

# Lab# 1

## 1) Netlist Of Sub Circuit Of Non Ideal Op-Amp:

```
*Non Ideal Op-Amp Subcircuit
.subckt Non_Ideal_OpAmp 1 2 3 ; 1 is Output node , 2 is +ve input , 3 is -ve input

*First Stage we can represent it as Voltage Controlled Current Source
GIN 0 4 2 3 10m
IOpen1 2 0 0A ; redundant connection at +ve terminal
IOpen2 3 0 0A ; redundant connection at -ve terminal

* UGF = GBW = BW * Gain , as Gain = 1e4, so BW = 1 Khz so we can assume R = 1Mohm
* and as BW = 1/2*pi*R*C , C = 159.154 pF, and as DC Gain at Output of the first stage = 1e4 = Gm*R, so Gm = 10m

RIN 4 0 1MEG
CIN 4 0 159.154P

*Second Stage we can represent it as Voltage Controlled Voltage Source
EOUT 1 0 4 0 1 ; Gain = 1
.ends Non_Ideal_OpAmp
```

## 2) Netlist Of Non-Inverting Op-Amp & TF Analysis Output:

```
*Non Ideal Op-Amp Subcircuit
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RIN 4 0 1MEG
CIN 4 0 159.154P

*Second Stage we can represent it as Voltage Controlled Voltage Source
EOUT 1 0 4 0 1 ; Gain = 1
.ends Non_Ideal_OpAmp

* Non Inverting amplifier
RFeedBack 3 2 9k ; FeedBack Resistance = 9kOhm
R2 2 0 1k ; Second Resistance = 1kOhm

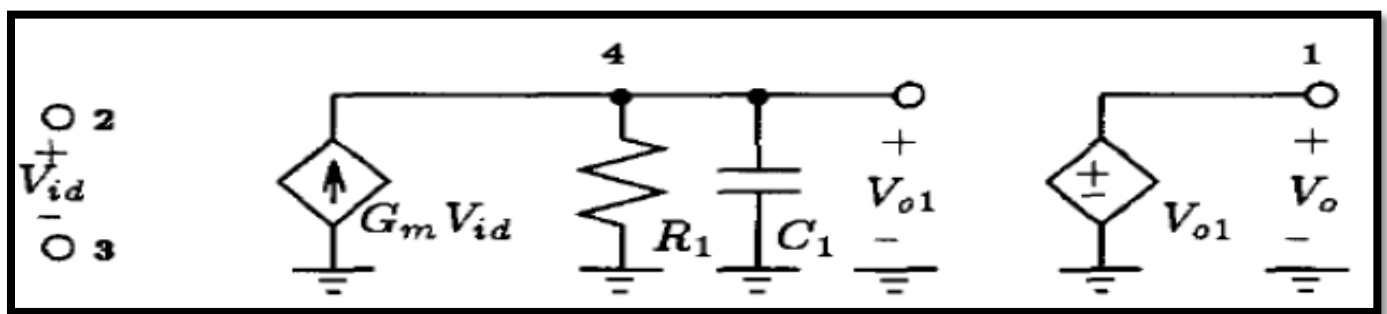
VIN 1 0 DC 1 ; Dc Input voltage = 1v

X_1 3 1 2 Non_Ideal_OpAmp ; Call the instance of the Subcircuit

.TF V(3) VIN
.end
```

--- Transfer Function ---		
Transfer_function:	9.99001	transfer
vin#Input_impedance:	1e+020	impedance
output_impedance_at_V(3):	0	impedance

**Justification:** Using voltage divider we get that  $V_{in(-)} = V_{in(+)} = V_{in} = (R_2/(R_F + R_2)) * V_{out}$ , so  $(V_{out}/V_{in}) = A_v = (R_F + R_2)/(R_2) = (10/1) = 10$ , from the analysis of TF we get that  $V_{out}/V_{in} = 9.99$ , which is approximately the same, and from the figure below the input impedance is very large as  $V_{id}$  is taken across open circuit, which has very high impedance, on output we take the voltage on dependent voltage source (Voltage controlled Voltage Source) and the ideal voltage source has internal impedance = 0, so the output impedance = 0.



### 3) Transient Analysis:

#### Netlist:

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CIN 4 0 159.154P

*Second Stage we can represent it as Voltage Controlled Voltage Source
EOUT 1 0 4 0 1 ; Gain = 1
.ends Non_Ideal_OpAmp

