

START

\* 16 Langrange's

Interpolation

Input  $x, y, x_n - y_n$

\* 18 Inverse  
Interpolation

$n = \text{length}(x)$

Sum = 0

$p_r = 1$

$i = 1$

$j = 1$

while  $i \leq n$

while  $j \leq n$

if  
 $i_n = j$

$$p_r = p_r + \left( \frac{(x_n - x_{(j)})}{(x_{(i)} - x_{(j)})} \right) (y_j)$$

$j = j + 1$

$$\text{Sum} = \text{Sum} + (y_i) * p_r (x_i)$$

$i = i + 1$

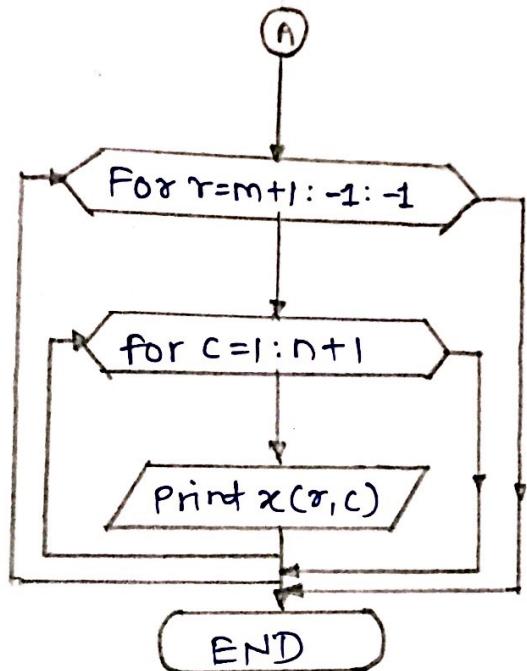
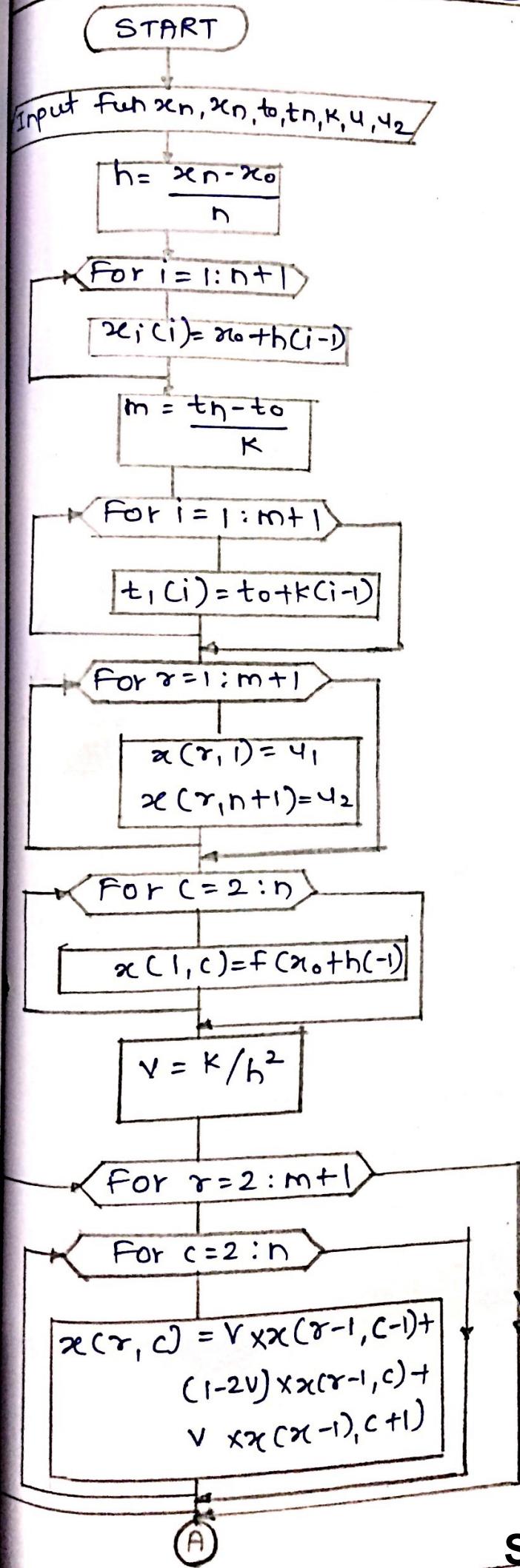
$j = 1$

$p_r = 1$

Print 'Sum'

