

COnvex Optimization

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```
% Q6:

clear; clc; close all;
% Load Data:
run('planning_data.m');
```

First Case:

```
cvx_begin
variable q(n); % quantity of products
variable r(m); % amount of raw material

% Constraints:
S = min(q*ones(1,K),D); % finding minimum of q,D (same as d)

q >= 0;
r >= 0;
r >= A*q;

% vector pi is given as init points:
maximize(p'*S*pi - c'*r) % Objective function :pT.min(q,d)-CTr

cvx_end % having given probabilities as (pi)
```

Calling SDPT3 4.0: 1525 variables, 760 equality constraints

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num. of constraints = 760
dim. of linear var  = 1525
*****
SDPT3: Infeasible path-following algorithms
*****
version predcorr gam expon scale_data
NT 1 0.000 1 0

it pstep dstep pinfeas dinfeas gap prim-obj dual-obj cputime
-----
0|0.000|0.000|3.8e+02|2.7e+02|1.9e+07| 3.573278e+04 0.000000e+00| 0:0:00| spchol 1 1
1|0.984|0.958|6.2e+00|1.2e+01|8.5e+05| 3.565719e+04 3.747622e+01| 0:0:00| spchol 1 1
2|1.000|0.722|3.3e-06|3.4e+00|2.7e+05| 3.407038e+04 6.463390e+01| 0:0:00| spchol 1 1
3|1.000|0.506|7.5e-07|1.7e+00|2.1e+05| 4.137193e+04 5.420024e+01| 0:0:00| spchol 1 1
4|1.000|0.569|4.2e-06|7.9e-01|1.3e+05| 3.767296e+04 4.015091e+01| 0:0:00| spchol 1 1
5|1.000|0.541|7.4e-07|3.8e-01|7.3e+04| 2.779119e+04 2.815022e+01| 0:0:00| spchol 1 1
6|1.000|0.904|7.6e-07|5.0e-02|2.4e+04| 1.831940e+04 1.586156e+01| 0:0:00| spchol 1 1
7|0.992|1.000|1.8e-07|7.8e-03|1.1e+03| 1.018374e+03 1.425959e+01| 0:0:00| spchol 1 1
8|0.790|1.000|4.1e-08|2.3e-03|4.3e+02| 4.386876e+02 1.669046e+01| 0:0:00| spchol 1 1
9|0.909|0.335|3.6e-09|1.8e-03|3.3e+02| 3.421887e+02 2.058200e+01| 0:0:00| spchol 1 1
10|1.000|0.065|7.3e-13|1.7e-03|3.6e+02| 3.746461e+02 2.483489e+01| 0:0:00| spchol 1 1
11|1.000|0.604|1.5e-14|7.1e-04|2.3e+02| 2.609557e+02 3.003224e+01| 0:0:00| spchol 1 1
