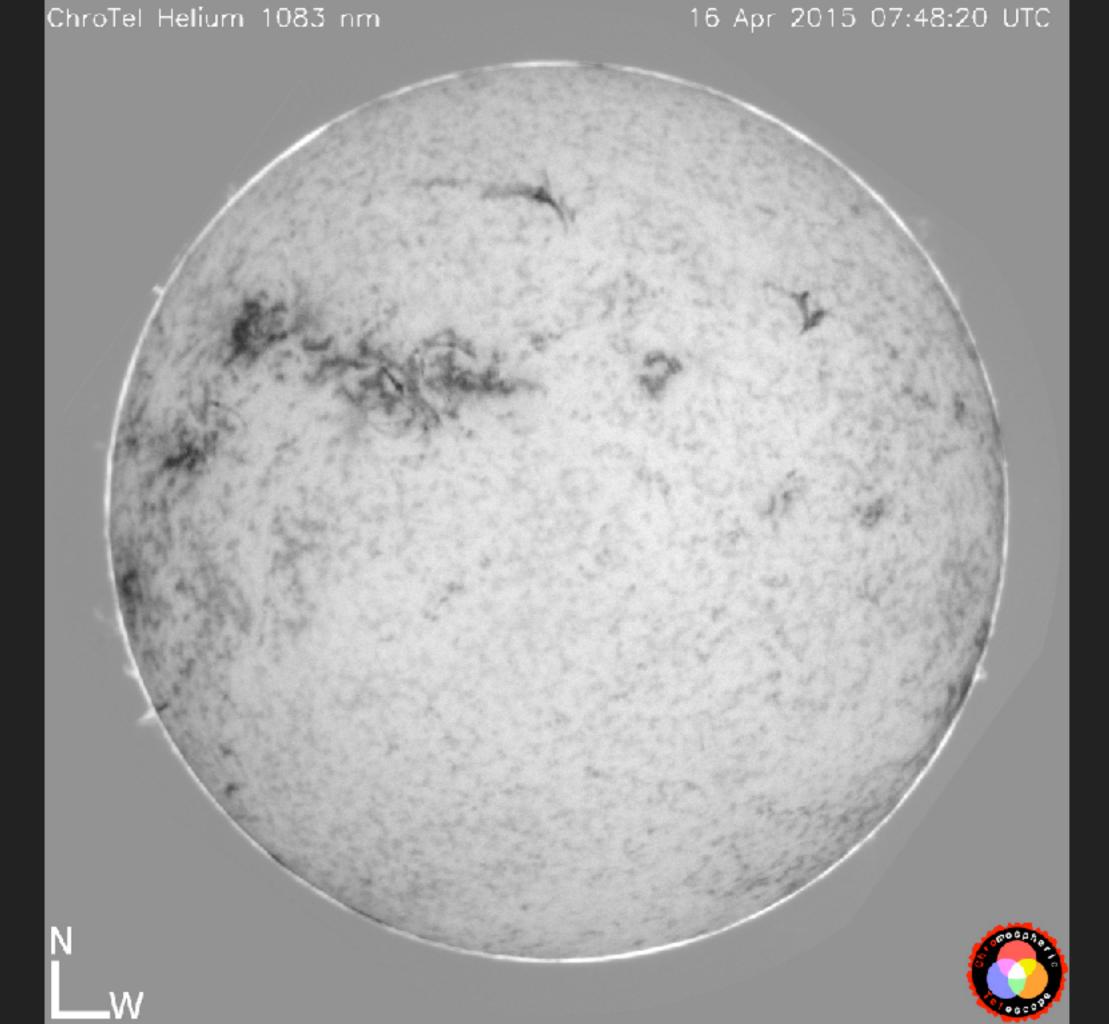


A. ASENSIO RAMOS

HE I MULTIPLETS: HAZEL PHYSICS



ADVANCED FORWARD MODELING AND INVERSION OF STOKES PROFILES RESULTING FROM THE JOINT ACTION OF THE HANLE AND ZEEMAN EFFECTS

