

$n=42$

new treatment therapy 21 0  
standard treatment therapy 21 1

1.

The following data set called "anderson.dat" consists of remission survival times on 42 leukemia patients/half of whom get a certain new treatment therapy/ and the other half of whom get a standard treatment therapy./The exposure variable of interest is treatment status ( $Rx = 0$  if new treatment,  $Rx = 1$  if standard treatment)/Two other variables for control as potential confounders are log white blood cell count (i.e. logwbc) and sex. Failure status is defined by the relapse variable (0 if censored, 1 if failure). The data set is listed as follows:

Subj	Surv <sub>t</sub>	Relapse	Sex	log WBC	Censored 0 / Failure 1	
					Rx	
V1	35	0	1	1.45	0	low
V2	34	0	1	1.47	0	low
V3	32	0	1	2.20	0	low
Δ4	32	0	1	2.53	0	medium
V5	25	0	1	1.78	0	low
Δ6	23	1	1	2.57	0	medium
Δ7	22	1	1	2.32	0	medium
V8	20	0	1	2.01	0	low
V9	19	0	0	2.05	0	low
V10	17	0	0	2.16	0	low
o11	16	1	1	3.60	0	high
Δ12	13	1	0	2.88	0	medium
Δ13	11	0	0	2.60	0	medium
Δ14	10	0	0	2.70	0	medium
Δ15	10	1	0	2.96	0	medium
Δ16	9	0	0	2.80	0	medium
o17	7	1	0	4.43	0	high
o18	6	0	0	3.20	0	high
Δ19	6	1	0	2.31	0	medium
o20	6	1	1	4.06	0	high
O21	6	1	0	3.28	0	high
V22	23	1	1	1.97	1	low
Δ23	22	1	0	2.73	1	medium
Δ24	17	1	0	2.95	1	medium
V25	15	1	0	2.30	1	low
V26	12	1	0	1.50	1	low
o27	12	1	0	3.06	1	high
o28	11	1	0	3.49	1	high
V29	11	1	0	2.12	1	low
O30	8	1	0	3.52	1	high
o31	8	1	0	3.05	1	high
Δ32	8	1	0	2.32	1	medium
o33	8	1	1	3.26	1	high
o34	5	1	1	3.49	1	high
o35	5	1	0	3.97	1	high
O36	4	1	1	4.36	1	high
Δ37	4	1	1	2.42	1	medium
o38	3	1	1	4.01	1	high
O39	2	1	1	4.91	1	high
O40	2	1	1	4.48	1	high
Δ41	1	1	1	2.80	1	medium
Δ42	1	1	1	5.00	1	high

- a. Suppose we wish to describe KM curves for the variable logwbc. Because logwbc is continuous, we need to categorize this variable before we compute KM curves. Suppose we categorize logwbc into three categories—low, medium, and high—as follows:

low (0–2.30),  $n = 11$ ;  
 medium (2.31–3.00),  $n = 14$ ;  
 high ( $>3.00$ ),  $n = 17$ .

Based on this categorization, compute and graph KM curves for each of the three categories of logwbc.  
~~(You may use a computer program to assist you or you can form three tables of ordered failure times and compute KM probabilities directly.)~~

P.3

- b. Compare the three KM plots you obtained in part a. How are they different?

P.4

- c. Below is an edited printout of the log-rank test comparing the three groups.

Group	Events observed	Events expected
1	4	13.06
2	10	10.72
3	16	6.21
Total	30	30.00

Log-rank =  $\chi^2(2) = 26.39$

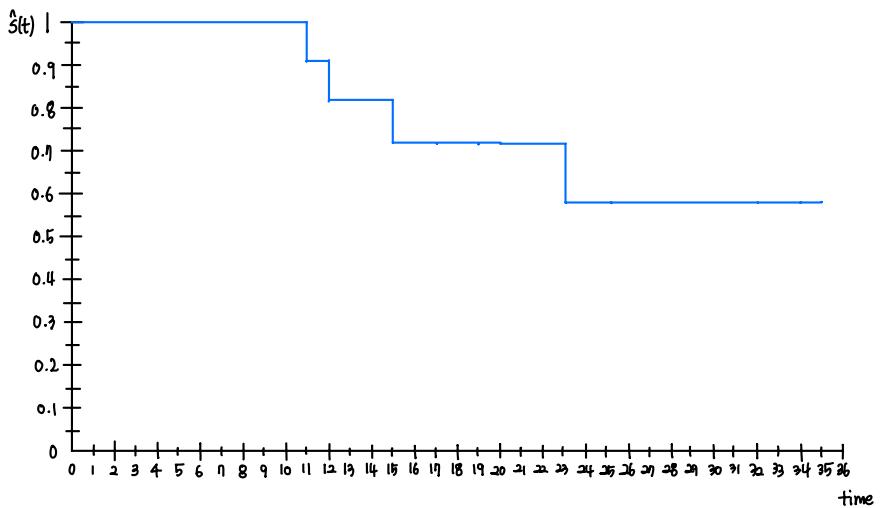
P-value =  $\Pr > \chi^2 = 0.0000$

What do you conclude about whether or not the three survival curves are the same?