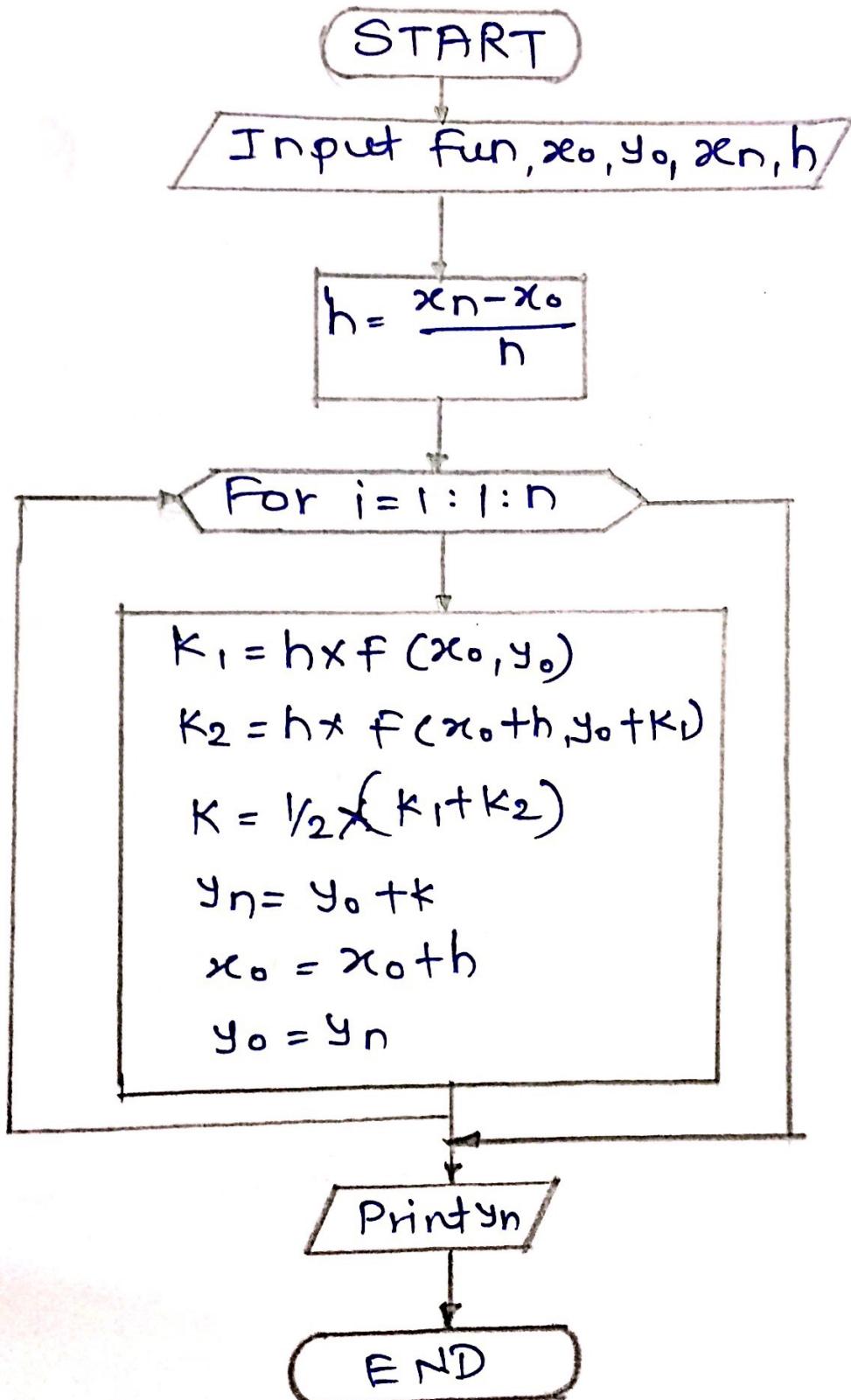
END

\*22 \* Parabolic Explicit Solution\*

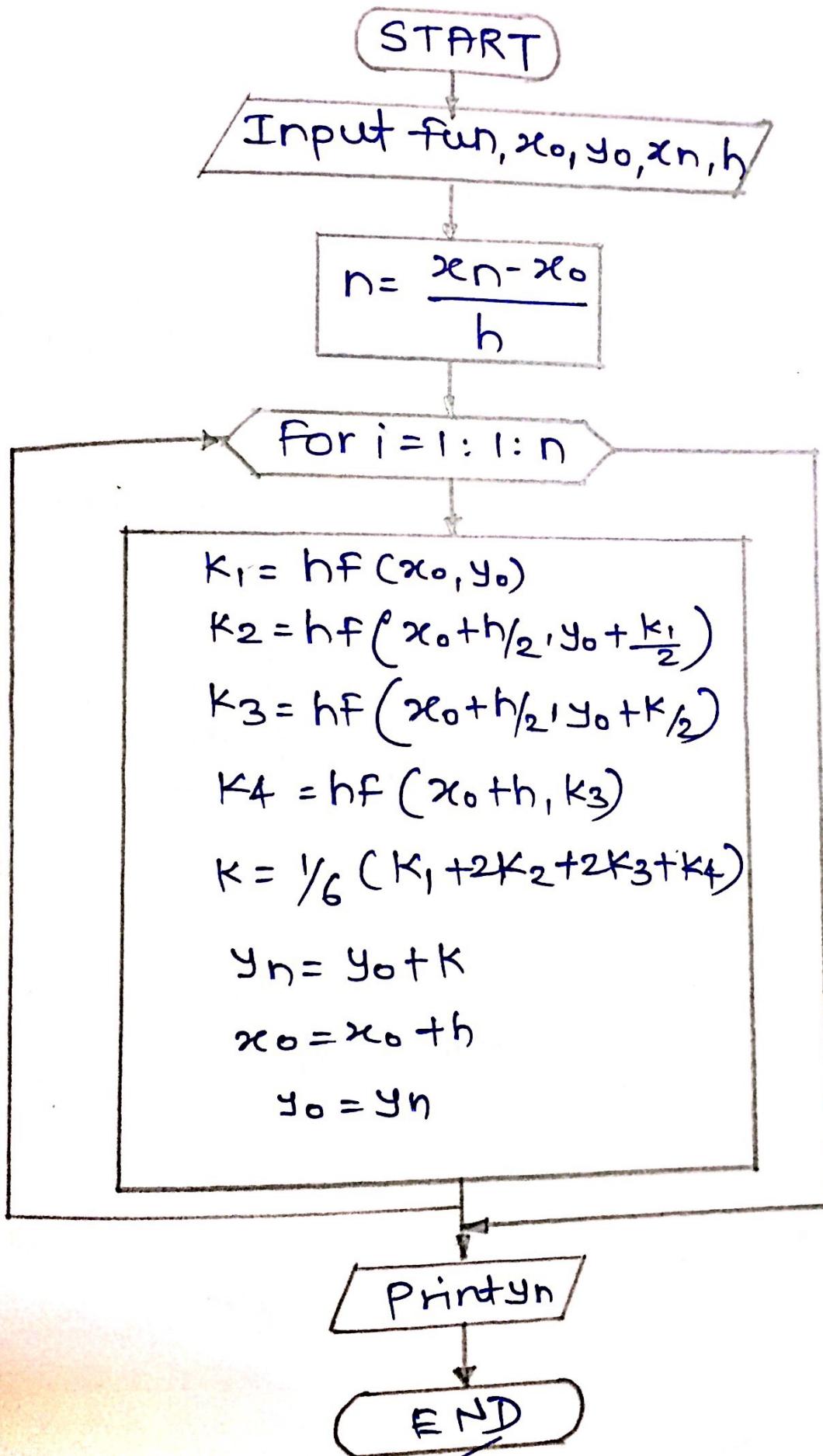


\*21

\*Simultaneous Eq<sup>n</sup> by \*  
\*Runge Kutta - 2<sup>nd</sup> order\*

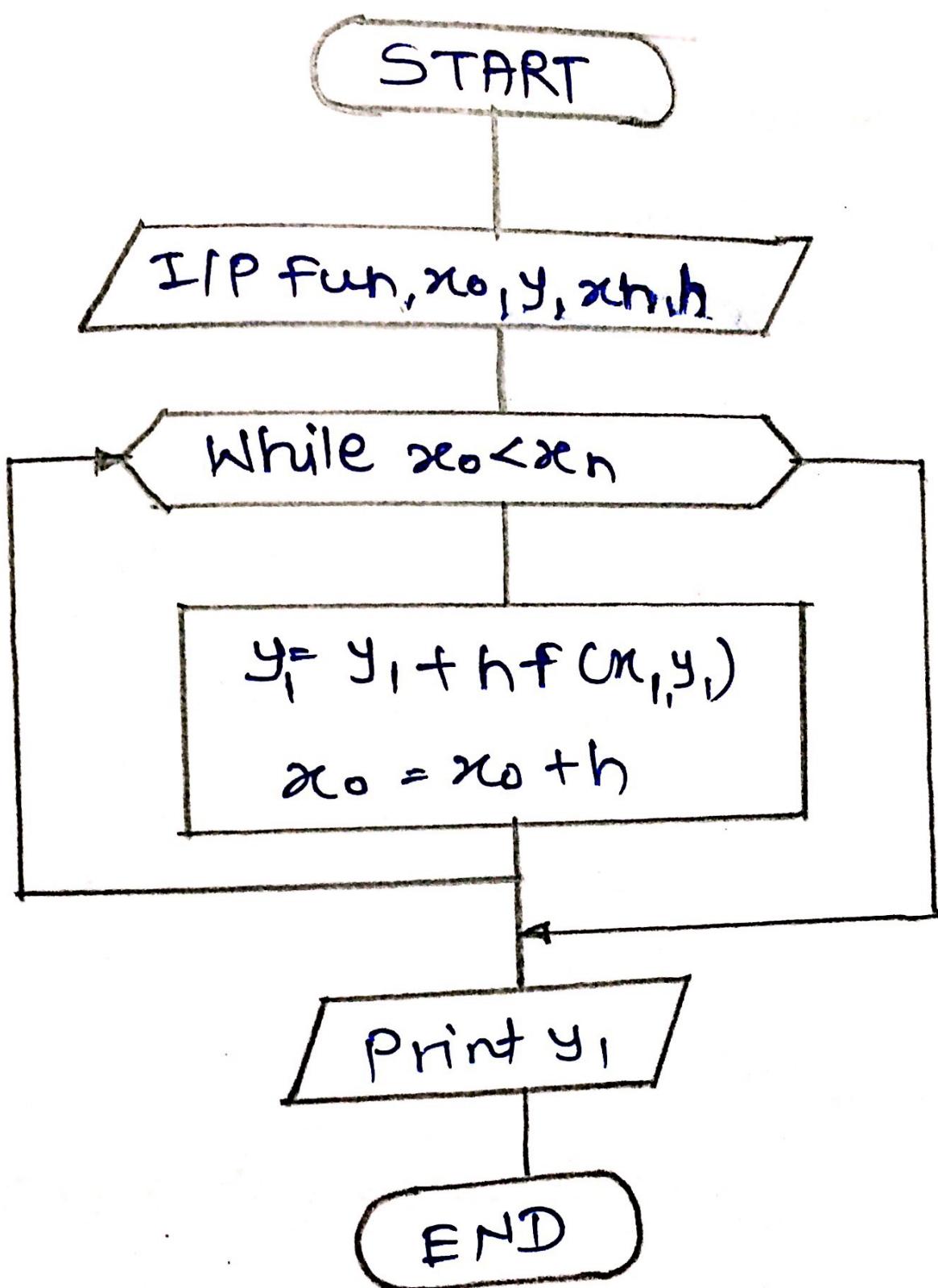


## \*20 \* Runge Kutta - 4th order \*

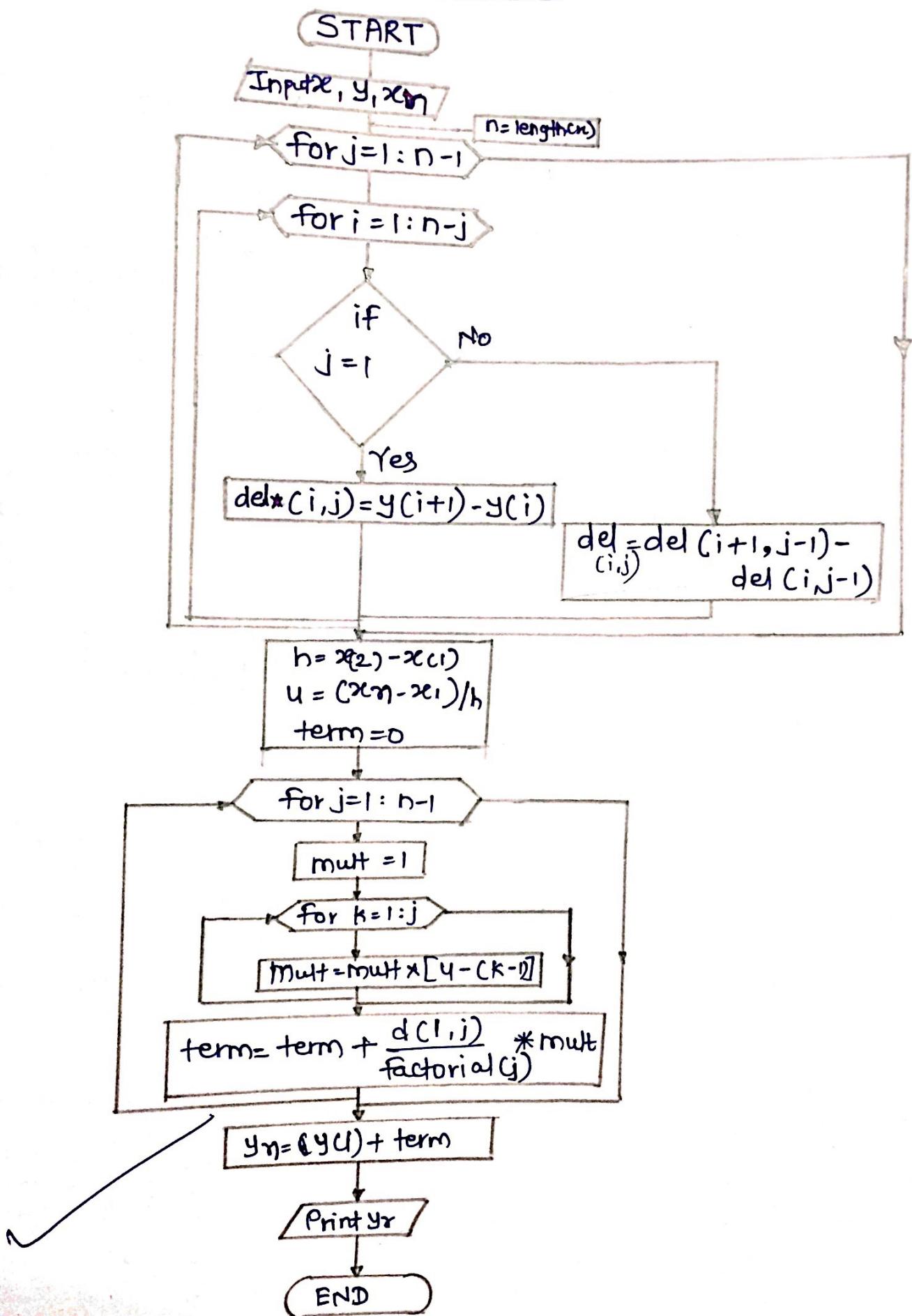


\*19 \*Euler

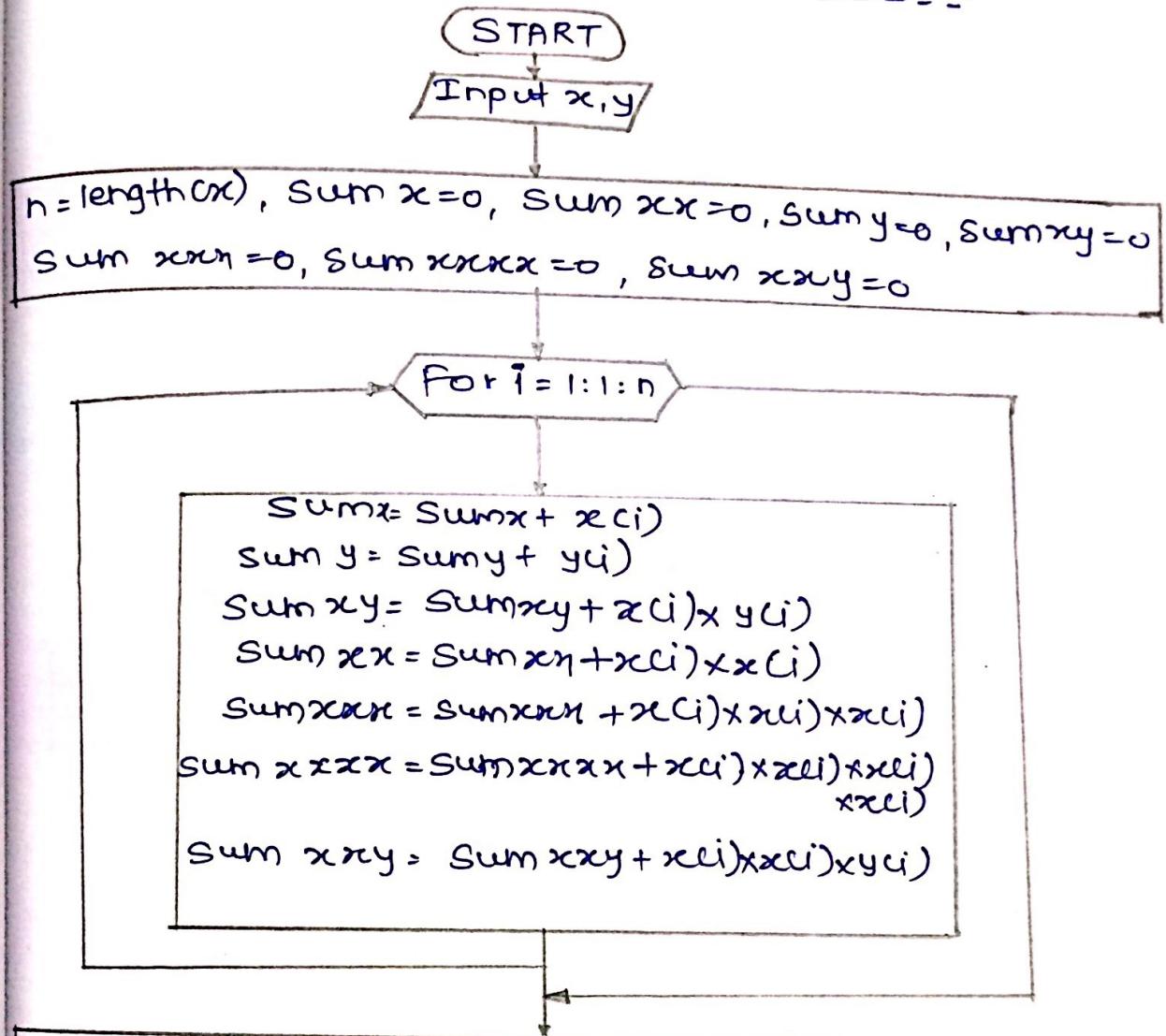
Method \*(Iterative)\*



\*!7 \* Newton's Forward Difference \*  
Interpolation



\*15\* Curve Fit for Quadratic Equation\*



Define Matrix

$$P = \begin{bmatrix} \text{sum } x \times x & \text{sum } x \times x & \text{sum } x \times x \\ \text{sum } x \times x & \text{sum } x \times x & \text{sum } x \times x \\ \text{sum } x \times x & \text{sum } x \times x & \text{sum } n \end{bmatrix}, Q = \begin{bmatrix} \text{sum } x \times y \\ \text{sum } y \\ \text{sum } y \end{bmatrix}$$

