

١٤٤٥ جمادى الاول ١٤  
١٤ هـ تور ١٧٤٠

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Chi-square test is a statistical procedure for determining the difference between observed and expected data, in other words, it compares obtained results with those expected theoretically on some hypothesis. thus, it is a measure of the actual divergence of observed and expected frequencies.

Example : Handedness and nationality		
	Right-handed	left handed
American	236	19
Canadian	157	16

A Chi-square test (test of independence) can test whether these observed frequencies are significantly different from the frequencies expected if handedness is unrelated to nationality.

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Example 2: Bird species at a bird feeder

Frequency of visits by bird species at a bird feeder  
during 24-hour period

Bird Species	Frequency
House Sparrow	15
House Finch	12
Black-Capped Chickadee	9
Common Grackle	8
European Starling	8
Mourning Dove	6

A Chi-square (goodness of fit) test can test whether these observed frequencies are significantly different from what was expected, such

as equal frequencies.

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## Applications of Chi Square test

- ① chi-square test when expectations are based on normal distribution
- ② testing the divergence of observed results from expected results when our expectations are based on the hypothesis of equal probability.
- ③ chi-square test when our expectations are based on predetermined results.
- ④ chi square test of independence in contingency tables.

## Uses of Chi-Square test in Data Science

- ① chi-square test is used for feature Selection, one common problem related to feature selection determines how relevant the input features are to the predictive output, this test can be used to understand how the output variable depends on the input variable

chi-square test

التجزئية

test of Goodness of fit

test of independence

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2) Degree of freedom is the maximum number of logically independent values, which may vary in data sample , Degrees of freedom are calculated by subtracting one from the number of items within the data sample .  
if we have a data sample consisting of 5 positive integers , the values of the five integers must have an average of six . if 4 items within the data set are { 3, 8, 5 and 4 } , the fifth number must be 10 . Because the first four numbers can be chosen at random , the degree of freedom is four .

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1 (3) T-Distribution is heavily used in the world  
2 of statistics, in particular, where the sample size  
3 is small and the population standard deviation is  
4 or  
5 unknown, it's an approximation of normal distribution

6 F-Distribution is a continuous statistical distribution  
7 which arises in the testing of whether two observed  
8 samples have the same variance.

9 the F-distribution can be regarded as the equivalent  
10 extension of the t-distribution when there is more  
11 than one variable but small sample sizes.

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In Data Science, we can use  $t$ -distribution for

① finding the critical values for a confident

interval when the data is approximately normally distributed.

② finding the corresponding p-value from a statistical

test that uses the  $t$ -distribution (t-test, regression analysis)

$F$ -distribution is used for

① hypothesis testing, to compare data from two

or more populations

② Analysis of variance (ANOVA)

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- 4) Probability Distribution is the mathematical function that gives the probabilities of occurrence of different possible outcomes for an experiment. It is often depicted using graphs or probability tables.

5) There are two types of probability distribution:

① Discrete probability distribution: it is a probability distribution of a categorical or discrete variable.

Common types of Discrete probability distribution:

Binomial → describes variables with two possible outcomes.

Discrete uniform → Describes events that have equal probabilities.

Poisson → Describes count data, it gives

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the probability of an event happening k number of times within a given interval of time or space.

② Continuous probability distributions is the probability distribution of a common variable.

Common types :

Normal distribution, Describes data with variables that becomes less probable the farther they are from the mean with a bell-shaped probability density function.

Continuous uniform, Describes data for which equal-sized intervals have equal probability.

Log-normal , and Exponential

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problem 2:-

From 10 am to 11:30 am, length of interval  
= 1.5

$\Rightarrow X \sim \text{Poisson } (\lambda = 1.5 * 10 = 15)$

$\therefore P(10 \leq X \leq 15) \Rightarrow$  where  $X$  is a Poisson random variable

$\therefore P(10 \leq X \leq 15) = \sum_{k=11}^{15} P_X(k)$

$$= \sum_{k=11}^{15} \frac{e^{-15} 15^k}{k!}$$

$$= e^{-15} \left[ \frac{15^{11}}{11!} + \frac{15^{12}}{12!} + \frac{15^{13}}{13!} + \frac{15^{14}}{14!} + \frac{15^{15}}{15!} \right]$$

$$= 0.4498$$

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MCQ

1

2 (4) 15, 11, 9, 5, 18, 4, 15, 13, 7

3  
4 mean =  $\frac{15+11+9+5+18+4+15+13+7}{9} =$

5

6  
7 Sorting: ~~5, 4, 5, 9, 9, 4, 5, 9, 11, 13, 15, 15, 17, 18~~

8  
9  $\leftarrow 4, 5, 7, 9, \sqrt{11}, 13, 15, 15, 15, 18$

10

11 median = 15

12 mode = 15

13  $\sqrt{11}$

14 answer  $\Rightarrow$  13, 15

15

16

17 (5) True  $\rightarrow x$  is the value repeated the maximum number of times  $\Rightarrow$  mode

18

19

20 (6) True

21

22

Properties of expectation

23

24

25

probability of tail =  $\frac{1}{2}$  for a single toss

$$P = 0.5$$

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$$\begin{array}{l} \text{June} \\ 2 \\ q = 0.5 \end{array}$$

4  $n = 4$ ,  $X$  is binomial random variable

$$6 p(X=3) = \binom{n}{X} p^X (1-p)^{n-X}$$

$$8 = \binom{4}{3} * 0.5^3 * (0.5)^1$$

$$10 = \frac{4!}{3!(4-3)!} * 0.5^3 * (0.5)$$

$$12 = \frac{1}{2}$$

$$14 (8) E[X^2] - [E(X)]^2$$

$$17 (9) \int_0^3 x^2 dx = \cancel{\left[ \frac{x^3}{3} \right]_0^3} = \left[ \frac{x^3}{3} \right]_0^3$$

$$21 = \frac{27}{3} - 0 = 9$$

$$23 (10) \text{Var}(Z) = \text{Var}(5X - 2Y)$$

$$25 = \text{Var}(5X) + \text{Var}(2Y)$$

$$Week 45 = 25 \text{Var}(X) + 4 \text{Var}(Y) \rightarrow \cancel{\text{Var}(Y)}$$

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# **November Thursday**

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$$\text{Var}(Z) = 25 \times 0.2 + 4 \times 0.5 = 7$$

4 (b) probability distribution

⑦ Continuous Random variable  
continuous liegt i. A. stetig

## ⑧ Discrete Random Variable

int 116

$$⑥ \sum k p(x)$$

$$\textcircled{10} \quad \int x^2 f(x) dx$$

$$\textcircled{11} \quad P(X) = -0.5$$

Because  $P(x) < 1$

20 (12)  $E(Z-X) = E(Z) - E(X)$

$$= 4 - 2 = 2$$

positive probability, because

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# نوفمبر الأربعاء



③ Random variable

④ Discrete random variable

⑤ Continuous //

$$⑥ \because \sum p(x) = 1 \quad 1 = \text{مجموع الأحوال}$$

$$\therefore k^2 - 8 = 1, \quad k^2 = 9$$

$$\therefore k = \sqrt{9} = 3$$

$$⑦ E(X) = \sum x p(x) = 4 * 0.5 = 2$$

⑧ Discrete distribution

⑨ Discrete Distribution

$$⑩ P(X) = \frac{e^{-m} m^x}{x!} \Rightarrow P(0) = \frac{e^{-m}}{1} = e^{-m}$$