

Create Blog Sign In

# **Pragmatic Programming Techniques**

Thursday, May 17, 2012

# Predictive Analytics: Data Preparation

As a continuation of my last post on predictive analytics, in this post I will focus in describing how to prepare data for the training the predictive model., I will cover how to perform necessary sampling to ensure the training data is representative and fit into the machine processing capacity. Then we validate the input data and perform necessary cleanup on format error, fill-in missing values and finally transform the collected data into our defined set of input features.

Different machine learning model will have its unique requirement in its input and output data type. Therefore, we may need to perform additional transformation to fit the model requirement

#### Sample the data

If the amount of raw data is huge, processing all of them may require an extensive amount of processing power which may not be practical. In this case it is quite common to sample the input data to reduce the size of data that need to be processed.

There are many sampling models. Random sampling is by far the most common model which assign a uniform probability to each record for being picked. On the other hand, stratified sampling allows different probability to be assigned to different record type. It is very useful in case of highly unbalanced class occurrence so that the high frequency class will be down-sampled. Cluster sampling is about sampling at a higher level of granularity (ie the cluster) and then pick all members within that cluster. An example of cluster sampling is to select family (rather than individuals) to conduct a survey.

Sample can also be done without replacement (each record can be picked at most once) or with replacement (same record can be picked more than once)

Here is a simple example of performing a sampling (notice record 36 has been selected twice)

```
> # select 10 records out from iris with replacement
> index <- sample(1:nrow(iris), 10, replace=T)
[1] 133 36 107 140 66 67 36 3 97 37
> irissample <- iris[index,]</pre>
> irissample
    Sepal.Length Sepal.Width Petal.Length Petal.Width
133
           6.4 2.8 5.6 2.2 virginica
36
107
            4.9
                       2.5
                                   4.5
                                             1.7 virginica
            6.9
                       3.1
                                             2.1 virginica
                       3.1
66
            6.7
                                  4.4
                                             1.4 versicolor
            5.6
                       3.0
                                   4.5
                                              1.5 versicolor
36.1
            5.0
                       3.2
                                 1.2
                                             0.2
                                                   setosa
            4.7
                                  1.3
4.2
                                             0.2
                       3.2
                                                     setosa
97
                                             1.3 versicolor
            5.7
                       2.9
37
            5.5
```

# Impute missing data

It is quite common that some of the input records are incomplete in the sense that certain fields are missing or have input error. In a typical tabular data format, we need to validate each record contains the same number of fields and each field contains the data type we expect.

In case the record has some fields missing, we have the following choices

- · Discard the whole record if it is incomplete
- Infer the missing value based on the data from other records. A common approach is to fill the missing data with the average, or the median.

#### About Me



# Ricky Ho

I am a software architect and consultant passionate in Distributed and parallel

computing, Machine learning and Data mining, SaaS and Cloud computing.

View my complete profile

#### **Popular Posts**

#### MongoDb Architecture

NOSQL has become a very heated topic for large web-scale deployment where scalability and semi-structured data driven the DB requirement tow...

#### Designing algorithms for Map Reduce

Since the emerging of Hadoop implementation, I have been trying to morph existing algorithms from various areas into the map/reduce model. ...

#### **NOSQL Patterns**

Over the last couple years, we see an emerging data storage mechanism for storing large scale of data. These storage solution differs quite...

#### Couchbase Architecture

After receiving a lot of good feedback and comment on my last blog on MongoDb, I was encouraged to do another deep dive on another popular ...

#### Predictive Analytics: Overview and Data visualization

I plan to start a series of blog post on predictive analytics as there is an increasing demand on applying machine learning technique to ana..

# Predictive Analytics: Generalized Linear

In the previous 2 posts, we have covered how to visualize input data to explore strong signals as well as how to prepare input data to a fo...

# BigTable Model with Cassandra and

Recently in a number of "scalability discussion meeting", I've seen the following pattern coming up repeatedly...



