



Faculty of Engineering & Technology

Electrical & Computer Engineering Department

DIGITAL SIGNAL PROCESSING (DSP) - ENCS 4310

Assignment1

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Section: 2

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Table of Contents

List of Figures.....	2
Part A	3
Part B.....	4
Part C	5
Part D	6
Part E.....	8

List of Figures

Figure 1: Part a code	3
Figure 2: Part a plotting $x[n]$ in discrete	3
Figure 3: Additional plotting $x(t)$	3
Figure 4: Part b code	4
Figure 5: Part b plotting the filter frequency response.....	4
Figure 6: Part C code.....	5
Figure 7: Part C Plotting $Y[n]$	5
Figure 8: Part C plotting $y(t)$ additional	5
Figure 9: Part D code	6
Figure 10: Part D Input Spectrum.....	7
Figure 11: Part D Output Spectrum	7
Figure 12: Part E code.....	8
Figure 13: Part E plotting input spectrum with $M=15$	8
Figure 14: Part E plotting output spectrum with $M=15$	8
Figure 15: Part E Plotting $y(t)$	9

Part A

Consider the following continuous time signal: $x(t) = \cos(2\pi \cdot 2t) + 0.5\cos(2\pi \cdot 50t) + 0.25\cos(2\pi \cdot 80t)$. Let $F_s = 160$ samples/sec.

a) Plot $x[n]$ for 1 sec (i.e., 160 samples)

```
q1f.m x +
1 %Mohammad Abu Shams.
2 %1200549.
3 %Sec2.
4 F1=2;%First Frequency.
5 F2=50;%Second Frequency.
6 F3=80;%Third Frequency.
7 Fs=160;%160 Samples.
8 n=0:1/Fs:1;
9 x1=cos(2*pi*F1*n);
10 x2=cos(2*pi*F2*n);
11 x3=cos(2*pi*F3*n);
12 x=x1+(0.5*x2)+(0.25*x3);
13 plot(n,x);%Continuous (Additional).
14 stem(x);%Discrete.
15 xlabel('n');
16 ylabel('x[n]');
17 title('x[t]');
18 %DONE
```

Figure 1: Part a code

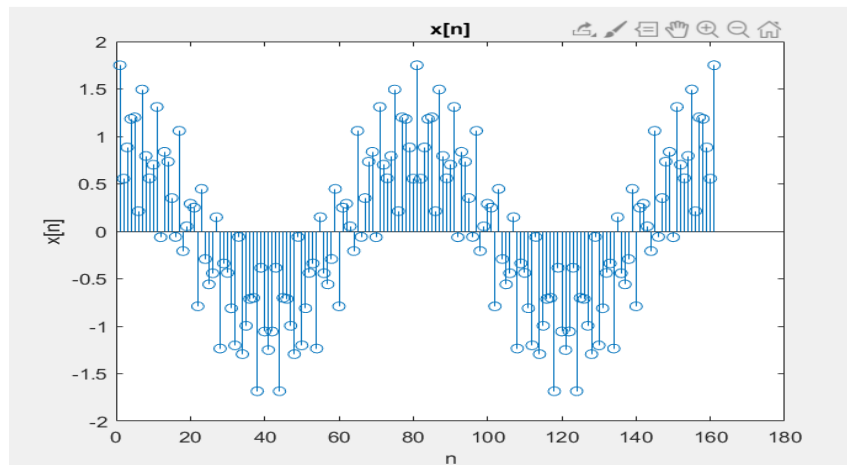


Figure 2: Part a plotting $x[n]$ in discrete

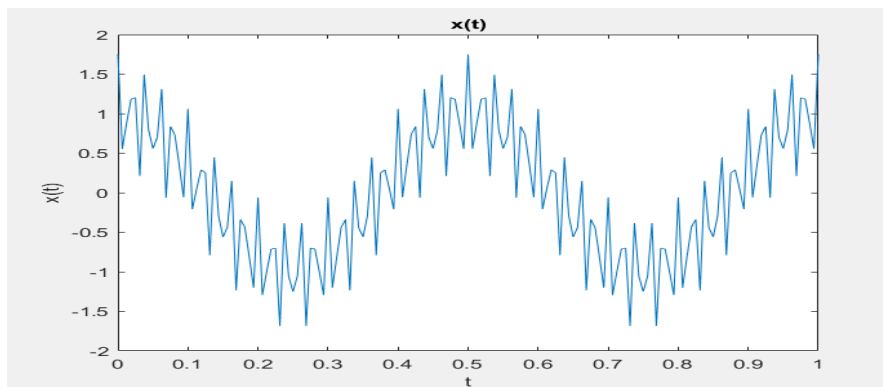


Figure 3: Additional plotting $x(t)$

Part B

Consider the moving average filter $y[n] = (1/(M+1)) * \sum[x[n-k]]$, for $k = 0$ to M (M : window size)

