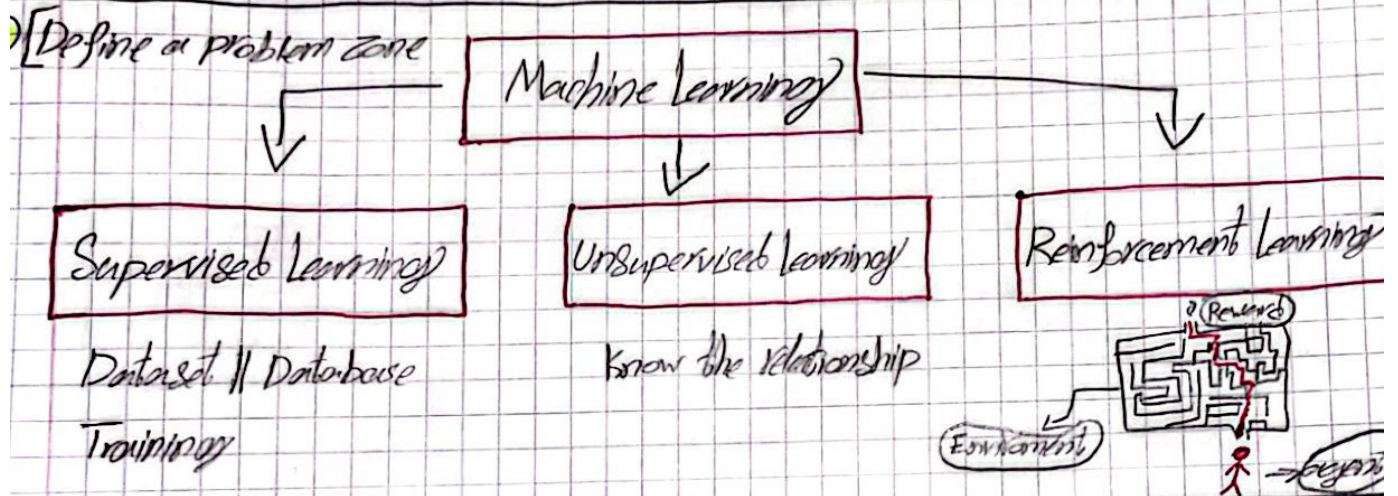


- 1 → Define problem zone
- 2 → Choose The Solution Model
- 3 → Data pre-processing
- 4 → Run & Evaluate



Artificial Intelligence Any technique that enables computers to mimic human intelligence.

1950's

Machine Learning A subset of AI that includes statistical algorithms with the ability to learn without being explicitly programmed.

1980's

Deep Learning A subset of ML that mimic human brain perceptions by using Artificial Neural Networks to adapt and work with big amount of data.

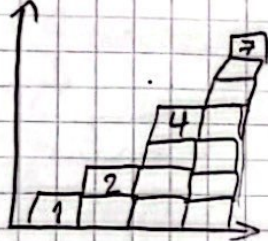
2010's

① [Define a problem zone]

Supervised Learning

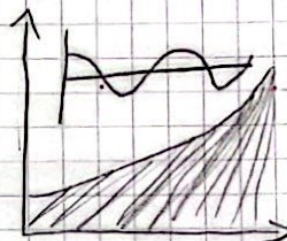
Classification (Discrete output)

Discrete Growth (2^n)



Regression (continuous output)

Continuous Growth (e^x)



Regression

Univariate-Input Regression

Area	price (K)
100	220K
200	44K
235	495K

Multivariate-Input Regression

Year	Assets	Inventory	profit
2010	12.5	55	120
2011	22.2	68.5	122.2
2012	44.3	77.8	135.7

