### La détection des gens non masqués

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#### Plan:

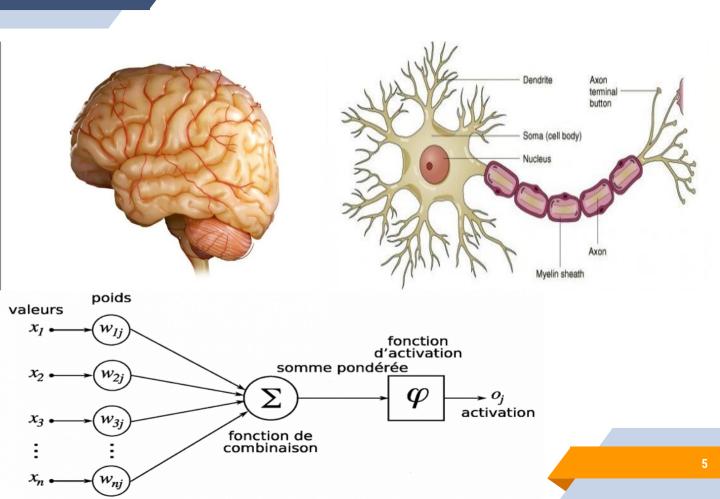
- □ Problématique
- Réseau neuronal convolutif
- La reconnaissance facial
- □ La détection de port du masque

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Les algorithmes informatiques actuelles développés par les programmeurs n'atteignent pas le niveau de précision élevé pour identifier les gens non masqués dans une grande foule.

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# Réseau neuronal convolutif :





