LAB 02

by Mohammad Akbar

Cross Product , Dot Product , Collinear , Relate , Intersection 2-D

Point Class

In [1]:

```
class Point:
   # ----- Varaiables START ----- #
   x = 0.0
   y = 0.0
   # ----- Varaiables END ----- #
   # ----- Constructor START ----- #
   \label{eq:def_init} \textbf{def} \ \_ \texttt{init} \_ \texttt{( self , x , y ):}
      self.x = x
      self.y = y
   # ----- Constructor END ----- #
   # ----- Print Functions START ----- #
   def repr (self):
      return "( %f , %f )" % (self.x, self.y)
   def str (self):
     return "( %f , %f )" % (self.x, self.y)
   # ----- Print Functions END -----
                                          ----- #
   def update(self , x , y):
     self.x = x
      self.y = y
```

Vector Class

In [2]:

```
class Vector:
   # ----- Varaiables START ----- #
   x = 0.0
   y = 0.0
   # ----- Varaiables END ----- #
   # ----- Constructor START ----- #
   \label{eq:def_init} \textbf{def} \ \_ \texttt{init} \_ \texttt{( self , x , y ):}
      self.x = x
      self.y = y
   # ----- Constructor END ----- #
   # ----- Print Functions START ----- #
   def __repr__(self):
      return "< %f , %f >" % (self.x, self.y)
   def __str__(self):
      return "< %f , %f >" % (self.x, self.y)
   # ----- Print Functions END -----
```

Cross Product

```
In [3]:
```

```
def CrossProduct( a: Vector , b: Vector) -> float:
    return a.x * b.y - a.y * b.x
```

```
In [4]:
```

```
print( CrossProduct( Vector( 1 ,-1 ) , Vector( 2 , 3 ) ) )
print( CrossProduct( Vector( 2 , 0 ) , Vector( 0 , 2 ) ) )
print( CrossProduct( Vector( 1 , 3 ) , Vector( 4 , 4 ) ) )
```

```
5
4
-8
```

Dot Product

```
In [5]:
```

```
def DotProduct( a: Vector , b: Vector) -> float:
    return a.x * b.x + a.y * b.y
```

```
In [6]:
```

```
V1 , V2 = Vector(1,-1) , Vector(2,3)
print( DotProduct( V1, V2 ) )

V1 , V2 = Vector(2,0) , Vector(0,2)
print( DotProduct( V1 , V2 ) )

V1 , V2 = Vector(1,3) , Vector(4,4)
print( DotProduct( V1 , V2 ))
```

-1 0 16

Collinear

```
In [7]:
```

```
def IsCollinear( P1 : Point , P2 : Point , P3 : Point ) -> bool:
    return (P3.y - P2.y)*(P2.x - P1.x) - (P2.y - P1.y)*(P3.x - P2.x) == 0.0
```

```
In [8]:
```

```
P1 , P2 , P3 = Point(-5,7) , Point(-4,5) , Point(1,-5) print(IsCollinear( P1 , P2 , P3 ))

P1 , P2 , P3 = Point(2,4) , Point(4,6) , Point(6,9) print(IsCollinear( P1 , P2 , P3 ))
```

True False

Relate

```
In [9]:
```

```
def Relate( P1 : Point , P2 : Point , P3 : Point ):
    print( (P3.y - P2.y)*(P2.x - P1.x) - (P2.y - P1.y)*(P3.x - P2.x) )
```

```
In [10]:
```

```
P1 , P2 , P3 = Point(-5,7) , Point(-4,5) , Point(1,-5)

Relate(P1,P2,P3)

P1 , P2 , P3 = Point(-30,10), Point(29,-15), Point(15,28)

Relate(P1,P2,P3)
```

```
P1 , P2 , P3 = Point(5,8), Point(3,5), Point(1,3)
Relate(P1, P2, P3)
0
2187
-2
```

Intersection

```
In [11]:
```

```
def Intersection( P1 : Point , P2 : Point , P3 : Point , P4 : Point , P5 : Point ):
              D = (P2.x - P1.x)*(P3.y - P4.y) - (P1.y - P2.y)*(P4.x - P3.x)
              Dx = (P1.y*P2.x - P1.x*P2.y)*(P3.y - P4.y) - (P1.y - P2.y)*(P3.y*P4.x - P3.x*P4.y)
             Dy = (P2.x - P1.x) * (P3.y*P4.x - P3.x*P4.y) - (P1.y*P2.x - P1.x*P2.y) * (P4.x - P3.x) + (P3.y*P4.x - P3.x) + (P
             if D == 0.0 and Dx != 0.0 and Dy != 0.0:
                          {f return} \ 1
             elif D == Dx == Dy == 0.0:
                         return 2
              else:
                           P5.update(Dx/D, Dy/D)
                           return 3
P1 , P2 , P3 , P4 , P5 = Point(2,4) , Point(4,8) , Point(1,7) , Point(3,11) , Point(0,0)
print(Intersection(P1 , P2 , P3 , P4 , P5))
P1 , P2 , P3 , P4 , P5 = Point(2,4) , Point(4,8) , Point(6,12) , Point(8,16) , Point(0,0)
print(Intersection(P1 , P2 , P3 , P4 , P5))
P1 , P2 , P3 , P4 , P5 = Point(1,1) , Point(-5,5) , Point(-9,3) , Point(-4,2) , Point(0,0)
print(Intersection(P1 , P2 , P3 , P4 , P5))
print(P5)
1
2
(1.000000 , 1.000000 )
In [ ]:
```