$\checkmark$

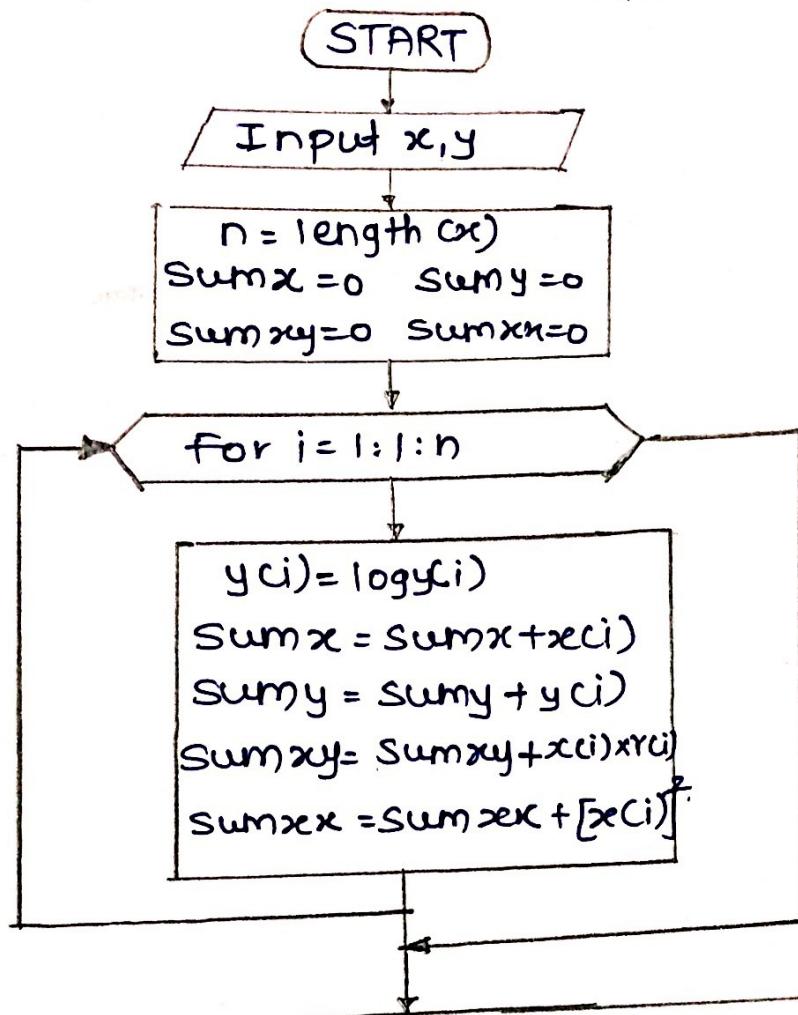
$$\begin{aligned} S &= P/Q \\ A &= S(1), a = A \\ B &= S(2), b = B \\ C &= S(3), c = C \end{aligned}$$

Print  $y = ax^2 + bx + c$

Plot x,y

END

\*14 \* Curve Fit for Exponential Function\*



Define

$$dA = \begin{bmatrix} \text{sumxy} & \text{sumx} \\ \text{sumy} & n \end{bmatrix}, dB = \begin{bmatrix} \text{sumx2} & \text{sumxy} \\ \text{sumx} & \text{sumy} \end{bmatrix}, dS = \begin{bmatrix} \text{sumx} & \text{sumy} \\ \text{sumx} & n \end{bmatrix}$$

✓

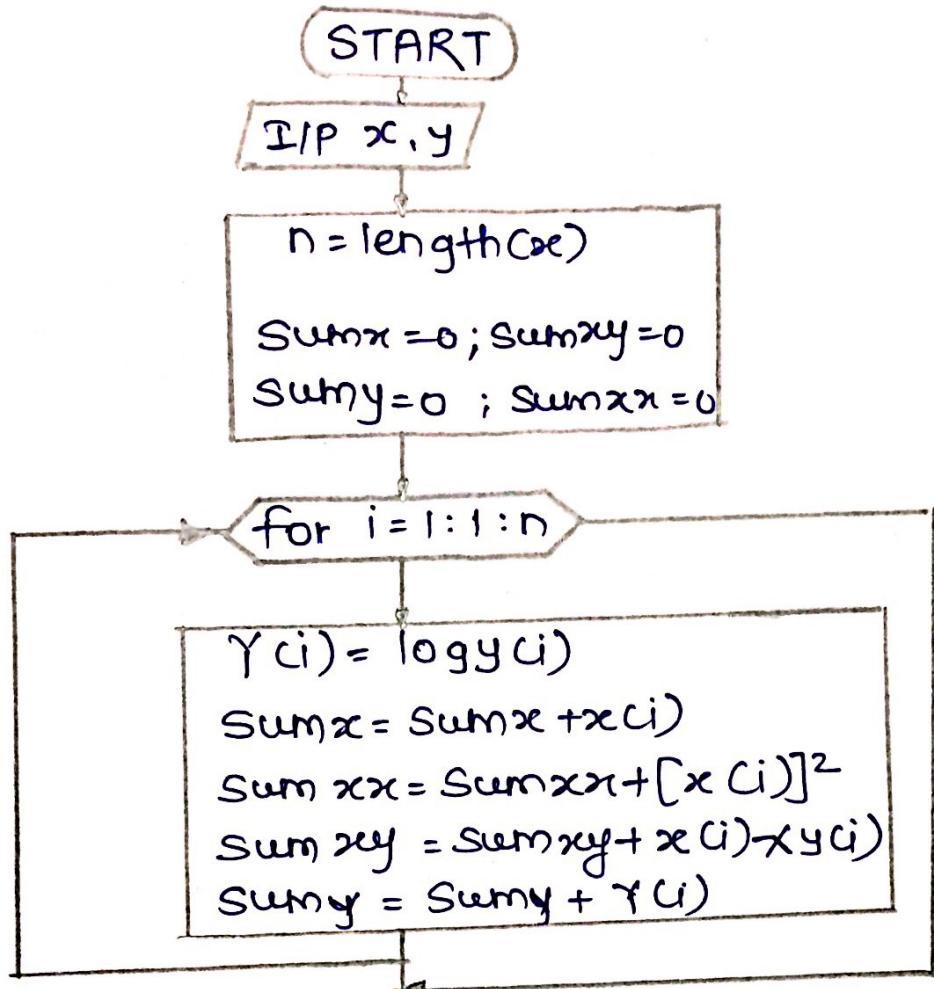
$$\begin{aligned} A &= \det(dA) / \det(dS) \\ B &= \det(dB) / \det(dS) \\ a &= \exp(CB), b = A \end{aligned}$$

Print  $y = ae^{bx}$

Plot(x, y)