```

```

12|1.000|0.763|3.1e-14|1.8e-04|1.6e+02| 2.000307e+02  3.595834e+01| 0:0:00| spchol 1 1
13|1.000|0.424|3.7e-14|1.1e-04|1.2e+02| 1.608500e+02  3.919877e+01| 0:0:00| spchol 1 1
14|0.977|0.656|1.7e-14|3.7e-05|6.6e+01| 1.107615e+02  4.453621e+01| 0:0:00| spchol 1 1
15|1.000|0.592|2.3e-14|1.5e-05|4.9e+01| 9.807636e+01  4.924676e+01| 0:0:00| spchol 1 1
16|0.945|0.602|3.0e-14|6.1e-06|2.8e+01| 8.046958e+01  5.257839e+01| 0:0:00| spchol 1 1
17|1.000|0.527|4.3e-14|2.9e-06|2.1e+01| 7.575319e+01  5.452713e+01| 0:0:00| spchol 1 1
18|0.507|0.410|2.5e-14|1.7e-06|1.7e+01| 7.300921e+01  5.564605e+01| 0:0:00| spchol 1 1
19|1.000|0.656|5.0e-14|5.8e-07|1.3e+01| 7.027143e+01  5.708722e+01| 0:0:00| spchol 1 1
20|1.000|0.885|2.7e-14|6.7e-08|8.5e+00| 6.738084e+01  5.887237e+01| 0:0:00| spchol 1 1
21|0.817|0.694|4.9e-14|2.0e-08|5.3e+00| 6.519647e+01  5.994613e+01| 0:0:00| spchol 1 1
22|0.648|1.000|3.3e-14|1.0e-12|3.4e+00| 6.429338e+01  6.085707e+01| 0:0:00| spchol 1 1
23|0.929|0.714|6.5e-14|1.3e-12|2.1e+00| 6.325819e+01  6.116480e+01| 0:0:00| spchol 1 1
24|1.000|1.000|6.0e-14|1.0e-12|9.8e-01| 6.265993e+01  6.167756e+01| 0:0:00| spchol 1 1
25|0.532|0.892|3.5e-14|1.1e-12|7.0e-01| 6.252605e+01  6.182766e+01| 0:0:00| spchol 1 1
26|0.719|0.368|1.1e-13|1.7e-12|5.4e-01| 6.240182e+01  6.186342e+01| 0:0:00| spchol 1 1
27|1.000|0.633|1.4e-13|1.6e-12|3.2e-01| 6.226311e+01  6.194078e+01| 0:0:00| spchol 1 1
28|1.000|1.000|9.1e-14|1.0e-12|1.5e-01| 6.219488e+01  6.204928e+01| 0:0:00| spchol 1 1
29|0.959|1.000|1.7e-13|1.0e-12|1.8e-02| 6.212856e+01  6.211029e+01| 0:0:00| spchol 1 1
30|0.982|0.985|1.1e-13|1.0e-12|3.1e-04| 6.211815e+01  6.211784e+01| 0:0:00| spchol 1 1
31|0.990|0.991|9.8e-14|1.0e-12|6.6e-06| 6.211795e+01  6.211795e+01| 0:0:00| spchol 1 1
32|0.991|0.992|1.7e-13|1.0e-12|1.3e-07| 6.211795e+01  6.211795e+01| 0:0:01|
stop: max(relative gap, infeasibilities) < 1.49e-08