Plot the filter frequency response $|H(e^{j\omega})|$ for different values of M ($M=0$, $M=4$, $M=10$), give your conclusions.

```
Question8.m  +
1  %Mohammad Abu Shams
2  %1200549
3  %Sec2
4  Values_for_M=[1,4,10];
5  for i=1:length(Values_for_M)
6      M=Values_for_M(i);
7      b=(1/(M+1))*ones(1,M+1);% Coefficient for X.
8      a=1;% Coefficient for Y.
9      [H,w]=freqz(b,a,453);
10     subplot(length(Values_for_M),1,i);
11     plot((w/(pi)),abs(H));
12     xlabel('Frequency');
13     ylabel('|H(e^{j\omega})|');
14     title(['The Filter Frequency Response for M=',num2str(M)]);
15 end
16
```

Figure 4: Part b code

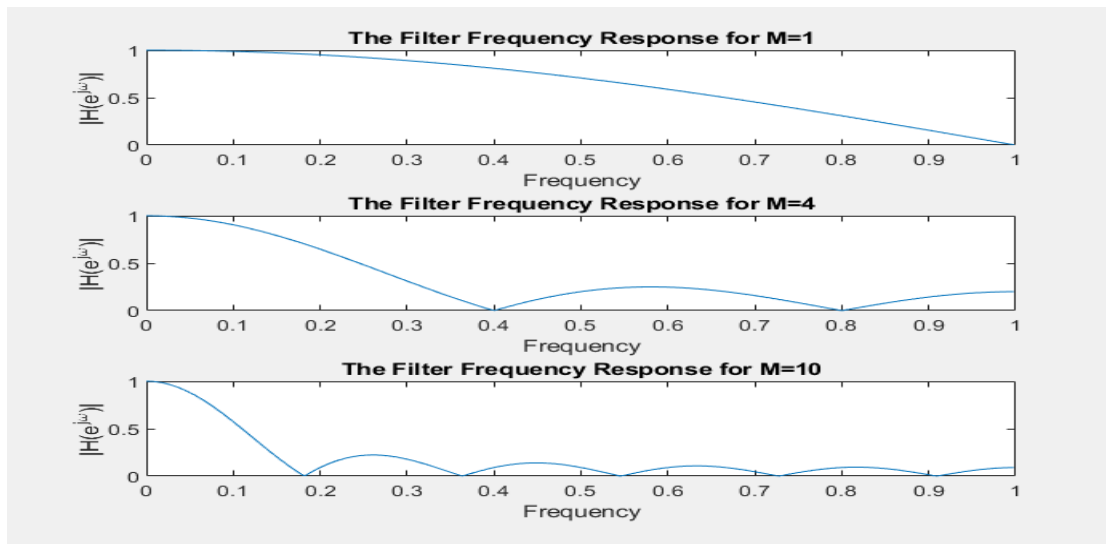


Figure 5: Part b plotting the filter frequency response

The frequency response will change based on the window size (M).

Part C

Plot the response (output sequence $y[n]$) for the different window size.

```

1  %Mohammad Abu Shams
2  %1200549
3  %Sec2
4  Values_for_M=[1,4,10];
5  for i=1:length(Values_for_M)
6      M=Values_for_M(i);
7      b=(1/(M+1))*ones(1,M+1);% Coefficient for X.
8      a=1;% Coefficient for Y.
9      y=filter(b,a,x);
10     subplot(length(Values_for_M),1,i);
11     stem(y);
12     %plot(t,y);%Additional
13     xlabel('n');
14     ylabel('y[n]');
15     title(['The response (output sequence y[n]) for M=',num2str(M)]);
16 end
17
18
19