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AND

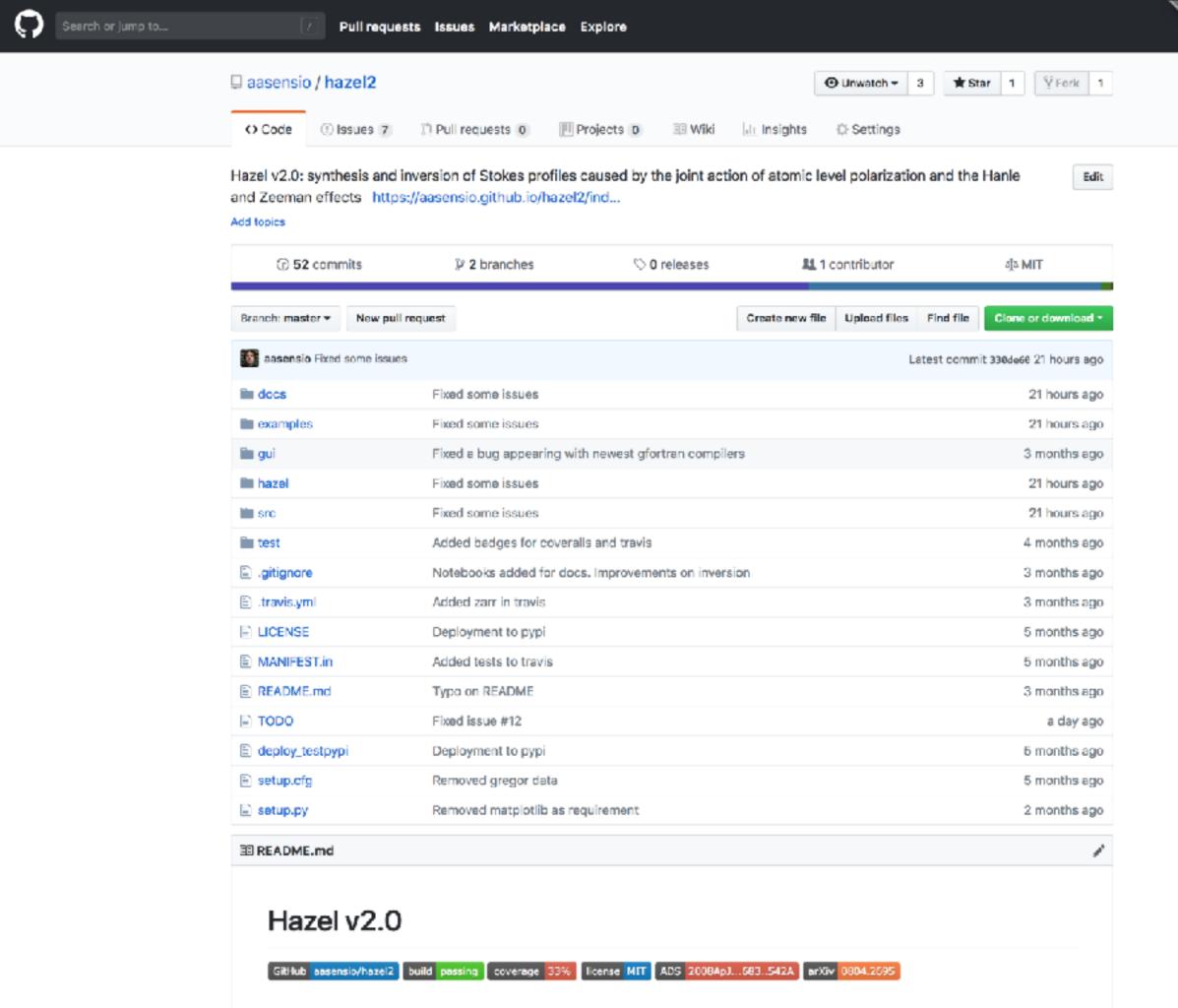
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ABSTRACT