END

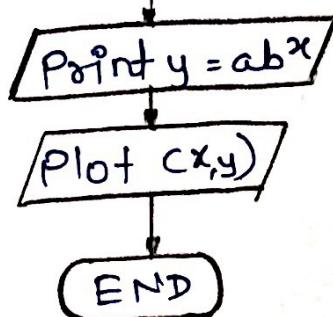
# \*13 \*Curve Fit for Power Equation\*



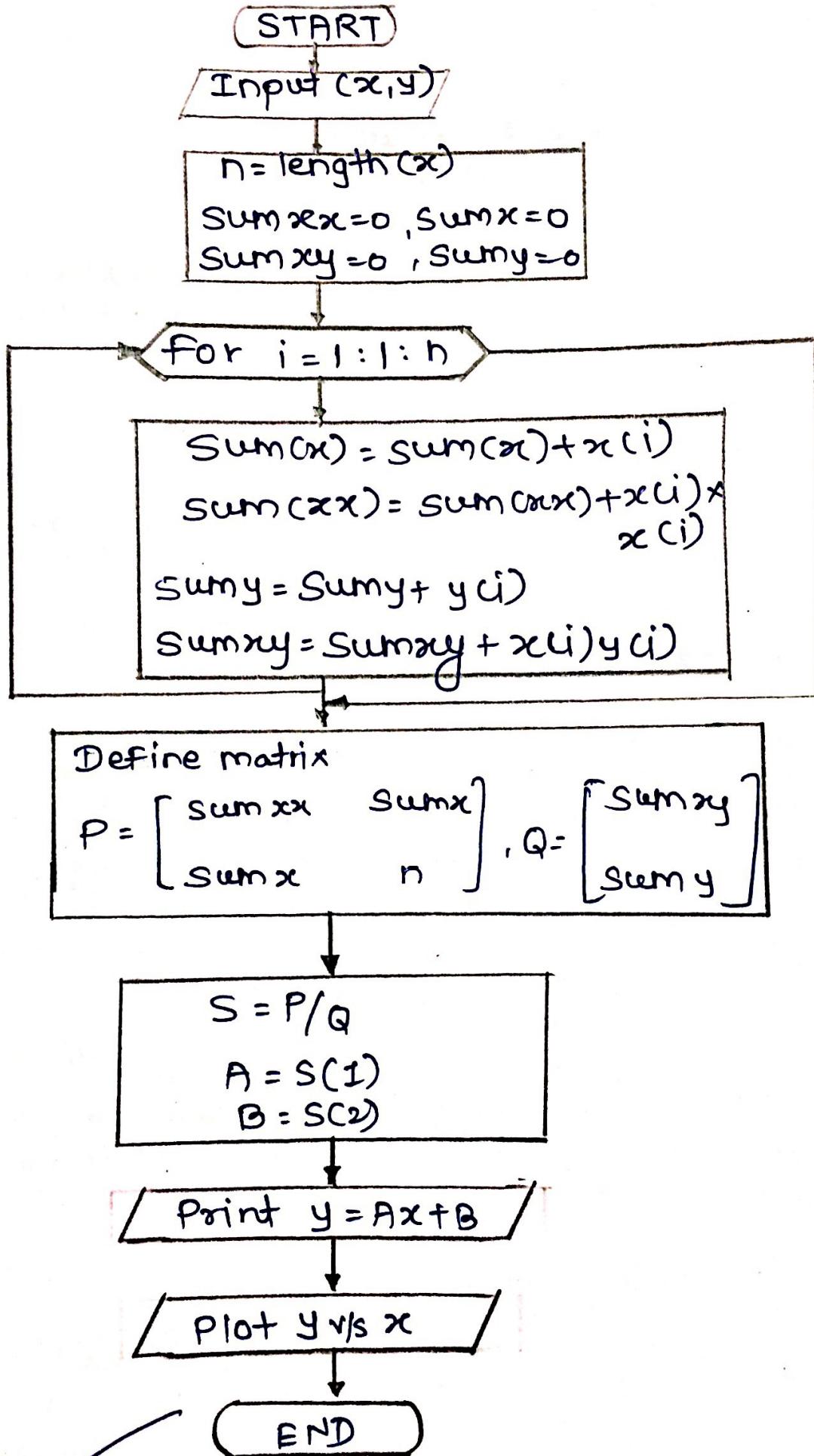
Define Matrix

$$dA = \begin{bmatrix} sumxy & sumx \\ sumy & n \end{bmatrix}, dB = \begin{bmatrix} sumxx & sumxy \\ sumx & sumy \end{bmatrix}, ds = \begin{bmatrix} sumxx & sumx \\ sumx & n \end{bmatrix}$$

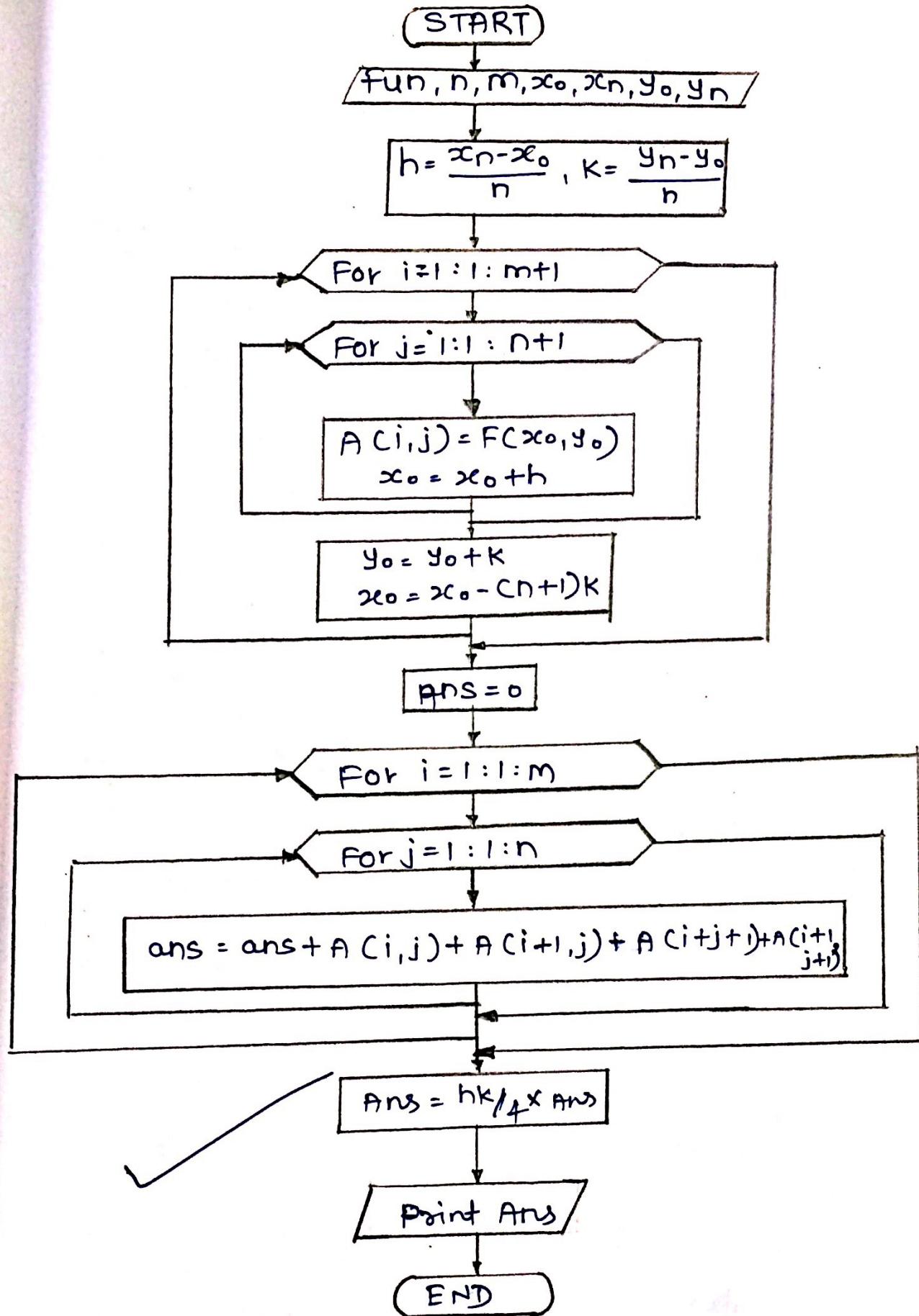
$$\begin{aligned} A &= \det(dA)/\det(ds) \\ B &= \det(dB)/\det(ds) \\ a &= \exp(B) \\ b &= \exp(A) \end{aligned}$$



