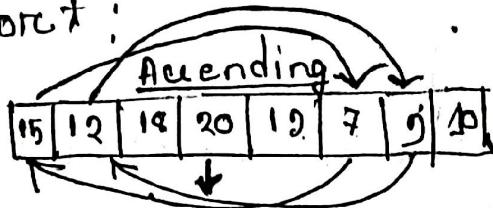


DSA - Lab

* Selection sort :



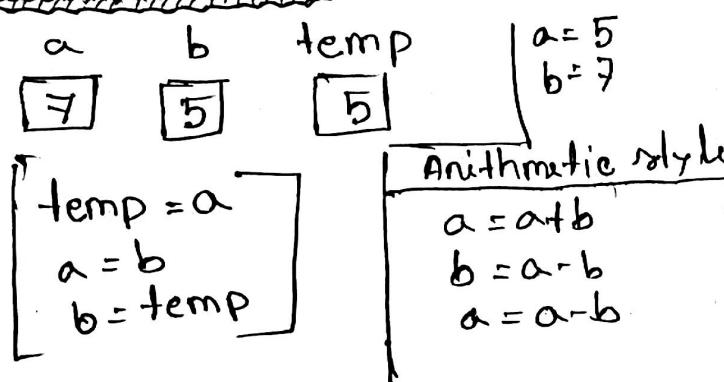
→ [15, 12, 14, 20, 19, 7, 5, 10] → [7, 9, 10, 12, 15, 19, 20] → sorted in ascending order

Step:

i) Swap
ii) minimum element and its index.

III) Selection Sort implementation.

* Swap two elements:

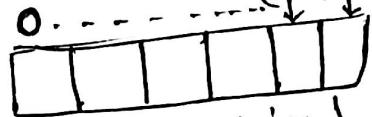


* minimum: അംഗീട്ട് അന്തരാളികൾ കുറഞ്ഞ മുകളിൽ നിന്ന് കുറച്ചത് ആണ് മുകളിൽ നിന്ന് കുറച്ചത് ആണ് മുകളിൽ നിന്ന് കുറച്ചത്

```
min = arr[0]
min_index = 0
for (int i=1; i<n; i++) {
    if (arr[i] < min)
        min = arr[i];
    min_index = i;
}
```

(Time complexity $\rightarrow n^2$)

* Selection Sort implement:

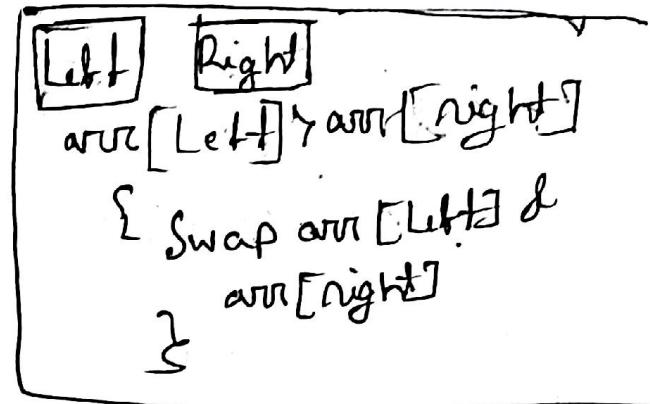
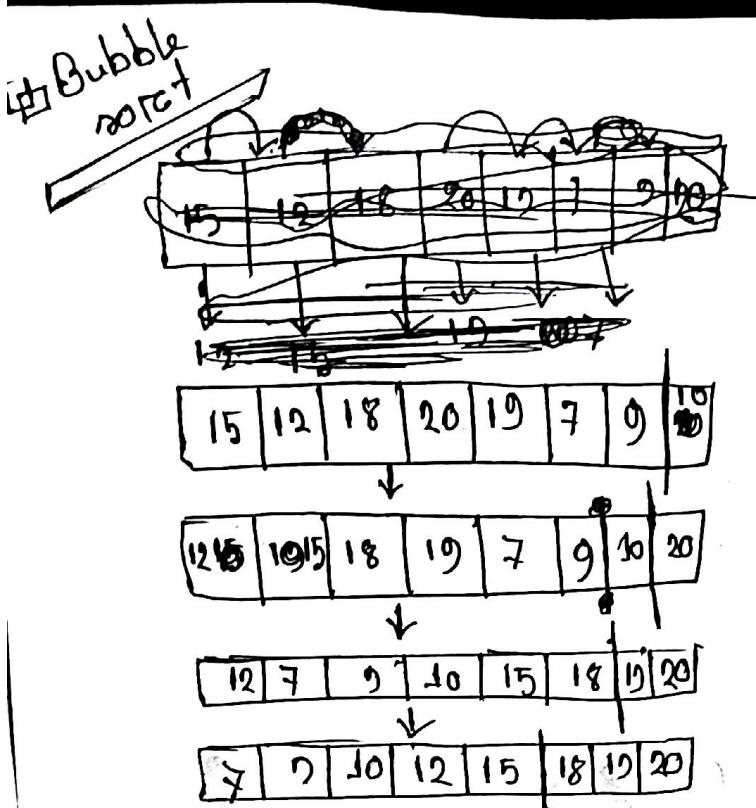


```
for (int i=0; i<n-2; i++) {
    min = arr[i];
    min_index = i;
    for (int j=i+1; j<n; j++) {
        if (arr[j] < min)
```

```
{ min = arr[j];
    min_index = j;
}
```

```
int temp = arr[i];
arr[i] = arr[min_index];
arr[min_index] = temp;
```