```

Figure 6: Part C code

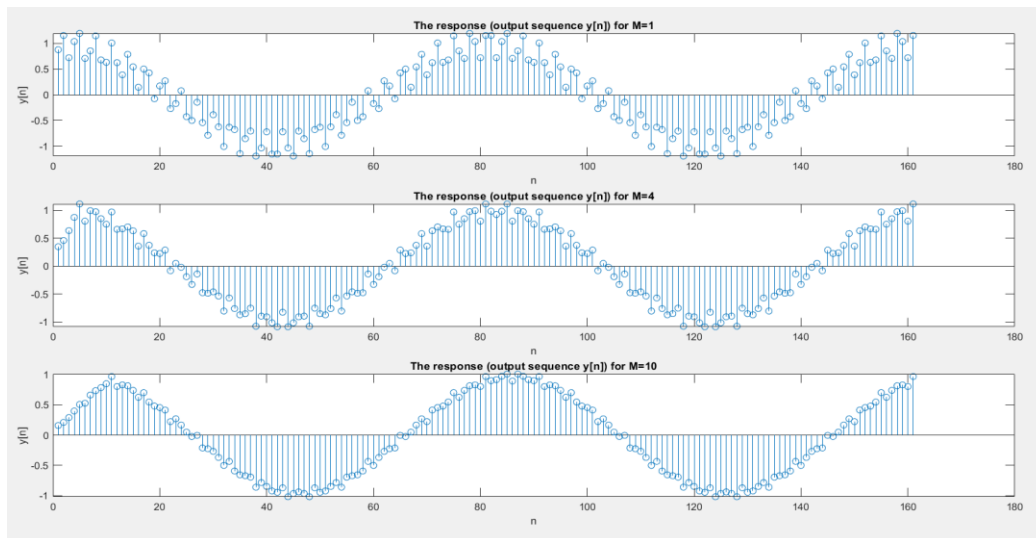


Figure 7: Part C Plotting $Y[n]$

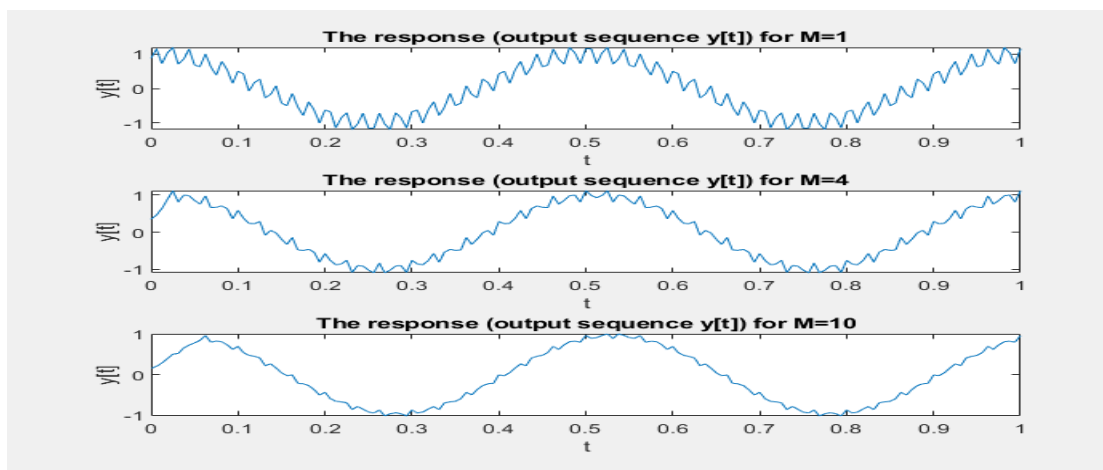


Figure 8: Part C plotting $y(t)$ additional

Part D

Plot the input signal frequency spectrum $|X(e^{j\omega})|$ and the output frequency spectrum $|Y(e^{j\omega})|$.

```
QuestionD.m x +
1 %Mohammad Abu Shams
2 %1200549
3 %Sec2
4 - n=0:1/Fs:1;
5 - N=length(n);
6 - Values_for_M=[1,4,10];
7 - figure;
8 - X=fft(x);
9 - plot(abs(X)/N);
10 - xlabel('frequency');
11 - ylabel('|X(e^{j\omega})|');
12 - title('input frequency spectrum');
13 - figure;
14 - for i=1:length(Values_for_M)
15 -     M=Values_for_M(i);
16 -     b=(1/(M+1))*ones(1,M+1);% Cooficient for X.
17 -     a=1;% Cooficient for Y.
18 -     X=fft(x);
19 -     y=filter(b,a,x);
20 -     Y=fft(y);
21 -     subplot(length(Values_for_M),1,i);
22 -     plot(abs(Y)/N);
23 -     xlabel('frequency');
24 -     ylabel('|Y(e^{j\omega})|');
25 -     title(['output frequency spectrum for M=',num2str(M)]);
26 - end
27
```