Couches denses

Applatisse ment

Pooling

convolution

Couche de

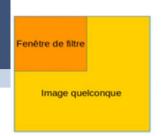
Couche de convolution

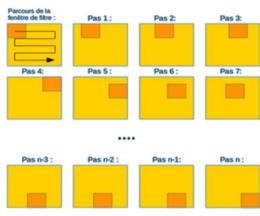
Pooling

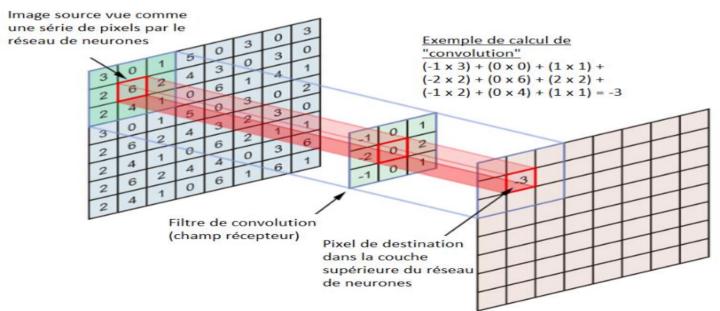
Couches de convolution

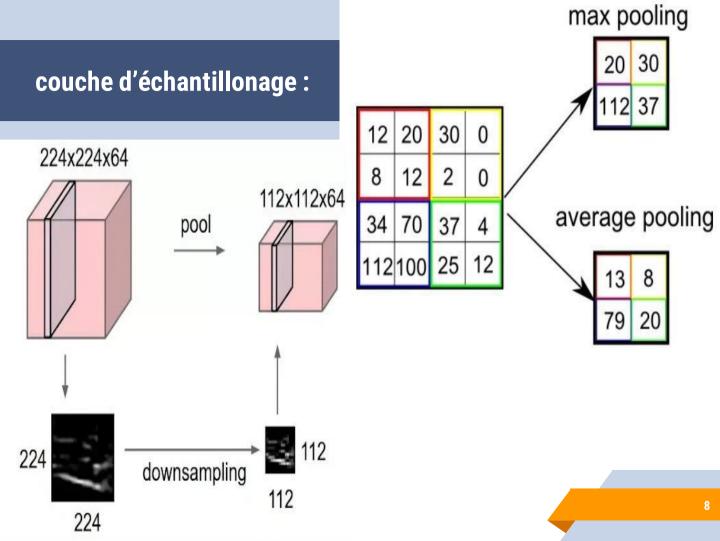
Couche d'entrée

## La couche de convolution :

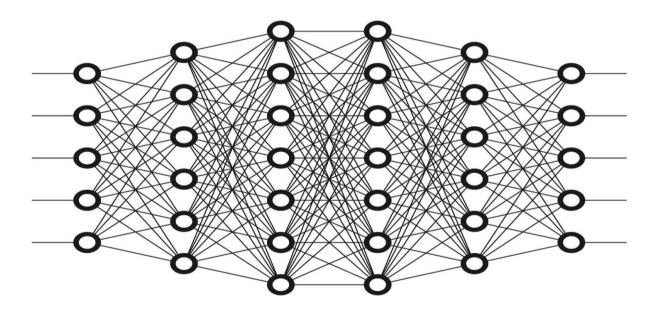








#### **Classification:**



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# La reconnaissance faciale:

#### Les images de références :

## Le visage moyen et le visage propre :

$$\Gamma = [\Gamma_1, \cdots, \Gamma_M]_{Mxh*l} \longrightarrow \Gamma = \begin{bmatrix} a_{1,1} & \cdots & a_{h,l} \\ \vdots & \ddots & \vdots \\ z_{1,1} & \cdots & z_{h,l} \end{bmatrix}_{Mxh*l}$$

$$\Psi = \frac{1}{M} \sum_{i=1}^{M} \Gamma_i = \begin{bmatrix} m_{1,1} & \cdots & m_{h,l} \end{bmatrix}_{1 \times h \times l}$$

moyenne = np.mean(imgs,0)

$$\varphi = \Gamma - \Psi = \left[\phi_{i,j}\right]_{\substack{Mxh*l}}$$

phi = imgs-moyenne

#### La matrice de covariance :

$$\mathbf{C} = \boldsymbol{\Phi}^{\mathrm{T}} \cdot \boldsymbol{\Phi} = \left[\mathbf{c}_{\mathrm{i},\mathrm{j}}\right]_{\mathbf{h}*\mathbf{l} \times \mathbf{h}*\mathbf{l}}$$

#### **Problème:**

Si par exemple on a 31 images de résolution 125x150

Alors la matrice de covariance va être de taille 18750x18750

Quelle est la solution?

$$\mathbf{L} = \ \mathbf{\Phi} . \ \mathbf{\Phi}^{\mathbf{T}} = \left[ \mathbf{L}_{\mathbf{i}, \mathbf{j}} \right]_{\mathbf{M} \times \mathbf{M}}$$

covr = np.dot( phi , phi.transpose())

$$C \cdot e = \lambda \cdot e$$

$$\mathbf{L} \cdot \mathbf{v} = \mu \cdot \mathbf{v}$$

from scipy import linalg
vap , vepr = np.linalg.eig(covr)

$$\begin{cases} \mathbf{e} = \boldsymbol{\varphi}^{\mathbf{T}} \cdot \mathbf{v} \\ \boldsymbol{\lambda} = \boldsymbol{\mu} \end{cases}$$

vep = np.dot( phi.transpose() , vepr )

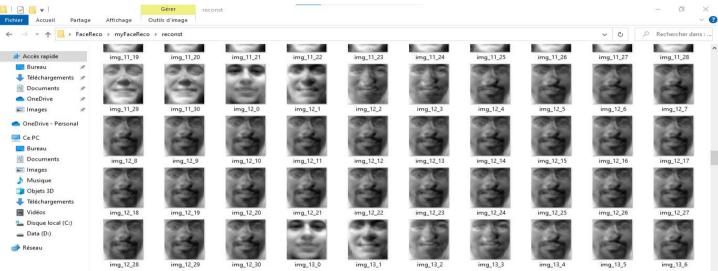
#### **Démonstration:**

$$\begin{split} \boldsymbol{L} \cdot \boldsymbol{v} &= \mu.\,\boldsymbol{v} \\ \Rightarrow \boldsymbol{\varphi} \cdot \boldsymbol{\varphi}^T \cdot \boldsymbol{v} &= \mu.\,\boldsymbol{v} \\ \Rightarrow \boldsymbol{\varphi}^T.\,\boldsymbol{\varphi}.\,\boldsymbol{\varphi}^T.\,\boldsymbol{v} &= \boldsymbol{\varphi}^T.\,\mu.\,\boldsymbol{v} \\ \Rightarrow \boldsymbol{C}.\,\boldsymbol{\varphi}^T.\,\boldsymbol{v} &= \boldsymbol{\varphi}^T.\,\mu.\,\boldsymbol{v} \\ \Rightarrow \boldsymbol{C}.\,(\boldsymbol{\varphi}^T.\,\boldsymbol{v}) &= \mu.\,(\boldsymbol{\varphi}^T.\,\boldsymbol{v}) \\ \boldsymbol{e} &= \boldsymbol{\varphi}^T.\,\boldsymbol{v} &= \left[\boldsymbol{e}_{i,j}\right]_{\boldsymbol{h}*l\,\boldsymbol{x}\,\boldsymbol{M}} \end{split}$$