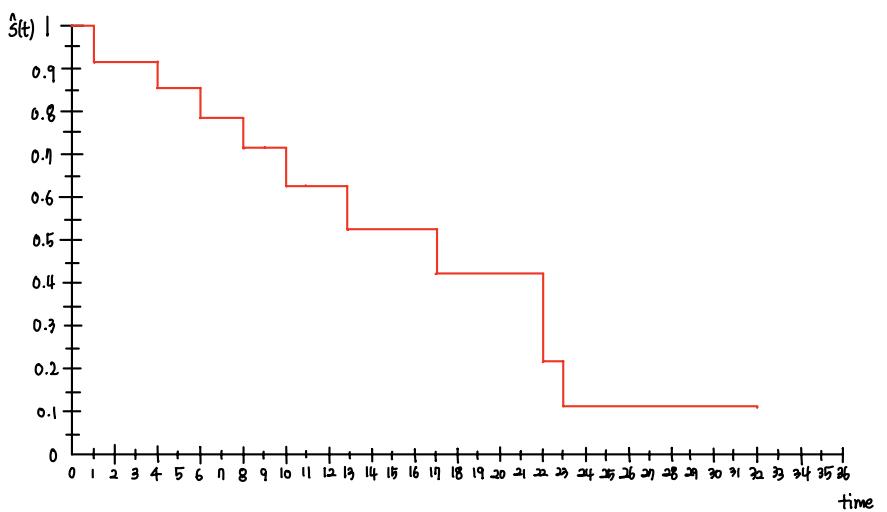
$H_0$  reject, three survival curves  $\Rightarrow$  difference  $\neq$  0

| - a .

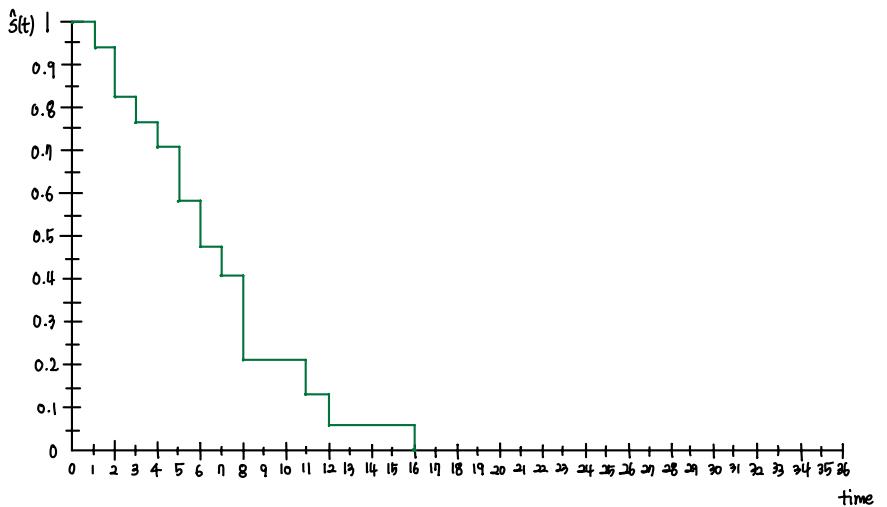
Group	(log WBC-low)			
$t_{(j)}$	$n_j$	$m_i$	$q_i$	$\hat{S}(t_{(j)})$
0	11	0	0	1
11	11	1	0	$1 \times \frac{10}{11} = 0.9091$
12	10	1	0	$.9091 \times \frac{9}{10} = 0.8182$
15	9	1	0	$.8182 \times \frac{8}{9} = 0.7273$
17	8	0	1	$.7273 \times \frac{7}{8} = 0.6273$
19	7	0	1	$.6273 \times \frac{6}{7} = 0.5273$
20	6	0	1	$.5273 \times \frac{5}{6} = 0.4273$
23	5	1	0	$.4273 \times \frac{4}{5} = 0.3273$
25	4	0	1	$.3273 \times \frac{3}{4} = 0.2273$
32	3	0	1	$.2273 \times \frac{2}{3} = 0.1273$
34	2	0	1	$.1273 \times \frac{1}{2} = 0.0637$
35	1	0	1	$.0637 \times \frac{0}{1} = 0.0637$