Figure 9: Part D code

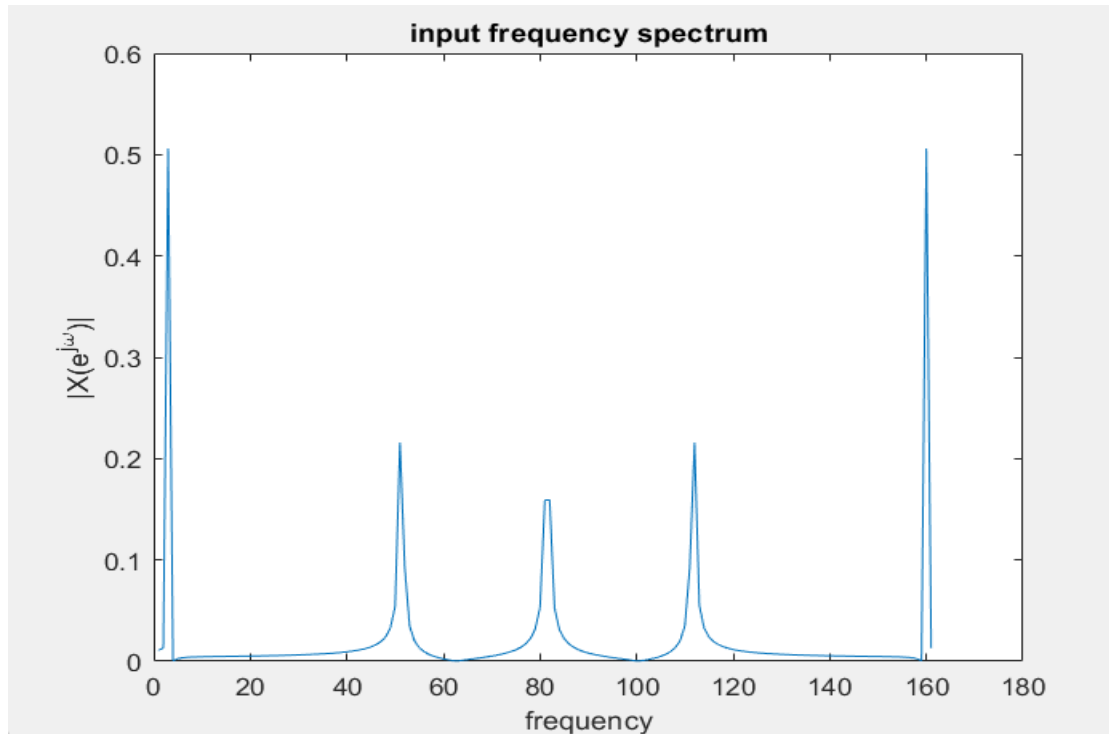


Figure 10: Part D Input Spectrum

It is the same input for $M=1, 4, 10$.

