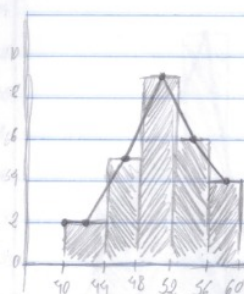


log 76,77 e 78

II

Classes	X_i	f_i	F_i	f_i	F_i	$X_i \cdot f_i$	$(X_i - \bar{X})^2 \cdot f_i$
50-54	52	2	2	7,69%	7,69%	104	$(52-50,77)^2 \cdot 2 = 153,83$
54-58	56	5	7	19,23%	26,92%	280	$(56-50,77)^2 \cdot 5 = 113,76$
58-62	60	9	16	34,62%	61,54%	540	$(60-50,77)^2 \cdot 9 = 5,34$
62-66	64	6	22	23,08%	84,62%	384	$(64-50,77)^2 \cdot 6 = 62,60$
66-70	68	4	26	15,38%	100,00%	272	$(68-50,77)^2 \cdot 4 = 209,09$
		$\Sigma f_i = 26$			$\Sigma F_i = 100\%$	$\Sigma X_i \cdot f_i = 1320$	$\Sigma (X_i - \bar{X})^2 \cdot f_i = 549,62$

$\bar{X} = 1320/26 = 50,77$	Variancia	Desvio
$C.M. = 54-58$	$S_x^2 = 549,62/25$	$S_x = \sqrt{21,78}$
$C.M. = 58-62$	$S_x^2 = 21,78$	$S_x = 4,67$



II

Classes	X_i	f_i	F_i	f_n	F_n	$X_i \cdot f_i$	$(X_i - \bar{X})^2 \cdot f_i$
150-156	153	1	1	3,33%	3,33%	153	207,36
156-162	159	5	6	16,67%	20%	795	352,80
162-168	165	8	14	26,67%	46,67%	1320	96,08
168-174	171	13	27	43,33%	90%	2223	168,98
174-180	177	3	30	10%	100%	531	276,48

$$\sum f_i = 30; \sum f_n = 100\%; \sum X_i \cdot f_i = 5022; \sum (X_i - \bar{X})^2 \cdot f_i = 1051,20$$

$$\bar{X} = 5022/30$$

VARIANCIA

Desvio

$$\bar{X} = 167,40$$

$$S_x^2 = 1051,20/29$$

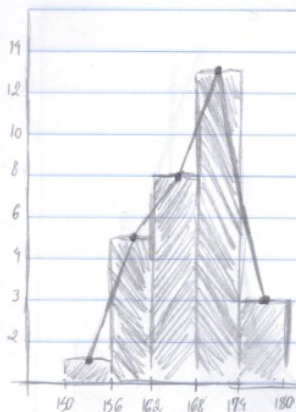
$$S_x = \sqrt{36,25}$$

$$CMd = 168-174$$

$$S_x^2 = 36,25$$

$$S_x = 6,02$$

$$CM_0 = 168-174$$



III

Clases	X_i	f_i	F_i	h_i	F_n	$X_i \cdot f_i$	$(X_i - \bar{X})^2 \cdot f_i$
500-700	600	8	8	18,18%	18,18%	4800	764293,02
700-900	800	20	28	45,45%	63,63%	16000	238012,56
900-1100	1000	7	35	15,91%	79,54%	7000	57852,40
1100-1300	1200	5	40	11,36%	90,90%	6000	923143,14
1300-1500	1400	2	42	4,55%	95,45%	2800	981985,26
1500-1700	1600	1	43	2,27%	97,72%	1600	977356,63
1700-1900	1800	1	44	2,28%	100%	1800	793720,63

$\sum f_i = 44$; $\sum h_i = 100\%$; $\sum X_i \cdot f_i = 40000$; $\sum (X_i - \bar{X})^2 \cdot f_i = 3236363,64$