① Define problem zone

Classification problem

Binary Class

Hours	Pass
5	Y
2	N
1.5	N

Multi-class

Hours	pass
5	A+
2	B
1.5	B-

② Divide the socks by color ⇒

Supervised Learning

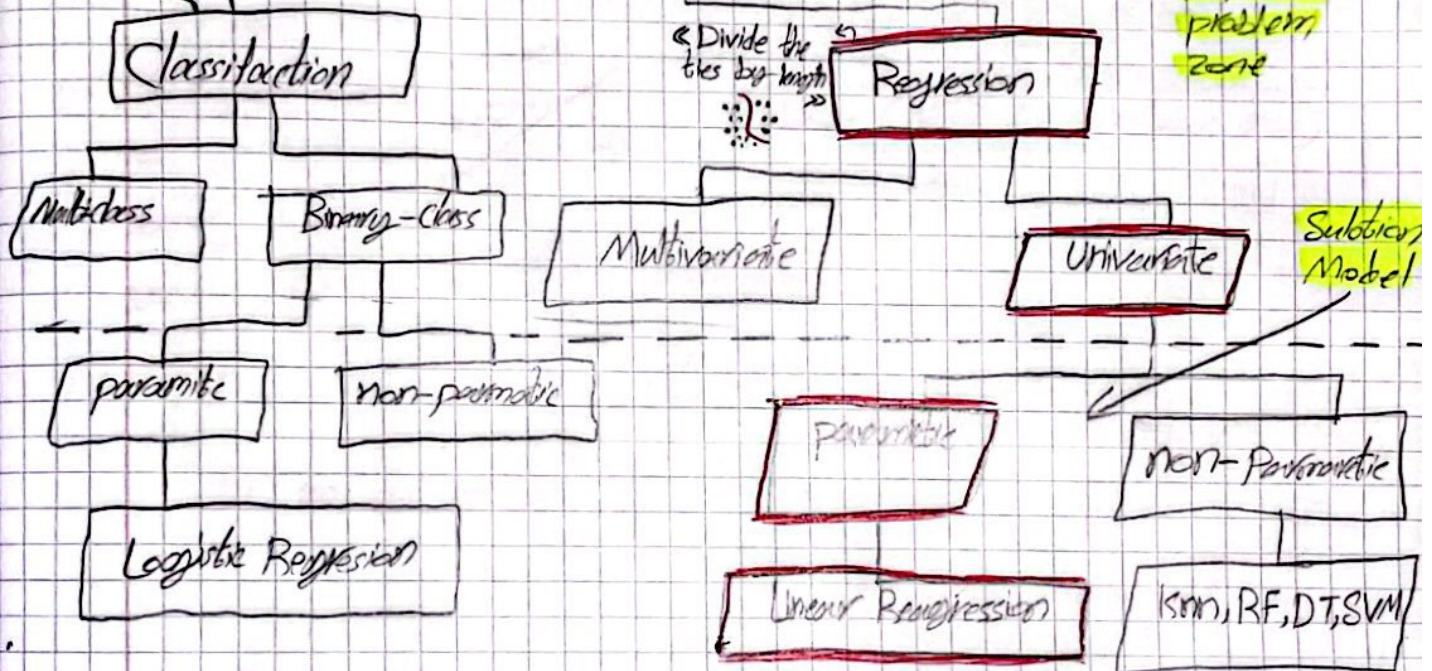
where are we now?

Define a problem zone

Divide the ties by length ⇒

Regression

Subclass Model



1# Linear Regression Attack plan

- ① Linear Model
- ② Error function
- ③ Gradient Descent
- ④ Model Evaluation

⑤ Advanced Topics

2) # Solution Model

Linear Regression

① ② Linear model & Error function

X	y
Area	Price (K)
100	200
150	400
200	450
250	550
300	450

parametric Solution

$$y = mx + b$$

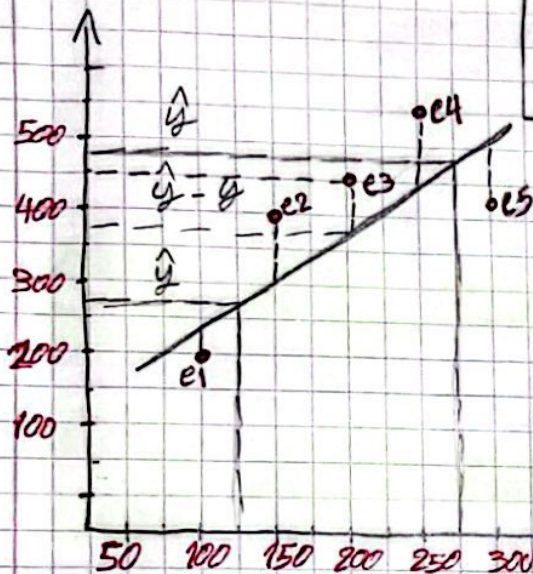
$$y = w_0 + w_1 x \rightarrow (1)$$

Error (Standard Error)

$$e = \hat{y} - y$$

$$e_1 + e_2 + e_3 + e_4 + e_5$$

$$E = \sum_{i=1}^n (\hat{y}_i - y_i) \rightarrow (2)$$



Error (Mean Absolute Error MAE)