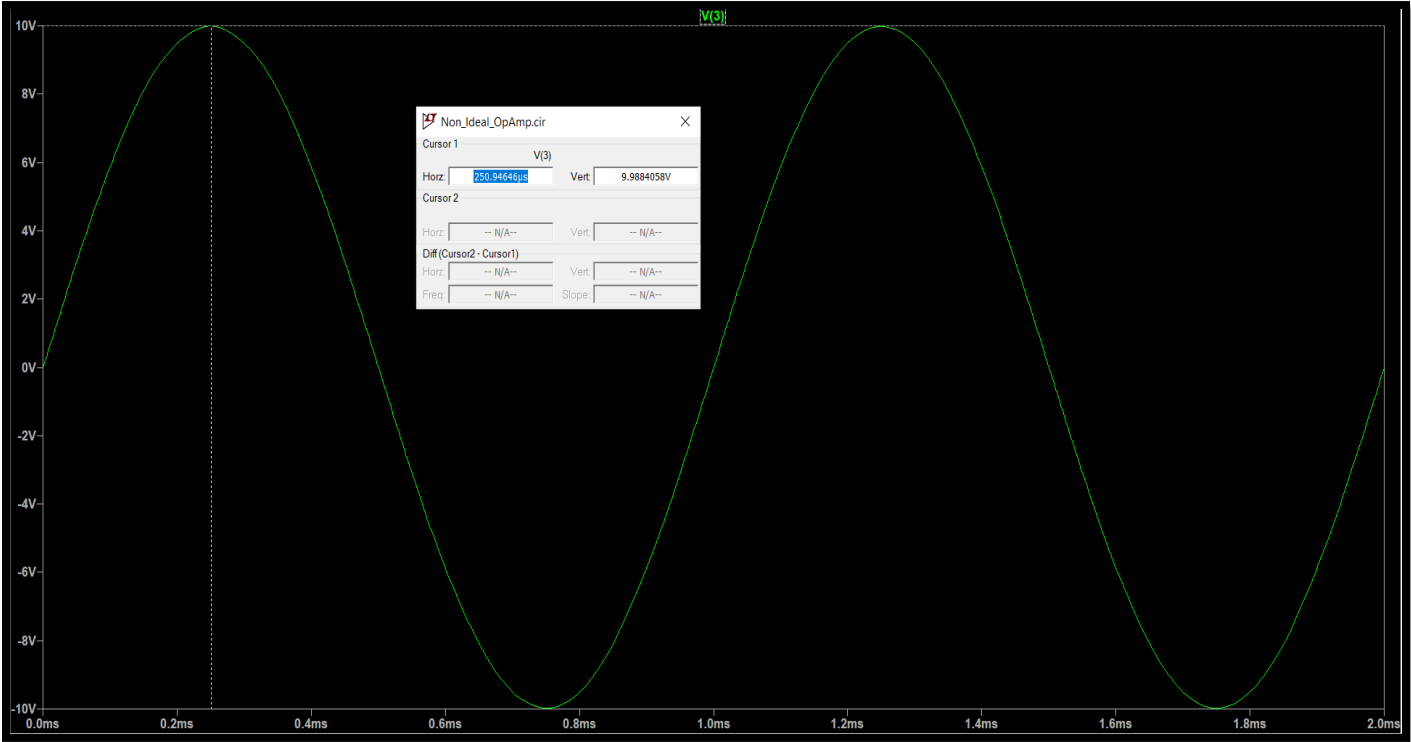
* Non Inverting amplifier
RFeedBack 3 2 9k ; FeedBack Resistance = 9kOhm
R2 2 0 1k ; Second Resistance = 1kOhm

VIN 1 0 SIN(0 1 1K 0) ; Sine wave with V0 = 0 and Va = 1v and frequency 1K and delay time =0.

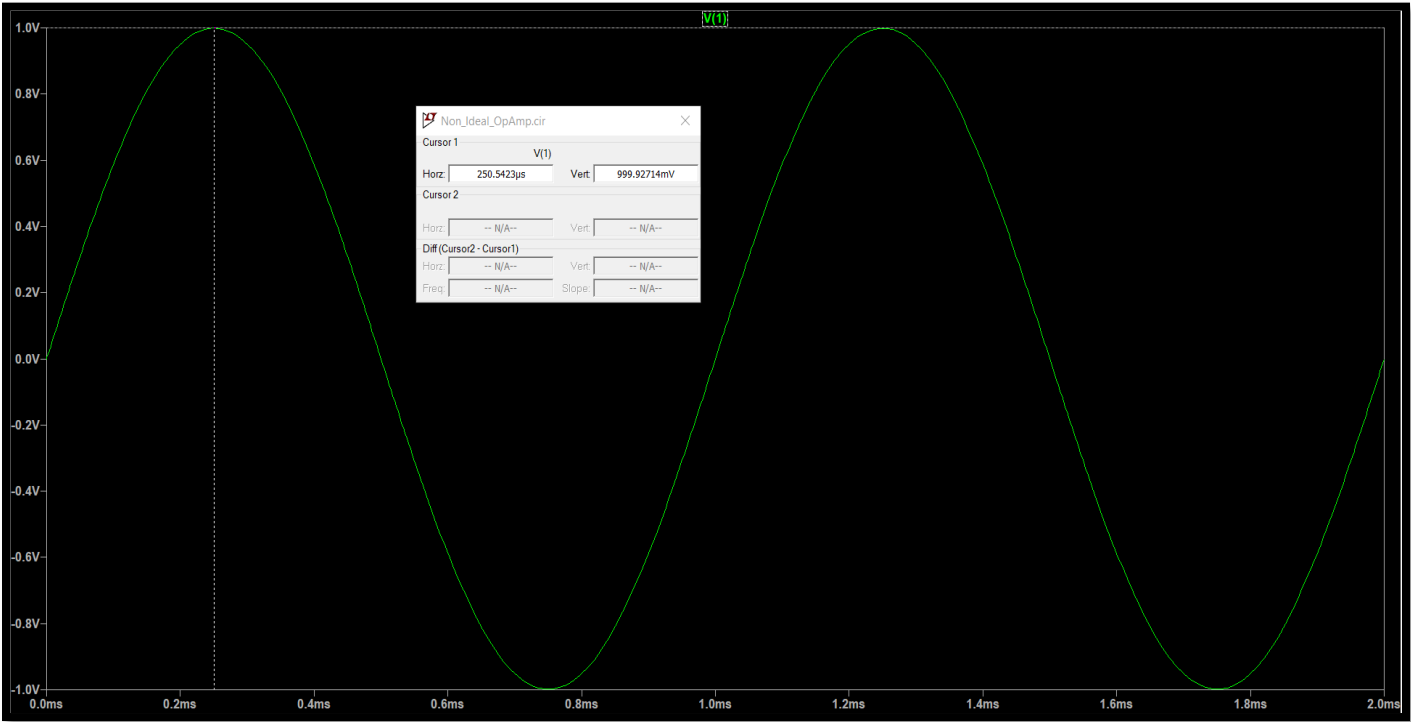
X_1 3 1 2 Non_Ideal_OpAmp ; Call the instance of the Subcircuit