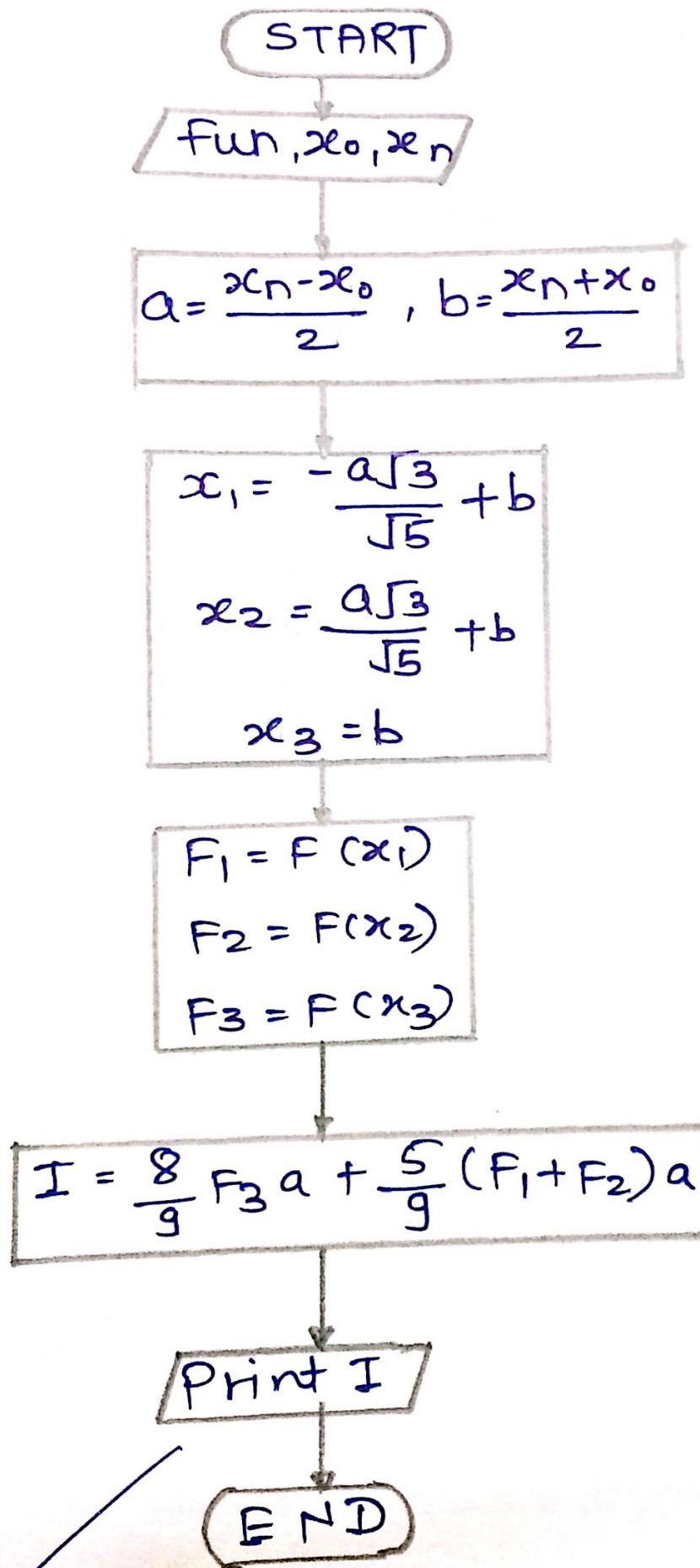
## \*1.2\* Straight Line Curve Fitting



\*11 \*Double Integration By Trapezoidal Rule\*

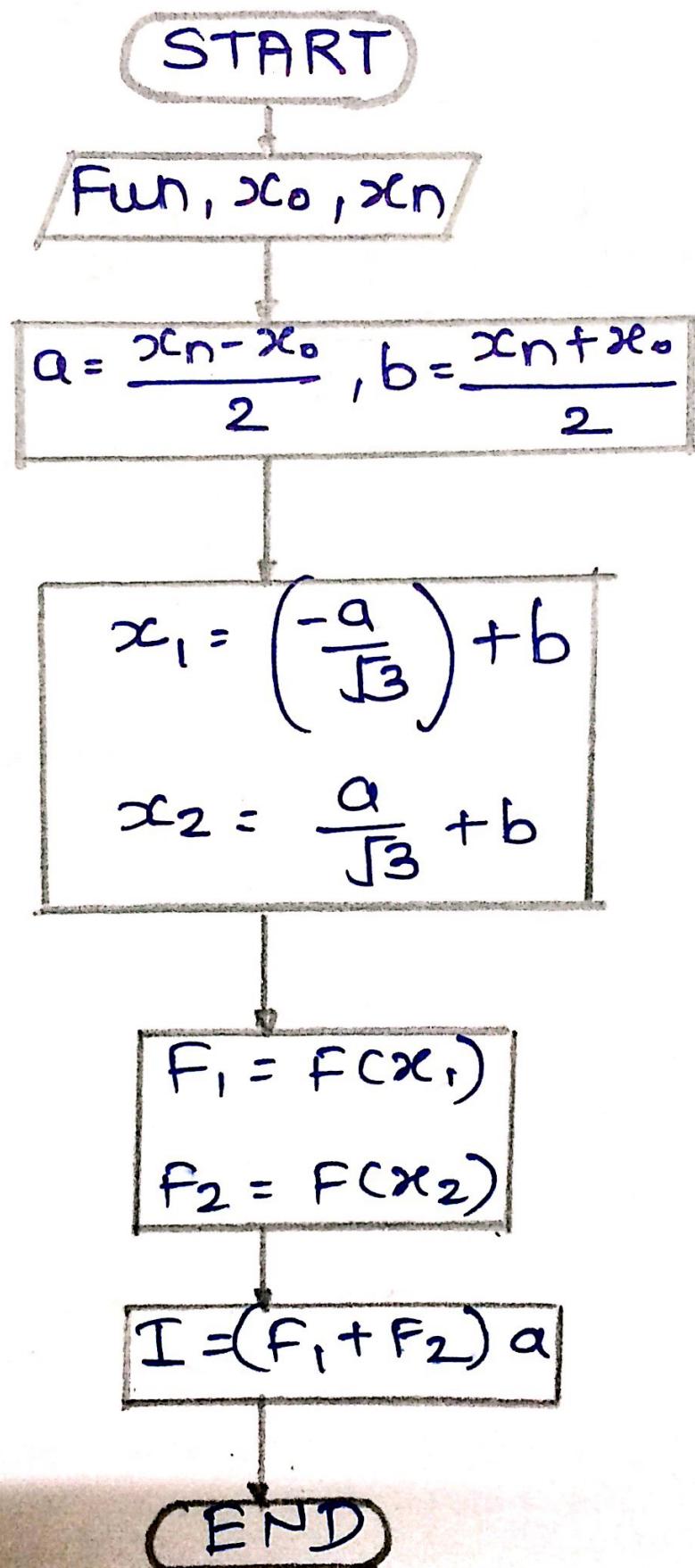


\* 10\* Gauss Quadrature method\*.  
\*[II]\* Gauss 3-point Method\*



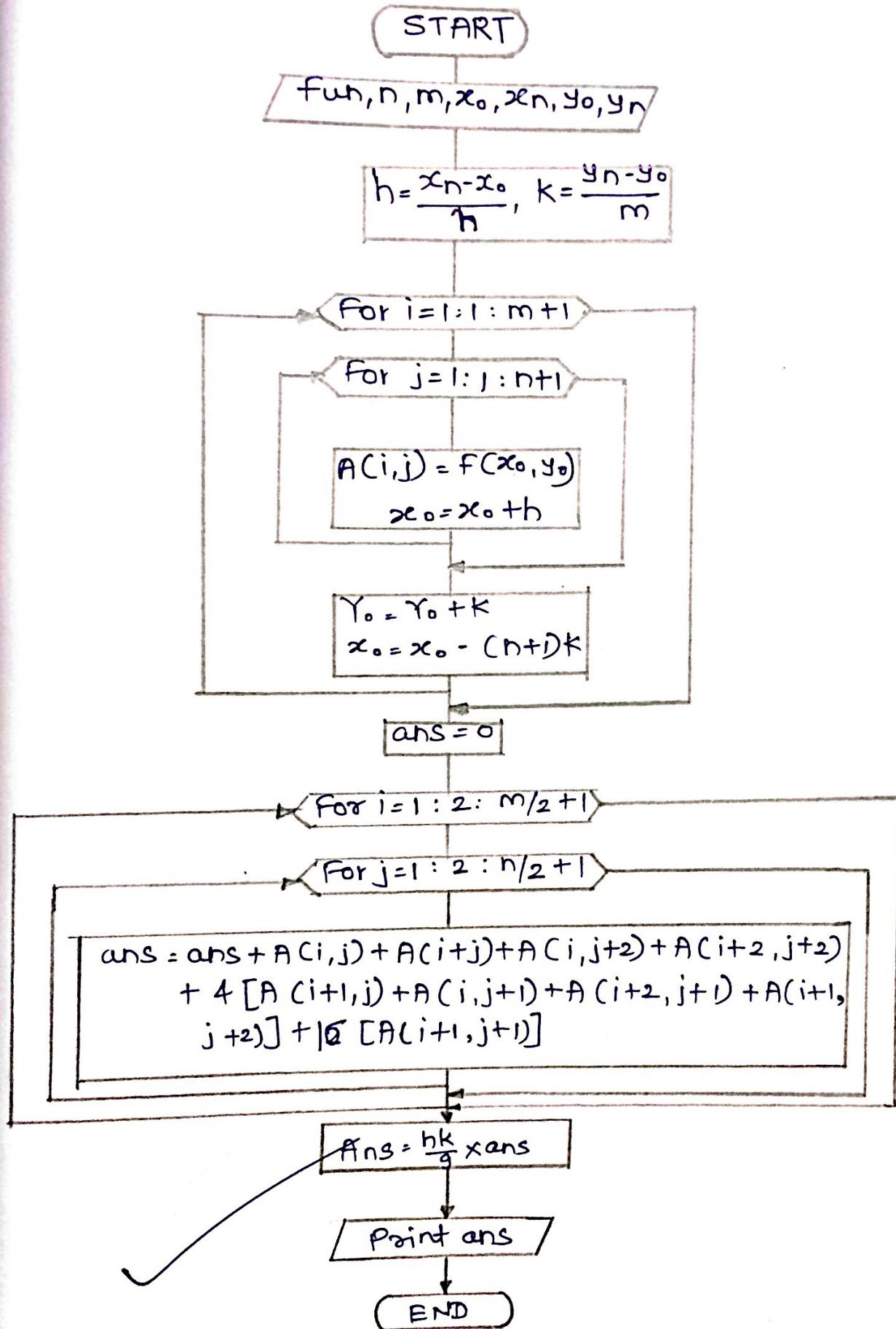
\*10\* Gauss Quadrature Method \*

\* [I] \* Gauss 2-point Method \*



