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BRECURSION AND BACKTRACKING
                                    atssey function to recursion
Introduction to (Lecursion)
                                      bolty hai jo kudhi ko call
                ps v fun (inx) {
                                     krby hail
                 return XXX;
                                      Menogramming længange to
me algebra ko expresso krhe
f(2) = 2^2 = 4
                                        ke tool to function kalty
                 int i = fun (2);
Principle of Mathebactical Induction hai!
                        Let us Assume the Formula is true for
     \sum_{i=1}^{n} i = \frac{n(n+1)}{2}
                        n=k
we need to prove n=k+1
  enecking for n=1,->[LHS=RHS]
  Assuming that formula is true for n=k.

\sum_{i=1}^{k} i = \frac{k(k+1)}{2}
  e To prove that formula is tone for n= K+1.
  \sum_{i=(k+1)((k+1)+1)} = (k+1)(k+2) = R \cdot MS
   \sum_{i=1}^{k} \frac{1+2+3+...+k+1}{2} = \frac{k(k+1)}{2} + (k+1) = \frac{k(k+1)+2(k+1)}{2} = LHS
       - RHS = LHS
                                > [n=k] ke eige Assume krein.
 So, [n=1] Ke sige maine
                                   jisko use krke n=ktl Ko
                                    bui peroff tradial
proff Krida
        for all natural numbers
            \sum_{i=1}^{\infty} i = \frac{m(n+1)}{2}
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