A big challenge in solar and stellar physics in the coming years will be to decipher the magnetism of the solar outer atmosphere (chromosphere and corona) along with its dynamic coupling with the magnetic fields of the underlying photosphere. To this end, it is important to develop rigorous diagnostic tools for the physical interpretation of spectropolarimetric observations in suitably chosen spectral lines. Here we present a computer program for the synthesis and inversion of Stokes profiles caused by the joint action of atomic level polarization and the Hanle and Zeeman effects in some spectral lines of diagnostic interest, such as those of the He I 10830 Å and 5876 Å (or D₃) multiplets. It is based on the quantum theory of spectral line polarization, which takes into account in a rigorous way all the relevant physical mechanisms and ingredients (optical pumping, atomic level polarization, level crossings and repulsions, Zeeman, Paschen-Back, and Hanle effects). The influence of radiative transfer on the emergent spectral line radiation is taken into account through a suitable slab model. The user can either calculate the emergent intensity and polarization for any given magnetic field vector or infer the dynamical and magnetic properties from the observed Stokes profiles via an efficient inversion algorithm based on global optimization methods. The reliability of the forward modeling and inversion code presented here is demonstrated through several applications, which range from the inference of the magnetic field vector in solar active regions to determining whether or not it is canopy-like in quiet chromospheric regions. This user-friendly diagnostic tool called "HAZEL" (from HAnle and ZEeman Light) is offered to the astrophysical community, with the hope that it will facilitate new advances in solar and stellar physics.

Subject headings: magnetic fields — methods: data analysis — methods: numerical — polarization — radiative transfer — scattering — Sun: chromosphere

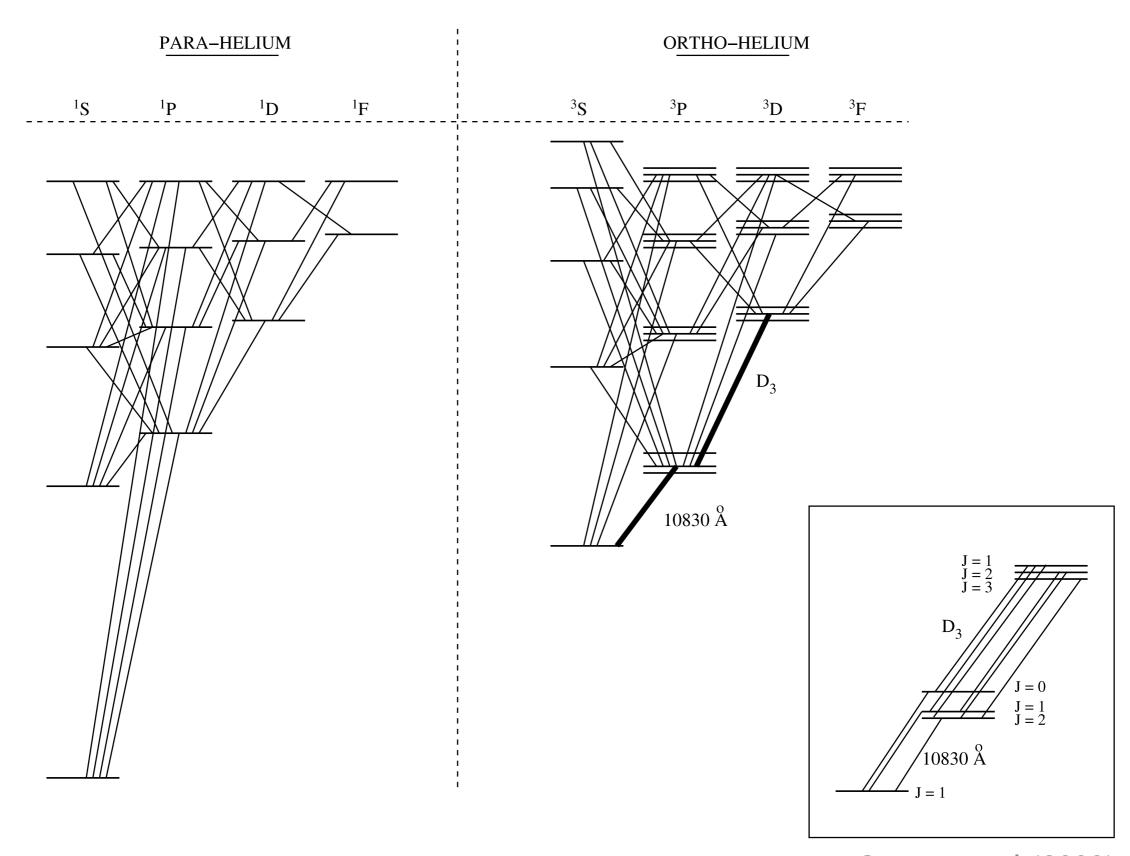


HAZEL

- 5-term atom
- Simple slab with constant physical properties
- Line formation is "hidden" on the optical depth
- Atomic level polarization + Zeeman (Paschen-Back) + Hanle effect
- Flat spectrum
- Fixed pumping radiation field
- Very simple formal solution
- Serial/MPI version