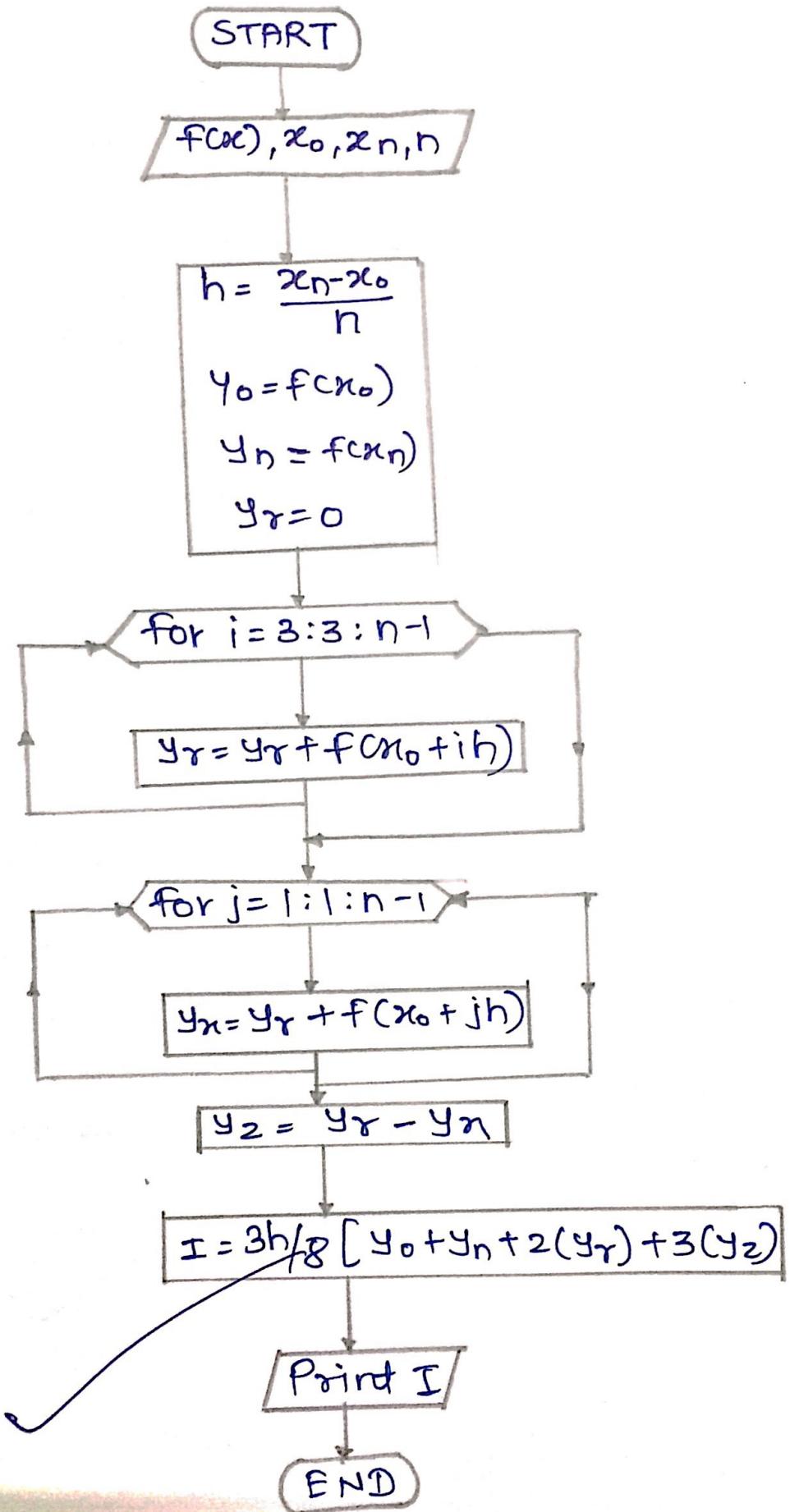
\*9. Simpson's Rule\*

\*III\* Double Integration for Simpson Rule\*



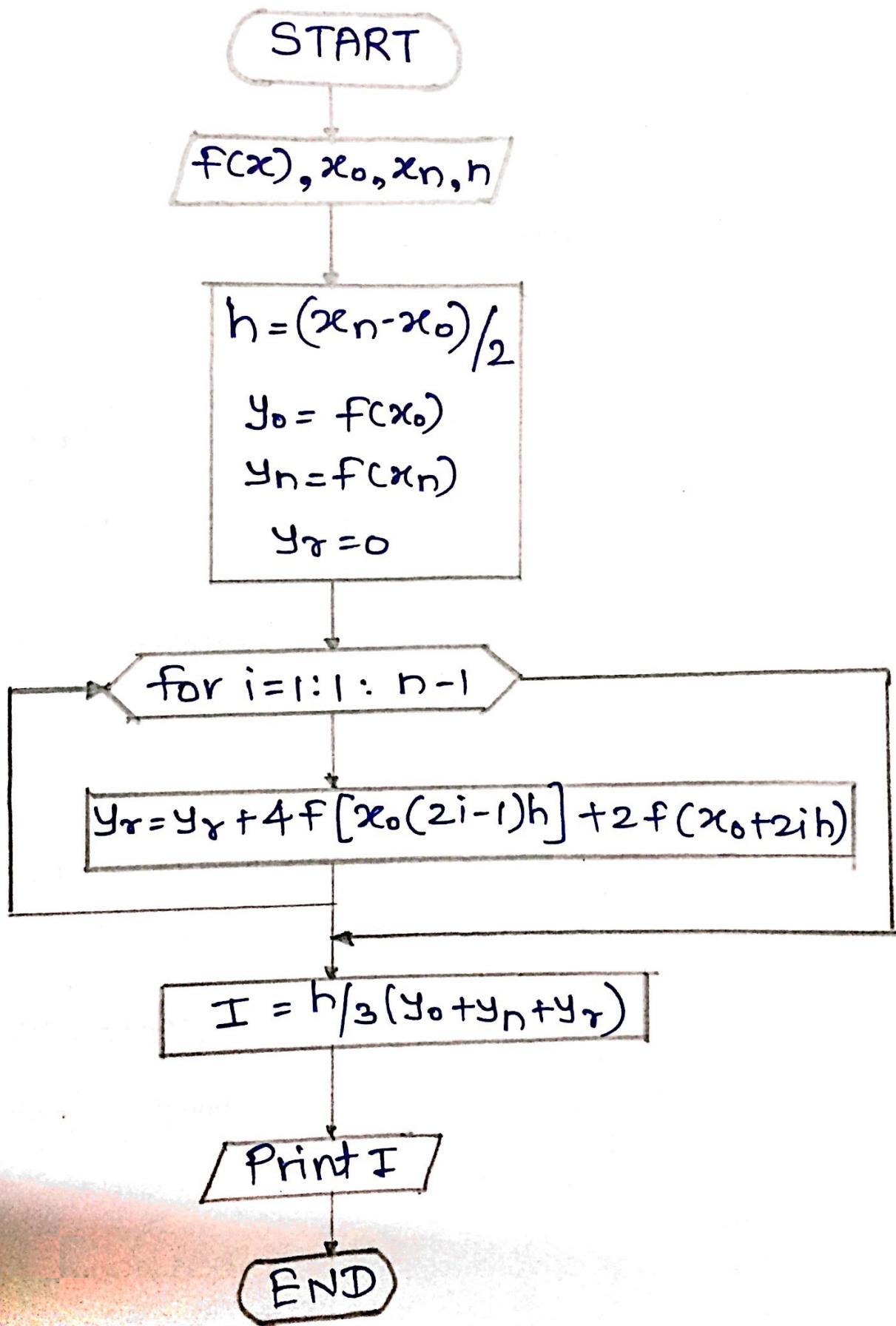
\* 9 \* Simpson's Rule \*

\* [II] \* Simpson's 3/8th Rule \*

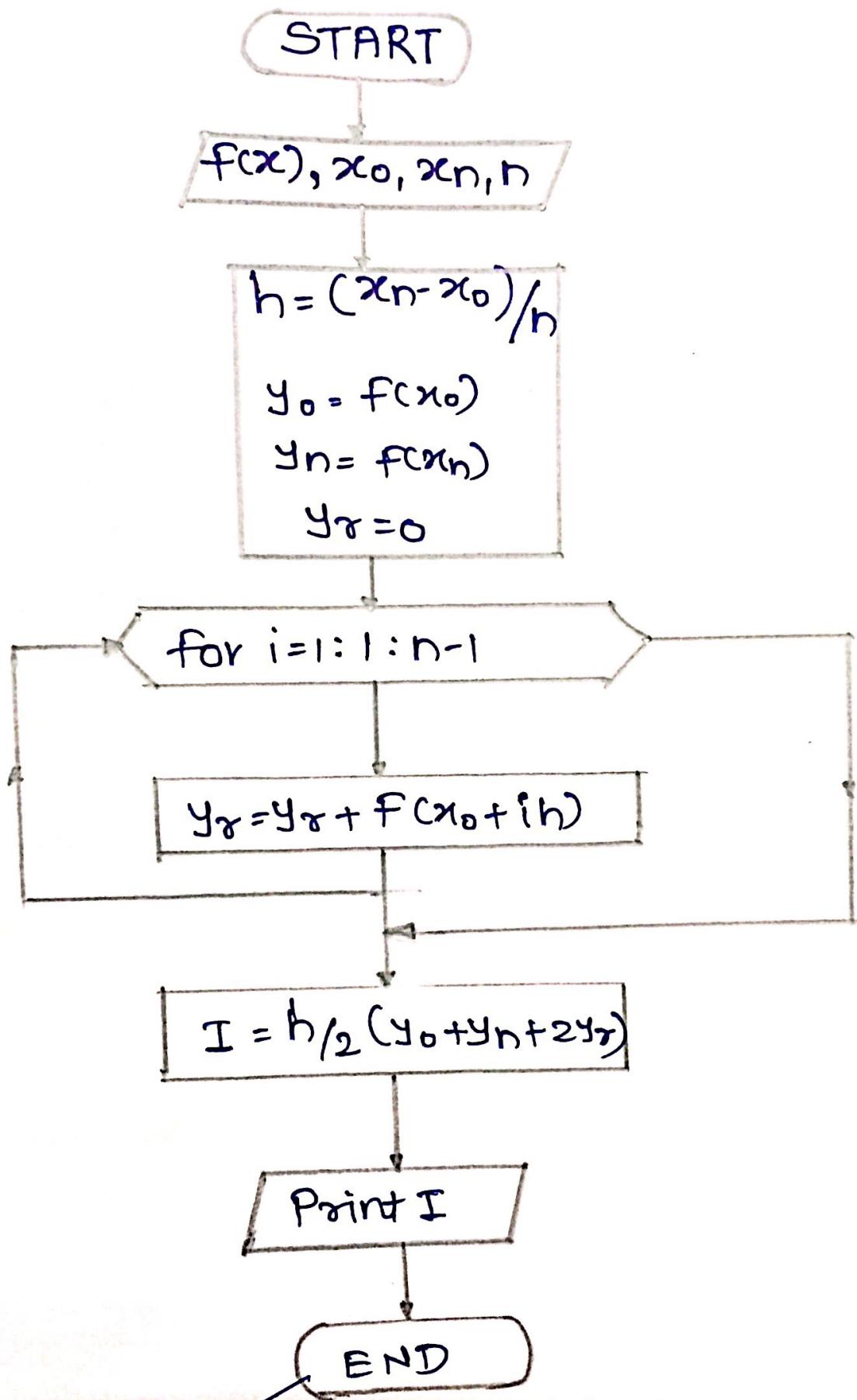


\*9\* Simpson's Rule \*

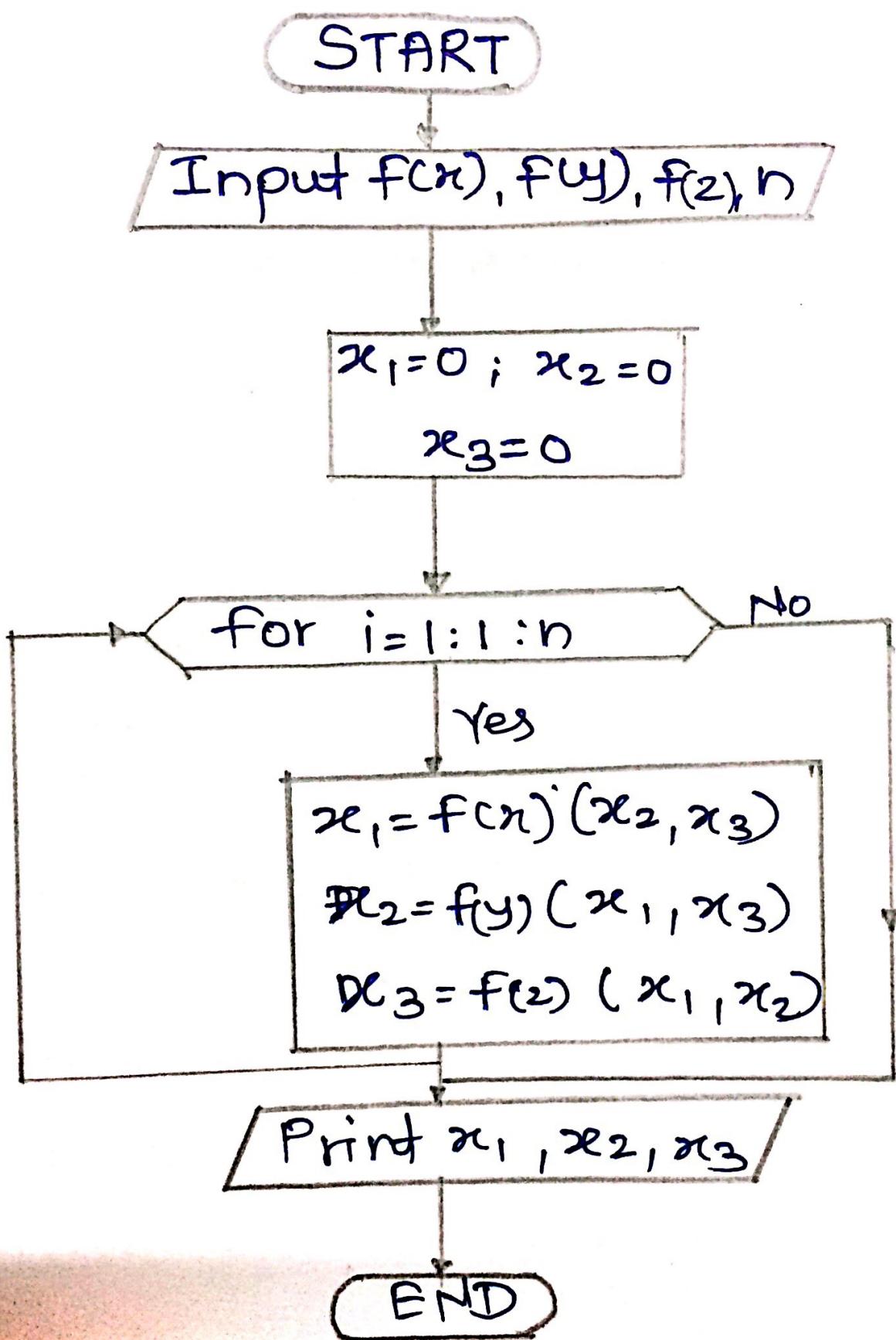
\*[I]\* Simpson's  $\frac{1}{3}$ rd Rule\*



