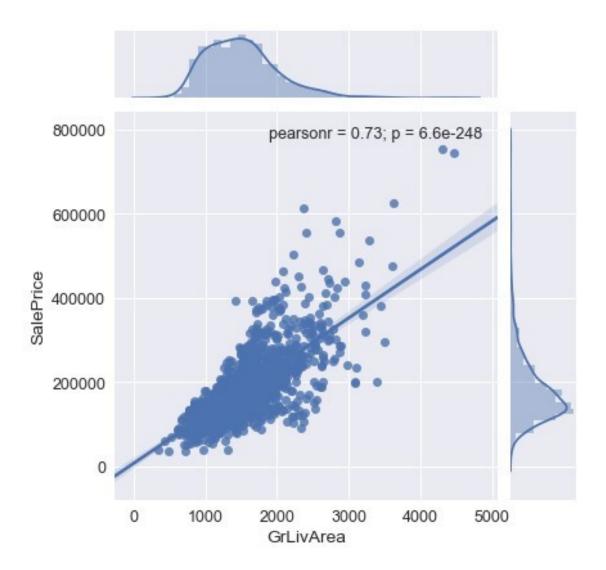
**People tend to pay more for more living area but the two datapoints at the bottom-right doesnot cut the hypothesis. considering those as outliners, these are to be removed manually

In [15]: #Removing outliers manually (Two points in the bottom right) data_train = data_train.drop(data_train['GrLivArea']>4000)

& (data_train['SalePrice']<300000)].index).reset_index(drop=

In [16]: #Living Area vs Sale Price sns.jointplot(x=data_train['GrLivArea'], y=data_train['SalePrice'], kind='reg')

Out[16]: <seaborn.axisgrid.JointGrid at 0x18b5f9f54e0>

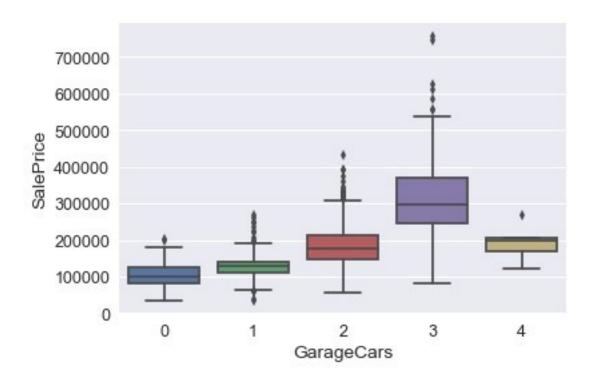


Without the "Outliners" The Pearson-R Score improved by .02

**Pearson's r can range from -1 to 1. An r of -1 indicates a perfect negative linear relationship between variables, an r of 0 indicates no linear relationship between variables, and an r of 1 indicates a perfect positive linear relationship between variables.

In [17]: # GarageCars vs Sale Price sns.boxplot(x=data_train['GarageCars'], y=data_train['SalePrice'])

Out[17]: <matplotlib.axes. subplots.AxesSubplot at 0x18b5fa387b8>



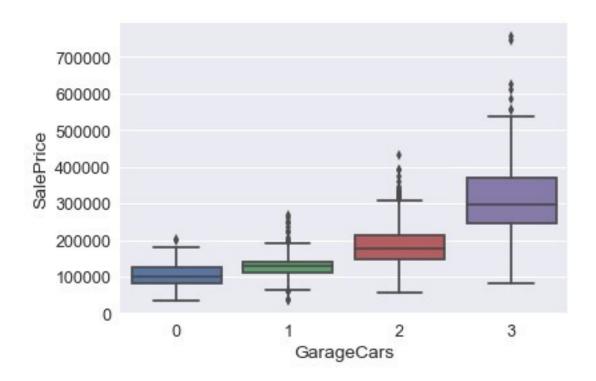
The number of Garages is also a good factor for rising the SalePrice. However, 4-car garages reseults with less price makes no sense. So, considering them as outliners, remove those from dataFrame

```
In [18]: # Removing outliers manually (More than 4-cars, less than $300k)

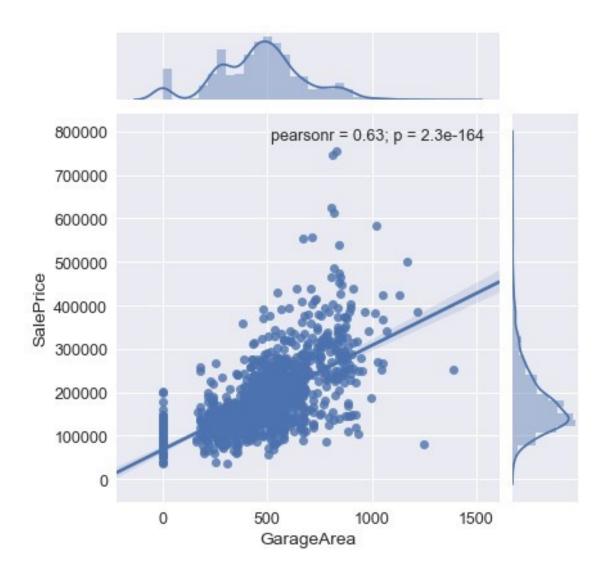
data_train = data_train.drop(data_train[(data_train['GarageCars']>3) & (data_train['SalePrice']<300000)].index).rese
```

In [19]: # GarageCars vs Sale Price sns.boxplot(x=data_train['GarageCars'], y=data_train['SalePrice'])

Out[19]: <matplotlib.axes._subplots.AxesSubplot at 0x18b5f866e48>



In [20]: # Garage Area vs Sale Price sns.jointplot(x=data_train['GarageArea'], y=data_train['SalePrice'], kind='reg')
Out[20]: <seaborn.axisgrid.JointGrid at 0x18b5fcf55c0>



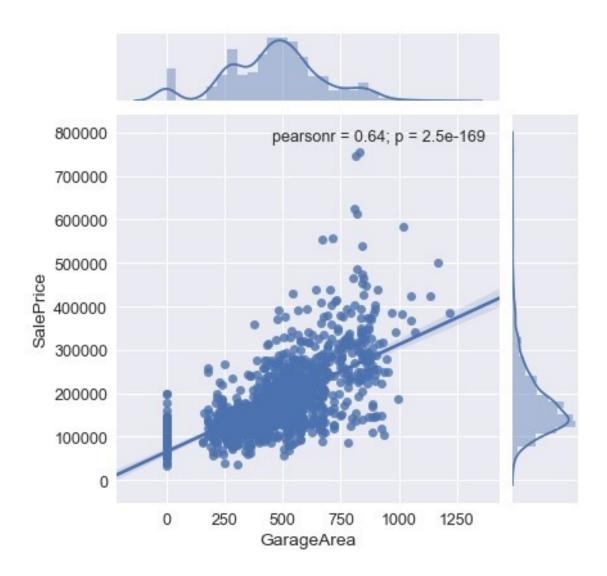
In [21]: # Removing outliers manually (More than 1000 sqft, less than \$300k) data_train =

data_train.drop(data_train[(data_train['GarageArea']>1000)

& (data_train['SalePrice']<300000)].index).reset_index(drop=

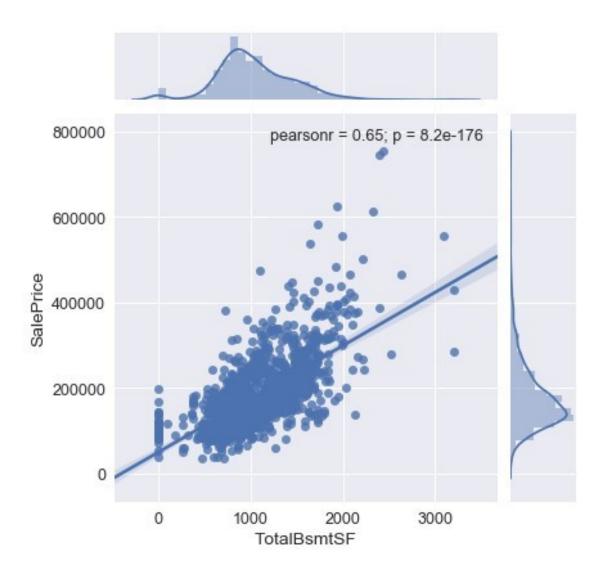
In [22]: # Garage Area vs Sale Price sns.jointplot(x=data_train['GarageArea'], y=data_train['SalePrice'], kind='reg')

Out[22]: <seaborn.axisgrid.JointGrid at 0x18b5f8a3a58>



In [23]: # Basement Area vs Sale Price sns.jointplot(x=data_train['TotalBsmtSF'], y=data_train['SalePrice'], kind='reg')

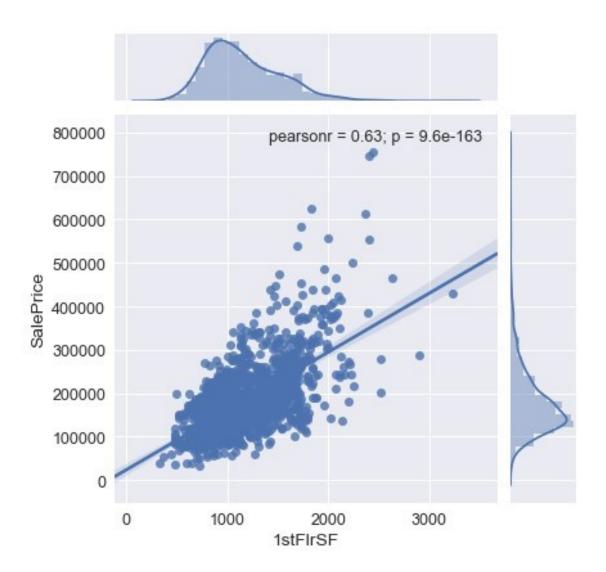
Out[23]: <seaborn.axisgrid.JointGrid at 0x18b5f8a3c50>



**Looks fine

In [24]: # First Floor Area vs Sale Price sns.jointplot(x=data_train['1stFlrSF'], y=data_train['SalePrice'], kind='reg')

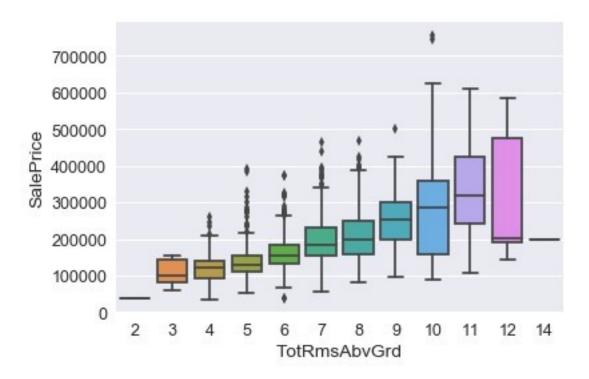
Out[24]: <seaborn.axisgrid.JointGrid at 0x18b60201e10>



**Looks fine

In [25]: # Total Rooms vs Sale Price sns.boxplot(x=data_train['TotRmsAbvGrd'], y=data_train['SalePrice'])

Out[25]: <matplotlib.axes._subplots.AxesSubplot at 0x18b60571828>



3.4 Missing Data and Clean Data

Missing data can imply a reduction in sample size. To ensure missing data handling is not biased and the process is thoeratically correct, Let's look at the missing data fields that are in our datasets and combine the training and test dataset for further work-