~~arr[min_index] = temp~~



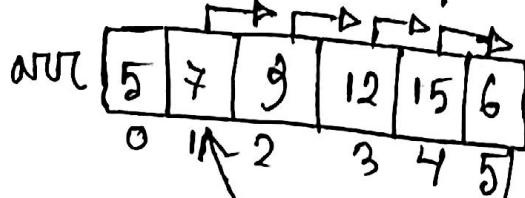
[
বাইকোর দ্বা-এলেমেন্ট স্লট
ইনিভেশন কর এবং প্রস্তুতি কর
বেস স্লট করো কেবল কেবল ০.২
৬ম[৮]

Step: i) boundary = n - 2 + 0
 boundary -= 1;
 ▷ Left = 0 + 0 boundary

Sudo code: for (boundary = n - 2 ; boundary >= 0 ; boundary --)
 { for (Left = 0 ; Left <= boundary ; Left ++)
 { if ($\text{arr}[\text{Left}] > \text{arr}[\text{Left} + 1]$)
 { temp = $\text{arr}[\text{Left}]$
 $\text{arr}[\text{Left}] = \text{arr}[\text{Left} + 1]$
 $\text{arr}[\text{Left} + 1] = \text{temp}$

 }

□ insertion sort: → assumption is only last one is unsorted



↪ Sudo code:

```
int key = arr[n-1];
```

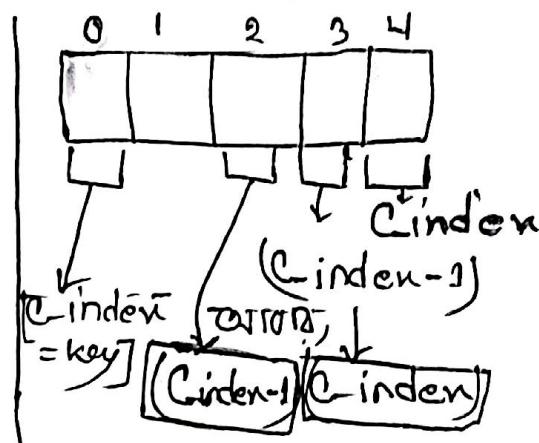
```
int c-index = n-1;
```

```
while(c-index > 0 && arr[c-index-1] > key) {
```

```
    arr[c-index] = arr[c-index-1];
```

```
    c-index -= 1;
```

```
arr[c-index] = key;
```



* for (int i=1; i<n; i++) {

```
int key = arr[i];
```

```
int c-index = i;
```

```
while (c-index > 0 && arr[c-index-1] > key) {
```

```
    arr[c-index] = arr[c-index-1];
```

```
    c-index -= 1;
```

```
}
```

```
arr[c-index] = key;
```

