Chinese Remainder Theorem

We are given two arrays num[0..k-1] and rem[0..k-1]. In num[0..k-1], every pair is coprime (gcd for every pair is 1).

```
// A C++ program to demonstrate
// working of Chinise remainder
// Theorem
#include <bits/stdc++.h>
using namespace std;
// Returns modulo inverse of a
// with respect to m using
// extended Euclid Algorithm.
// Refer below post for details:
// https://www.geeksforgeeks.org/
// multiplicative-inverse-under-modulo-m/
int inv(int a, int m)
{
        int m0 = m, t, q;
        int x0 = 0, x1 = 1;
        if (m == 1)
                return 0;
        // Apply extended Euclid Algorithm
        while (a > 1) {
                // q is quotient
                q = a / m;
                t = m;
                // m is remainder now, process same as
                // euclid's algo
                m = a \% m, a = t;
                t = x0;
                x0 = x1 - q * x0;
                x1 = t;
        }
        // Make x1 positive
        if (x1 < 0)
                x1 += m0;
        return x1;
```

```
}
// k is size of num[] and rem[]. Returns the smallest
// number x such that:
// x \% num[0] = rem[0],
// x \% num[1] = rem[1],
// .....
// x \% num[k-2] = rem[k-1]
// Assumption: Numbers in num[] are pairwise coprime
// (gcd for every pair is 1)
int findMinX(int num[], int rem[], int k)
{
        // Compute product of all numbers
        int prod = 1;
        for (int i = 0; i < k; i++)
                prod *= num[i];
        // Initialize result
        int result = 0;
        // Apply above formula
        for (int i = 0; i < k; i++) {
                int pp = prod / num[i];
                result += rem[i] * inv(pp, num[i]) * pp;
        }
        return result % prod;
}
// Driver method
int main(void)
{
        int num[] = { 3, 4, 5 };
        int rem[] = \{2, 3, 1\};
        int k = sizeof(num) / sizeof(num[0]);
        cout << "x is " << findMinX(num, rem, k);</pre>
        return 0;
}
```