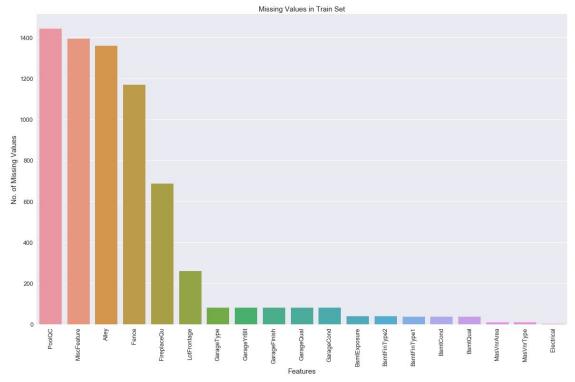
In [26]: #check for columns with null values and the number of null values in each of them for

temp_df.sort_values(by=['mvy'], ascending=False) plt.figure(1, figsize=(20,12)) sns.barplot(x=temp_df.mvx, y=temp_df.mvy) plt.xticks(rotation='90') plt.title('Missing Values in Train Set', fontsize=15) plt.xlabel('Features', fontsize=15) plt.ylabel('No. of Missing Values', fontsize=15) plt.show()

LotFrontage: 258 Alley: 1358 MasVnrType: 8 MasVnrArea: 8 BsmtQual: 37 BsmtCond: 37 BsmtExposure: 38 BsmtFinType1: 37 BsmtFinType2: 38

Electrical: 1
FireplaceQu: 686
GarageType: 81
GarageYrBlt: 81
GarageFinish: 81
GarageQual: 81
GarageCond: 81
PoolQC: 1442
Fence: 1168

MiscFeature: 1395



In [40]: #check for columns with null values and the number of null values in each of them for mvx=[] mvy=[] for col in cols:

```
if pd.isnull(data_test[col]).sum()>0: mvx = mvx + [col] mvy = mvy +
[data_test[col].isnull().sum()] print(col,end=":")
print(pd.isnull(data_test[col]).sum()) temp_df =
pd.DataFrame(data={'mvx':mvx, 'mvy':mvy}) temp_df =
temp_df.sort_values(by=['mvy'], ascending=False) plt.figure(1,
figsize=(20,12)) sns.barplot(x=temp_df.mvx, y=temp_df.mvy)
plt.xticks(rotation='90') plt.title('Missing Values in Train Set', fontsize=15)
plt.xlabel('Features', fontsize=15) plt.ylabel('No. of Missing Values',
fontsize=15) plt.show()
```

MSZoning: 4

LotFrontage: 227

Alley: 1352

Utilities: 2

Exterior1st:1

Exterior2nd: 1

MasVnrType: 16

MasVnrArea: 15

BsmtQual:44

BsmtCond: 45

BsmtExposure: 44

BsmtFinType1: 42

BsmtFinSF1:1

BsmtFinType2: 42

BsmtFinSF2:1

BsmtUnfSF: 1

TotalBsmtSF: 1

BsmtFullBath: 2

BsmtHalfBath : 2

KitchenQual: 1

Functional: 2

FireplaceQu: 730

GarageType: 76

GarageYrBlt: 78

GarageFinish: 78

GarageCars: 1

GarageArea: 1

GarageQual: 78

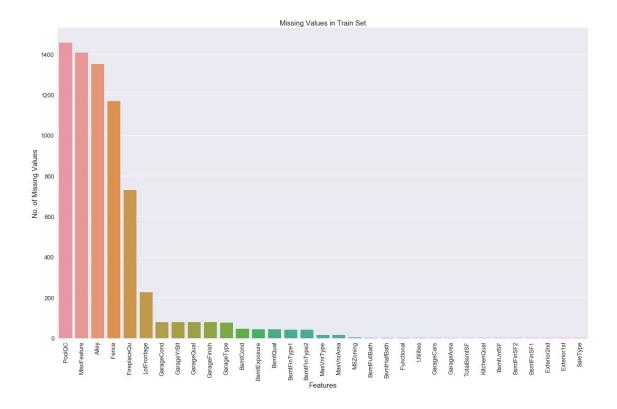
GarageCond: 78

PoolQC: 1456

Fence: 1169

MiscFeature: 1408

SaleType: 1



Analysis

As we can see there are a high number of missing values in the features titled PoolQC, MiscFeature, Alley and Fence. While apparently it may appear as if dropping these features would be a good idea, however, when I did drop them and tested it out without them, the results appear to worsen rather than improve. Therefore we will be keeping these features and assign a categorical value to their non-availability as well.

Garage discrepancies

There appears to be some discrepancies between the garage informations provided in the test set, namely

1. GarageType: 76

2. GarageYrBlt: 78

3. GarageFinish: 78

4. GarageQual: 78

5. GarageCond: 78

These need some data handling. Let's see where these discrepencies are appearing at -

In [27]: temp df = pd.DataFrame(columns=["Index", "GarageType", "GarageYrBlt", "GarageFinish", "Gar

```
new rows = \prod for index, row in
          data test.iterrows():
               if pd.notnull(row["GarageType"]) and pd.isnull(row["GarageYrBlt"]):
                    new rows.append([index,row["GarageType"],row["GarageYrBlt"],row["GarageFinish
          temp df = temp df.append(pd.DataFrame(new rows, columns=temp df.columns)) print(temp df)
  Index GarageType GarageYrBlt GarageFinish GarageQual GarageCond \
             Detchd
                                NaN
0.666
                                                 NaN
                                                               NaN
                                                                             NaN
1 1116
             Detchd
                                NaN
                                                 NaN
                                                               NaN
                                                                             NaN
   GarageCars GarageArea
0
            1.0360.0
```

As we can see, for 666th index we have no values for GarageYr-Blt,GarageFinish,GarageQual,GarageCond. On the other hand for 1116th, we have no values given at all save for GarageType. Thus we shall fill up the former with max and median values while assume the latter has no garage

```
In [42]: print("GarageYrBlt:") print(data test["GarageYrBlt"].median())
           print("GarageFinish: ") print(data test["GarageFinish"].mode())
           print("GarageQual : ") print(data test["GarageQual"].mode())
           print("GarageCond : ")
           print(data test["GarageCond"].mode())
GarageYrBlt:
1979.0
GarageFinish:
0
      Unf
dtype: object
GarageQual:
     TA
dtype: object GarageCond:
     TA
dtype: object
```

1

NaN

NaN

```
In [43]: data_test.loc[666,"GarageQual"] = "TA" data_test.loc[666, "GarageCond"] = "TA" data_test.loc[666, "GarageFinish"] = "Unf" data_test.loc[666, "GarageYrBlt"] = "1979" data_test.loc[1116, "GarageType"] = np.nan
```

Data Preprocessing/ Feature Engineering

In [44]: # For imputing missing values: fill in missing LotFrontage values by the median LotFro

lot_frontage_by_neighborhood = data_train["LotFrontage"].groupby(data_train["Neighborhorhorhorhood.describe())

	count	mean	std n	nin	25%	50%	75%	max
Neighborhood								
Blmngtn	14.0 47.142857	4.990100 4	13.0 43.00 43	3.0	53.00	53.0 Blue	este	2.0 24.000000
0.000000 24.0 2	24.00 24.0	24.00 24	.0 BrDale	16.0 21.	562500	1.209339	21.0 2	1.00 21.0
21.00 24.0								
BrkSide	51.0	57.509804	15.528519 5	0.0 50.00	52.0		60.00	144.0
ClearCr	13.0	83.461538	18.875096 6	2.0 75.00	80.0		83.00	138.0
CollgCr	126.0	71.682540	16.359291 3	6.0 64.00	70.0		78.00	122.0
Crawfor	41.0	71.804878	19.436074 4	0.0 55.00	74.0		82.00	130.0
Edwards	90.0	64.811111	18.643850 2	4.0 58.25	64.5		73.75	134.0
Gilbert	49.0	79.877551	32.748176 4	2.0 60.00	65.0		93.00	182.0
IDOTRR	33.0	60.757576	15.435410 4	0.0 50.00	60.0		60.00	110.0
MeadowV	15.0	27.800000	10.107988 2	1.0 21.00	21.0		38.50	44.0
Mitchel	35.0	69.857143	22.380589 3	2.0 57.50	71.0		81.00	129.0
NAmes 184.0 7	6.418478 23.70	1327 34.0 6	8.75 73.0	80.00 31	3.0 NP	kVill 7	.0 32.2	85714
14.150551 24.0	24.00 24.0	38.50 53	.0 NWAmes	45.0 81.	288889	10.61436	0 46.0	78.00 80.0
85.00 105.0								
NoRidge	33.0	91.878788	25.320147 5	2.0 81.00	91.0		98.00	174.0
NridgHt	7.	5.0 81.6666	67 25.088672	2 34.0 62.	50 87.0	102.00 1	29.0	
OldTown	108.0	62.768519	18.253463 3	0.0 50.00	60.0		63.00	153.0
SWISU	23.0	58.913043	10.539592 5	0.0 52.00	60.0		60.00	102.0
Sawyer	48.0	74.437500	14.728618 4	0.0 65.00	71.0		80.00	115.0
SawyerW	50.0	71.500000	14.720872 5	0.0 63.00	66.5		80.00	116.0
Somerst	75.0	64.000000	22.741200 2	4.0 43.50	72.0		78.50	116.0
StoneBr	20.0	62.700000	23.445570 3	9.0 41.00	61.5		80.50	124.0
Timber	30.0	80.133333	23.799063 4	2.0 68.00	85.0		88.75	150.0

```
In [45]: #convert categorical features into ordinal numbers le =
           LabelEncoder() def factorize(df, factor df, column,
           fill na=None):
                factor df[column] = df[column] if fill na
               is not None:
                    factor df[column].fillna(fill na, inplace=True)
               le.fit(factor df[column].unique()) factor df[column] =
               le.transform(factor df[column]) return factor df
In [46]: data train["SalePrice"].groupby(data train["Neighborhood"]).median().sort values()
Out[46]: Neighborhood
          MeadowV
                         88000
          IDOTRR
                        104750
           BrDale
                        106000
           OldTown
                        118250
           Edwards
                        119500
           BrkSide
                        124300
           Sawyer
                        135000
           Blueste
                        137500
          SWISU
                        139500
          NAmes
                        140000
           NPkVill
                        146000
           Mitchel
                        150900
          SawyerW
                        179900
            Gilbert
                        181000
          NWAmes
                        182900
           Blmngtn
                        191000
           CollgCr
                        197200
           ClearCr
                        200250
           Crawfor
                        200624
           Veenker
                        218000
           Somerst
                        222000
           Timber
                        228475
           StoneBr
                        278000
                        301500
           NoRidge
           NridgHt
                        316000
           Name: SalePrice, dtype: int64
   Saving 'SalePrice' values to var y train
In [47]: y train = data train.SalePrice.values
In [48]: y train
Out[48]: array([208500, 181500, 223500, ..., 266500, 142125, 147500], dtype=int64)
```

Survey

As there are many neighborhoods and some having median values quite close to one another, we shall later group them further to reduce the number of categories

4 Adding test and train set

We will add test and train set just to do the preprocessing together using only the train set. It will make our work more organized as we need to do same preprocessing to both the datasets.