$$MAE = \frac{|e_1| + |e_2| + |e_3| + |e_4| + |e_5|}{5}$$

$$MAE = \frac{1}{n} \sum_{i=1}^n |\hat{y}_i - y_i|$$

Error (Mean Square Error MSE)

$$MSE = \frac{(e_1)^2 + (e_2)^2 + (e_3)^2 + (e_4)^2 + (e_5)^2}{5}$$

$$MSE = \frac{1}{n} \sum_{i=1}^n (\hat{y}_i - y_i)^2$$

$$WMSE = \frac{MSE}{w}$$

Error (Root Mean Square Error RMSE)

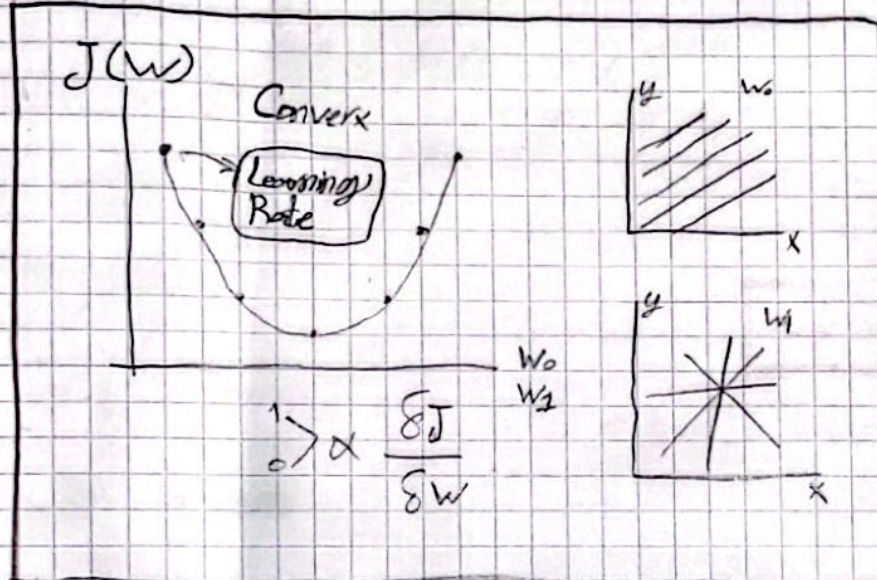
$$RMSE = \sqrt{MSE}$$

2) # Solution model)) Linear Regression

③ Gradient Descent

$$\text{Linear Model: } \hat{y}_i = h(w) = w_0 + w_1 x$$

$$\text{Cost Function } J(w) := \frac{1}{2n} \sum_{i=1}^n (h(w)_i - y_i)^2$$



$$\frac{\partial J(w)}{\partial w_0} = \frac{1}{n} \sum_{i=1}^n ((w_0 + w_1 x)_i - y_i)$$

$$\frac{\partial J(w)}{\partial w_1} = \frac{1}{n} \sum_{i=1}^n ((w_0 + w_1 x)_i - y_i) x_i$$

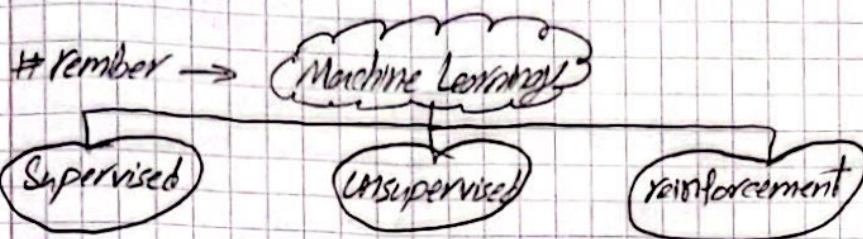
$$\frac{\partial J(w)}{\partial w} = \sum_{i=1}^n ((w_0 + w_1 x)_i - y_i) x_i$$

Gradient

$$w = w - \alpha \frac{\partial J(w)}{\partial w}$$

Descent

- 1) Define a problem zone.
- 2) Choose a solution model.






Unsupervised

where are we now?