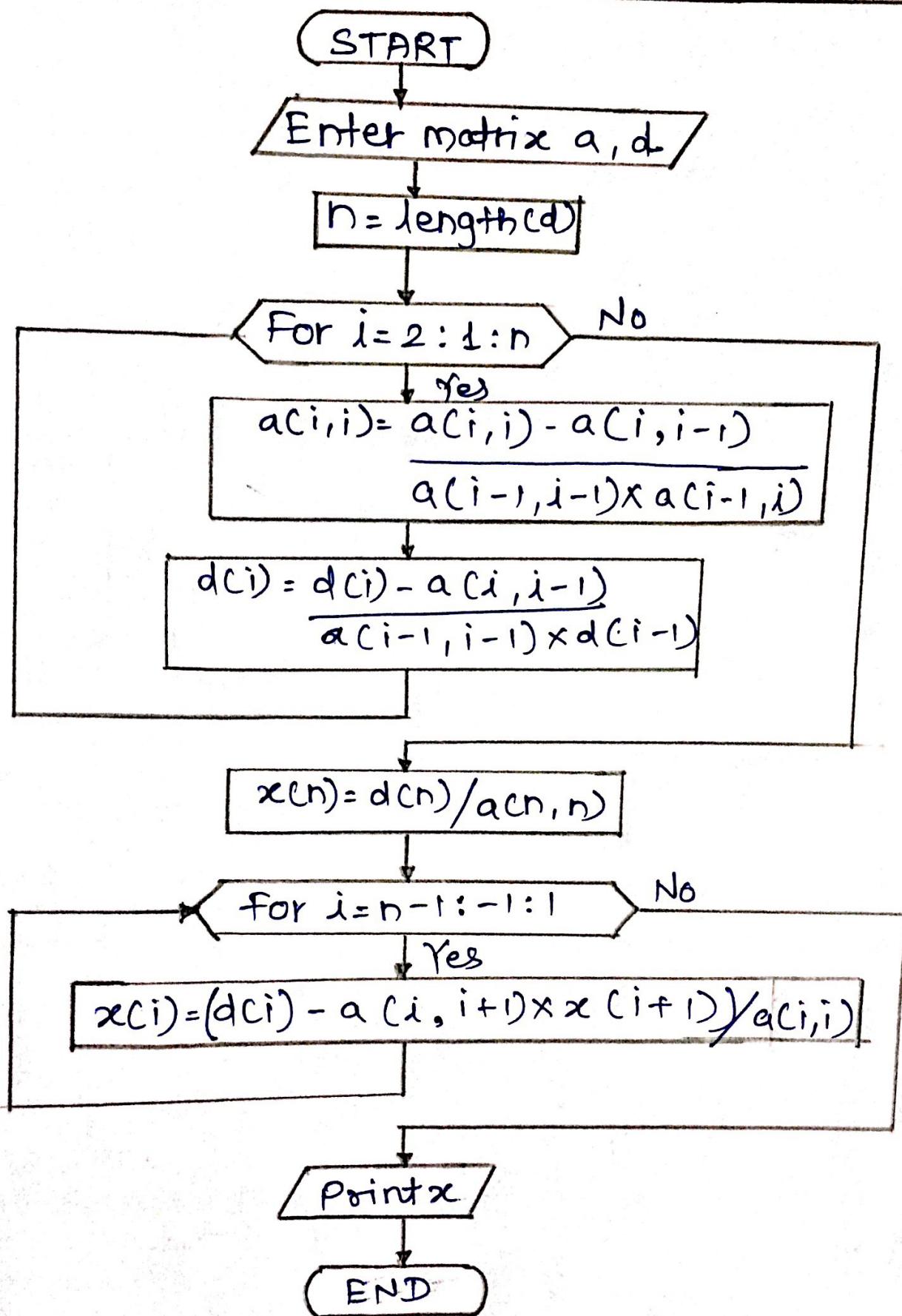
## \*8\* Trapezoidal Rule\*



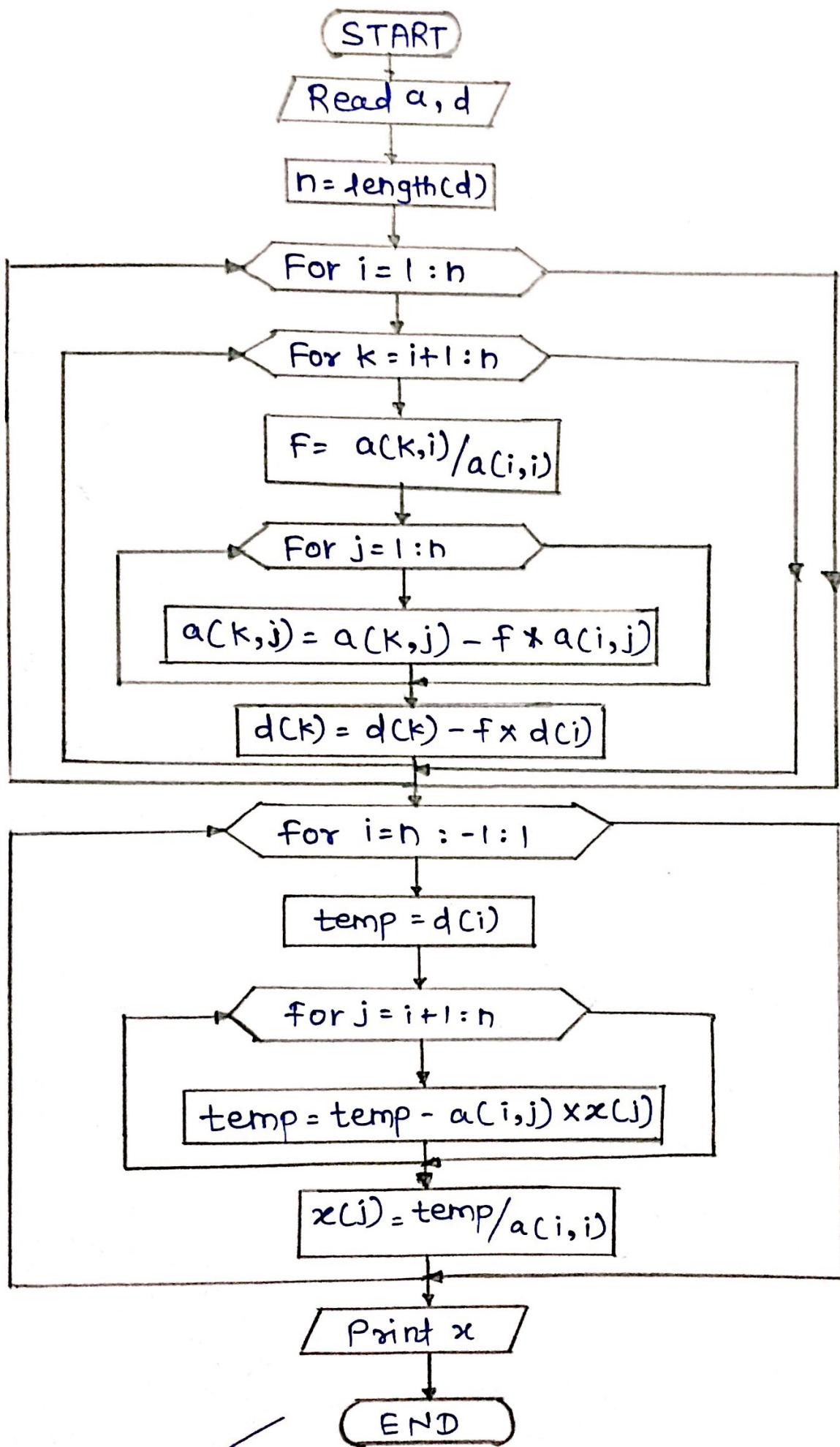
# \*7\* Gauss Seidal Method\*



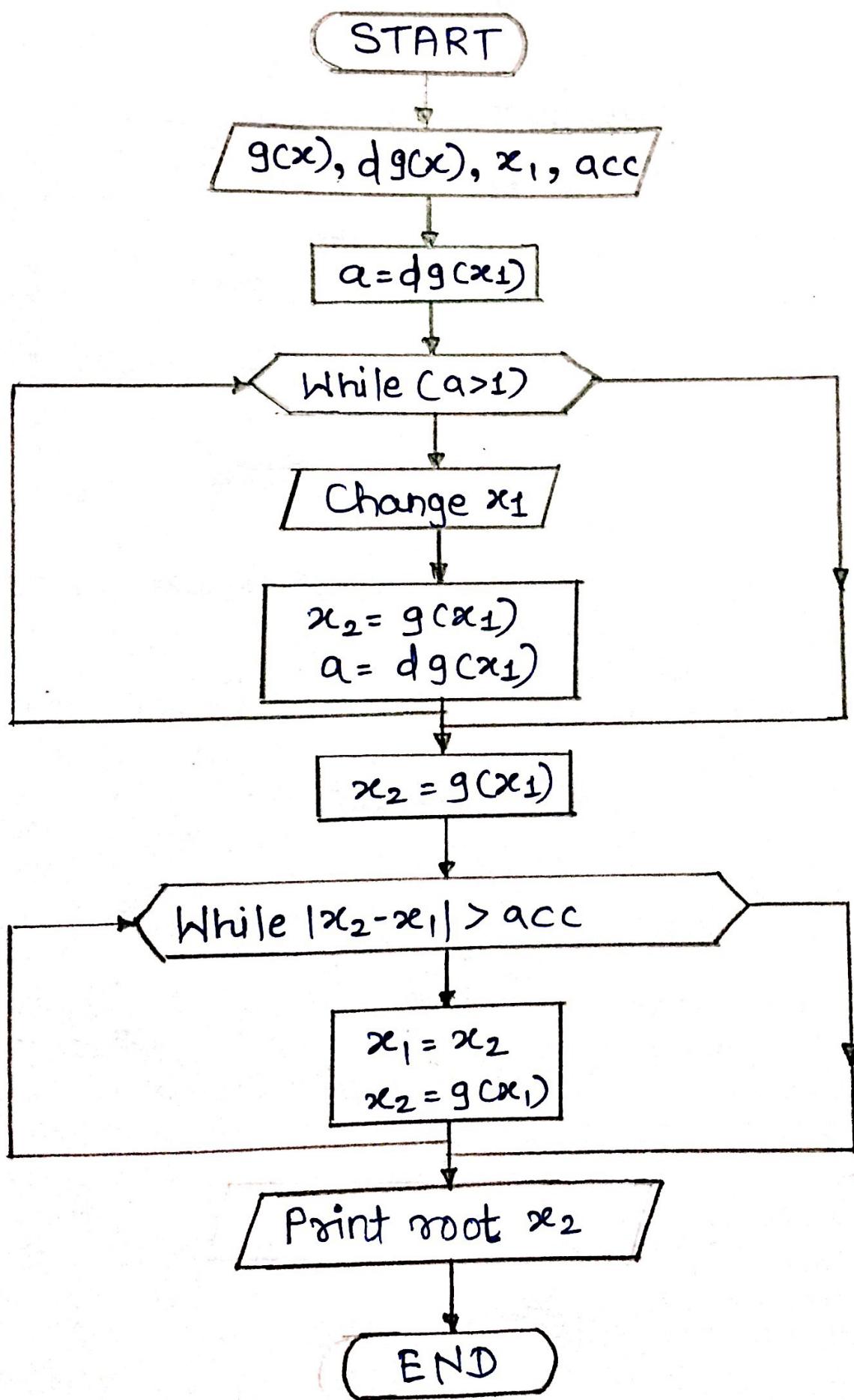
## \* 6.\* Thomas Algorithm Method \*



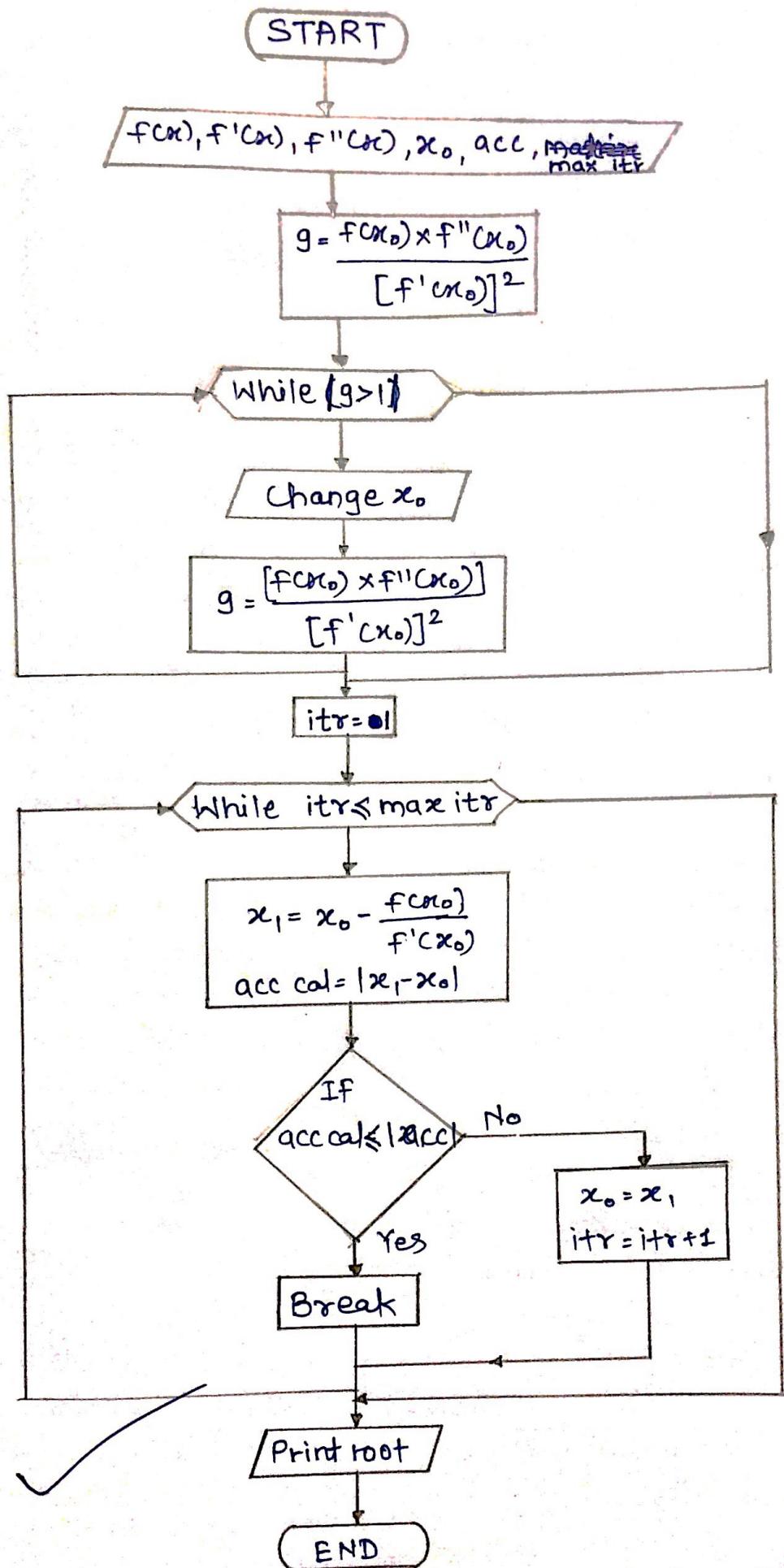