In [49]: data train.head()

Out[49]:		MSSubClass MSZoning LotFrontage LotArea Street Alley LotShape \								
	0	60	RL	65.0	8450	Pave	NaN	Reg		
	1	20	RL	80.0	9600	Pave	NaN	Reg		
	2	60	RL	68.0	11250	Pave	NaN	IR1		
	3	70	RL	60.0	9550	Pave	NaN	IR1		
	4	60	RL	84.0	14260	Pave	NaN	IR1		
		LandC	ontour U	Itilities I	LotConfi	g Poo	olArea P	oolQC Fenc	e MiscFea	ture \
	0	Lvl	AllPu	ıb	Inside		() NaN	NaN	NaN
	1	Lvl	AllPı	ıb	FR	FR2) NaN	NaN	NaN
	2	Lvl	AllPı	ıb	Inside		() NaN	NaN	NaN
	3	Lvl	AllPı	ıb	Corner		() NaN	NaN	NaN
	4	Lvl	AllPu	ıb	FR2		() NaN	NaN	NaN
		MiscVal	MoSold	YrSold	SaleTyp	e SaleC	ondition	SalePrice		
	0	0 2	2008	WD	Normal 208500					
	1	0 5	2007	WD	Normal 181500					
	2	0 9	2008	WD	Normal 223500					
	3	0 2	2006	WD	Abnorml 140000					
	4	0 12	2008	WD	Norma	1 250000	0			

[5 rows x 80 columns]

```
all data.columns Out[36]:
```

all_data size is: (2907, 80) In [36]:

```
Index(['MSSubClass', 'MSZoning',
```

'LotFrontage', 'LotArea', 'Street', 'Alley',

```
'LotShape', 'LandContour', 'Utilities', 'LotConfig', 'LandSlope', 'Neighborhood', 'Condition1', 'Condition2', 'BldgType', 'HouseStyle', 'OverallQual', 'OverallCond', 'YearBuilt', 'YearRemodAdd', 'RoofStyle', 'RoofMatl', 'Exterior1st', 'Exterior2nd', 'MasVnrType', 'MasVnrArea', 'ExterQual', 'ExterCond', 'Foundation', 'BsmtQual', 'BsmtCond', 'BsmtExposure', 'BsmtFinType1', 'BsmtFinSF1', 'BsmtFinType2', 'BsmtFinSF2', 'BsmtUnfSF', 'TotalBsmtSF', 'Heating', 'HeatingQC', 'CentralAir', 'Electrical', '1stFlrSF', '2ndFlrSF', 'LowQualFinSF', 'GrLivArea', 'BsmtFullBath', 'BsmtHalfBath', 'FullBath', 'HalfBath', 'BedroomAbvGr', 'KitchenAbvGr', 'KitchenQual', 'TotRmsAbvGrd', 'Functional', 'Fireplaces', 'FireplaceQu', 'GarageType', 'GarageYrBlt', 'GarageFinish', 'GarageCars', 'GarageArea', 'GarageQual', 'GarageCond', 'PavedDrive', 'WoodDeckSF', 'OpenPorchSF', 'EnclosedPorch', '3SsnPorch', 'ScreenPorch', 'PoolArea', 'PoolQC', 'Fence', 'MiscFeature', 'MiscVal', 'MoSold', 'YrSold', 'SaleType', 'SaleCondition', 'SalePrice'], dtype='object')
```

In [37]: all data.SalePrice.tail()

```
Out[37]: 2902 NaN

2903 NaN

2904 NaN

2905 NaN

2906 NaN

Name: SalePrice, dtype: float64

In [38]: # drop SalePrice all_data.drop(['SalePrice'], axis=1, inplace=True)

print("all data size is: {}".format(all data.shape)) all data size is: (2907, 79)
```

Now all_data dataframe has all the features and instances in the training and test set without target feature.

We can now look for missing values for both train and test at the same time and fill them in **using the training dataset values**.

We can deal with training and test data separately but it's easy to deal with them both at the same time and it also makes sure that both train and test dataset has gone through same transformation.

5 Filling the missing or NULL values

Missing data Finding the missing data from the all data dataframe

```
In [39]: # all the missing values null_val_all =
          all data.isnull().sum().sort values(ascending=False) null val all =
          null val all[null val all>0] print(null val all)
PoolOC
                   2898
MiscFeature
                   2803
Alley
                   2710
Fence
                   2337
FireplaceQu
                   1416
LotFrontage
                    485
GarageCond
                    159
GarageQual
                    159
GarageYrBlt
                    159
GarageFinish
                    159
GarageType
                    157
BsmtCond
                     82
                      82
BsmtExposure
BsmtQual
                      81
                      80
BsmtFinType2
BsmtFinType1
                      79
MasVnrType
                      24
MasVnrArea
                      23
MSZoning
                       4
BsmtHalfBath
                       2
Utilities
                       2
Functional
                       2
BsmtFullBath
                       2
BsmtFinSF2
                       1
BsmtFinSF1
Exterior2nd
BsmtUnfSF
TotalBsmtSF
Exterior1st
SaleType
Electrical
                       1
KitchenQual
                       1
GarageArea
                       1
GarageCars dtype:
                       1
int64
```

Here I am handling the missing values by droping coloumns. However, This is not always a good practise. Here I have checked the dataset against linear regression and It shows imputating the missing values instead of dropping them.

```
all data[col] = all data[col].fillna('None') all data["Functional"] =
                       all data["Functional"].fillna("Typ")
       Garage Yr Blt (Discrete): Year garage was built Garage
        Area (Continuous): Size of garage in square feet Garage
        Cars (Discrete): Size of garage in car capacity
        BsmtFin SF 1 (Continuous): Type 1 finished square feet
        BsmtFin SF 2 (Continuous): Type 2 finished square feet
       Bsmt Unf SF (Continuous): Unfinished square feet of basement area
        Total Bsmt SF (Continuous): Total square feet of basement area
        Bsmt Full Bath (Discrete): Basement full bathrooms
        Bsmt Half Bath (Discrete): Basement half bathrooms
       Mas Vnr Area (Continuous): Masonry veneer area in square feet
       All of these features will null value means there is no such thing in that house. So filling up with 0
makes sense.
In [41]: var = ['GarageYrBlt', 'GarageArea', 'GarageCars',
                                                                              'BsmtFinSF1', 'BsmtFinSF2', 'BsmtUnfSF', 'TotalBsmtSF', 'BsmtFullBath', 'BsmtHall', 'BsmtFinSF2', 'B
                                       'MasVnrArea'] for
                       col in var:
                                  all data[col] = all data[col].fillna(0)
       LotFrontage (Continuous): Linear feet of street connected to property
       Since the area of each street connected to the house property most likely have a similar area to other
houses in its neighborhood, we can fill in missing values by the mean LotFrontage of the
neighborhood.
       We filled in the null values by only looking into the training dataset. So the test dataset has no role to
play in model building.
In [42]: filling vals = all data.groupby("Neighborhood")["LotFrontage"].mean()
                       for i in range(0, len(all data)):
                                  # print(all data.loc[i, 'LotFrontage']) if np.isnan(all_data.loc[i, 'LotFrontage']): #
                                  print(all data.loc[i, 'Neighborhood']) neighborhood name = all data.loc[i,
                                  'Neighborhood'] all data.loc[i, 'LotFrontage'] = filling vals[neighborhood name]
                                             # print(all data.loc[i, 'LotFrontage'])
In [43]: all data.isnull().sum().sort values(ascending=False)[:10]
Out[43]: MSZoning
                                                              4
                           Utilities
                                                              2
                                                               1
                          Exterior1st
                        SaleType
                                                               1
                          Exterior2nd
                                                               1
```

```
Electrical 1
KitchenQual 1
Foundation 0
MasVnrType 0
MasVnrArea 0
dtype: int64
```

MSZoning: Identifies the general zoning classification of the sale.

```
A Agriculture
```

C Commercial

FV Floating Village Residential

I Industrial

RH Residential High Density

RL Residential Low Density

RP Residential Low Density Park

RM Residential Medium Density

we can fill in missing values with most common value in the training dataset

```
In [44]: all data['MSZoning'] = all data['MSZoning'].fillna(data train['MSZoning'].mode()[0])
```

Utilities: Type of utilities available

AllPub All public Utilities (E,G,W,& S)

NoSewr Electricity, Gas, and Water (Septic Tank)

NoSeWa Electricity and Gas Only ELO

Electricity only

Let's check the unique values in Utilities Feature and then decide what to do.

```
In [45]: print('Unique Values for Utilities')

print(all_data['Utilities'].value_counts()) print()

print('index of the NoSeWa type utilities:', all_data[all_data['Utilities']=='NoSeWa'
```

Unique Values for Utilities

AllPub 2904 NoSeWa 1

Name: Utilities, dtype: int64 index of the NoSeWa

type utilities: 938

Only one data shows NoSeWa for Utilities and that is in training set. So this feature is not of any use to us either way. We will just get rid of it instead of filling in those two null values.

```
In [46]: # deleting the Utilities feature

all_data = all_data.drop(['Utilities'], axis=1)
```

5.1 filling the rest of the missing data

```
In [47]: all_data['Electrical'] = all_data['Electrical'].fillna(data_train['Electrical'].mode() all_data['KitchenQual'] = all_data['KitchenQual'].fillna(data_train['KitchenQual'].mod all_data['Exterior1st'] = all_data['Exterior1st'].fillna(data_train['Exterior1st'].mod all_data['Exterior2nd'] = all_data['Exterior2nd'].fillna(data_train['Exterior2nd'].mod all_data['SaleType'] = all_data['SaleType'].fillna(data_train['SaleType'].mode()[0])
```

Checking if there are any other null values

```
In [48]: all_data.isnull().sum().max()
```

Out[48]: 0

As we read from the data description that, there are some categorical features with clear ordering. These are Ordinal features.

```
In [49]: cols = ['BsmtCond', 'BsmtExposure', 'BsmtFinType1', 'BsmtFinType2', 'BsmtQual', 'Centr In [50]: #shape all_data.shape

Out[50]: (2907, 78)
```

These are all ordinal features because they have a sense of order amongst them. We will assign ordered numbers to them. We will just keep the distance of the ordered levels equal to keep the model less complex.

In [51]: # Encode some categorical features as ordered numbers when there is information in the

```
all data = all data.replace({"BsmtCond": {"None": 0, "Po": 1, "Fa": 2, "TA": 3,
                           "BsmtExposure": {"None": 0, "No": 1, "Mn": 2, "Av": 3, "Gd
                           "BsmtFinType1": {"None": 0, "Unf": 1, "LwQ": 2, "Rec": 3,
                                                   "ALQ": 5, "GLQ": 6},
                           "BsmtFinType2": {"None": 0, "Unf": 1, "LwQ": 2, "Rec": 3,
                                                  "ALQ": 5, "GLQ": 6},
                           "BsmtQual": {"None": 0, "Po": 1, "Fa": 2, "TA": 3, "Gd":
                                 "CentralAir": {"N":0, "Y":1},
                           "ExterCond": {"Po": 1, "Fa": 2, "TA": 3, "Gd": 4, "Ex": 5}
                           "ExterQual": {"Po": 1, "Fa": 2, "TA": 3, "Gd": 4, "Ex": 5}
                           "Fence": {"None": 0, "MnWw": 1, "GdWo": 2, "MnPrv": 3, "Gd
                           "FireplaceQu": {"None": 0, "Po": 1, "Fa": 2, "TA": 3, "Gd "Functional":
                           {"Sal" : 1, "Sev" : 2, "Maj2" : 3, "Maj1" : 4,
                                               "Min2": 6, "Min1": 7, "Typ": 8},
                           "GarageCond": {"None": 0, "Po": 1, "Fa": 2, "TA": 3, "Gd"
                           "GarageFinish": {"None": 0, "Unf": 1, "RFn": 2, "Fin": 3}
```

```
"GarageQual": {"None": 0, "Po": 1, "Fa": 2, "TA": 3, "Gd" "HeatingQC":
                                       {"Po" : 1, "Fa" : 2, "TA" : 3, "Gd" : 4, "Ex" :
                                       "KitchenQual": {"Po": 1, "Fa": 2, "TA": 3, "Gd": 4, "Ex"
                                       "LandSlope": {"Sev":1, "Mod":2, "Gtl":3},
                                                         "LotShape": {"IR3":1, "IR2":2, "IR1":3, "Reg":4},
                                              "PavedDrive": {"N":0, "P":1, "Y":2},
                                                         "PoolQC": {"None": 0, "Fa": 1, "TA": 2, "Gd": 3, "Ex": 4
                                     )
In [52]: all_data.shape
Out[52]: (2907, 78)
5.2
      Adding new features
In [53]: # split the train data and then add the target feature to it data = pd.concat([all data[:ntrain], pd.DataFrame(y train
           columns=['SalePrice'])], ax
In [55]: data.shape
Out[55]: (1448, 79)
In [56]: # manipulating the correlation matrix that we made earlier
           cor = data.corr()['SalePrice'].sort values(ascending=False) print(cor[cor > 0.5])
           # print(len(cor[cor > 0.5]))
           # get the feature names
           cor fet = list(cor.index[1:len(cor[cor > 0.5])])
SalePrice
                   1.000000
OverallQual
                   0.821420
GrLivArea
                   0.724646
GarageCars
                   0.691649
ExterQual
                   0.681201
GarageArea
                   0.670081
KitchenQual
                   0.670029
TotalBsmtSF
                   0.648135
1stFlrSF
                   0.621464
BsmtQual
                   0.617233
GarageFinish
                   0.608554
FullBath
                   0.595782
YearBuilt
                   0.589709
YearRemodAdd
                   0.563581
FireplaceQu
                   0.545237
TotRmsAbvGrd\\
                   0.536930
Name: SalePrice, dtype: float64
```

```
Now I am creating new features using polynomials on the Top 10 features I got from Corelation Matrix In [59]: for fet in cor_fet: name_2 = fet + '_2' name_3 = fet + '_3' name_sq = fet + '_sq' all_data[name_2] = all_data[fet] ** 2 all_data[name_3] = all_data[fet] ** 3 all_data[name_sq] = np.sqrt(all_data[fet]) checking the shape of all_data DataFrame
```

```
In [60]: all_data.shape
Out[60]: (2907, 123)
```

6 Survey

Data Manipulation

Here I've manipulated the entire dataset by filling in the missing values, mapping categorical features to numeric equivalents, and sort out most of the dataset by dividing some or joining multiple features into a single feature to reduce redundencies. In short, combine all the numerical features into one big DataFrame. Some have been mapped using python dictionaries, while others have been converted based on their values and description as was given in the data description. This has been edited multiple times to see what produces the best results(for example the label encoding portion in the middle) and mostly arranged on a trial and error basis. We don't add the one-hot encoded variables here though, that will be handled later on.