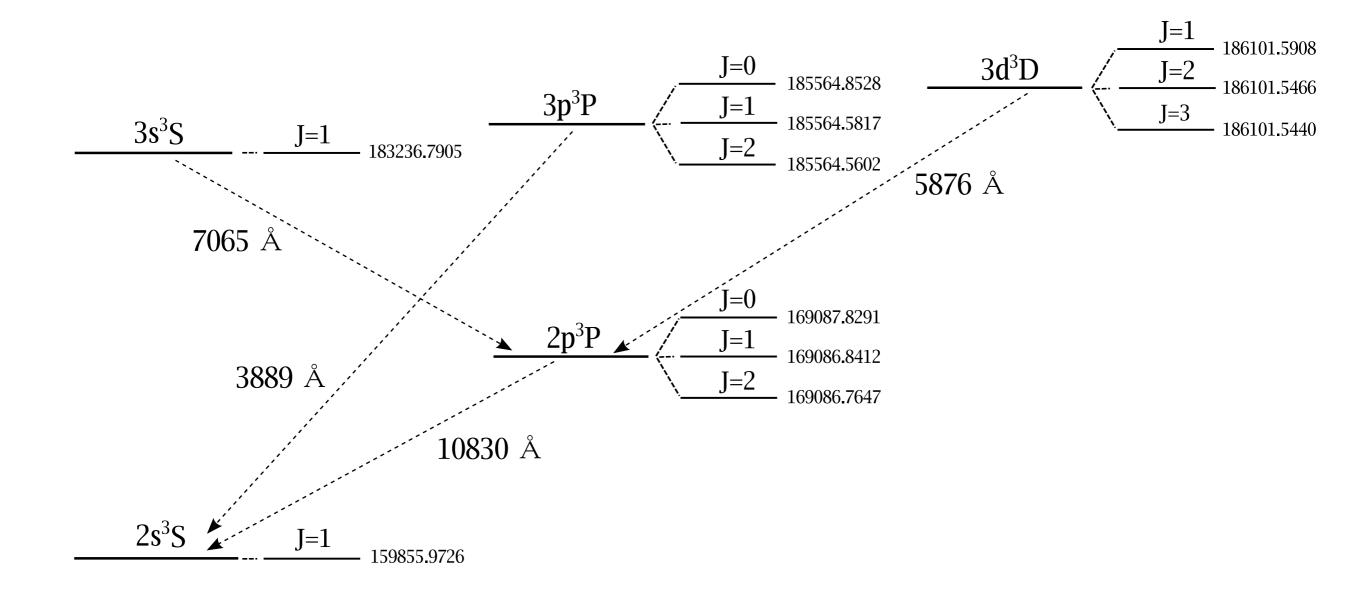
HAZEL2

- Invert He I (many lines simultaneously) + photospheric + telluric lines
- Flexibility on how to define topology: (ph1+ph2) -> (ch1+ch2) -> te1
- Sparsity (and other) regularization (WIP)
- ▶ 2D regularization (TBD)
- Python with wrappers to the time computing parts
- Fast versions using deep learning (TBD)
- Collaborations are welcome: https://github.com/aasensio/hazel2