.TRAN 0.04m 2m
.end
```

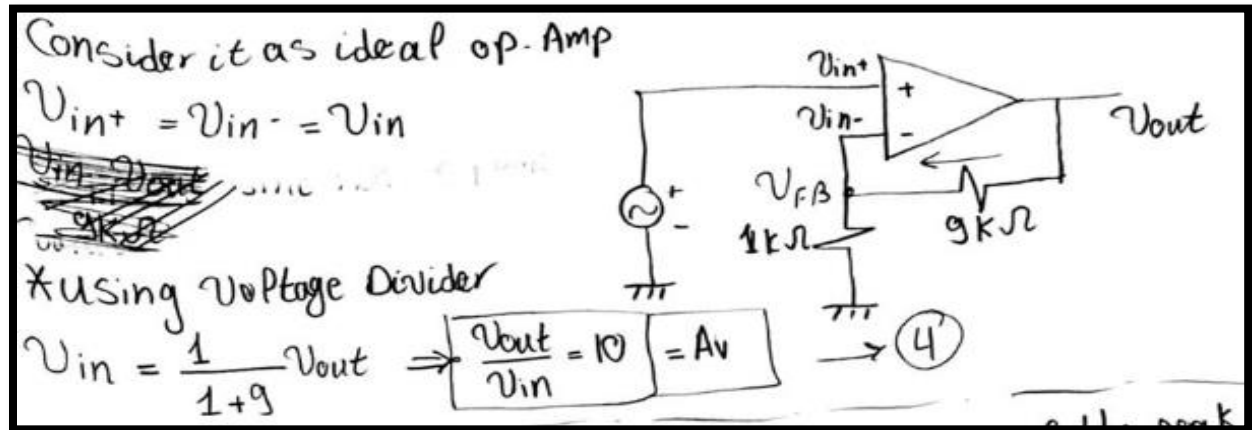
Vout:



Vsig:



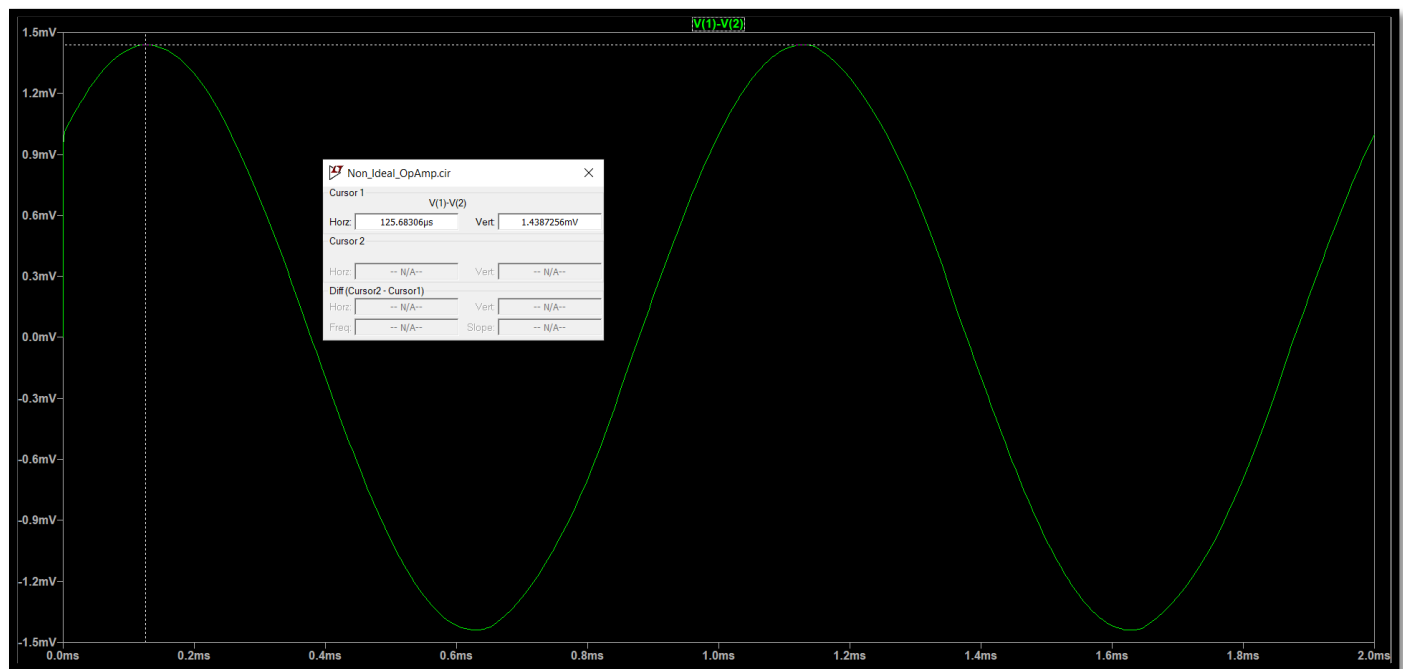
#### 4) Comparison between TF & Transient & Hand Analysis:



TF Analysis	Transient Analysis	Hand Analysis
$A_v = 9.99$	$A_v = V_{out}/V_{in} = 9.98$	$A_v = 10$

From the table we can deduce that all the results are approximately the same.

#### 5) Differential Input:



The Amplitude = 1.42mV, which is very small voltage that we can approximate it as 0V

### Justification:

Handwritten text showing the calculation of the differential input voltage  $V_{diff}$  at the peak of a sine wave. The text states:  $V_{diff} = V_{in+} - V_{in-}$ , where  $V_{in+} = 1V$  and  $V_{in-} = 10 \times \frac{1}{1+9} = 1V$ . Therefore,  $V_{diff} \approx 0$ .