}

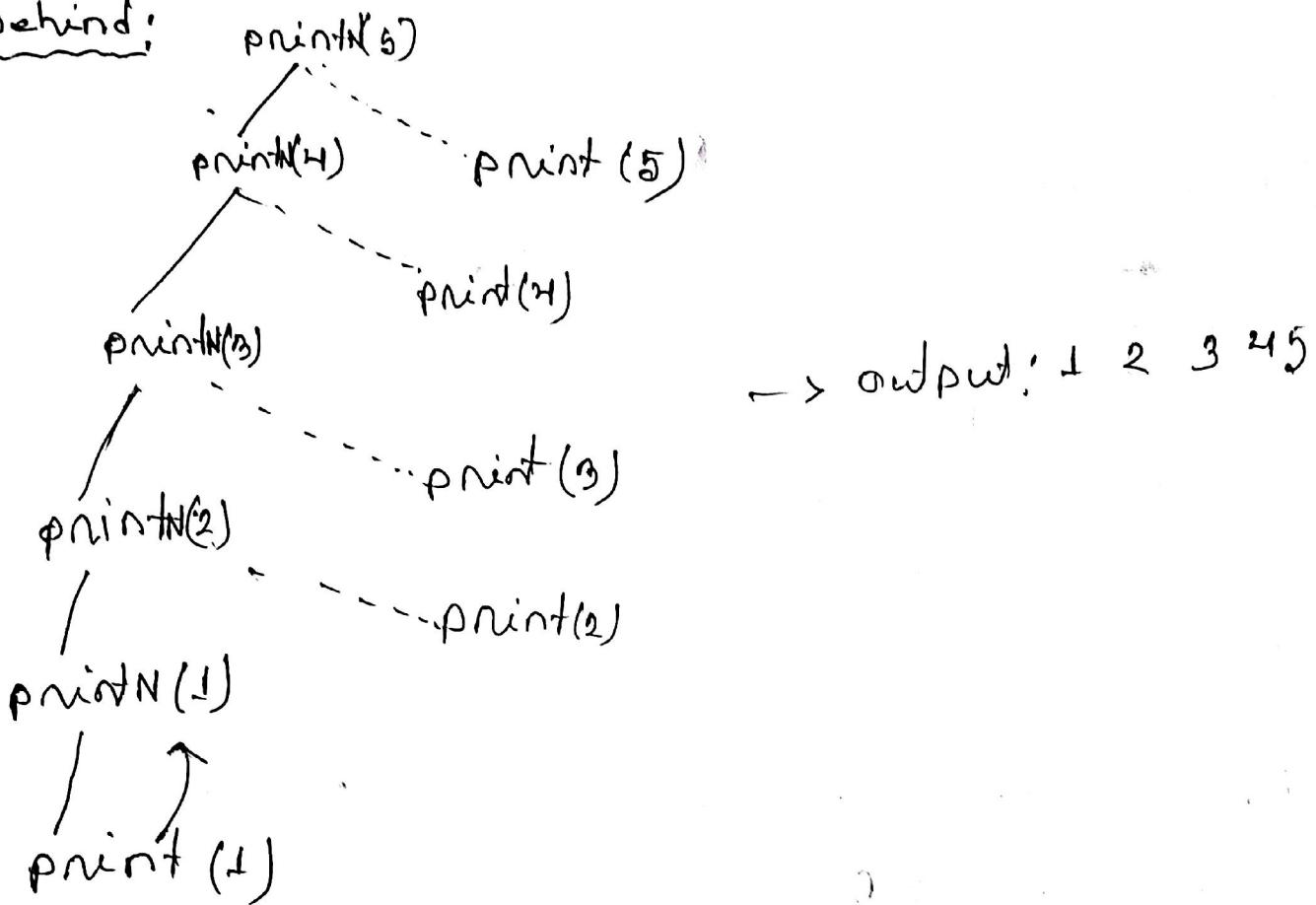
Recursion:

* Sudo code: void printN(int n){

```

    if(n==1){
        printf("%d", n)
    } } -> terminating condition/
    else{ base case
        printN(n-1); -> recursive call
        printf("%d", n)
    }
}
```

* Behind:



ex: Factorial

$$n! = 1 \times 2 \times 3 \times \dots \times n$$

$$0! = 1$$

$$1! = 1$$

$$n! = (n-1)! \times n$$

$$\text{if } n=5; = 4! \times 5$$

int factorial (int n){

if(n==1)

return 1;

else{

int friend = factorial(n-1)

int final = friend * n

return final;

```

ex: int power(int a, int b) {
    if(b == 0)
        return 1;
    else if(b == 1)
        return a;
    else
        int friend = pow(a, b-1);
        int answer = friend * a;
        return answer;
}