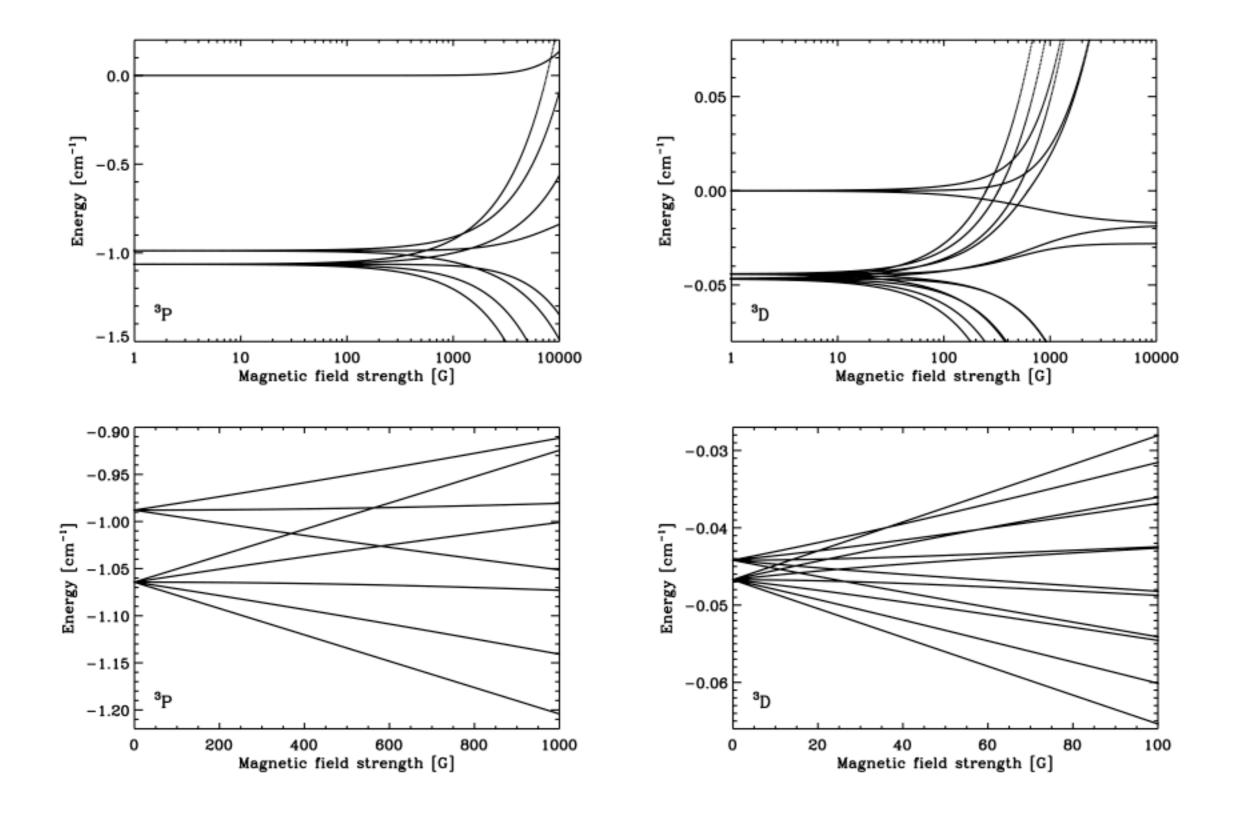


Centeno et al. (2008)