$\bar{X} = 40000/44 \rightarrow 909,09$

$CM_1 = 700-900$

$CM_2 = 700-900$

Variancia

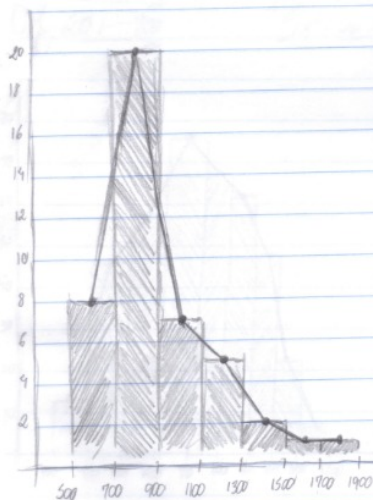
$S_x^2 = 3236363,64/44$

$S_x^2 = 73553,72$

Desvio

$S_x = \sqrt{73553,72}$

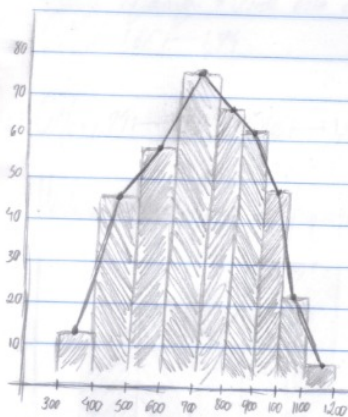
$S_x = 271,39$



2)

Classes	X_i	f_i	F_i	f_c	F_c	$X_i \cdot f_i$	$(X_i - \bar{X})^2 \cdot f_i$
300-400	350	14	14	3,50%	3,50%	4900	18702,63,50
400-500	450	46	60	11,50%	15%	20700	3242551,50
500-600	550	58	118	14,50%	29,50%	31900	1588639,50
600-700	650	96	194	19%	48,50%	49400	326059
700-800	750	68	262	17%	65,50%	51000	80959
800-900	850	62	324	15,50%	81%	52700	1121595,50
900-1000	950	48	372	12%	93%	45600	2639532
1000-1100	1050	22	394	5,50%	98,50%	23100	2461585,50
1100-1200	1150	6	400	1,50%	100%	6900	1132791,50
$\sum f_i = 400$; $\sum f_c = 100\%$; $\sum X_i \cdot f_i = 286200$; $\sum (X_i - \bar{X})^2 \cdot f_i = 14463900$							

$\bar{X} = 286200 / 400 = 715,50$	VARIANCIA	Desvio
Cf. f. 700-800	$S_x^2 = 14463900 / 399$	$S_x = \sqrt{36250,38}$
Cf. f. 600-700	$S_x^2 = 36250,38$	$S_x = 190,40$



3)

Classes	X_i	f_i	F_i	f_i	F_i	$X_i \cdot f_i$	$(X_i - \bar{X})^2 \cdot f_i$
4-8	6	2	2	8%	8%	12	149,30
8-12	10	5	7	20%	28%	50	107,65
12-16	14	9	16	36%	64%	126	3,69
16-20	18	6	22	24%	88%	108	67,74
20-24	22	2	24	8%	96%	44	108,34
24-28	26	1	25	4%	100%	26	129,05

$$\sum f_i = 25; \sum f_i = 100\%; \sum (X_i \cdot f_i) = 366; \sum (X_i - \bar{X})^2 \cdot f_i = 565,97$$

$$\bar{X} = 366/25 = 14,64$$

$$OM = 12-16$$

$$CM = 12-16$$

Variancia

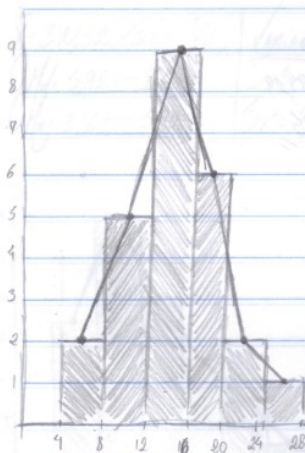
$$S_x^2 = 565,97/24$$

$$S_x^2 = 23,58$$

Desvio

$$S_x = \sqrt{23,58}$$

$$S_x = 4,86$$



/ /

a) 100-110

b) 110

c) 95

d) 14

e) 80-90 e 90-100

f) 50-60 e 120-130

g) 48

h) 25

3a) Curva en forma de J

b) Curva en forma de S

c) Curva en forma de V

d) Curva en forma de J

e) Curva en forma de V

$$K = 1 + 3,33 \cdot \log_{10} 50 \rightarrow K = 6,66 \rightarrow 7 \text{ classes}$$