## \*5. Gauss Elimination Method \*



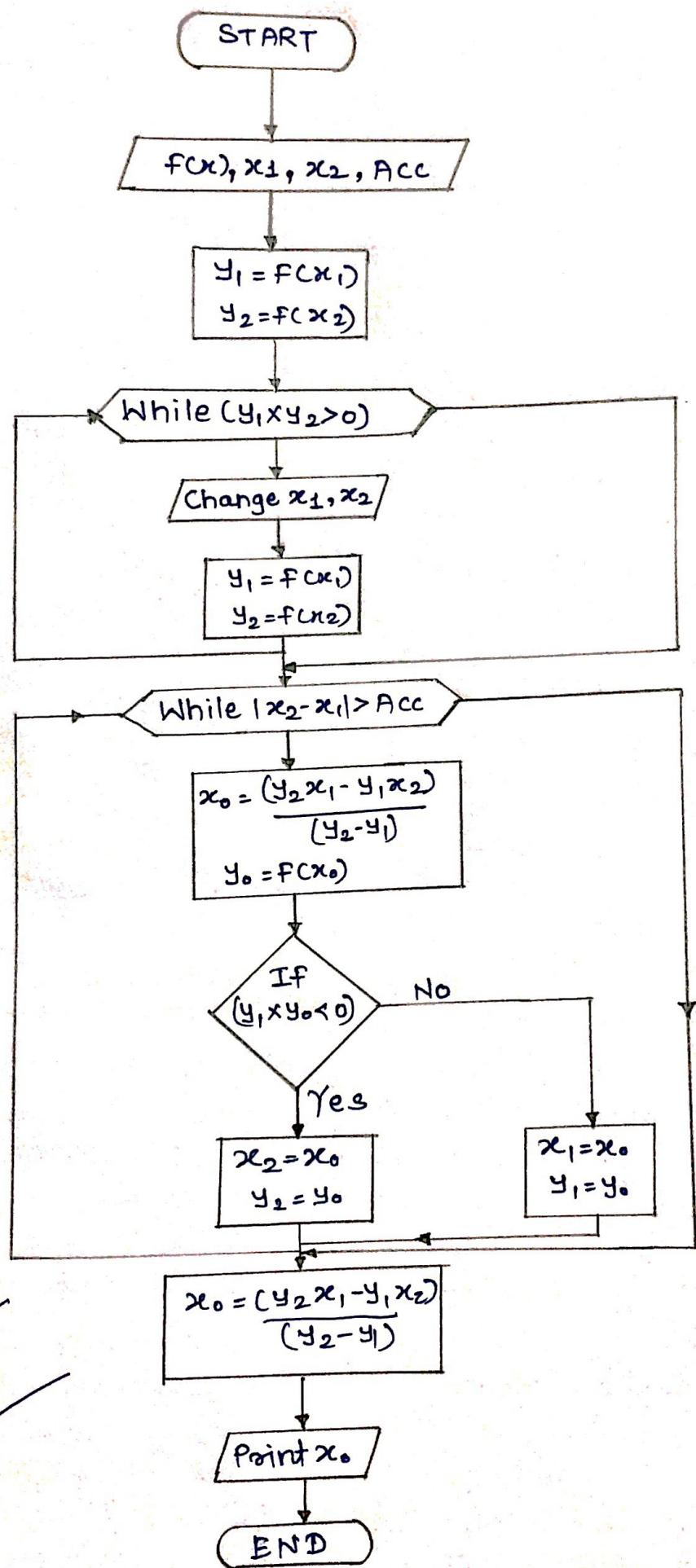
#### \*4. Successive Approximation Method\*



### \*3. Newton Raphson Method\*



\* 2. Regular False Position Method \*



\* 1. Bisection Method \*