### 6) Differential Input At Input Frequency = UGF:

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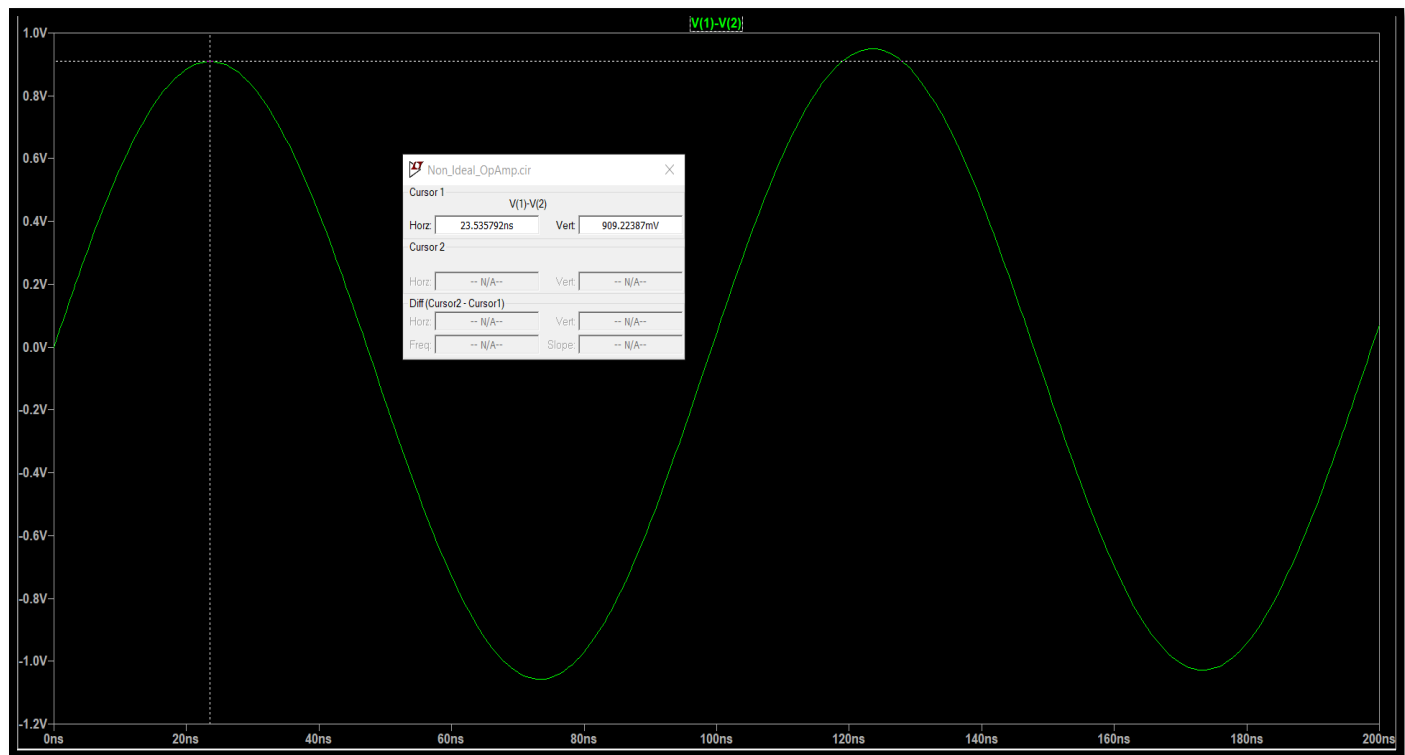
*Second Stage we can represent it as Voltage Controlled Voltage Source
EOUT 1 0 4 0 1 ; Gain = 1
.ends Non_Ideal_OpAmp

* Non Inverting amplifier
RFeedBack 3 2 9K ; FeedBack Resistance = 9kOhm
R2 2 0 1k ; Second Resistance = 1kOhm

VIN 1 0 SIN(0 1 10MEG 0) ; Sine wave with V0 = 0 and Va = 1v and frequency 10MHZ = UGF and delay time =0.
|
X_1 3 1 2 Non_Ideal_OpAmp ; Call the instance of the Subcircuit

.TRAN 0.002u 0.2u
.end
```