# **Blog Archive**

**2013 (8)** 

**2012** (18)

► November (1)

October (1)

```
> # Create some missing data
> irissample[10, 1] <- NA
> irissample
    Sepal.Length Sepal.Width Petal.Length Petal.Width
                                         2.2 virginica
133
                   2.8
            5.0
36
                       3.2
                                   1.2
                                             0.2
                                                    setosa
107
            4.9
                                             1.7 virginica
            6.9
                      3.1
                                 5.4
                                            2.1 virginica
66
            6.7
                       3.1
                                  4.4
                                             1.4 versicolor
                      3.0
                                  4.5
                                             1.5 versicolor
36.1
            5.0
                       3.2
                                   1.2
                                             0.2
                       3.2
            4.7
                                 1.3
                                            0.2
                                                     setosa
97
            5.7
                       2.9
                                   4.2
                                             1.3 versicolor
                                            0.2
37
             NA
                       3.5
                                 1.3
                                                    setosa
> library(e1071)
Loading required package: class
Warning message:
package 'e1071' was built under R version 2.14.2
> fixIris1 <- impute(irissample[,1:4], what='mean')</pre>
> fixIris1
    Sepal.Length Sepal.Width Petal.Length Petal.Width
133
        6.400000
                    2.8
                              5.6
                                            2.2
36
        5.000000
                       3.2
                                   1.2
                                              0.2
107
        4.900000
                       2.5
                                  4.5
                                             1.7
140
       6.900000
                       3.1
                                  5.4
                                             2.1
66
        6.700000
                       3 1
                                  4 4
                                             1 4
                       3.0
67
       5.600000
                                  4.5
                                              1.5
36 1
       5.000000
                       3 2
                                  1 2
                                             0.2
3
        4.700000
                       3.2
                                  1.3
                                             0.2
97
        5.700000
                       2.9
                                   4.2
                                             1.3
                                             0.2
37
        5.655556
                       3.5
                                   1.3
> fixIris2 <- impute(irissample[,1:4], what='median')</pre>
> fixIris2
    Sepal.Length Sepal.Width Petal.Length Petal.Width
133
           6.4 2.8
36
            5.0
                       3.2
                    2.5
                                4.5
107
            4.9
140
            6.9
66
            6.7
                      3.1
                                 4.4
            5.6
                       3.0
                                  4.5
                                              1.5
                     3.2
36.1
            5.0
                                 1.2
            4.7
                       3.2
                                  1.3
                                              0.2
            5.7
                       2.9
                                  4.2
                                              1.3
37
            5.6
                       3.5
                                   1.3
```

#### Normalize numeric value

Normalize data is about transforming numeric data into a uniform range. Numeric attribute can have different magnitude based on different measurement units. To compare numeric attributes at the same scale, we need to normalize data by subtracting their average and then divide by the standard deviation.

```
> # scale the columns
> # x-mean(x)/standard deviation
> scaleiris <- scale(iris[, 1:4])</pre>
> head(scaleiris)
     Sepal.Length Sepal.Width Petal.Length Petal.Width
       -0.8976739 1.01560199 -1.335752 -1.311052
-1.1392005 -0.13153881 -1.335752 -1.311052
[1,]
[2,]
      -1.3807271 0.32731751
-1.5014904 0.09788935
                                    -1.392399 -1.311052
[3,1
                                    -1.279104 -1.311052
[4,]
       -1.0184372 1.24503015
                                    -1.335752
[5,]
                                                  -1.311052
                                                 -1.048667
[6,]
       -0.5353840 1.93331463
                                    -1.165809
```

# Reduce dimensionality

High dimensionality is a problem to machine learning task. There are two ways to reduce the number of input attributes. One is about removing irrelevant input variables, another one is about removing redundant input variables.