#### Le poids :

$$\mathbf{\Omega} = \mathbf{\varphi} \cdot \mathbf{e} = \left[\mathbf{\Omega}_{\mathbf{i},\mathbf{j}}\right]_{\mathbf{M}\mathbf{x}\mathbf{M}}$$

poids = np.dot( phi , vep )



#### for k in range(M):

for i in range(M):

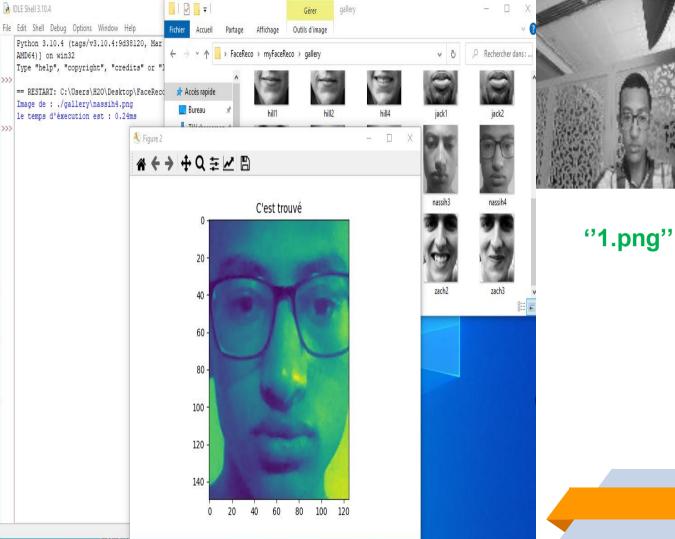
```
recon = moyenne + np.dot( poids[k,:i] , vectp[:,:i].transpose() )
imsave("reconst/img_"+str(k)+"_"+str(i)+".png", recon.reshape(h, l) )
```

#### L'identification d'une personne :

poids2= np.dot(phi2,vectp)

```
\Gamma = [\tau_i]_{1 \times h * l}
import time
import matplotlib.pyplot as plt
t1 = time.time()
image_a_trouver = np.array ( imread( "a_tester/1.png" ).flatten() )
a_trouver = plt.figure (1)
plt.imshow (image_a_trouver.reshape (h, l))
plt.title ("A trouver")
\Phi_{\Gamma} = \Gamma - \Psi = [\phi_i]_{1x h * l}
phi2 = image_a_trouver - moyenne
\Omega_{\Gamma} = \Phi_{\Gamma} \cdot \mathbf{e} = [\omega_{i}]_{1 \times M}
```

```
La distance euclidienne :
 \mathbf{E} = \|\mathbf{\Omega} - \mathbf{\Omega}_{\Gamma}\|^2 = [\mathbf{E}_i]_{1 \times \mathbf{M}}
dist = np.min( (poids - poids2)**2, axis=1 )
\mathcal{E}_{\mathbf{k}} = \min_{\mathbf{i} \in \mathbb{I} \cdot \mathbf{M}} \mathcal{E}_{\mathbf{i}} indicelmg = np.argmin( dist )
print( "Image de : "+ pngs[indiceImg] )
trouvé = plt.figure(2)
plt.imshow( imgs[indicelmg].reshape( h, l))
plt.title("C'est trouvé")
trouvé.show()
t2 = time.time()
t = t2 - t1
print(f'le temps d\'éxecution est : {t:.2}ms')
```





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# La détection du port de masque