As we can see our number of features have increased from 78 to 123 through this data manipulation. We shall now proceed to scale the data,however, we shall be copying the NeighborhoodBin into a temporary DataFrame because we want to use the unscaled version later on for the one-hot encoding process.

** Missing data manipultaion ends here **

6.1 Normalization

As we've previously seen the data distribution varies greatly. So, next we shall scale the data and try to minimize the variation

Reference of the skewness to make the features normal Read Here

from scipy.special import boxcox1p

```
In [61]: numeric_feats = all_data.dtypes[all_data.dtypes != "object"].index

# Check the skew of all numerical features skewed_feats = all_data[numeric_feats].apply(lambda x: skew(x.dropna())).sort_values(a print("\nSkew in numerical features: \n") skewness = pd.DataFrame({'Skew' :skewed_feats}) skewness.head(10)

skewness = skewness[abs(skewness) > 0.75]
print("There are {} skewed numerical features to log transform".format(skewness.shape[

# http://onlinestatbook.com/2/transformations/box-cox.html
# https://docs.scipy.org/doc/scipy-0.19.0/reference/generated/scipy.special.boxcox1p.h
```

```
skewed_features = skewness.index
# lam = 0.15

for feat in skewed_features:
    # all_data[feat] = boxcox1p(all_data[feat], lam) all_data[feat] =
    np.log1p(all_data[feat])
```

Skew in numerical features:

There are 100 skewed numerical features to log transform

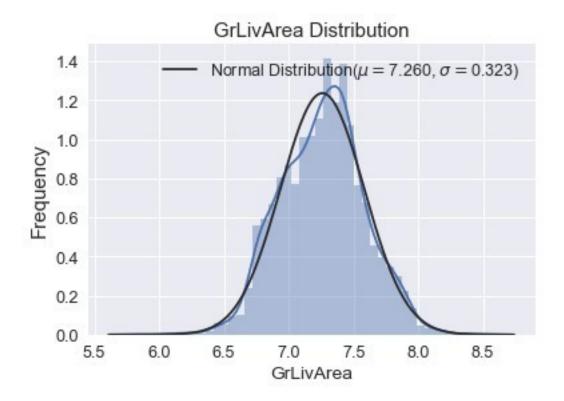
```
In [74]: import scipy.stats as sest

#For GrLivArea print()

(mu, sigma) = scst.norm.fit(all_data['GrLivArea']) mu =
round(mu,3) sigma = round(sigma,3)

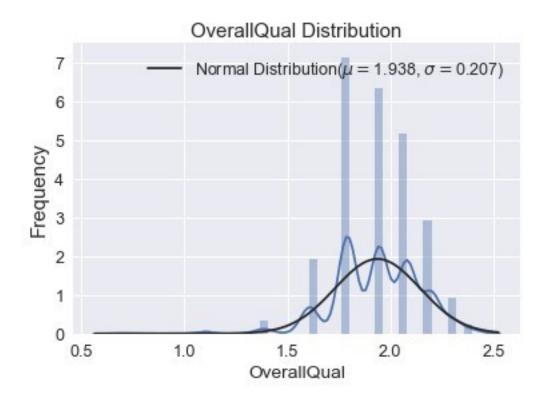
plt.figure(3) sns.distplot(all_data['GrLivArea'], fit=scst.norm) plt.title('GrLivArea Distribution',
fontsize=15) plt.ylabel('Frequency', fontsize=15) plt.legend(['Normal Distribution($\mu=$\%.3f,
$\sigma=$\%.3f)' \% (mu,sigma)], loc='best') plt.show() print(\nmu(Mean):', mu)
print('sigma(Standard Deviation):', sigma)

#For OverallQual print()
(mu, sigma) = scst.norm.fit(all_data['OverallQual']) mu =
round(mu,3) sigma = round(sigma,3)
plt.figure(3) sns.distplot(all_data['OverallQual'], fit=scst.norm) plt.title('OverallQual
Distribution', fontsize=15) plt.ylabel('Frequency', fontsize=15) plt.legend(['Normal
Distribution($\mu=$\%.3f, $\sigma=$\%.3f)' \% (mu,sigma)], loc='best') plt.show()
print('\nmu(Mean):', mu) print('sigma(Standard Deviation):', sigma)
```



mu(Mean): 7.26 sigma(Standard

Deviation): 0.323



mu(Mean): 1.938

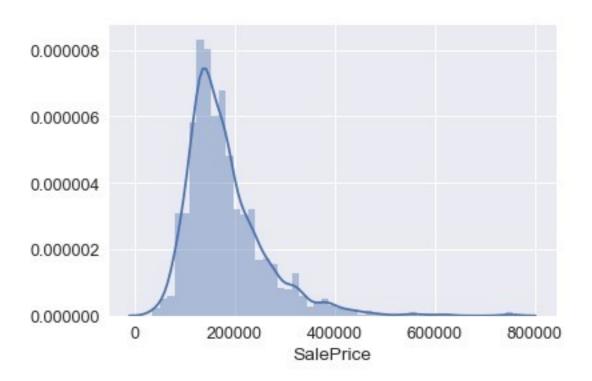
sigma(Standard Deviation): 0.207

In [28]: # I used the numpy fuction log lp which applies log(1+x) to all elements of the column # data train["SalePrice"] = np.log lp(data train["SalePrice"])

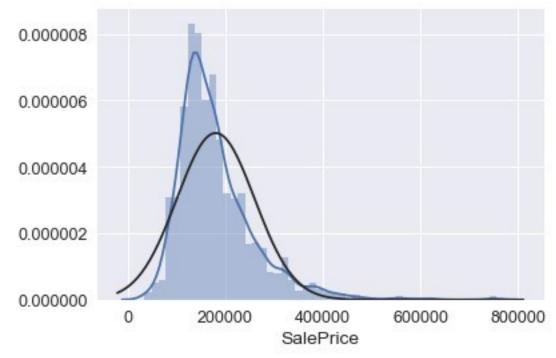
#histogram sns.distplot(data_train['SalePrice']);

#skewness and kurtosis print("Skewness: %f" % data_train['SalePrice'].skew()) print("Kurtosis: %f" % data_train['SalePrice'].kurt())

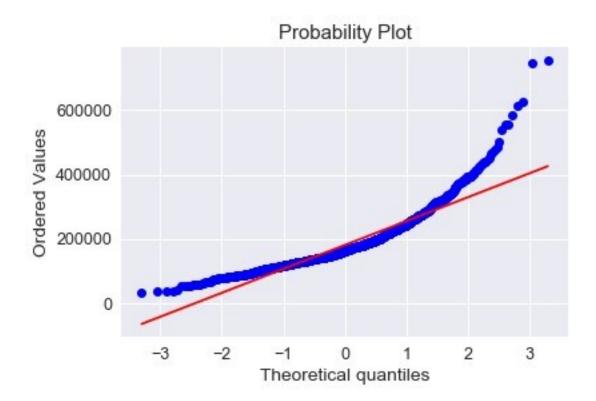
Skewness: 1.894512 Kurtosis: 6.568230



In [29]: #histogram and normal probability plot sns.distplot(data_train['SalePrice'], fit=norm);



In [30]: fig = plt.figure() res = stats.probplot(data_train['SalePrice'], plot=plt)



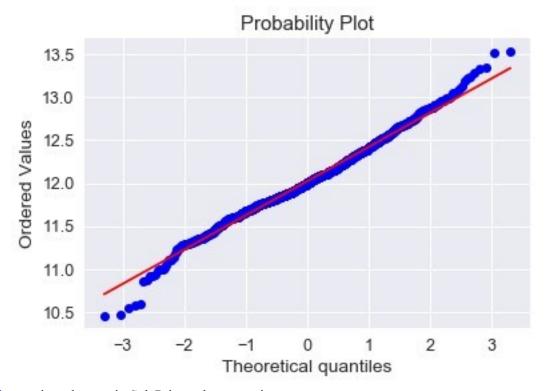
6.2 Applying log transformation

using log1p or just log? which one is better? Read more from here

In [31]: data_train['SalePrice'] = np.log(data_train['SalePrice'])

In [32]: #transformed histogram and normal probability plot sns.distplot(data_train['SalePrice'], fit=norm); fig = plt.figure() res = stats.probplot(data_train['SalePrice'], plot=plt)





In [33]: y_train = data_train.SalePrice.values y_train

Out[33]: array([12.24769432, 12.10901093, 12.31716669, ..., 12.49312952, 11.86446223, 11.90158345])

Survey

As we can see from the plot values, our data is now in a much more uniform distribution.

7 Categorical to Numerical

As we have seen in our dataframe there are not only numerical but also there are some categorical data too. I am going to use get dummies fuction to convert the categorical variable into numerical variable

In [62]: # https://pandas.pydata.org/pandas-docs/stable/reference/api/pandas.get_dummies.html#p all_data = pd.get_dummies(all_data) all_data.shape

Out[62]: (2907, 271)

7.1 Split train and test

```
In [63]: train = all_data[:ntrain]
test = all_data[ntrain:]
```

In [64]: print(test.shape) test.head()

1451

(1459, 271)

Out[64]:		MSSubClass L	otFrontage		LotArea L	otShape LandSlope (OverallQual \			
	1448	3.044522	4.394449	9.36	50741 1.609438	1.386294	1.791759			
	1449	3.044522	4.406719	9.56	55775 1.386294	1.386294	1.945910			
	1450	4.110874	4.317488	9.53	34668 1.386294	1.386294	1.791759			
	1451	4.110874	4.369448	9.20	08238 1.386294	1.386294	1.945910			
	1452	4.795791	3.784190	8.51	18392 1.386294	1.386294	2.197225			
	OverallCond YearBuilt YearRemodAdd MasVnrArea SaleType_ConLw \									
	1448	1.945910	7.581720		7.581720	0.000000		0		
	1449	1.945910	7.580189		7.580189	4.691348		0		
	1450	1.791759	7.599902		7.600402	0.000000		0		
	1451	1.945910	7.600402		7.600402	3.044522		0		
	1452	1.791759	7.597396		7.597396	$0.000000 \dots$		0		
SaleType New SaleType Oth SaleType WD SaleCondition Abnorml \										
	1448	0	0	1	0					
	1449	0	0	1	0					
	1450	0	0	1	0					
	1451	0	0	1	0					
	1452	0	0	1	0					
SaleCondition_AdjLand SaleCondition_Alloca SaleCondition_Family \										
	1448		0			U	0			
	1449		0			U	0			
	1450		0			0	0			