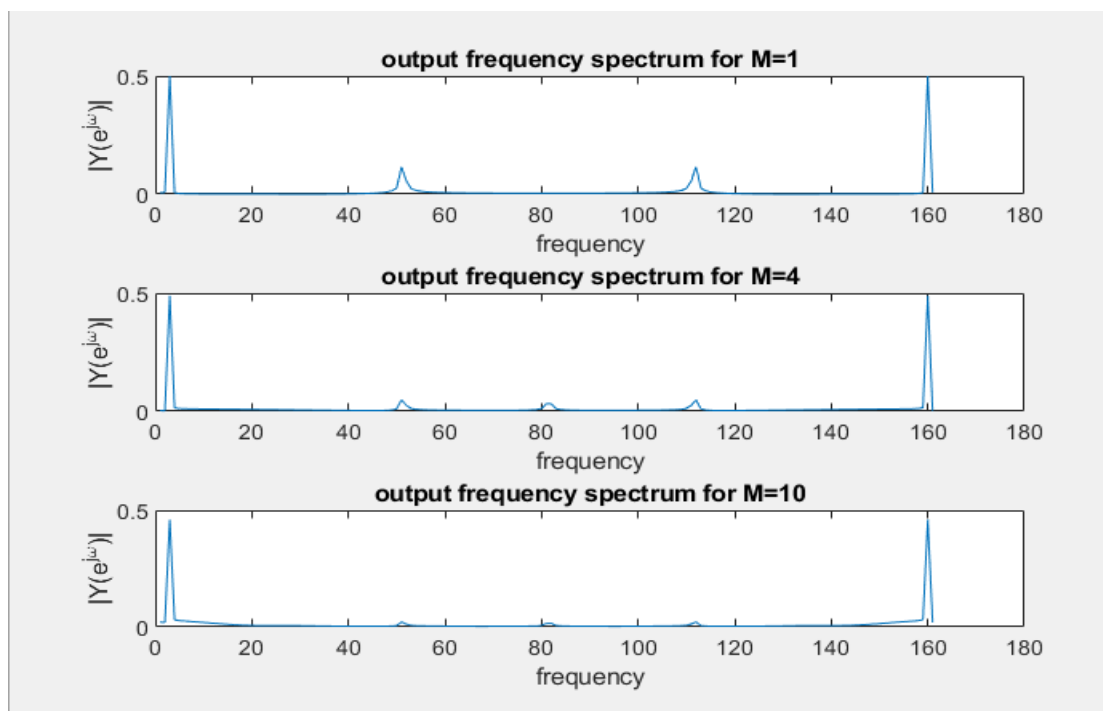


Figure 11: Part D Output Spectrum

Part E

e) Find the optimum window size (M) to obtain the first sinusoidal signal ($\cos(2\pi \cdot 2 \cdot t)$)

I found that the best optimal window size (M) to obtain the first sinusoidal signal ($\cos(2\pi \cdot 2 \cdot t)$) is $M=15$, because it's plotting has least bumps.

```
QuestionE.m  x  +
1      %Mohammad Abu Shams
2      %1200549
3      %Sec2
4      n=0:1/Fs:1;
5      N=length(n);
6      figure;
7      b=(1/(15+1))*ones(1,15+1);% Cooficient for X.
8      a=1;% Cooficient for Y.
9      y=filter(b,a,x);
10     Y=fft(y);
11     plot(abs(Y)/N);
12     xlabel('frequency');
13     ylabel('|Y(e^{j\omega})|');
14     title('output frequency spectrum for M=15');
15     figure;
16     X=fft(x);
17     plot(abs(X)/N);
18     xlabel('frequency');
19     ylabel('|X(e^{j\omega})|');
20     title('input frequency spectrum for M=15');
21
```