## Differential Input:



The Amplitude = 909.22 mV = 0.909 V.

## Justification:

\* 6) ~~suppose~~ <sup>1+g</sup> :: Frequency = UGF  $\Rightarrow A_{OL} = 1, B = 0.1, LG = B \times A_{OL} = 0.1$

$A_{CL} = \frac{A_{OL}}{1+LG} = 0.90, V_{in+} = 1V \rightarrow$  suppose the point of the

Peak value of the input sine wave,  $V_{out} = 1 \times 0.90 = 0.90$

$V_{in-} = \frac{1}{1+g} \times 0.9 = 0.09 \therefore V_{diff} = V_{in+} - V_{in-} = 1 - 0.09 = 0.91$

## 7) AC Analysis At $R_F = 9K$ & $R_F = 4K$ :

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EOUT 1 0 4 0 1 ; Gain = 1
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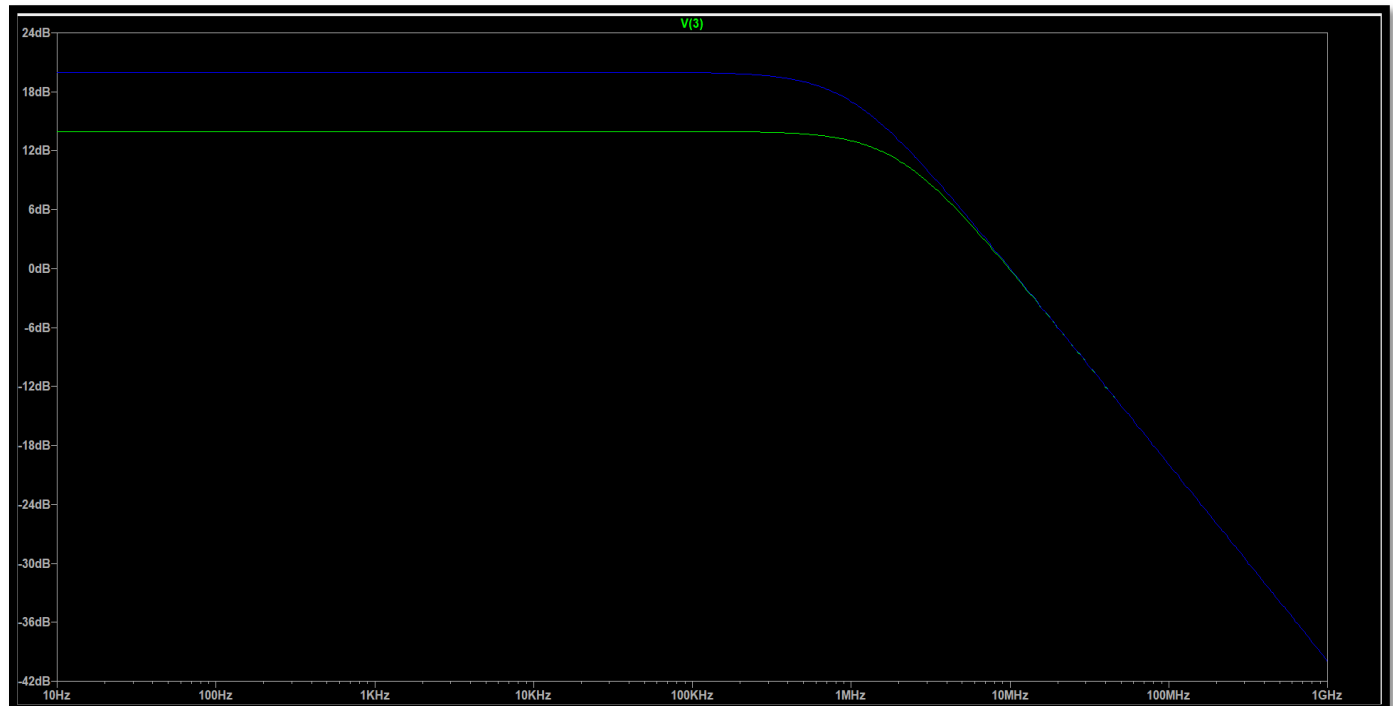
* Non Inverting amplifier
.PARAM RF = 9k ; Define parameter that i will sweep on it
RFeedBack 3 2 {RF} ; FeedBack Resistance = 9kOhm
R2 2 0 1k ; Second Resistance = 1kOhm