Looking from the other angle, removing irrelevant feature is same as selecting relevant feature. The general approach is to try different combination of subset of feature to see which combination has the best performance (how well it predicts hold-out test data). One approach is to start with zero feature and pick one feature at a time to see which one give best prediction, and then add the second feature to the best feature to find the best 2 features, so on and so forth. Another approach is to go the opposite direction, start with the full set of feature and throw away one feature to see which one retains best performance.

- September (1)
- August (2)
- ▶ July (1)
- ▶ June (3)
- ▼ May (3)

Predictive Analytics: Generalized Linear Regressio...

Predictive Analytics: Data Preparation

Predictive Analytics: Overview and Data visualizat...

- ▶ April (3)
- ► March (1)
- ► February (1)
- ► January (1)
- **2011** (6)
- **2010** (18)
- **2009 (31)**
- **2008** (22)
- **2007 (11)**

## Search This Blog



#### Labels

machine learning data mining
map reduce Architecture Design Cloud
computing algorithm NOSQL Hadoop
scalability Distributed system parallel
processing big data predictive analytics
Design patterns SOA performance REST ensemble
method recommendation engine

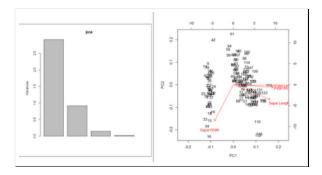
#### Pages

Home

In my experience, having irrelevant features sitting around will affect the overall workload of processing but usually won't affect the accuracy of the prediction. This is a lesser problem than redundant features, which will give unequal weights to information that are redundant. Removing redundant features is at a higher priority in my opinion.

Principal Component Analysis is a common technique to look only at the numeric input features to measure the linear-dependency among themselves. It transforms the input feature set into a lower dimensional space while retaining most of the fidelity of data.

```
> # Use iris data set
> cor(iris[, -5])
             Sepal.Length Sepal.Width Petal.Length Petal.Width
Sepal.Length 1.0000000000 -0.1175697841 0.8717537759 0.8179411263
Sepal.Width -0.1175697841 1.0000000000 -0.4284401043 -0.3661259325
Petal.Length 0.8717537759 -0.4284401043 1.0000000000 0.9628654314
Petal.Width 0.8179411263 -0.3661259325 0.9628654314 1.0000000000
> # Some attributes shows high correlation, compute PCA
> pca <- prcomp(iris[,-5], scale=T)</pre>
> summary(pca)
Importance of components:
                           PC1
                                     PC2
                                               PC3
                                                         PC4
Standard deviation 1.708361 0.9560494 0.3830886 0.1439265
Proportion of Variance 0.729620 0.2285100 0.0366900 0.0051800
Cumulative Proportion 0.729620 0.9581300 0.9948200 1.0000000
> # Notice PC1 and PC2 covers most variation
> plot(pca)
> pca$rotation
                                                   PC3
                      PC1
                                     PC2
Sepal.Length 0.5210659147 -0.37741761556 0.7195663527 0.2612862800
Sepal.Width -0.2693474425 -0.92329565954 -0.2443817795 -0.1235096196
Petal.Length 0.5804130958 -0.02449160909 -0.1421263693 -0.8014492463
Petal.Width 0.5648565358 -0.06694198697 -0.6342727371 0.5235971346
> # Project first 2 records in PCA direction
> predict(pca)[1:2,]
             PC1
                           PC2
                                        PC3
[1,] -2.257141176 -0.4784238321 0.1272796237 0.02408750846
[2,] -2.074013015  0.6718826870  0.2338255167  0.10266284468
> # plot all points in top 2 PCA direction
> biplot(pca)
```



#### Add derived attributes

In some cases, we may need to compute additional attributes from existing attributes.

```
> iris2 <- transform(iris, ratio=round(Sepal.Length/Sepal.Width, 2))
> head(iris2)
  Sepal.Length Sepal.Width Petal.Length Petal.Width Species ratio
         5.1 3.5 1.4 0.2 setosa 1.46
2
          4.9
                     3.0
                                1.4
                                           0.2 setosa 1.63
                    3.0 1.4
3.2 1.3
3.1 1.5
3.6 1.4
3.9 1.7
3
          4.7
                                           0.2 setosa 1.47
                                          0.2 setosa 1.48
4
          4.6
5
          5.0
                                           0.2 setosa 1.39
6
          5.4
                                           0.4 setosa 1.38
```

Another common use of derived attributes is to generalize some attributes to a coarser grain, such as converting a geo-location to a zip code, or converting the age to an age group.