$$AT = 98 - 33 = 65$$

$$AC = 65 / 6,66 = 9,76$$

Classes	X_i	f_i	F_i	h	F_a	$X_i \cdot f_i$	$(X_i - \bar{X})^2 \cdot f_i$
33 - 42,76	37,88	7	7	14%	14%	265,16	530,45
42,76 - 52,52	47,64	5	12	10%	24%	238,20	1577,09
52,52 - 62,28	57,40	9	21	18%	42%	516,60	576
62,28 - 72,04	67,16	10	31	20%	62%	671,60	30,98
72,04 - 81,80	76,92	10	41	20%	82%	769,20	1327,10
81,80 - 91,56	86,68	6	47	12%	94%	520,08	2719,03
91,56 - 101,32	96,44	3	50	6%	100%	289,32	2890,44
$\Sigma f_i = 50; \Sigma f_i = 100\%; \Sigma X_i \cdot f_i = 3270,16; \Sigma (X_i - \bar{X})^2 \cdot f_i = 14420,09$							

$$\bar{X} = 3270,16 / 50 = 65,40$$

$$CM_d = 62,28 - 72,04$$

$$CM_p = 62,28 - 72,04 \text{ e } 72,04 - 81,80$$

$$\text{VARIANCIA}$$

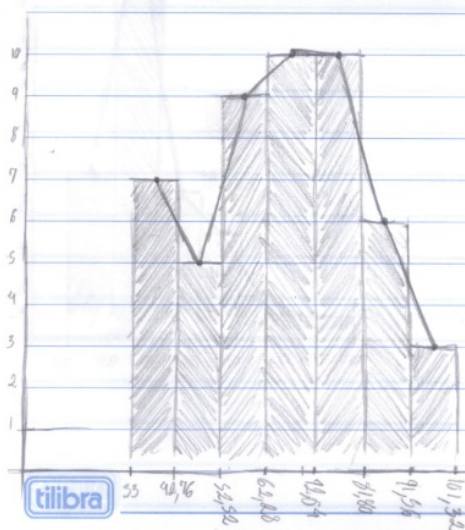
$$S_x^2 = 14420,09 / 49$$

$$S_x^2 = 294,29$$

$$\text{Desvio}$$

$$S_x = \sqrt{294,29}$$

$$S_x = 17,15$$



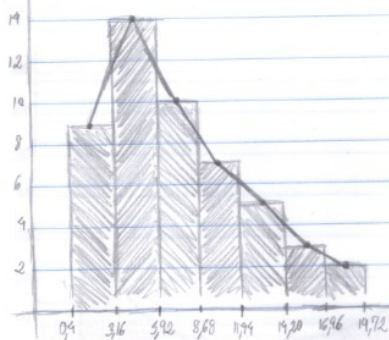
$$7K = 1 + 3,33 \times \log 50 = 6,66 \rightarrow 7 \text{ classes}$$

$$AT = 18,8 - 0,9 = 18,9$$

$$AC = 18,9 / 6,66 = 2,76$$

Classes	X_i	f_i	F_i	h_i	F_a	$X_i \cdot f_i$	$(X_i - \bar{X})^2 \cdot f_i$
0,91 - 3,16	1,78	9	9	18%	18%	16,02	285,27
3,16 - 5,92	4,54	4	23	28%	46%	63,56	115,32
5,92 - 8,68	7,30	10	33	20%	66%	73	0,12
8,68 - 11,44	10,06	7	40	14%	80%	70,42	49,16
11,44 - 14,20	12,82	5	45	10%	90%	64,10	196,39
14,20 - 16,96	15,58	3	48	6%	96%	46,74	200,25
16,96 - 19,72	18,34	2	50	4%	100%	36,68	238,93
$\Sigma f_i = 50; \Sigma h_i = 100\%; \Sigma X_i \cdot f_i = 370,52; \Sigma (X_i - \bar{X})^2 \cdot f_i = 1035,39$							