VIN 1 0 AC 1 ; AC Signal With Amplitude = 1V

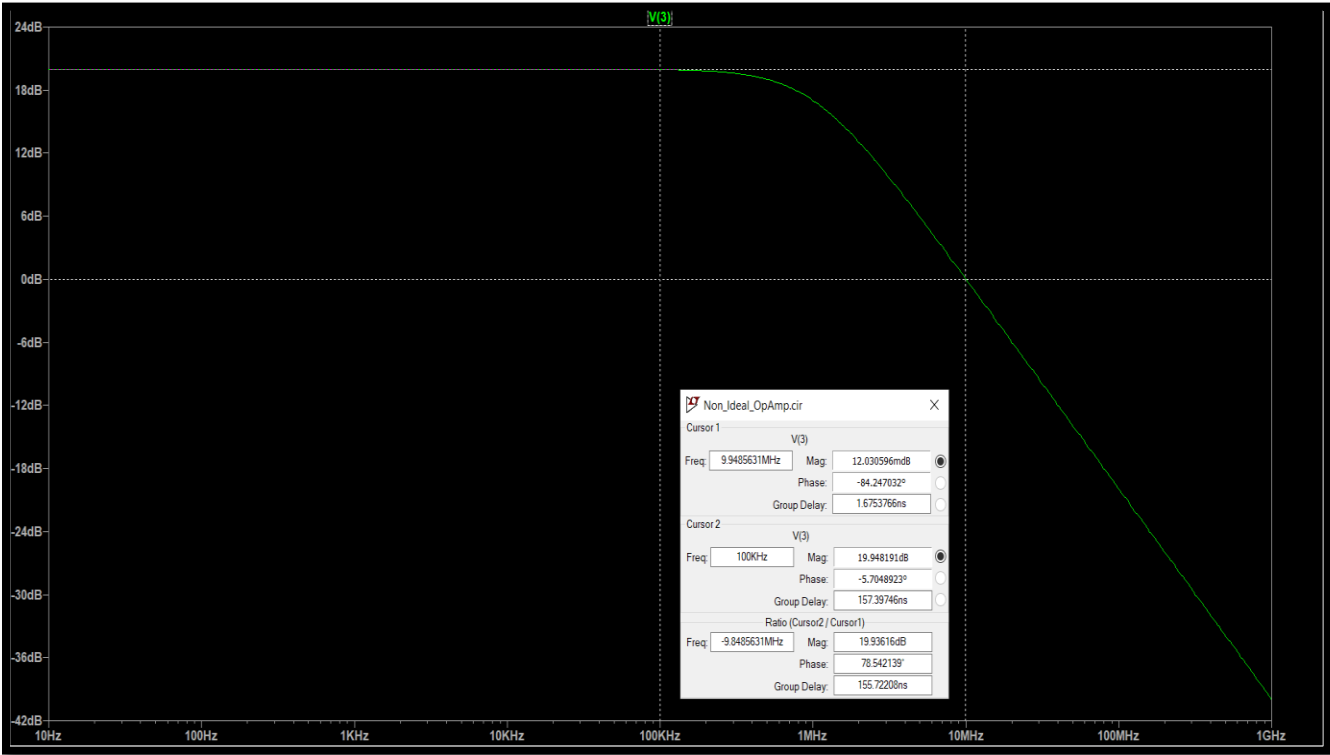
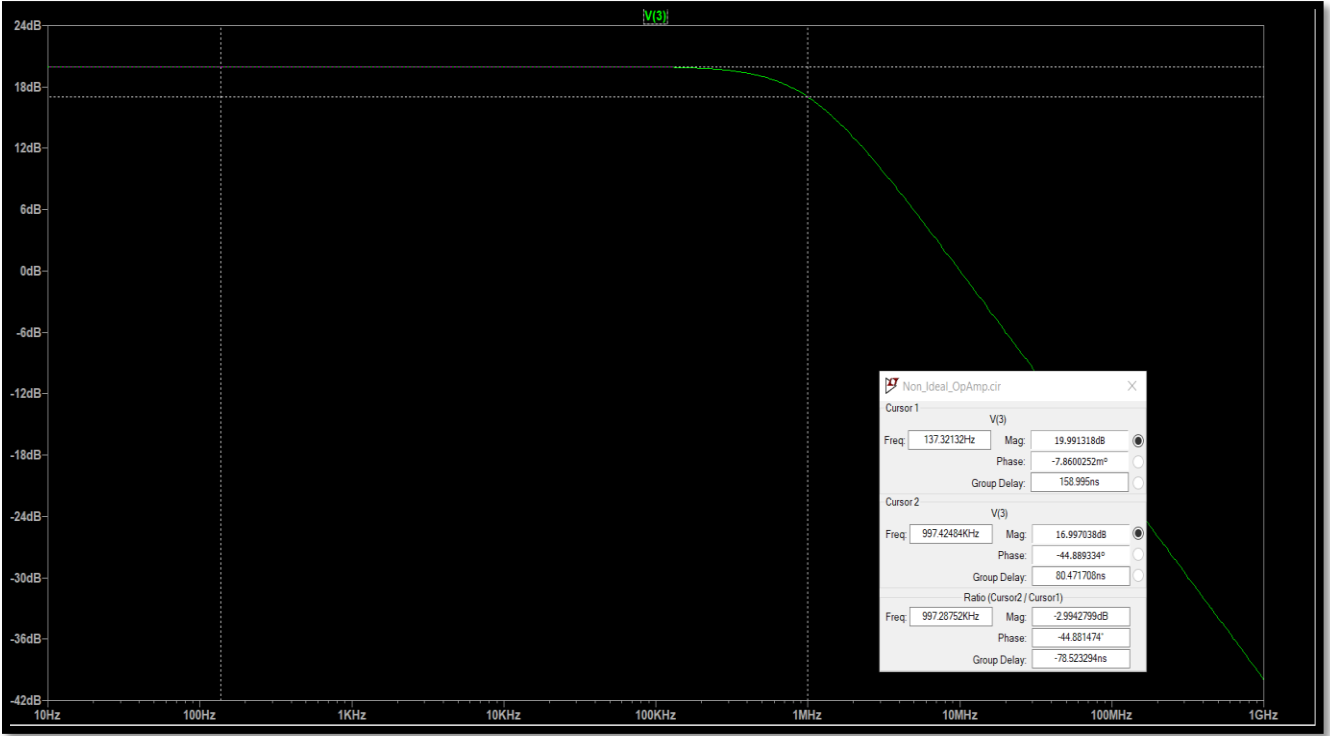
X_1 3 1 2 Non_Ideal_OpAmp ; Call the instance of the Subcircuit