# Discretize numeric value into categories

Discretize data is about cutting a continuous value into ranges and assigning the numeric with the corresponding bucket of the range it falls on. For numeric attribute, a common way to generalize it is to discretize it into ranges, which can be either constant width (variable height/frequency) or variable width (constant height).

```
> # Equal width cuts
> segments <- 10
> maxL <- max(iris$Petal.Length)
> minL <- min(iris$Petal.Length)
> theBreaks <- seq(minL, maxL,
                  by=(maxL-minL)/segments)
> cutPetalLength <- cut(iris$Petal.Length,
                       breaks=theBreaks,
                        include.lowest=T)
> newdata <- data.frame(orig.Petal.Len=iris$Petal.Length,
                       cut.Petal.Len=cutPetalLength)
> head(newdata)
  orig.Petal.Len cut.Petal.Len
                     [1,1.59]
            1.4
             1.4
                      [1,1.59]
: 3
             1.3
                     [1,1.59]
                    [1,1.59]
4
             1.5
                      [1,1.59]
             1.4
             1.7 (1.59,2.18)
6
> # Constant frequency / height
> myBreaks <- quantile(iris$Petal.Length,
                      probs=seq(0,1,1/segments))
> cutPetalLength2 <- cut(iris$Petal.Length,
                         breaks=mvBreaks,
                         include.lowest=T)
> newdata2 <- data.frame(orig.Petal.Len=iris$Petal.Length,
                         cut.Petal.Len=cutPetalLength2)
> head(newdata2)
 orig.Petal.Len cut.Petal.Len
                     [1,1.4]
1
            1.4
2
             1.4
                       [1,1.4]
3
            1.3
                       [1, 1.4]
4
             1.5
5
            1.4
                      [1,1.4]
                    (1.7,3.9]
6
```

#### Binarize categorical attributes

Certain machine learning models only take binary input (or numeric input). In this case, we need to convert categorical attribute into multiple binary attributes, while each binary attribute corresponds to a particular value of the category. (e.g. sunny/rainy/cloudy can be encoded as sunny == 100 and rainy == 010)

```
> cat <- levels(iris$Species)
> cat
                "versicolor" "virginica"
> binarize <- function(x) {return(iris$Species == x)}</pre>
> newcols <- sapply(cat, binarize)
> colnames(newcols) <- cat
> data <- cbind(iris[,c('Species')], newcols)
> data[45:55,]
       setosa versicolor virginica
 [2,] 1
                       0
 [3,] 1
             1
                       0
                                 0
 [4,] 1
 [5,1 1
             1
                       0
                                 0
 [6,] 1
                       0
                                 0
 [7,] 2
             0
                                 0
 [8,1 2
             0
                                 0
 [9,12
             0
                                 0
[10,1 2
             0
                                 0
[11,] 2
             0
                       1
                                 0
```

## Select, combine, aggregate data

Designing the form of training data in my opinion is the most important part of the whole predictive modeling exercise because the accuracy largely depends on whether the input features are structured in an appropriate form that provide strong signals to the learning algorithm.

Rather than using the raw data as is, it is quite common that multiple pieces of raw data need to be combined together, or aggregating multiple raw data records along some dimensions.