0

0

```
1452
                                             0
                                                                         0
                                                                                                      0
                   SaleCondition Normal SaleCondition Partial
            1448
            1449
                                                0
           1450
                                                0
                                                0
           1451
                                            1
           1452
                                                0
           [5 rows x 271 columns]
In [65]: # saving to csv to use later in different algorithms
           data = pd.concat([train, pd.DataFrame(y train, columns=['SalePrice'])], axis=1)
           data.to csv('train salePrice.csv',index=False) test.to csv('test salePrice.csv', index=False)
In [66]: test ID.shape \# test ID.head(5) ids =
           pd.DataFrame(test ID, columns=['Id'])
           ids.to csv('test id.csv', index=False)
In [67]: y train.shape
Out[67]: (1448,)
      Copying Available Datasets
8
keeping copy of Datasets that was created earlier to reuse it later on.
In [68]: train 1 =train.copy() test_1 =test.copy()
           df train = data train.copy() df test
           = data test.copy() print ("Data copy
           complete")
Data copy complete
In [81]: y_train.shape
Out[81]: (1448,)
In [82]: print("Train Set Shape: ",train.shape) print("Test Set
```

And now we have equal number of features which is exactly what we desire. As we have taken care of the normalization, we shall now scale down the target variable SalePrice. We take the log here because the

Shape:",test.shape)

Train Set Shape : (1448, 375) Test Set Shape : (1459, 375) error metric is between the log of the SalePrice and the log of the predicted price. That does mean we need to exp() the prediction to get an actual sale price.

```
In [144]: #label_df is the dataframe made solely with the target field SalePrice label_df = pd.DataFrame(index = train.index, columns=["SalePrice"]) label_df["SalePrice"] = np.log(data_train["SalePrice"]) print("label_df", label_df.shape) label_df (1448, 1)
```

In order to check the accuracy of various models later on I've defined here a function to calculate the root mean squared error(RMSE) which shall later help to evaluate models

```
In [84]: def rmse(y_true, y_pred): return np.sqrt(mean_squared_error(y_true, y_pred))
```

Detect and weed out further outliers through IsolationForest

The IsolationForest is an ensemble algorithm which is used to determine anomalies/outliers. From Scikit-Learn's documentation, which describes it well -

The IsolationForest 'isolates' observations by randomly selecting a feature and then randomly selecting a split value between the maximum and minimum values of the selected feature.

Since recursive partitioning can be represented by a tree structure, the number of splittings required to isolate a sample is equivalent to the path length from the root node to the terminating node.

This path length, averaged over a forest of such random trees, is a measure of normality and our decision function.

Random partitioning produces noticeably shorter paths for anomalies. Hence, when a forest of random trees collectively produce shorter path lengths for particular samples, they are highly likely to be anomalies.

```
In [209]: from sklearn.ensemble import IsolationForest clf = IsolationForest(n_estimators=500, max_samples=1.0, random_state=1001, bootstrap print("\nRunning Isolation Forest:') clf.fit(train, label_df) isof = clf.predict(train) label_df['isof'] = isof train['isof'] = isof #myindex = train['isof'] < 0 train.drop(train[train["isof"] < 0].index, inplace=True) label_df.drop(label_df[label_df["isof"] < 0].index, inplace=True) train = train.drop('isof', axis=1) label_df = label_df.drop('isof', axis=1) print("Train set shape: ", train.shape) print("Target Shape", label_df.shape)
```

Running Isolation Forest: Train set shape: (1419, 375) Target Shape (1419, 1)

In [76]: **from sklearn.preprocessing import** StandardScaler **from sklearn.metrics import** mean_squared_error

```
In [69]: # import the dataset train =
           pd.read csv('./train salePrice.csv') test =
           pd.read csv('./test salePrice.csv')
           ## target feature
           #y tr = pd.DataFrame()
           #y tr['SalePrice'] = train.SalePrice
In [70]: train.shape
Out[70]: (1448, 272)
In [71]: numeric feats = list(numeric feats) print(numeric feats)
           # print(len(numeric feats))
           # all the numeric features without dummy features.
['MSSubClass', 'LotFrontage', 'LotArea', 'LotShape', 'LandSlope', 'OverallQual', 'OverallCond'
In [72]: len(numeric feats)
Out[72]: 100
In [77]: # target feature y tr = pd.DataFrame()
           y tr['SalePrice'] = train.SalePrice y tr.shape
Out[77]: (1448, 1)
In [78]: train.drop("SalePrice", axis = 1, inplace = True)
In [79]: train.shape
Out[79]: (1448, 271)
```

8.1 Modelling and Predictions

For modeling and prediction analysis analysis I have used 3 different algorithms:

- 1.XGBoost
- 2.Lasso Regression
- 3.Linear Regression

8.2 1. XGBoost

XGBoost provides a wrapper class to allow models to be treated like classifiers or regressors in the scikit-learn framework.

This means we can use the full scikit-learn library with XGBoost models.

The XGBoost model for classification is called XGBClassifier. We can create and and fit it to our training dataset. Models are fit using the scikit-learn API and the model.fit() function. Learn more from here

Predict the result

```
In [212]: y_pred_xgb = model_xgb.predict(test) y_pred_xgb

Out[212]: array([0.90080935, 0.9095861 , 0.9153086 , ..., 0.91074085, 0.8963932 , 0.9181987 ], dtype=float32)

8.3 Exporting Data to csv
```

XgBoost score on training set: 0.007228968106147068

```
In [213]: #get the XGB only result y_xgb_only=np.exp(y_pred_xgb) pred_df = pd.DataFrame(y_xgb_only,index=test_data["Id"], columns=["SalePrice"]) pred_df.to_csv('LASSOoutput.csv', header=True, index_label='Id')
```

8.4 2. LASSO Regression

Lasso regression is a simple techniques way to reduce model complexity and prevent over-fitting which may result from simple linear regression.

Lasso regression performs L1 regularization, i.e. it adds a factor of sum of absolute value of coefficients in the optimization objective. Thus, lasso regression optimizes the following: Objective = RSS + * (sum of absolute value of coefficients) learn More here

Modelling

```
In [100]: best_alpha = 0.00099 #a bit arbitrary and based on some trial and error process print("Lasso regressor is running...") regr = Lasso(alpha=best_alpha, max_iter=50000) regr.fit(train, label_df)

y_pred = regr.predict(train)#fitting the model y_test = label_df

accuracy_score = rmse(y_test, y_pred)

print("Lasso score on training set: ", accuracy_score*100)
```

Lasso regressor is running...

Lasso score on training set: 0.5451509075296066

Predict the result

```
In [113]: y_pred_lasso = regr.predict(test) y_pred_lasso

Out[113]: array([0.90013948, 0.91105758, 0.91431241, ..., 0.90931289, 0.89626047, 0.92361421])
```

8.5 Exporting Data to csv

```
In [211]: #get the LASSO only result y_lasso_only=np.exp(y_pred_lasso) pred_df = pd.DataFrame(y_lasso_only, index=test_data["Id"], columns=["SalePrice"]) pred_df.to_csv('LASSOoutput.csv', header=True, index_label='Id')
```

8.6 3. Linear Regression

linear regression is a linear approach to modelling the relationship between a scalar response (or dependent variable) and one or more explanatory variables (or independent variables). Linear regression attempts to model the relationship between two or more features and a response by fitting a linear equation to observed data. Learn more from here

```
In [214]: from sklearn.model_selection import train_test_split X_train, X_test, y1_train, y_test =
train_test_split( data_train,y_train , random_state=42, test_size=
from sklearn import linear_model lr =
linear_model.LinearRegression() model =
lr.fit(train, label_df)

y_pred = model.predict(train) y_test =
label_df
print("Linear score on training set: ", rmse(y_test, y_pred))
```

Linear score on training set: 0.0028934252678305523

Predict the result

8.7 Exporting Data to csv

```
In [217]: y_linear_only=np.exp(y_pred_lnr) pred_df = pd.DataFrame(y_linear_only, index=test_data["Id"], columns=["SalePrice"]) pred_df.to_csv('Linearoutput.csv', header=True, index_label='Id')
```

9 Survey

The results of the Algorithms on their accuracy on the training sets are as follows

Algorithms	RMSE
XGBOOST	0.7228
Lasso	0.5451
Linear	0.2893

10 ANN with Tensorflow

About TensorFlow

TensorFlow is an open source software library for high performance numerical computation. Its flexible architecture allows easy deployment of computation across a variety of platforms (CPUs, GPUs, TPUs), and from desktops to clusters of servers to mobile and edge devices. Originally developed by researchers and engineers from the Google Brain team within Google's AI organization, it comes with strong support for machine learning and deep learning and the flexible numerical computation core is used across many other scientific domains.

Hyperparameters related to Network structure

Hyperparameters are the variables which determines the network structure(Eg: Number of Hidden Units) and the variables which determine how the network is trained(Eg: Learning Rate). Hyperparameters are set before training(before optimizing the weights and bias).

There are some couple of hypermetes to be tuned in NN . namely- number of hidden layer, Dropout, Activation function, Learning rate, number of epoches, cross validation etc.

11 Making a simple NN or no hidden layer Model

This is the simplest NN model. In between Input to output there's no extra hidden layer.

```
In [74]: ## import Tensorflow import
tensorflow as tf

In [83]: # specify the number of input and output n_inputs =
train.shape[1] n_outputs = 1 print(n_inputs)

271

In [84]: y_tr.shape

Out[84]: (1448, 1)
```

11.0.1 Placeholder

The function creates the placeholders for the tensorflow session. The param input_size is scalar, input size. parameter output_size is scalar, output size.

Strategy here-

This model will try to minimize the loss of predicted values of y by tuning weights and biases. Adam Optimizer will tweak the model parameters to minimize the cost function.

We will train this model for EPOCH times and then predict the validation sets SellPrice.

Choosing EPOCH: We will let the model learn until it starts over fitting. So checking the validation loss and training loss we will select the EPOCH values.

This model has not much complexities in its architecture so it will operate like a linear regression model.

```
In [85]: y train.shape
Out[85]: (965, 1)
In [86]: # placeholder nodes to represent the training data and target
           X = tf.placeholder(name="X", dtype=tf.float32, shape=[None, n inputs]) y true =
           tf.placeholder(dtype=tf.float32, shape=[None, n outputs], name = "y") print(X) print(y true)
           # weights and biases
           W = tf.Variable(tf.truncated normal([n inputs, n outputs], stddev=(2/np.sqrt(n inputs) b =
           tf.Variable(tf.zeros([n outputs]), name='b')
           print(W) print(b)
           # Hypothesis y pred = tf.add(tf.matmul(X, W), b,
           name='output') print(y pred)
           # Mean Squared Error Cost Function
           # loss = tf.losses.mean squared error(labels=y true, predictions=y pred) loss =
           tf.reduce mean(tf.square(y pred - y true), name='loss')
           # hyperparameters of the model
           learning rate = 0.005 \text{ EPOCH} = 2500
           # Adam Optimizer optimizer =
           tf.train.AdamOptimizer(learning rate) train op =
           optimizer.minimize(loss)
Tensor("X 1:0", shape=(?, 271), dtype=float32)
Tensor("y 1:0", shape=(?, 1), dtype=float32)
<tf.Variable 'W 1:0' shape=(271, 1) dtype=float32 ref>
```

```
<tf.Variable 'b_1:0' shape=(1,) dtype=float32_ref>
Tensor("output 1:0", shape=(?, 1), dtype=float32)
```

12 K-fold Cross-Validation

Cross-validation is a resampling procedure used to evaluate machine learning models on a limited data sample.

Cross-validation is primarily used in applied machine learning to estimate the skill of a machine learning model on unseen data. That is, to use a limited sample in order to estimate how the model is expected to perform in general when used to make predictions on data not used during the training of the model.