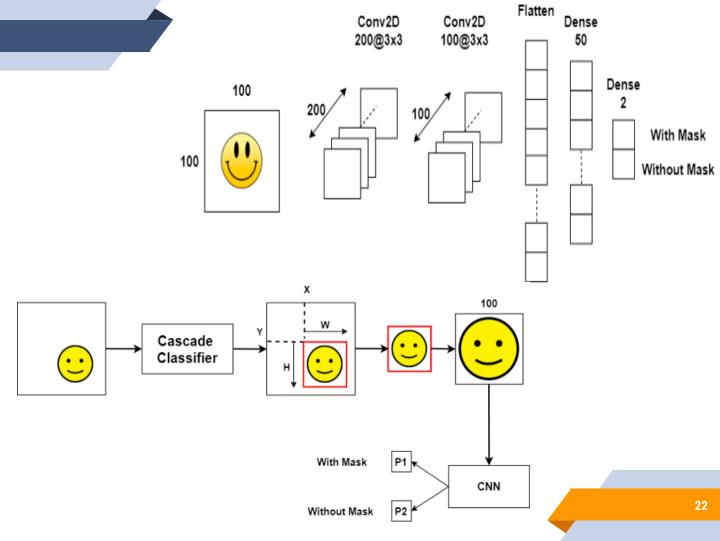
#### **Dataset:**

#### Mask

#### No Mask







#### from tensorflow import keras

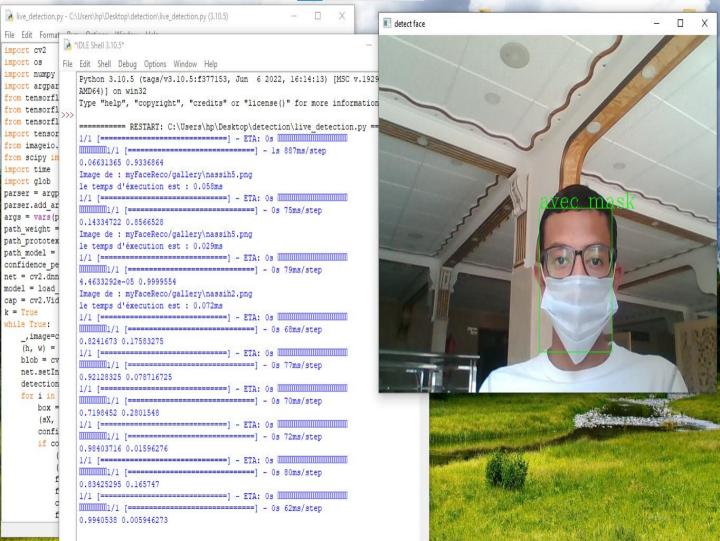
```
model = keras.models.Sequential()
model.add( keras.layers.lnput( (100, 100, 1)))
model.add( keras.layers.Conv2D( 200, (3, 3), activation='relu'))
model.add( keras.layers.MaxPooling2D( (2, 2)))
model.add( keras.layers.Dropout( 0.2))
model.add( keras.layers.Conv2D( 100, (3, 3), activation='relu'))
model.add( keras.layers.MaxPooling2D( (2, 2)))
model.add( keras.layers.Dropout( 0.2))
model.add( keras.layers.Flatten())
model.add( keras.layers.Dense( 50, activation='relu'))
model.add( keras.layers.Dropout( 0.5))
model.add( keras.layers.Dense( 2, activation='softmax'))
model.summary()
```

#### Model: "sequential"

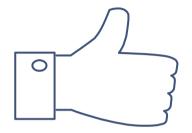
Layer (type)	Output Shape	Param #
conv2d (Conv2D)	(None, 98, 98, 200)	2000
<pre>max_pooling2d (MaxPooling2D )</pre>	(None, 49, 49, 200)	0
dropout (Dropout)	(None, 49, 49, 200)	0
conv2d_1 (Conv2D)	(None, 47, 47, 100)	180100
<pre>max_pooling2d_1 (MaxPooling 2D)</pre>	(None, 23, 23, 100)	0
dropout_1 (Dropout)	(None, 23, 23, 100)	0
flatten (Flatten)	(None, 52900)	0
dense (Dense)	(None, 50)	2645050
dropout_2 (Dropout)	(None, 50)	o
dense_1 (Dense)	(None, 2)	102

Total params: 2,827,252 Trainable params: 2,827,252 Non-trainable params: 0





### Conclusion:



# Merci beaucoup pour votre attention