Figure 12: Part E code

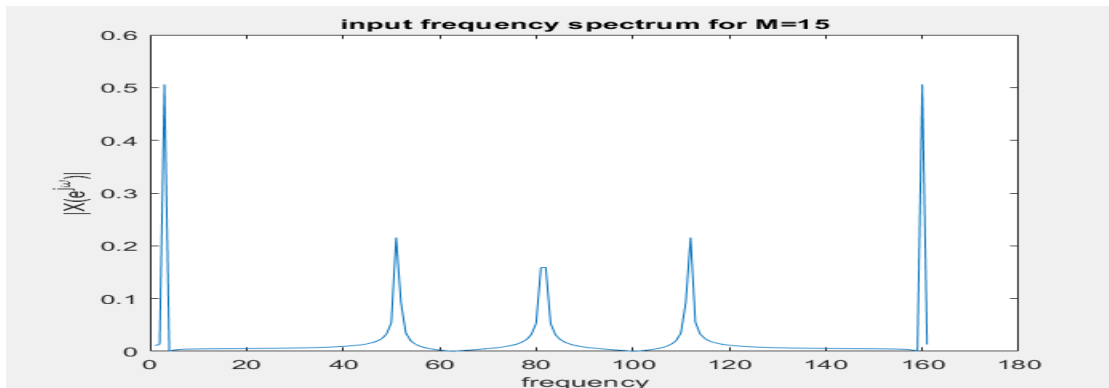


Figure 13: Part E plotting input spectrum with $M=15$

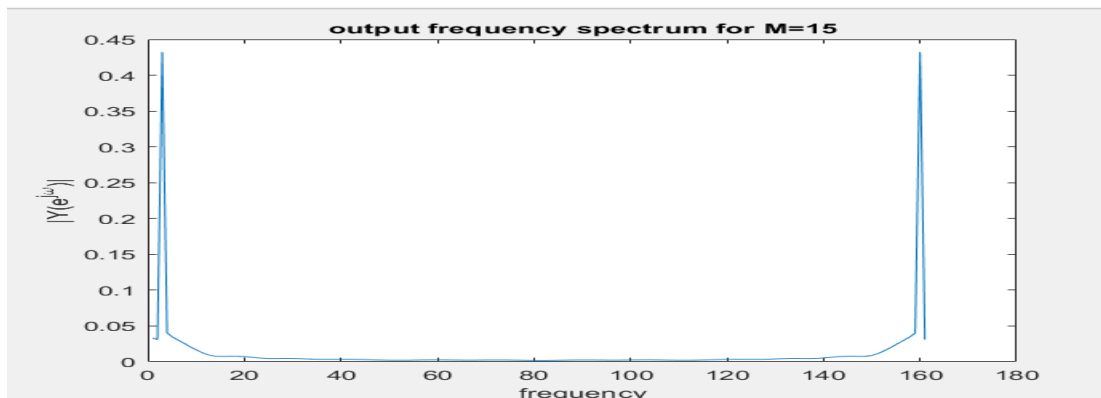


Figure 14: Part E plotting output spectrum with $M=15$

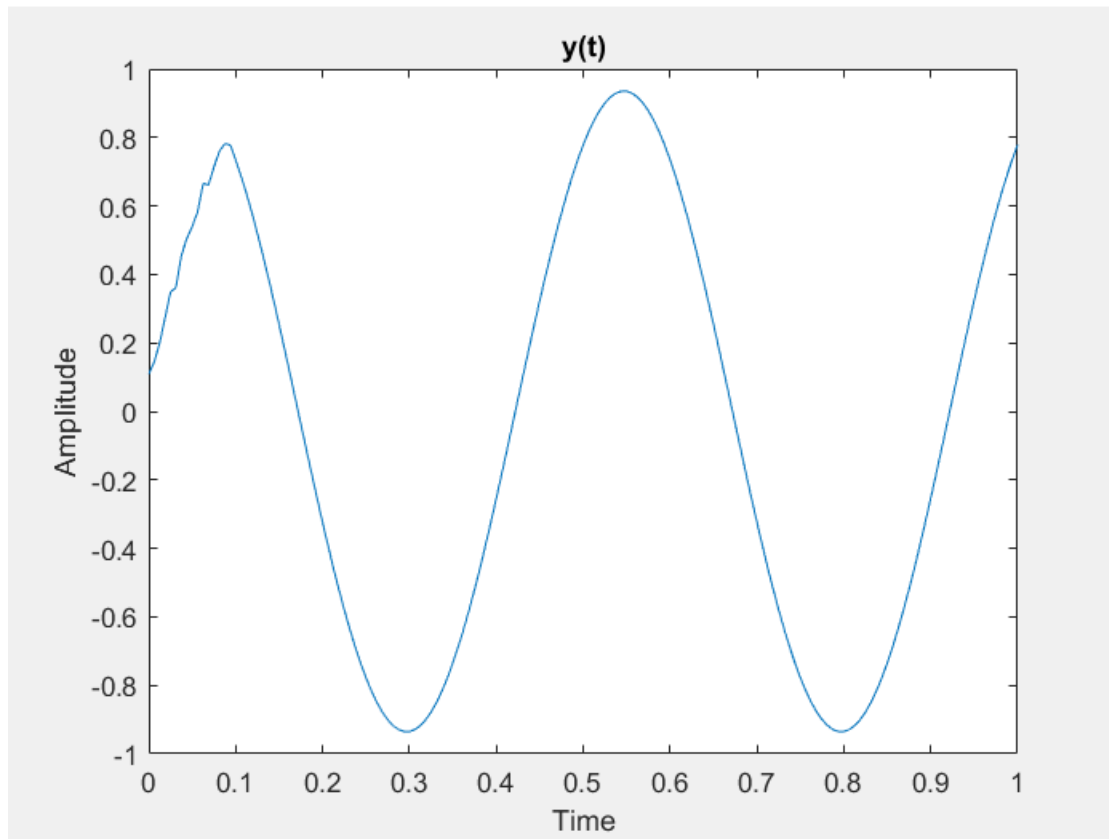


Figure 15: Part E Plotting $y(t)$

For $M=15$, this figure is the closest to the signal $(\cos(2\pi \cdot 2 \cdot t))$.