In this section, lets use a different data source CO2, which provides the carbon dioxide uptake in grass plants.

```
> head(CO2)
Plant Type Treatment conc uptake
1 Qn1 Quebec nonchilled 95 16.0
2 Qn1 Quebec nonchilled 175 30.4
3 Qn1 Quebec nonchilled 250 34.8
```

```
4 Qn1 Quebec nonchilled 350 37.2
5 Qn1 Quebec nonchilled 500 35.3
6 Qn1 Quebec nonchilled 675 39.2
>
```

To select the record that meet a certain criteria

```
> data <- CO2[CO2$conc>400 & CO2$uptake>40,]
> head(data)
   Plant Type Treatment conc uptake
    Qn2 Quebec nonchilled 500
13
    Qn2 Quebec nonchilled 675
                                 41.4
     Qn2 Quebec nonchilled 1000
14
                                 44.3
     Qn3 Quebec nonchilled 500
                                42.9
19
     Qn3 Quebec nonchilled 675
20
                                 43.9
21
    Qn3 Quebec nonchilled 1000
```

To sort the records, lets say we want to sort by conc (in ascending order) and then by uptake (in descending order)

```
> # ascend sort on conc, descend sort on uptake
> CO2[order(CO2$conc, -CO2$uptake),][1:20,]
              Type Treatment conc uptake
   Plant
15 Qn3
             Quebec nonchilled 95 16.2
          Quebec nonchilled 95
Quebec chilled 95
    On1
                                     16.0
36
    Qc3
                                     15.1
22
    0c1
            Ouebec
                      chilled
                                95
                                     14.2
             Quebec nonchilled
                                95
                                     13.6
    Qn2
50
    Mn2 Mississippi nonchilled
                                95
                                     12.0
    Mn3 Mississippi nonchilled 95
57
                                     11.3
    Mn1 Mississippi nonchilled 95
Mc3 Mississippi chilled 95
43
                                     10.6
78
                                     10.6
                      chilled 95
chilled 95
64
    Mc1 Mississippi
                                     10 5
29
    Qc2 Quebec
                                      9.3
    Mc2 Mississippi chilled 95
71
                                      7.7
          Quebec nonchilled 175
16
    On3
                                     32 4
2
    On1
             Quebec nonchilled 175
                                     30.4
9
    On2
             Quebec nonchilled 175
                                     27 3
           Quebec
30
    Qc2
                     chilled 175
                                     27.3
23
    0c1
             Quebec
                      chilled 175
51
   Mn2 Mississippi nonchilled 175
                                     22.0
37
    Qc3 Quebec chilled 175
                                     21.0
58
    Mn3 Mississippi nonchilled 175 19.4
```

To look at each plant rather than each raw record, lets compute the average uptake per plant.

```
> aggregate(CO2[,c('uptake')], data.frame(CO2$Plant), mean)
   CO2.Plant
         Qn1 33.22857
2
         Qn2 35.15714
3
        On3 37.61429
4
        Qc1 29.97143
5
         Oc3 32.58571
6
         Oc2 32.70000
7
         Mn3 24.11429
         Mn2 27.34286
8
         Mn1 26.40000
9
10
         Mc2 12.14286
11
         Mc3 17.30000
12
         Mc1 18.00000
```

We can also group by the combination of type and treatment

To join multiple data sources by a common key, we can use the merge() function.

```
> head(CO2)
 Plant Type Treatment conc uptake
1 Qn1 Quebec nonchilled 95 16.0
   Onl Ouebec nonchilled 175
                                30.4
   Onl Quebec nonchilled 250
                               34.8
   Qn1 Quebec nonchilled 350 37.2
On1 Ouebec nonchilled 500 35.3
   Qn1 Quebec nonchilled 500
6
   Qn1 Quebec nonchilled 675
                               39.2
> # Lets create some artitificial data
> country <- c('USA', 'USA', 'China', 'China', 'Canada', 'Canada')
> geomap <- data.frame(country=country, state=state)
> geomap
     USA California
     USA Mississippi
  China
          Shandong
5 Canada
              Quebec
           Ontario
6 Canada
> # Need to match the column name in join
> colnames(geomap) <- c('country', 'Type')
> joinCO2 <- merge(CO2, countrystate, by=c('Type'))</pre>
> head(joinCO2)
         Type Plant Treatment conc uptake country
1 Mississippi Mn1 nonchilled 95 10.6
2 Mississippi
               Mn1 nonchilled 175
                                              USA
                                     19.2
3 Mississippi Mnl nonchilled 250 26.2
                                              USA
4 Mississippi Mnl nonchilled 350 30.0
5 Mississippi Mnl nonchilled 500 30.9
                                              USA
                                              USA
6 Mississippi Mn1 nonchilled 675 32.4
                                              USA
```