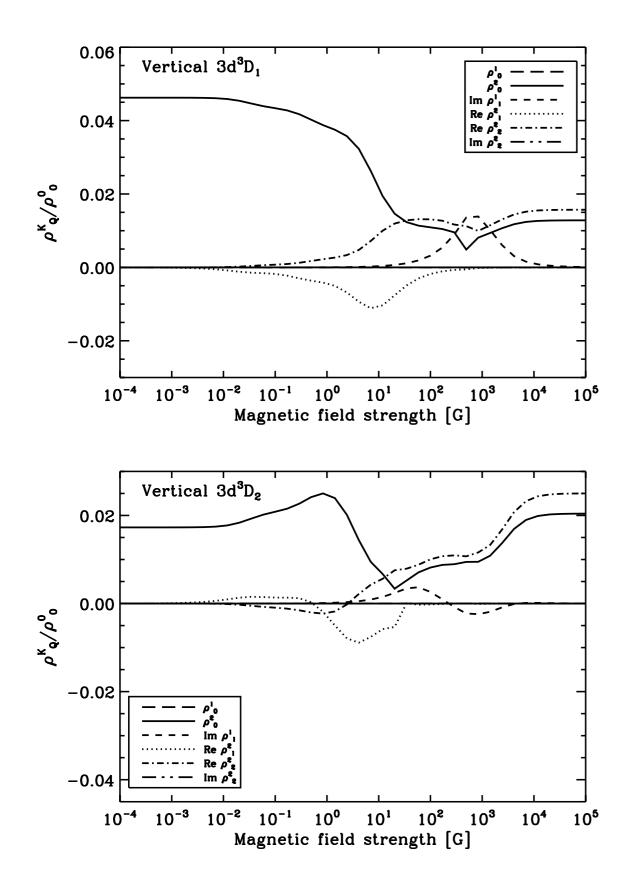
MODEL ATOM

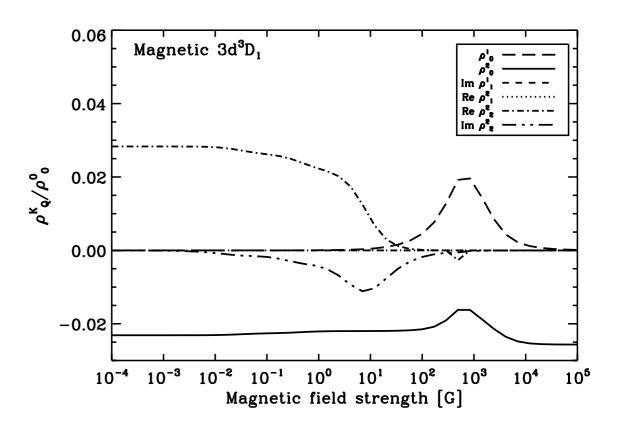


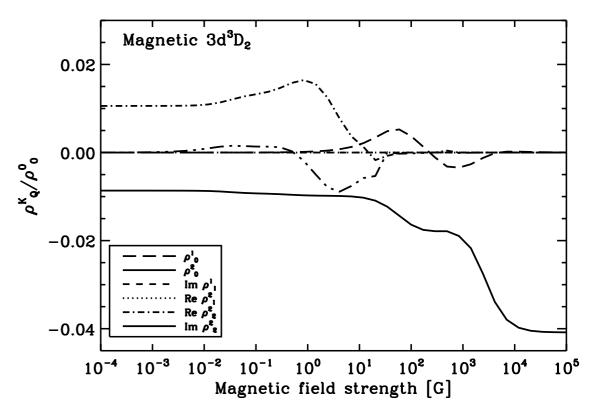
ENERGY SPLITTING



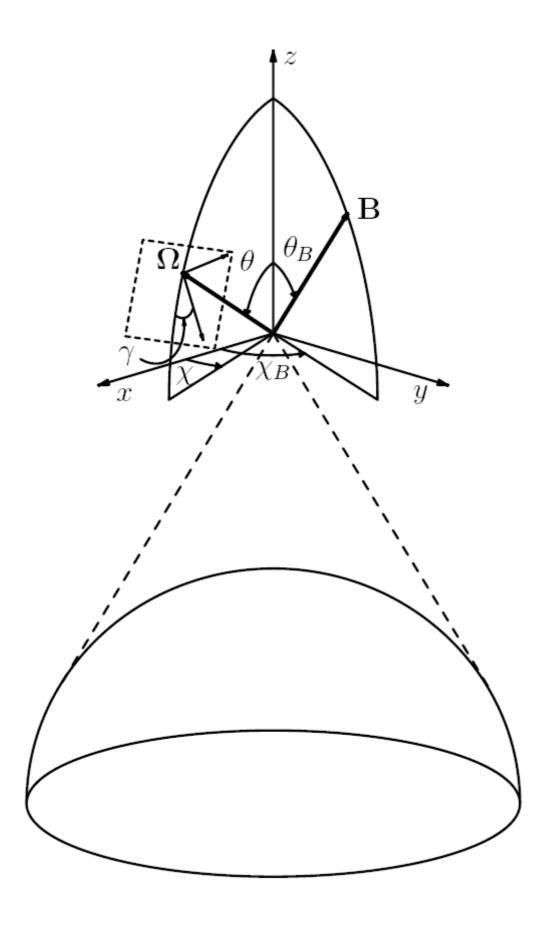
ENERGY SPLITTING



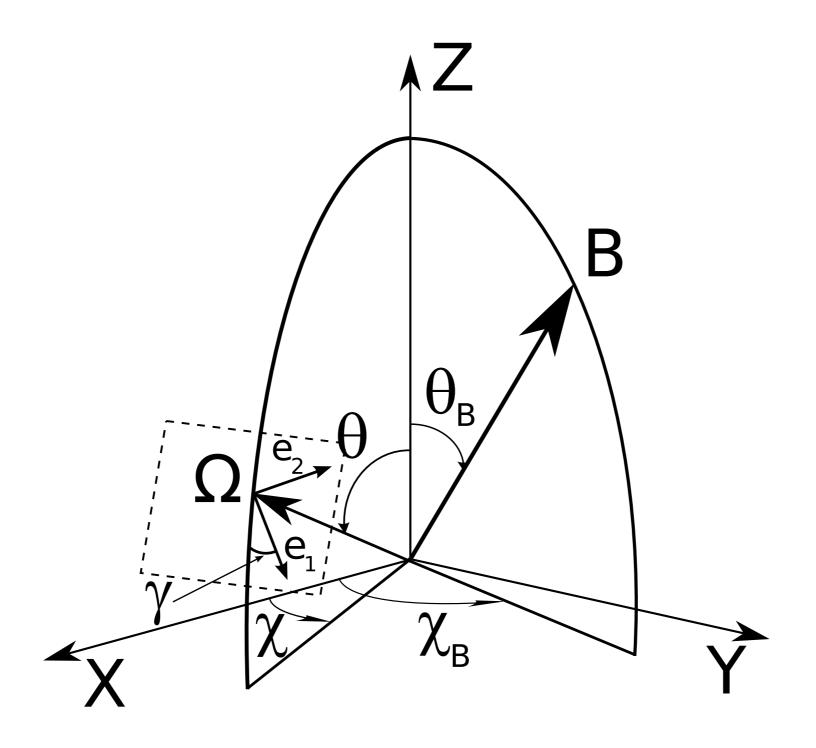




GEOMETRY



GEOMETRY



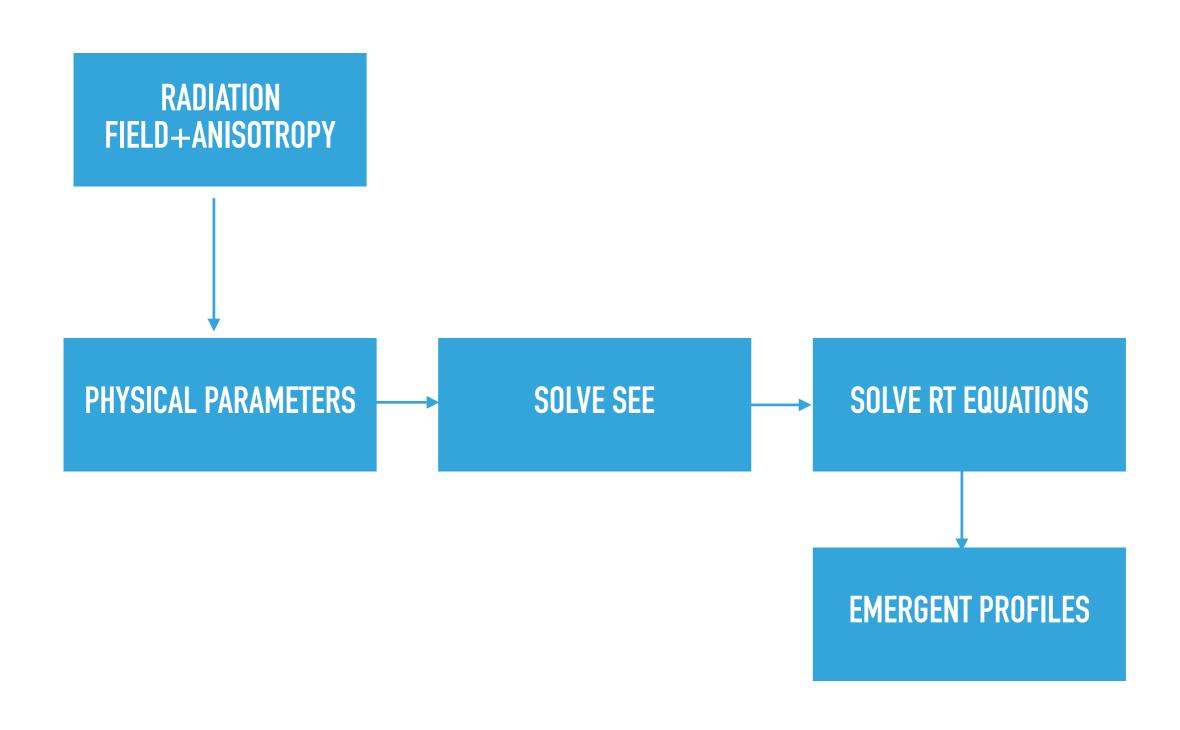
STATISTICAL EQUILIBRIUM EQUATIONS

$$\frac{d}{dt}^{\beta LS} \rho_Q^K(J, J') = -2\pi i \sum_{K'Q'} \sum_{J''J'''} N_{\beta LS}(KQJJ', K'Q'J''J''')^{LS} \rho_{Q'}^{K'}(J'', J''')
+ \sum_{\beta_\ell L_\ell K_\ell Q_\ell J_\ell J'_\ell} \beta_\ell L_\ell S \rho_{Q_\ell}^{K_\ell}(J_\ell, J'_\ell) \mathbb{T}_A(\beta LSKQJJ', \beta_\ell L_\ell S K_\ell Q_\ell J_\ell J'_\ell)
+ \sum_{\beta_u L_u K_u Q_u J_u J'_u} \beta_u L_u S \rho_{Q_u}^{K_u}(J_u, J'_u) \Big[\mathbb{T}_E(\beta LSKQJJ', \beta_u L_u S K_u Q_u J_u J'_u)