.AC DEC 100 10 1G
.STEP PARAM RF LIST 4K 9K ; Parametric sweep on RF
.end
```

### Bode Plot Of $R_F = 9K$ & $R_F = 4K$ :

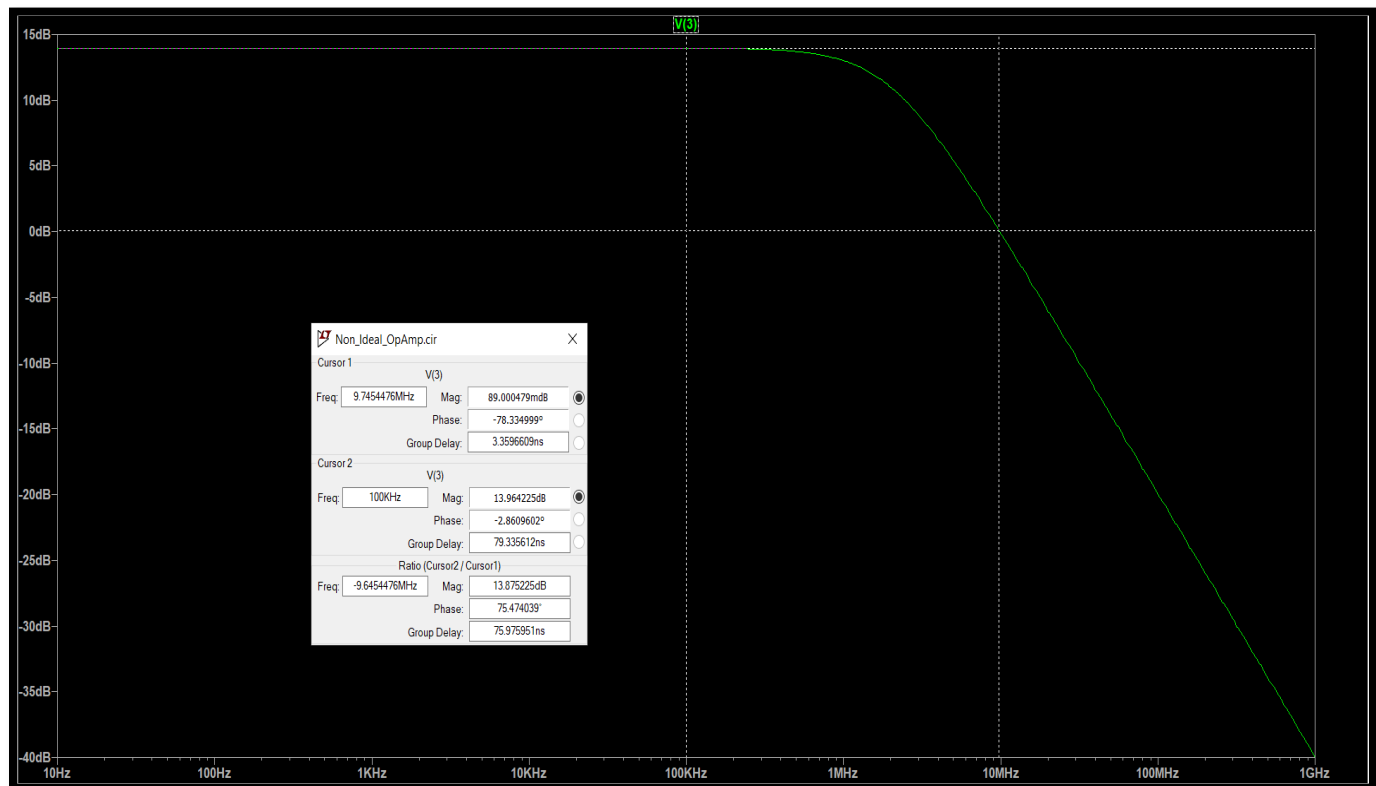
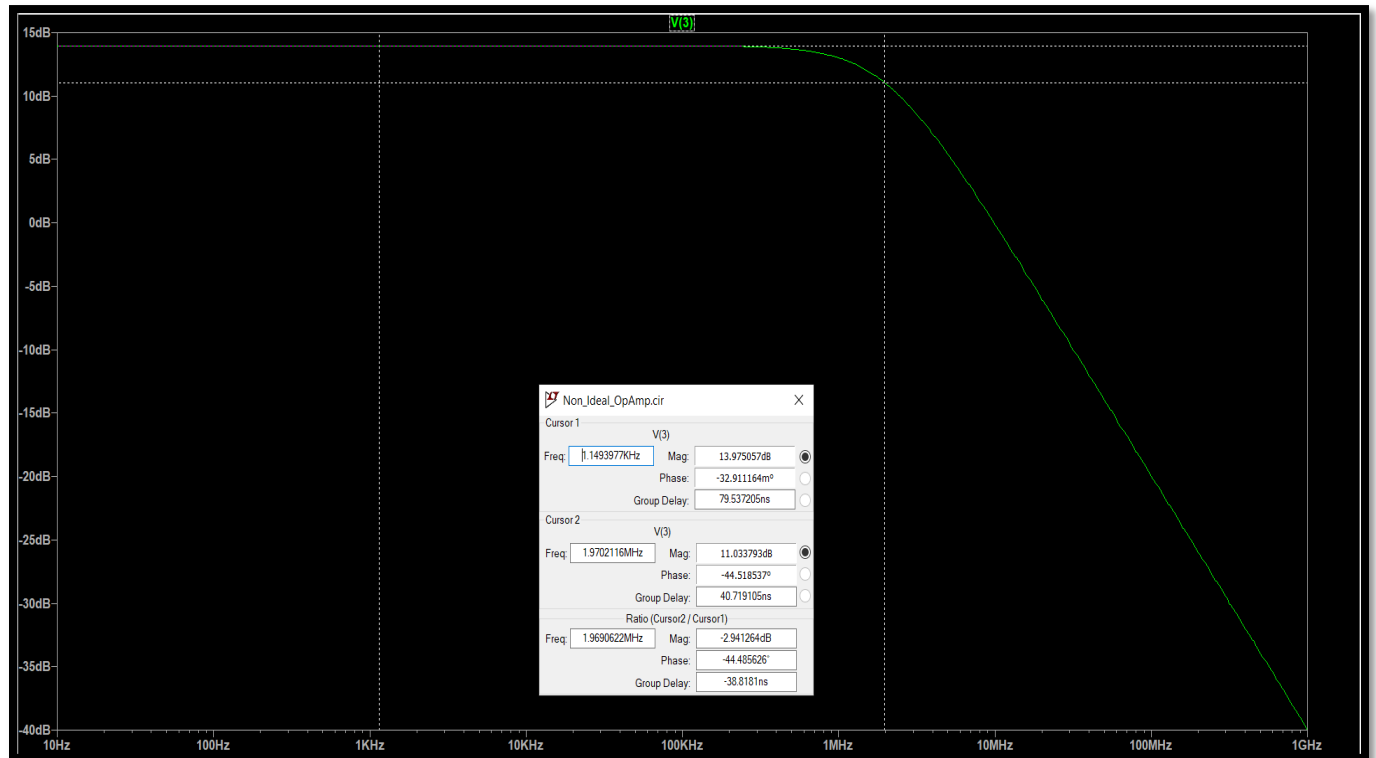


At RF = 9K:





At RF = 4K:



8) Comment if there will be a clipping in the output signal or not:

### Comment:

Because we use an op-amp sub circuit that represented by dependent current source and dependent voltage source, I don't expect that there will be a clipping when voltage exceeds a specific value, although if we write the sub circuit of op-amp as transistors circuits like 5T-OTA or Two Stage Miller OTA that operate with specific supply voltage we will expect to get clipping in the output signal because it will exceeds the rails of the output signal, but as I said we use simple model without transistors that operate by supply voltage, so no clipping will occur.

9) Compare between AC Analysis & Hand Analysis:

At RF = 9K:

Handwritten calculations:

- \*9) DC Gain = 10, From First step  $\therefore$  DC gain =  $20 \log(A_v)$
- \* 3dB high cutoff frequency is the BW of op-amp = 20 dB
- ~~so BW~~ but scaled by  $(1+LG)$ , as it's Feedback system