The model parametes will be decided later on

np.zeros(EPOCH)

```
In [97]: type(y train)
Out[97]: numpy.ndarray
In [87]: Single layer NN validation score = []
          #3 fold cross validation
          # https://scikit-learn.org/stable/modules/generated/sklearn.model_selection.KFold.html from
          sklearn.model selection import KFold
          k = 3
          kf = KFold(n splits=k, shuffle=True) for train index,
          test index in kf.split(train):
              # Partition the dataset in train + validation sets
              X train, X test = train.iloc[train index], train.iloc[test index] y train, y test nn =
              y tr.iloc[train index], y tr.iloc[test index] print('-----New validation set created------')
               \# scale the data stdSc =
               StandardScaler()
              X train.loc[:, numeric feats] = stdSc.fit transform(X train.loc[:, numeric feats]) X test.loc[:,
               numeric feats] = stdSc.transform(X test.loc[:, numeric feats]) print('scaling complete!!')
               ______
              train loss = np.zeros(EPOCH) validation loss =
```

```
# Global Variables Initializer init =
                tf.global_variables_initializer()
                # Starting the Tensorflow Session with
                tf.Session() as sess:
                     # Initializing the Variables sess.run(init)
                     # Iterating through all the epochs for epoch in
                     range(EPOCH):
                                  # Feeding data into the optimizer using Feed Dictionary
                                               _, loss_value = sess.run((train_op, loss), {X:X_train, y_true:y_train.valu
                           # keeping track of the loss values on train and validation set validation loss[epoch] =
                           mean squared error(sess.run(y pred, {X:X test}), train loss[epoch] = loss value
                           # Displaying the loss after every 500 epochs if(epoch%500==0): print("epoch", str(epoch),
                           'Training loss ==', round(loss value, print('Validation loss ==', round(validation loss[epoch],
                           5))
                     print("epoch", str(epoch+1), 'Training loss ==', round(loss value, 5), end='\t print('Validation loss
                     ==', round(validation loss[epoch], 5))
                     # validation set prediction y pred NN =
                     sess.run(y pred, {X:X test})
                                    print('validation loss average: ', sum(Single layer NN validation score) / len(Single
-----New validation set created-----scaling
complete!!
epoch 0 Training loss == 164.2193
                                                    Validation loss == 162.27182
epoch 500 Training loss == 0.03555
                                                     Validation loss == 0.05466
epoch 1000 Training loss == 0.01541
                                                       Validation loss == 0.03175
epoch 1500 Training loss == 0.01057
                                                       Validation loss == 0.02497
epoch 2000 Training loss = 0.00921
                                                       Validation loss == 0.02263
epoch 2500 Training loss = 0.00871 -----New
                                                       Validation loss == 0.02205
validation set created-----scaling complete!!
epoch 0 Training loss == 156.48773
                                                     Validation loss == 153.1215
epoch 500 Training loss == 0.04514
                                                     Validation loss == 0.0662
epoch 1000 Training loss == 0.01758
                                                       Validation loss = 0.02986
epoch 1500 Training loss == 0.0114
                                                     Validation loss == 0.02215
epoch 2000 Training loss == 0.00972
                                                       Validation loss == 0.01998
epoch 2500 Training loss == 0.00911 -----New
                                                       Validation loss = 0.01905
validation set created-----scaling complete!!
epoch 0 Training loss == 158.35443
                                                     Validation loss == 153.2932
```

```
# check the rmse of validation set
                     Single layer NN validation score.append(mean squared error(y pred NN, y test n
                     # print(Single layer NN validation score)
epoch 500 Training loss == 0.03632
                                                     Validation loss == 0.05371
epoch 1000 Training loss == 0.0158
                                                     Validation loss == 0.02981
epoch 1500 Training loss == 0.01082
                                                      Validation loss == 0.02394
epoch 2000 Training loss = 0.00938
                                                      Validation loss == 0.02213
epoch 2500 Training loss == 0.00879
                                                      Validation loss == 0.02124
validation loss average: 0.020779885524819245
In [88]: print('validation loss average: ', sum(Single layer NN validation score) / len(Single validation loss average:
0.020779885524819245
13
       Prediction on test data
In [89]: X test real = test.copy() X train full =
           train.copy()
           stdSc = StandardScaler()
           X train full.loc[:, numeric feats] = stdSc.fit transform(X train full.loc[:, numeric f X test real.loc[:,
           numeric feats] = stdSc.transform(X test real.loc[:, numeric feats]) print('scaling complete!!')
scaling complete!!
In [90]: # hyperparameters of the model
           learning rate = 0.001 EPOCH = 2000
           train loss = np.zeros(EPOCH)
           # Global Variables Initializer init =
           tf.global variables initializer() saver =
           tf.train.Saver()
           # Starting the Tensorflow Session with
           tf.Session() as sess: # Initializing the
           Variables sess.run(init)
                # Iterating through all the epochs for epoch in
                range(EPOCH):
```

Feeding data into the optimizer using Feed Dictionary

```
_, loss_value = sess.run((train_op, loss), {X:X_train_full, y_true:y_tr.values train_loss[epoch] = loss_value
                     # Displaying the loss after every 500 epochs if(epoch%500==0):
                                                   print("epoch", str(epoch), 'Training loss ==', (loss value))
                print("epoch", str(epoch+1), 'Training loss ==-', (loss value))
                # save the model path = './my NN model '+'.ckpt' save path =
                saver.save(sess, path) print("Model saved in path: %s" % save path)
                y nn = sess.run(y pred, {X:X test real.values.tolist()})
epoch 0 Training loss == 144.8448 epoch 500
Training loss == 0.034406226 epoch 1000 Training
loss == 0.016569184 epoch 1500 Training loss ==
0.011363177 epoch 2000 Training loss ==
0.009874001 Model saved in
path: ./my NN model .ckpt
In [91]: saver = tf.train.Saver()
           # load the saved model to predict test set with
           tf.Session() as sess: path = './my NN model '+
           '.ckpt' saver.restore(sess, path)
                y nn = sess.run(y pred, {X:X test real.values.tolist()})
INFO:tensorflow:Restoring parameters from ./my NN model .ckpt
In [92]: # reverse the log transformed SalePrice y nn =
           np.exp(y nn) y nn = y nn.round()
           # save the result to csv sub =
           pd.read csv('./test id.csv') sub['SalePrice']
           = y nn
           path = 'ANN SUBMISSION 09' + '.csv' sub.to csv(path,
           index=False) print('predictions saved as: ', path) predictions
           saved as: ANN SUBMISSION 09.csv
In [93]: from IPython.display import Image
           Image('./ANN submission 09.JPG')
   Out[93]:
```



14 Making the DNN Model

I am going to divide the task into three phase-

- The first step is the construction phase, building the TensorFlow graph.
- The second step is the execution phase, where we actually run the graph to train the model.
- After that we can use the trained model to make prediction.

14.0.1 Number of Neurons

The number of neurons in the input and output layers is determined by the type of input and output our task requires. So we can only tune the hidden layers neurons. A common practice is to size them to form a funnel, with fewer and fewer neurons at each layer.

With the help of cross-validation different combinations of neurons for both hidden layers are tested and got better results on validation set on average with 1 and 1 neurons for first and second hidden layer.

Read More from here & Here

```
In [95]: # number of inputs, hidden neurons and outputs n_inputs = train.shape[1] n hidden1 = 1 n hidden2 = 1 n outputs = 1
```

15 Placeholder

In [96]: # placeholder nodes to represent the training data and target X = tf.placeholder(tf.float32, shape=[None, n_inputs], name='X') y = tf.placeholder(tf.float32, shape=[None, 1], name='y') #The shape of y is (None, 1)

There are a lot of different activation functions to choose from to use in this model. Some of them are sigmoid, Relu, leaky relu, exponential linear unit(Elu).

- Sigmoid activation functions saturates for positive values so it is not wise to use it in DNN models.
- Relu performs well in these DNN models but it suffers from dying relu problem.
- There are other alternatives like leaky relu and exponential linear unit (ELU). These are known to perform well but these makes the models slow.

With cross-validation all the activation functions(relu, leaky-relu and elu) are compared and leaky-relu worked better of this model.

Relu has it's disadvantages as it sometimes fails because of dying relu problem. Elu function works well but it's slow. So I choose leaky-relu as activation function because it's fast at converging all the time, gives better model accuracy from the other variants of relu.

Instead of writing variables and activation for each layer every time, we will make a function to handle these for a single layer.

```
In [97]: # def neural network model(x,y):
           #
                     #hidden layer 1
            #
                         # Calculating for the first layer
            #
                             layer I = tf.add(tf.matmul(x, weights['h1']), biases['b1'])
            #
                            layer 1 = tf.nn.relu(layer 1) \#activation function 'relu'
            #
                       dropout=tf.nn.dropout(layer 1,y)
            #
                     #hideen layer 2
            #
                        # Calculating for the second layer
            #
                             layer 2 = tf.add(tf.matmul(dropout, weights['h2']), biases['b2'])
            #
                            layer 2 = tf.nn.relu(layer 2)#activation function 'relu'
            #
                     #hideen layer 3
            #
                        # Calculating for the 3rd layer
            #
                             layer 3 = tf.add(tf.matmul(layer 2, weights['h3']), biases['b3'])
            #
                            layer 3 = tf.nn.relu(layer 3)#activation function 'relu'
            #
                      # output layer
            #
                             out layer = tf.matmul(layer 3, weights['out']) + biases['out']
            #
                      return (out layer)
           # neuron layer function will create one layer at a time def
           neuron layer(X, n neurons, name, activation=None):
                 with tf.name scope(name):
                      n inputs = int(X.get shape()[1]) stddev = 2 /
                      np.sqrt(n inputs)
                      init = tf.truncated normal((n inputs, n neurons), stddev=stddev) W =
                      tf.Variable(init, name="weights") b = tf.Variable(tf.zeros([n neurons]),
                      name="biases") z = tf.matmul(X, W) + b
                      if activation=="relu": return
                           tf.nn.relu(z)
                      elif activation=="elu":
                           return tf.nn.elu(z)
                      elif activation=="leaky relu":
                           return tf.nn.leaky relu(z)
                      else:
                           return z
```

Working Principle

- The first hidden layer takes X as its input.
- The second takes the output of the first hidden layer as its input.
- And finally, the output layer takes the output of the second hidden layer as its input and returns the target values.

Choice of number of hidden layers:

For many problems, a single hidden layer will give reasonable results. Deep networks have a much higher parameter efficiency than shallow ones: they can model complex functions using exponentially fewer neurons than shallow nets, making them much faster to train.

I have taken both one, two and three hidden layers separately and checked model performance against each other. After that ended up using two hidden layers because of its accuracy. With one hidden layer this model performs almost similarly but two hidden layers of 1 neurons each gave better test accuracy. So for this reason I kept the second hidden layer.