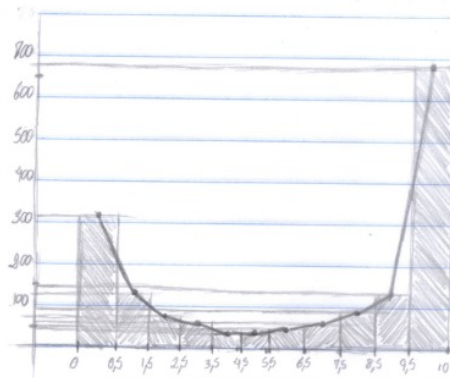
$\bar{X} = 370,52 / 50 = 7,41$	Variancia	Desvio
$CM_1 = 5,92 - 8,68$	$S_x^2 = 1035,39 / 49$	$S_x = \sqrt{21,13}$
$CM_0 = 3,16 - 5,92$	$S_x^2 = 21,13$	$S_x = 4,60$



8)

Classes	X_i	f_i	F_i	f_r	F_r	$X_i \cdot f_i$	$(X_i - \bar{X})^2 \cdot f_i$
0-0,5	0,25	320	320	18,76%	18,76%	80	10839,17
0,5-1,5	1	125	445	7,33%	26,09%	125	3213,11
1,5-2,5	2	75	520	4,40%	30,49%	150	1242,37
2,5-3,5	3	65	585	3,81%	34,30%	195	612,62
3,5-4,5	4	45	630	2,64%	36,94%	180	192,82
4,5-5,5	5	45	675	2,64%	39,58%	225	51,52
5,5-6,5	6	35	730	3,22%	42,80%	210	0,27
6,5-7,5	7	65	795	3,81%	46,61%	455	56,22
7,5-8,5	8	90	885	5,28%	51,89%	720	335,29
8,5-9,5	9	145	1030	8,50%	60,39%	1305	1244,81
9,5-10	9,75	676	1706	39,61%	100%	6591	9154,66
$\sum f_i = 1706; \sum f_r = 100\%; \sum X_i \cdot f_i = 10356; \sum (X_i - \bar{X})^2 \cdot f_i = 26942,81$							

$\bar{X} = 10356 / 1706 = 6,07$	Variancia	Desvio
$CM_1 = 7,5 - 8,5$	$S_x^2 = 26942,81 / 1706$	$S_x = \sqrt{15,80}$
$CM_2 = 9,5 - 10$	$S_x^2 = 15,80$	$S_x = 3,98$



Cl_{ages}	X_i	f_i	F_i	h_i	H_i	$N_i \cdot f_i$	$(X_i - \bar{X})^2 \cdot f_i$
1-2	1,5	7	7	2,45%	2,45%	10,50	363,89
2-3	2,5	3	10	1,05%	3,5%	7,50	115,69
3-4	3,5	10	20	3,40%	7%	35	271,44
4-5	4,5	11	31	3,85%	10,85%	49,50	194,97
5-6	5,5	12	43	4,20%	15,05%	66	123,65
6-7	6,5	37	80	12,99%	27,99%	240,50	180,71
7-8	7,5	35	115	12,24%	40,23%	265,50	51,24
8-9	8,5	45	160	15,73%	55,96%	382,50	1,98
9-10	9,5	39	199	13,64%	69,60%	370,50	29,34
10-11	10,5	30	229	10,49%	80,09%	315	96,12
11-12	11,5	25	254	8,74%	88,83%	287,50	199,60
12-13	12,5	7	261	2,45%	91,28%	87,50	100,55
13-14	13,5	10	271	3,50%	94,78%	135	229,44
14-15	14,5	9	275	1,40%	96,18%	58	134,10
15-16	15,5	6	281	2,10%	98,28%	93	276,62
16-17	16,5	4	282	0,35%	98,63%	16,50	60,68
17-18	17,5	4	286	1,37%	100%	70	309,06

$$\sum f_i = 286; \sum f_i = 100\%; \sum N_i \cdot f_i = 2490; \sum (X_i - \bar{X})^2 \cdot f_i = 3038,14$$

$$\bar{X} = 2490 / 286 = 8,71$$

$$C.M. = 8-9$$

$$C.M. = 8-9$$

Variancia

$$S_x^2 = 3038,14 / 285$$

$$S_x^2 = 10,66$$

Desvio

$$S_x = \sqrt{10,66}$$

$$S_x = 3,26$$

tilibra