- so there is a BW extension by  $(1+LG)$   $\therefore$   $BW = (1+BA_{OL})BW_{OL}$
- $BW_{OL} = \frac{1}{2\pi R_{in} C_{in}} = 1 \text{ KHz}$   $\therefore$   $BW_{CL} \approx (0.1)(1 \times 10^4)(1 \times 10^3)^{CL} = 1 \text{ MHz}$
- \* GBW (UGF)  $\rightarrow$  same as  $GBW_{OL}$ , as BW extend by  $(1+LG)$  & Gain scaled by  $\frac{1}{1+LG} \Rightarrow GBW = 10 \text{ MHz}$

AC Analysis	Hand Analysis
DC Gain = 19.991 dB	DC Gain = 20 dB
BW = 997.4 KHz	BW = 1 MHz
GBW = UGF = 9.94 MHz	GBW = BW = 10 MHz

At  $R_F = 4K$ :

$$\text{* in case } R_F = 4K \quad B = \frac{1}{1+4} = \frac{1}{5} \quad A_v = \frac{1}{B} = 5$$

$$\text{* DC gain} = 20 \log(A_v) = 13.97 \approx 14 \text{ dB}$$

$$BW_{CL} = (1 + B_{OL}) BW_{OL} = \frac{1}{5} * 10^4 * 10^3 = 2 \text{ MHz}$$

$$GBW_{CL} = GBW_{OL} = 10 \text{ MHz}$$

<i>AC Analysis</i>	<i>Hand Analysis</i>
DC Gain = 13.975 dB	DC Gain = 13.97 dB
BW = 1.970 MHz	BW = 2 MHz
GBW = UGF = 9.74 MHz	GBW = BW = 10 MHz

Comment:

From the table we can deduce that hand analysis and simulation analysis are approximately the same with slight difference because of asymptotes approximation we do in hand analysis.