Learning rate has been chosen arbitarily with the value 0.001,0.01,0.03,0.003 where 0.003 were performed better thats why I have chosen 0.003

```
# https://scikit-learn.org/stable/modules/generated/sklearn.model selection.KFold.htm from
sklearn.model_selection import KFold k = 3
kf = KFold(n splits=k, shuffle=True, random state=random.randint(30,70)) for train index,
test index in kf.split(train):
    # Partition the dataset in train + validation sets
    X train, X test = train.iloc[train index], train.iloc[test index] y train, y test DNN =
    y_tr.iloc[train_index], y_tr.iloc[test_index] print('-----New validation set created------')
    # scale data stdSc =
    StandardScaler()
    X train.loc[:, numeric feats] = stdSc.fit transform(X train.loc[:, numeric feats] X test.loc[:,
    numeric feats] = stdSc.transform(X test.loc[:, numeric feats]) print('scaling complete!!')
    #
     train loss = np.zeros(n epochs) validation loss =
    np.zeros(n epochs)
    # Global Variables Initializer init =
    tf.global variables initializer() with tf.Session() as
    sess:
         # Initializing all the Variables init.run()
         # train the model for epoch in
         range(n epochs):
                                 _, loss_value= sess.run((training_op,loss_op),feed_dict={X:X_train, y:y_
              # keep track of the losses
              train loss[epoch] = loss value validation loss[epoch] = mean squared error(sess.run(logits,
              {X:X \text{ test}}), if(epoch%100==0):
                   print("epoch", str(epoch), 'Training loss ==', round(loss value, 5), print('Validation loss
                   ==', round(validation loss[epoch], 5))
```

print('validation loss average: ', sum(DNN validation score) / len(DNN validation sc

```
-----New validation set created-----scaling
complete!!
epoch 0 Training loss == 137.88971
                                                    Validation loss == 134.392
epoch 100 Training loss == 11.01372
                                                     Validation loss == 11.86711
epoch 200 Training loss == 2.24296
                                                    Validation loss == 2.28956
epoch 300 Training loss == 0.1229
                                                   Validation loss == 0.15866
epoch 400 Training loss == 0.05928
                                                    Validation loss == 0.08816
epoch 500 Training loss == 0.03762
                                                    Validation loss == 0.0629
epoch 600 Training loss == 0.02697
                                                    Validation loss == 0.05032
epoch 700 Training loss == 0.02071
                                                    Validation loss == 0.04301
epoch 800 Training loss == 0.01684
                                                    Validation loss == 0.03857
epoch 900 Training loss == 0.01441
                                                    Validation loss == 0.03585
epoch 1000 Training loss == 0.01284
                                                     Validation loss == 0.03416
epoch 1100 Training loss = 0.01181
                                                     Validation loss == 0.03309
epoch 1200 Training loss == 0.0111
                                                    Validation loss == 0.03241
epoch 1300 Training loss == 0.0106
                                                    Validation loss == 0.03195
epoch 1400 Training loss == 0.01022
                                                     Validation loss == 0.03163
epoch 1500 Training loss = 0.00993
                                                     Validation loss == 0.03139
epoch 1600 Training loss == 0.00969
                                                     Validation loss == 0.0312
epoch 1700 Training loss == 0.0095
                                                    Validation loss == 0.03105
epoch 1800 Training loss = 0.00933
                                                     Validation loss == 0.03092
epoch 1900 Training loss = 0.00919
                                                     Validation loss == 0.03081
epoch 2000 Training loss = 0.00906
                                                     Validation loss == 0.03071
-----New validation set created------
```

```
scaling complete!!
epoch 0 Training loss = 164.27165
                                       Validation loss == 158.80943 epoch 100 Training
loss == 5.89532 Validation loss == 5.48474 epoch 200 Training loss == 0.18871 Validation
loss == 0.21721 epoch 300 Training loss == 0.13474
                                                       Validation loss == 0.15827 epoch
400 \text{ Training loss} == 0.09592
                              Validation loss == 0.11801 epoch 500 Training loss ==
0.06854Validation loss == 0.0898 epoch 600 Training loss == 0.04969 Validation loss ==
0.07007 epoch 700 Training loss == 0.03687
                                               Validation loss == 0.0563 epoch 800
Training loss == 0.02815
                               Validation loss == 0.04669 epoch 900 Training loss ==
0.02221 Validation loss == 0.03996 epoch 1000 Training loss == 0.01813 Validation loss ==
0.03521 epoch 1100 Training loss == 0.0153
                                               Validation loss == 0.03183 epoch 1200
Training loss == 0.01333
                               Validation loss == 0.02939 epoch 1300 Training loss ==
0.01193 Validation loss == 0.0276 epoch 1400 Training loss == 0.01093 Validation loss ==
0.02626 epoch 1500 Training loss == 0.0102
                                               Validation loss = 0.02525 epoch 1600
Training loss == 0.00967
                               Validation loss == 0.02447 epoch 1700 Training loss ==
0.00927Validation loss == 0.02387 epoch 1800 Training loss == 0.00897Validation loss ==
0.0234 \text{ epoch } 1900 \text{ Training loss} == 0.00874
                                               Validation loss = 0.02304 epoch 2000
Training loss == 0.00856
                               Validation loss == 0.02275
-----New validation set created-----scaling complete!!
epoch 0 Training loss == 144.35399
                                       Validation loss == 145.35755 epoch 100 Training
loss == 114.25114
                       Validation loss == 112.3823 epoch 200 Training loss == 25.56312
Validation loss == 24.67376 epoch 300 Training loss == 0.04137 Validation loss == 0.04414
epoch 400 Training loss == 0.02145
                                       Validation loss == 0.02417 epoch 500 Training loss
==0.01936
                Validation loss == 0.02216 epoch 600 Training loss == 0.01783 Validation
loss == 0.02078 epoch 700 Training loss == 0.01657
                                                       Validation loss == 0.01965 epoch
800 \text{ Training loss} == 0.01547
                               Validation loss == 0.01867 epoch 900 Training loss ==
0.01453 Validation loss == 0.01783 epoch 1000 Training loss == 0.01373 Validation loss ==
0.0171 \text{ epoch } 1100 \text{ Training loss} == 0.01305
                                               Validation loss == 0.01649 epoch 1200
Training loss == 0.01248
                               Validation loss == 0.01599 epoch 1300 Training loss ==
0.012 Validation loss == 0.01557 epoch 1400 Training loss == 0.0116 Validation loss ==
0.01523 epoch 1500 Training loss == 0.01126 Validation loss == 0.01495 epoch 1600
                               Validation loss == 0.01473 epoch 1700 Training loss ==
Training loss == 0.01098
0.01074Validation loss == 0.01457 epoch 1800 Training loss == 0.01054Validation loss ==
0.01444 epoch 1900 Training loss == 0.01037
                                              Validation loss == 0.01434 epoch 2000
Training loss == 0.01023
                               Validation loss == 0.01427
```

A several number of iterations and tests have been done and then chosen final model parameters are:

validation loss average: 0.02257902235524971

Specs	DNN Model
Number of Hidden Layers	2
First Hidden Layer Neurons	1
Second Hidden Layer Neurons	1
Learning Rate	0.003
Epoch	1500
Validation loss average	0.022

After roughly 1500 iterations, the the improvement on loss is very thin for all the crossvalidation sets and in one case validation loss increases a bit after 1600 epochs which gives the idea that the model is over-fitting the training set. So we will keep the epochs to 1500.

16 Finalized DNN Model

```
copying and scaling the data

In [116]: X_test_real = test.copy()

X_train_full = train.copy()

# scale the data stdSc =

StandardScaler()

X_train_full.loc[:, numeric_feats] = stdSc.fit_transform(train.loc[:, numeric_feats]) X_test_real.loc[:, numeric_feats] = stdSc.transform(test.loc[:, numeric_feats]) print('scaling Done!!')

scaling Done!!
```

Running the model

```
epoch 0 loss == 149.44157 epoch
100 \text{ loss} == 51.70268 \text{ epoch } 200 \text{ loss}
== 0.63587 epoch 300 loss ==
0.0613 epoch 400 loss == 0.05103
epoch 500 loss = 0.04226 epoch
600 \text{ loss} = 0.03506 \text{ epoch } 700 \text{ loss}
== 0.02932 epoch 800 loss ==
0.02484 epoch 900 loss == 0.02138
epoch 1000 \text{ loss} == 0.01871 \text{ epoch}
1100 \text{ loss} == 0.01665 \text{ epoch } 1200
loss == 0.01506 epoch 1300 loss ==
0.01382 epoch 1400 loss == 0.01286
epoch 1500 loss == 0.01212 epoch
1600 \log = 0.01154
Model saved in path: ./my DNN model.ckpt
In [118]: # load the saved model to predict validation set with tf.Session()
             as sess: path = './my DNN model.ckpt' saver.restore(sess,
             path)
                   # predict..
                   y dnn = sess.run(logits, {X:X test real})
                   # reverse the log transformed SalePrice y dnn =
             np.exp(y dnn) y dnn = y dnn.round() # check the
             price
             # print(y dnn[0:10])
             # save the result to csv sub =
             pd.read csv('./test id.csv') sub['SalePrice'] =
             y dnn path = 'ANN Submission 17' + '.csv'
             sub.to csv(path, index=False)
             print('predictions saved as: ', path)
INFO:tensorflow:Restoring parameters from ./my DNN model.ckpt predictions saved as:
ANN Submission 17.csv
In [120]: from IPython.display import Image
             Image('./ANN Submission 17.JPG')
    Out[120]:
                                                                      2
        1735
                Mitesh Chakma
                                                                             0.12851
                                                                                              ~10s
                                                                                         12
         Your Best Entry ♠
         Your submission scored 0.13883, which is not an improvement of your best score. Keep trying!
```

17 Tensorflow with Dropout

Importing TensorFlow

Importing tensorflow and converting the dataframe into array as tensorflow requires -

Here I have converted the values into "nparry" as it was suggested in the documentation and it is faster in calculations

17.0.1 Placeholder

The function creates the placeholders for the tensorflow session. The param input_size is scalar, input size. parameter output_size is scalar, output size.

```
In [128]: #tf.placeholder is used to feed actual training examples

# placeholder nodes to represent the training data and target

X = tf.placeholder(tf.float32, shape=[None, input_dim], name='X')

Y = tf.placeholder(tf.float32, shape=[None, 1], name='Y')
```

In above code we initialize placeholders for labels and features placeholders are used so that data can be fed at a later time(during training,testing,prediction) and value is set to None because any number of samples can be used as input .

Weights and biases We initialize weights biases for hidden layers

We build the neural network model with each layer output being relu(W(transpose)*X +b) where relu is rectified linear unit which is used as an activation function.

The Neural Network model manually using (arbitrarily) 3 layers and using relu as our activation layers, The reason for chosing ReLu as activation function as it is non linear which means I can easily backpropagate the errors and have multiple layers of neurons being activated by the ReLU function.

```
In [130]: def neural_network_model(x,y):

#hidden layer 1

# Calculating for the first layer layer_1 = tf.add(tf.matmul(x, weights['h1']),
biases['b1']) layer_1 = tf.nn.relu(layer_1)#activation function 'relu'
dropout=tf.nn.dropout(layer_1,y)

#hideen layer 2

# Calculating for the second layer layer_2 = tf.add(tf.matmul(dropout,
weights['h2']), biases['b2']) layer_2 = tf.nn.relu(layer_2)#activation function 'relu'

#hideen layer 3

# Calculating for the 3rd layer layer_3 = tf.add(tf.matmul(layer_2, weights['h3']),
biases['b3']) layer_3 = tf.nn.relu(layer_3)#activation function 'relu'

# output layer out_layer = tf.matmul(layer_3, weights['out']) + biases['out']
return (out_layer)
```

Y_hat is the predicted output value .We define loss function as MSE and use Adam optimizer and go through data 2000 times you can always play around with the learning rate, activation functions and use different types of optimizer's.

Dropout

The term "dropout" refers to dropping out units (both hidden and visible) in a neural network. Simply put, dropout refers to ignoring units (i.e. neurons) during the training phase of certain set of neurons which is chosen at random.

More technically, At each training stage, individual nodes are either dropped out of the net with probability 1-p or kept with probability p, so that a reduced network is left; incoming and outgoing edges to a dropped-out node are also removed.