```

$$a^b = \underbrace{a \times a \times \dots \times a}_{b-1} \quad \begin{matrix} a \\ \downarrow \\ \text{dedicate} \\ \rightarrow \text{friend} \end{matrix}$$

```

ex: int sum(int n) {
    if(n >= n <= 1) return n;
    else {
        int friend = sum(n-1);
        int answer = friend + n;
        return answer;
    }
}

```

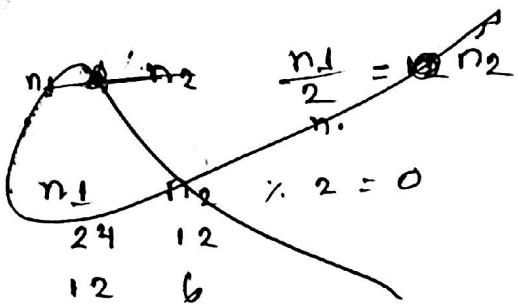
$$1 + 2 + 3 + \dots + n$$

```

ex: int sumofDigits(int n) {
    if(n <= 9 && n >= 0)
        return n;
    else {
        int friend = sumofDigit
                    last_digit = n % 10;
        int n_without_last_digit = n / 10;
        int friend = sumofdigit(n_without_last_digit);
        in answer = friend + last digit;
    }
}

```

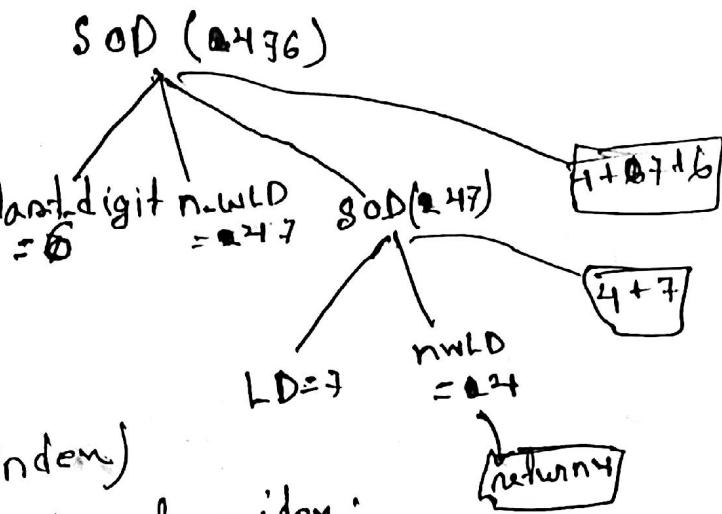
$$\begin{array}{r} 275 \\ \downarrow \\ 2+7+5 \end{array} = \begin{matrix} 2 \\ \downarrow \\ 2+7+5 \end{matrix} \quad \begin{matrix} \text{dedicated} \\ \text{remain} = \dots \end{matrix}$$



$$\begin{array}{r} 2 \\ | \\ 24, 12 \\ 2 \\ | \\ 12, 6 \\ 3 \\ | \\ 6, 3 \\ 0, 2 \end{array}$$

return answer;

}



ex:

int gcd_recursive (int a, int b, int index);
 { if (a & b & index == 0) return index;

else
 { return gcd_recursive (a, b, index - 1);

}

}

Search

int linearSearch (int arr[], int n, int key) {

for (int i = 0; i < n; i++) { → n + 1

if (arr[i] == key) → n

return i; → 0

}

$$\begin{aligned} \text{return } -1; &\quad \xrightarrow{\quad \quad \quad 1} \\ T(n) &= n + 1 + n + 0 + 1 \\ &= 2n + 2 \end{aligned}$$

* binary search → ~~avg O - avg time~~ ~~avg O(n)~~ → sorted ~~avg O(n) - avg~~

5	6	8	9	12	15
0	1	2	3	4	5

* Code:

```
int binarySearch(int arr[], int n,  
                 int key)
```

```
{ int low=0;  
  int high=n-1;  
  while (low <= high) {  
    int mid = (low+high)/2;  
    if (arr[mid] == key)  
      { low = mid + 1;  
      }  
    else high = mid - 1;  
  }  
  return -1;
```

}

Low = 0, high = 5 ; $\text{mid} = \frac{0+5}{2} = 2$
if ($\text{arr}[\text{mid}] == \text{key}$)
 return mid;
else if $\text{key} > \text{arr}[\text{mid}]$
 Low = mid + 1
else; high = mid - 1

```
int 2^3-1  
low = 2^3-1  
high = 2^3-1  
mid = low +  $\frac{high-low}{2}$   
     = 9
```