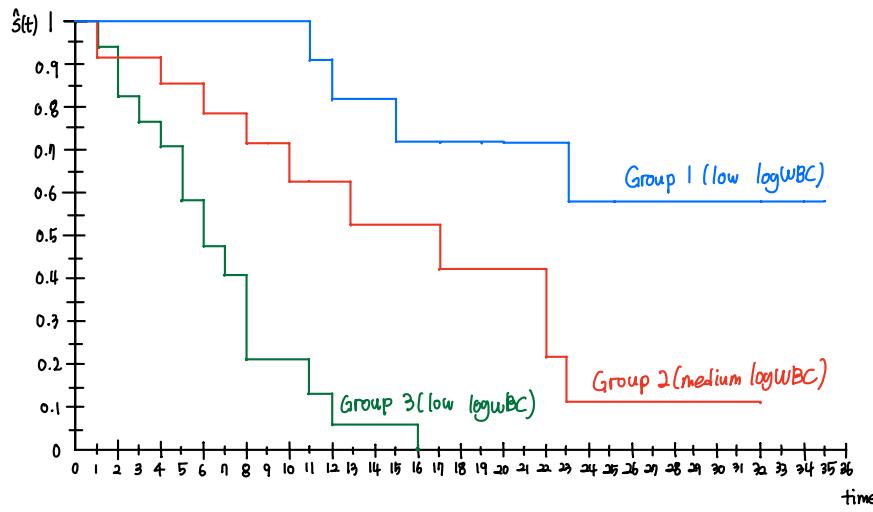
Group	(log WBC-medium)			
$t_{(j)}$	$n_j$	$m_i$	$q_i$	$\hat{S}(t_{(j)})$
0	14	0	0	1
1	14	1	0	$1 \times \frac{13}{14} = 0.9286$
4	13	1	0	$.9286 \times \frac{12}{13} = 0.8591$
6	12	1	0	$.8591 \times \frac{11}{12} = 0.7857$
8	11	1	0	$.7857 \times \frac{10}{11} = 0.7143$
9	10	0	1	$.7143 \times \frac{9}{10} = 0.6439$
10	9	1	1	$.6439 \times \frac{8}{9} = 0.5949$
11	9	0	1	$.5949 \times \frac{7}{9} = 0.5459$
13	6	1	0	$.5459 \times \frac{5}{6} = 0.4933$
17	5	1	0	$.4933 \times \frac{4}{5} = 0.4233$
22	4	2	0	$.4233 \times \frac{3}{4} = 0.2116$
23	2	1	0	$.2116 \times \frac{1}{2} = 0.1058$
32	1	0	1	$.1058 \times \frac{0}{1} = 0.1058$



Group	(log WBC-high)			
$t_{(j)}$	$n_j$	$m_i$	$q_i$	$\hat{S}(t_{(j)})$
0	11	0	0	1
1	11	1	0	$1 \times \frac{10}{11} = 0.9091$
2	16	2	0	$.9091 \times \frac{14}{16} = 0.8056$
3	14	1	0	$.8056 \times \frac{13}{14} = 0.7041$
4	13	1	0	$.7041 \times \frac{12}{13} = 0.6059$
5	12	2	0	$.6059 \times \frac{10}{12} = 0.5082$
6	10	2	1	$.5082 \times \frac{8}{10} = 0.4066$
7	7	1	0	$.4066 \times \frac{6}{7} = 0.3041$
8	6	3	0	$.3041 \times \frac{5}{6} = 0.2017$
11	3	1	0	$.2017 \times \frac{2}{3} = 0.1345$
12	2	1	0	$.1345 \times \frac{1}{2} = 0.0672$
16	1	1	0	$.0672 \times \frac{0}{1} = 0$



1 - b.



전체적인 흐름으로 보면 때, (time 0-2 주) Group 3, Group 2, Group 1 순으로  $\hat{S}(t)$ 가 작다.

따라서 log WBC가 낮을수록 생존확률이 낮다고 추정할 수 있다.

여행 시간이 같도록 각 Group 간의 effect 차이가 큰 것은 볼 수 있다.