Association

« find what clothes I often wear together »

 +  =  → Burger

Clustering

« Split up similar color into stacks »



K means, K Medoids

Data = { 2, 3, 4, 10, 11, 12, 20, 25, 30 }

C = 4

K = 2

K₁ = { 2, 3, 4 }

mean = 3

K₁ = { 2, 3, 4, 10 }

mean 1 = 4.75 → 5

K₁ = { 2, 3, 4, 10, 11, 12 }

mean 1 = 7

K₁ = { 2, 3, 4, 10, 11, 12 }

C = 12

K₂ = { 10, 11, 12, 20, 25, 30 }

Mean 2 = 18

K₂ = { 11, 12, 20, 25, 30 }

mean 2 = 19.6 → 20

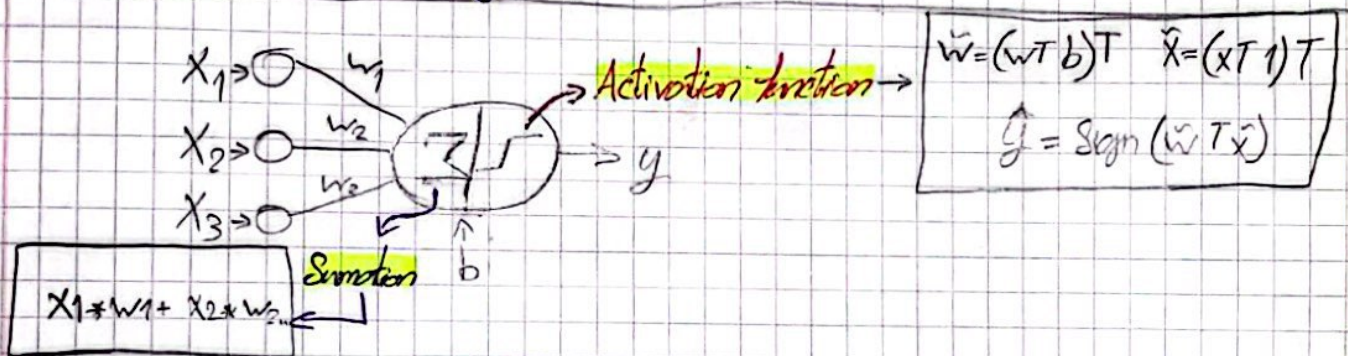
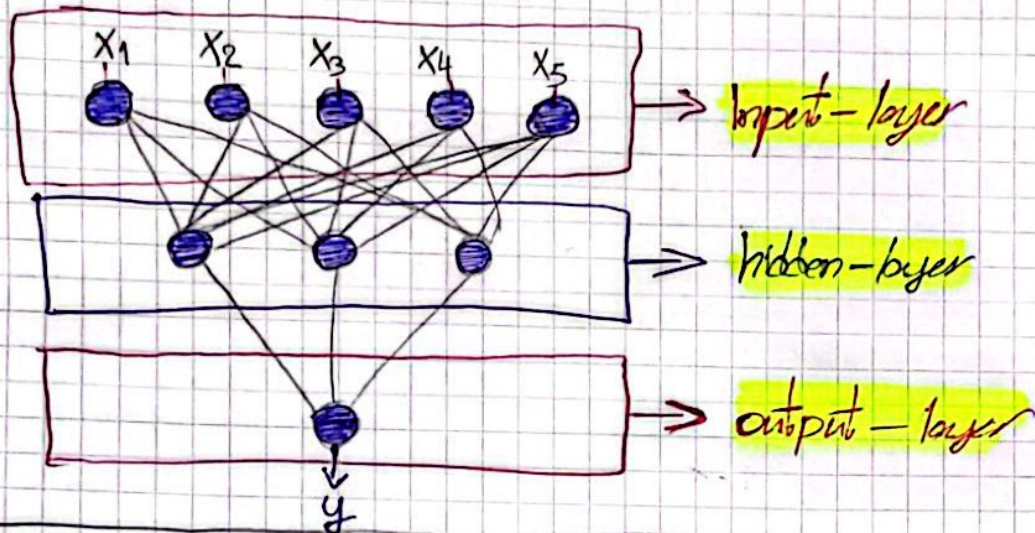
K₂ = { 20, 25, 30 }

mean 2 = 25

K₂ = { 20, 25, 30 }

Multi-layer Neural Network

Keywords: Input layer - Hidden-layer - output-layer - Activation function - Loss function - Learning rate - weights - nodes - Gradient descent - Forward and backward propagation - Epochs - Batch - Iteration



Epochs: one Epochs is when an entire dataset is passed forward and backward through the neural network only once.

Batches: number of data = iterations.