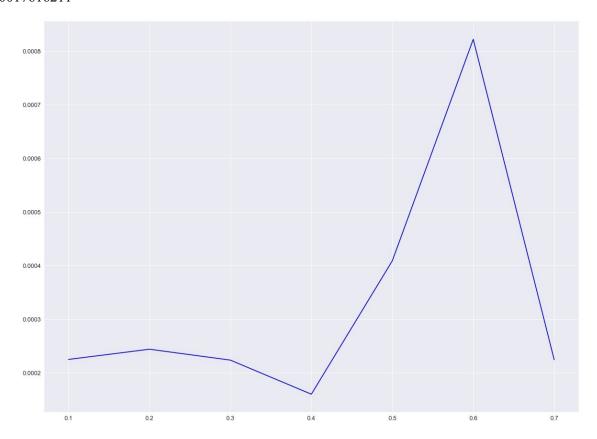
In simple words, Dropout is used to prevent over-fitting Learn More from here

With the learning rate being 0.01, We are going to check the optimum dropout rate which we are going to use in our final model network. The optimizer here used in my case an Adagrad optimizer (by default)

```
In [230]: DropOuts = [float(i/10) \text{ for } i \text{ in } range(1,8)]
            \#mse=[i for i in range(19,4,-2)]
            mseList=[] for dropout in
            DropOuts: minMSE=1000000
            Y hat=neural network model
            (X,dropout)
            loss op=tf.losses.mean square
            d error(Y,Y hat)#the loss
            function optimizer =
            tf.train.AdamOptimizer(learni
            ng rate=0.01) train op =
            optimizer.minimize(loss op)#
            minimize losss init =
            tf.global variables initializer(
            ) epoch=2000 with
            tf.Session() as sess:
            sess.run(init) for i in
            range(epoch):
                            #feed dict is used to feed data to placeholders and pred is the actual ou
                            sess.run(train op,feed dict={X:x train[0:1200],Y:y train[0:1200]})
                            loss=sess.run(loss op,feed dict={X:x train[1200:],Y:y train[1200:]})
                            if(loss<minMSE): minMSE=loss</pre>
                            if(i%200==0): print("dropout", dropout, "epoch no "+str(i),(loss))
                            if(i==epoch-1):
                                 mseList.append(minMSE)
            plt.figure(figsize=(20,15))
            plt.plot(DropOuts,mseList,'b') plt.show()
dropout 0.1 epoch no 0 1114.7267 dropout 0.1
epoch no 200 0.0044543394 dropout 0.1 epoch no
400 0.0011766134 dropout 0.1 epoch no 600
0.0012321736 dropout 0.1 epoch no 800
0.00050966506 dropout 0.1 epoch no 1000
0.0013028505 dropout 0.1 epoch no 1200
0.00049410824 dropout 0.1 epoch no 1400
0.0005572911 dropout 0.1 epoch no 1600
0.0005215744 dropout 0.1 epoch no 1800
0.0006873683 dropout 0.2 epoch no 0 1169.5883
dropout 0.2 epoch no 200 0.0069019217 dropout
0.2 epoch no 400 0.0014933583 dropout 0.2 epoch
no 600 0.00080635404 dropout 0.2 epoch no 800
```

0.0005502486 dropout 0.2 epoch no 1000 0.00066047825 dropout 0.2 epoch no 1200 0.0005621506 dropout 0.2 epoch no 1400 0.00050238793 dropout 0.2 epoch no 1600 0.00038006672 dropout 0.2 epoch no 1800 0.0003405274 dropout 0.3 epoch no 0 963.9143 dropout 0.3 epoch no 200 0.009833628 dropout 0.3 epoch no 400 0.0011495552 dropout 0.3 epoch no 600 0.00088906096 dropout 0.3 epoch no 800 0.00062763604 dropout 0.3 epoch no 1000 0.00051399105 dropout 0.3 epoch no 1200 0.00043655746 dropout 0.3 epoch no 1400 0.00038980765 dropout 0.3 epoch no 1600 0.00045264213 dropout 0.3 epoch no 1800 0.0003014227 dropout 0.4 epoch no 0 671.5963 dropout 0.4 epoch no 200 0.0064933533 dropout 0.4 epoch no 400 0.0023484607 dropout 0.4 epoch no 600 0.0012341656 dropout 0.4 epoch no 800 0.000705545 dropout 0.4 epoch no 1000 0.00060656416 dropout 0.4 epoch no 1200 0.00047448563 dropout 0.4 epoch no 1400 0.00044658082 dropout 0.4 epoch no 1600 0.00024023493 dropout 0.4 epoch no 1800 0.00018851405 dropout 0.5 epoch no 0 704.40063 dropout 0.5 epoch no 200 0.03218122 dropout 0.5 epoch no 400 0.028226411 dropout 0.5 epoch no 600 0.0034439596 dropout 0.5 epoch no 800 0.0024813141 dropout 0.5 epoch no 1000 0.0018052452 dropout 0.5 epoch no 1200 0.0010653011 dropout 0.5 epoch no 1400 0.00096878404 dropout 0.5 epoch no 1600 0.00068445853 dropout 0.5 epoch no 1800 0.0004800453 dropout 0.6 epoch no 0 650.87256 dropout 0.6 epoch no 200 0.027581822 dropout 0.6 epoch no 400 0.0080908295 dropout 0.6 epoch no 600 0.008986369 dropout 0.6 epoch no 800 0.0053949296 dropout 0.6 epoch no 1000 0.0028421879 dropout 0.6 epoch no 1200 0.0024729478 dropout 0.6 epoch no 1400 0.0017332691 dropout 0.6 epoch no 1600 0.0030295984 dropout 0.6 epoch no 1800 0.002405188 dropout 0.7 epoch no 0 828.7398 dropout 0.7 epoch no 200 0.00446367 dropout 0.7 epoch no 400 0.0012879325 dropout 0.7 epoch no 600 0.0011481948 dropout 0.7 epoch no 800 0.0010898949 dropout 0.7 epoch no 1000 0.0005802291 dropout 0.7 epoch no 1200

0.0005450882 dropout 0.7 epoch no 1400 0.0017553271 dropout 0.7 epoch no 1600 0.00062697276 dropout 0.7 epoch no 1800 0.0017616211



Dropout is a regularization technique for multilayered deep learning models. We can set a value from 0 through 1.0. These are probability values. They represent the percentage of neurons whose output will be dropped out from being passed to the next layer. This effectively reduces the number of parameters and simplifies the model that is being fit. One easy thumb rule is: the noisier the dataset, higher the probability you need to set. Reference

As I got many outliers in my dataset, Dropout yeilds the best reseult with checking the learning curve. As seen from above, 0.4 yeilded the best result and I will be using it for the model reference.

```
In [138]: def neural_network(x):
```

```
#hidden layer 1

# Calculating for the first layer layer_1 = tf.add(tf.matmul(x, weights['h1']),
biases['b1']) layer_1 = tf.nn.relu(layer_1)#activation function 'relu'
dropout=tf.nn.dropout(layer_1,0.5) #hideen layer 2

# Calculating for the second layer layer_2 = tf.add(tf.matmul(dropout,
weights['h2']), biases['b2'] layer_2 = tf.nn.relu(layer_2)#activation function 'relu'
#hideen layer 3

# Calculating for the 3rd layer
```

```
layer 3 = tf.add(tf.matmul(layer 2, weights['h3']), biases['b3']) layer 3 =
                  tf.nn.relu(layer 3)#activation function 'relu'
                  # output layer out layer = tf.matmul(layer 3, weights['out']) + biases['out']
                  return (out layer)
In [150]: minMSE=1000000
            Y hat=neural network(X) loss op=tf.losses.mean squared error(Y,Y hat)#the loss function optimizer
             = tf.train.AdamOptimizer(learning rate=0.01) #Adam optimizer with learn train op =
            optimizer.minimize(loss op)#minimize losss init = tf.global variables initializer() epoch=2000 with
            tf.Session() as sess: sess.run(init) for i in range(epoch):
                       sess.run(train op,feed dict={X:x train,Y:y train})
                       loss=sess.run(loss op,feed dict={X:X test,Y:y test DNN})
                       if(loss<minMSE): minMSE=loss</pre>
                       if(i%200==0):
                            print("epoch no "+str(i),(loss)) pred=sess.run(Y hat,feed dict={X:test})#test=test
                 dataframe print(len(pred))
epoch no 0 64.61596 epoch no
200 85.97952 epoch no 400
57.80841 epoch no 600
57.47272 epoch no 800
59.5326 epoch no 1000
57.33893 epoch no 1200
59.629616 epoch no 1400
60.505074 epoch no 1600
60.780014 epoch no 1800
58.570415 1459
In [152]: pred mod=np.exp(pred) pred df = pd.DataFrame(pred mod, index=test data["Id"],
            columns=["SalePrice"]) pred df.to csv('TensorFlowANN DP.csv', header=True, index label='Id')
In [153]: from IPython.display import Image
            Image('./capture.JPG')
   Out[153]:
         898
               new
                       Mitesh Chakma
                                                                                        0.11914
        Your Best Entry ↑
        Your submission scored 0.11914, which is not an improvement of your best score. Keep trying!
```

18 Result

Specs	Simple NN Model	DNN Model with CV	DNN with Dropout
Number of Hidden Layers	0	2	3
First Hidden Layer Neurons	0	1	201
Second Hidden Layer Neurons	0	1	100
Third Hidden Layer Neurons	NA	NA	50
Dropout	No	No	YES
Learning Rate	0.001	0.003	0.01
Epoch	2000	1500	2000
Kaggle Result	0.13249	0.13883	0.11914

19 Ensembled result

```
In []: y_pred_lasso = regr.predict(test) y_pred_lin=lr.predict(test)

y_pred_xgb=model_xgb.predict(test)

pred_df.to_csv('ANNoutput.csv', header=True, index_label='Id')

#get the LASSO only result y_lasso_only=np.exp(y_pred_lasso) pred_df = pd.DataFrame(y_lasso_only, index=test_data["Id"], columns=["SalePrice"]) pred_df.to_csv('LASSOoutput.csv', header=True, index_label='Id')

#get the Linear Reg only result y_linear_only=np.exp(y_pred_lin) pred_df = pd.DataFrame(y_linear_only, index=test_data["Id"], columns=["SalePrice"]) pred_df.to_csv('Linearoutput.csv', header=True, index_label='Id')

#get the Xgb only result y_xgb_only=np.exp(y_pred_xgb) pred_df = pd.DataFrame(y_xgb_only, index=test_data["Id"], columns=["SalePrice"]) pred_df.to_csv('XGBoutput.csv', header=True, index_label='Id')

#get the Ensembled learning result y_pred = (y_pred_nn + 5*y_pred_lasso) / 6 y_pred = np.exp(y_pred) pred_df = pd.DataFrame(y_pred, index=test_data["Id"], columns=["SalePrice"]) pred_df.to_csv('output.csv', header=True, index_label='Id')
```

20 Discussion

I tried to apply GridSearch which happens to be more time consuming considering the datasets and I think for this hyperparameter tuning is enough.

Manually updating the parameters takes too much time to yield the result.

The model can be more fine tuned by testing and implementing l2_regularization, forward_propagation technique and so on. However it will also increase the model complexity.

21 Further Improvements

With the help of keras, a lot of these fine tuning can be easily done which is less time consuming and easy to use.

22 Conclusions

For the tensoflow based ANN algorithm the best score is 0.11914. However, there are many other methods that could be applied for a better result. For further improvement of the result we need to pursue methods other than simply scikit based ANN, and in a high-end machine. It has been studied that keras/tensorflow based methods often yields better results, since this was done to get the best possible result using Scikit learn based ANN only, keras based methods have not been applied. Thus, a different approach altogether than scikit learn based ANN or a better ensemble method with other regressor algorithm might yield a far better result than thus far experienced here.

23 References

These linked helped me lot while doing this assignment specially the article "Regression in Neural Networks using TensorFlow(Low Level APIs)" was a huge help when I started doing this

- The APIs for neural networks in TensorFlow
- TENSORFLOW: LOW LEVEL API WITH IRIS DATASETS
- Regression in Neural Networks using TensorFlow(Low Level APIs)
- Dropout (neural network regularization) Data processing was a huge help for this karnels -
- Stacked Regression
- PREDICTING HOUSE PRICES ON KAGGLE: A GENTLE INTRODUCTION TO DATA SCIENCE PART I

24 Updates in this Version –

- 1. Data preprocessing has been done more carefully this time as it was difficult to keep track in the earlier versions
- 2. DNN part has been done with new approach
 - No layer DNN with Cross validation
 - DNN with Cross validation
 - DNN with Dropout

END of SCRIPT