# Power and Log transformation

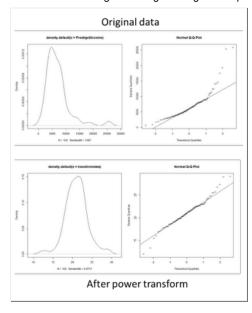
A large portion of machine learning models are based on assumption of linearity relationship (ie: the output is linearly dependent on the input), as well as normal distribution of error with constant standard deviation. However the reality is not exactly align with this assumption in many cases.

In order to use these machine models effectively, it is common practice to perform transformation on the input or output variable such that it approximates normal distribution (and in a multi-variate case, multi-normal distribution).

The commonly use transformation is a class call Box-Cox transformation which is to transform a variable x to  $(x^k - 1) / k$  where k is a parameter that we need to determine. (when k = 2, this is a square transform, when k = 0, this will become log y, when k = 1, there is no transform)

Here is how we determine what k should be for input variable x and then transform the variable.

```
> # Use the data set Prestige
> library(cat)
> head(Prestige)
                     education income women prestige census type
gov.administrators 13.11 12351 11.16 68.8 1113 prof
general.managers 12.26 25879 4.02 69.1 1130 prof
general.managers
purchasing.officers 11.42 8803 ...
14.62 8403 11.68
                         12.77 9271 15.70 63.4
11.42 8865 9.11 56.8
                                                          1171 prof
                                                           1175 prof
                                                  73.5 2111 prof
                          15.64 11030 5.13
                                                  77.6 2113 prof
> plot(density(Prestige$income))
> qqnorm(Prestige$income)
> ggline(Prestige$income)
> summary(box.cox.powers(cbind(Prestige$income)))
bcPower Transformation to Normality
   Est.Power Std.Err. Wald Lower Bound Wald Upper Bound
Y1
     0.1793 0.1108
                                 -0.0379
Likelihood ratio tests about transformation parameters
                              LRT df
LR test, lambda = (0) 2.710304 1 9.970200e-02
LR test, lambda = (1) 47.261001 1 6.213585e-12
> transformdata <- box.cox(Prestige$income, 0.18)
> plot(density(transformdata))
> qqnorm(transformdata)
> qqline(transformdata)
```



Hopefully I have covered the primary data transformation tasks. This should have set the stage for my next post, which is to train the predict model.



# 7 comments:

# BR Deshpande said...

Good summary.

For dimension reduction, we would like to invite you and your readers to beta test our cloud based tool. This works better than PCA for many cases.

Read here for details

http://www.sima fore.com/blog/bid/105297/feature-selection-with-mutual-information-part-1-pca-disadvantages

May 21, 2012 at 6:04 AM



#### Богунов Илья said...

joinCO2 <- merge(CO2, countrystate, by=c('Type'))

should be

joinCO2 <- merge(CO2, geomap, by=c('Type'))

May 23, 2012 at 8:34 AM



Reading you blog was a great experience, you always equipped with creative ideas and i love the way you have explained the things..

michel

Trader finance

July 19, 2012 at 2:41 AM

# H Vasudev said...

Great post.

There is a great article on multiple imputation on missing values.

It is also about a package in R, called 'Amelia'. (install.packages("Amelia", repos="http://r.iq.harvard.edu", type = "source"))

http://gking.harvard.edu/amelia/

July 22, 2012 at 8:23 AM