+ \mathbb{T}_S(\beta LSKQJJ', \beta_u L_u S K_u Q_u J_u J'_u) \Big]
- \sum_{K'Q'J''J'''} \beta_L S \rho_{Q'}^{K'}(J'', J''') \Big[\mathbb{R}_A(\beta LSKQJJ'K'Q'J''J''')
+ \mathbb{R}_E(\beta LSKQJJ'K'Q'J''J''') + \mathbb{R}_S(\beta LSKQJJ'K'Q'J''J''') \Big]$$

EMISSION/ABSORPTION

$$\begin{split} \eta_{i}^{\mathrm{A}}(\nu,\Omega) &= \frac{h\nu}{4\pi} \mathcal{N} \sum_{\beta_{\ell}L_{\ell}S\beta_{u}L_{u}} (2L_{\ell}+1)B(\beta_{\ell}L_{\ell}S \to \beta_{u}L_{u}S) \\ &\times \sum_{KQK_{\ell}Q_{\ell}} \sqrt{3(2K+1)(2K_{\ell}+1)} \\ &\times \sum_{j_{\ell}J_{\ell}J''_{\ell}J'_{u}J_{u}J'_{u}} \sum_{M_{\ell}M'_{\ell}M_{u}qq'} (-1)^{1+J''_{\ell}-M_{\ell}+q'} C^{j_{\ell}}_{J_{\ell}}(\beta_{\ell}L_{\ell}S, M_{\ell}) C^{j_{\ell}}_{J''_{\ell}}(\beta_{\ell}L_{\ell}S, M_{\ell}) \\ &\times C^{j_{u}}_{J_{u}}(\beta_{u}L_{u}S, M_{u}) C^{j_{u}}_{J'_{u}}(\beta_{u}L_{u}S, M_{u}) \sqrt{(2J_{\ell}+1)(2J'_{\ell}+1)(2J_{u}+1)(2J'_{u}+1)} \\ &\times \begin{pmatrix} J_{u} & J_{l} & 1 \\ -M_{u} & M_{l} & -q \end{pmatrix} \begin{pmatrix} J'_{u} & J'_{l} & 1 \\ -M_{u} & M'_{l} & -q' \end{pmatrix} \begin{pmatrix} 1 & 1 & K \\ q & -q' & -Q \end{pmatrix} \\ &\times \begin{pmatrix} J''_{\ell} & J'_{\ell} & K_{\ell} \\ M_{\ell} & -M'_{\ell} & -Q_{\ell} \end{pmatrix} \begin{pmatrix} L_{u} & L_{\ell} & 1 \\ J_{\ell} & J_{u} & S \end{pmatrix} \begin{pmatrix} L_{u} & L_{\ell} & 1 \\ J'_{\ell} & J'_{u} & S \end{pmatrix} \\ &\times \operatorname{Re} \left[\mathcal{T}^{K}_{Q}(i, \Omega)^{\beta_{\ell}L_{\ell}S} \rho^{K_{\ell}}_{Q_{\ell}}(J''_{\ell}, J'_{\ell}) \Phi(\nu_{\beta_{u}L_{u}Sj_{u},\beta_{\ell}L_{\ell}Sj_{\ell}M_{\ell}} - \nu) \right]. \end{split}$$

EMISSION/ABSORPTION

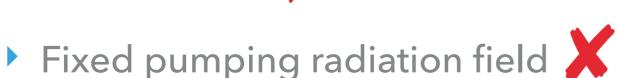


HAZEL: THINGS TO IMPROVE

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