```

```

-----
number of iterations    = 32
primal objective value  =  6.21179509e+01
dual  objective value  =  6.21179508e+01
gap := trace(XZ)        = 1.28e-07
relative gap           = 1.02e-09
actual relative gap    = 1.02e-09
rel. primal infeas (scaled problem) = 1.72e-13
rel. dual      "      "      "      = 1.01e-12
rel. primal infeas (unscaled problem) = 0.00e+00
rel. dual      "      "      "      = 0.00e+00
norm(X), norm(y), norm(Z) = 2.2e+02, 1.4e+00, 4.7e+00
norm(A), norm(b), norm(C) = 6.4e+01, 7.1e+01, 5.7e+00
Total CPU time (secs)    = 0.51
CPU time per iteration  = 0.02
termination code         = 0
DIMACS: 5.5e-13  0.0e+00  4.7e-12  0.0e+00  1.0e-09  1.0e-09
-----

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-----
Status: Solved
Optimal value (cvx_optval): +114.331

```

```
rI = r % see the amount of materials
```

```

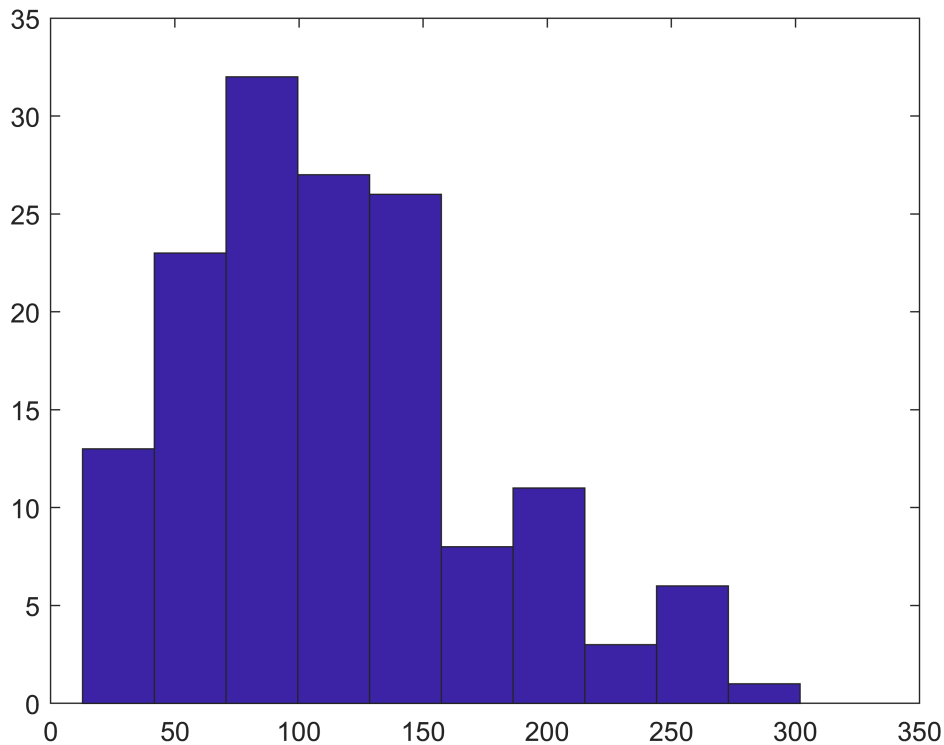
rI = 10x1
45.5203
65.8287
44.6489
76.6555
71.9572
77.8437
59.2585
61.8943
83.2460
73.0732

```

```
fprintf('<CVX_optimal Value = Profit = "%f"\n',cvx_optval)
```

```
<CVX_optimal Value = Profit = "114.331327"
```

```
% Profit from this kind of viewing at problem:  
profit1 = p'*S - c'*r; % keeping  
nbins = 10;  
hist(profit1, nbins)%%
```



Second Problem:

```
cvx_begin  
variable q(n, K); % quantity of products  
variable r(m); % amount of raw material  
  
% Constraints:  
S = min(q, D); % finding minimum of q,D (same as d)  
  
q >= 0;  
r >= 0;  
%r >= A*q;  
r*ones(1,K) >= A*q;  
  
% vector pi is given as init points:  
maximize(p'*S*pi - c'*r) % Objective function :pT.min(q,d)-CTr  
  
cvx_end % having given probabilities as (pi)
```

Calling SDPT3 4.0: 3760 variables, 1510 equality constraints
 For improved efficiency, SDPT3 is solving the dual problem.

num. of constraints = 1510
 dim. of linear var = 3760

SDPT3: Infeasible path-following algorithms

| | | | | | | | | |
|---------|----------|-------|-------|------------|--|--|--|--|
| version | predcorr | gam | expon | scale_data | | | | |
| NT | 1 | 0.000 | 1 | 0 | | | | |

| it | pstep | dstep | pinfeas | dinfeas | gap | prim-obj | dual-obj | cputime | | | |
|----|-------|-------|---------|---------|---------|---------------|---------------|---------|--------|---|---|
| 0 | 0.000 | 0.000 | 1.5e+04 | 6.2e+01 | 1.6e+07 | -7.258741e+04 | 0.000000e+00 | 0:0:00 | spchol | 1 | 1 |
| 1 | 0.146 | 1.000 | 1.3e+04 | 2.6e-01 | 2.0e+07 | -5.998374e+04 | -1.185476e+04 | 0:0:00 | spchol | 1 | 1 |
| 2 | 0.976 | 1.000 | 3.1e+02 | 7.8e-02 | 4.9e+05 | -1.466577e+03 | -1.184934e+04 | 0:0:00 | spchol | 1 | 1 |
| 3 | 0.942 | 1.000 | 1.8e+01 | 7.8e-03 | 3.7e+04 | -1.467188e+02 | -1.003753e+04 | 0:0:00 | spchol | 1 | 1 |
| 4 | 0.291 | 0.656 | 1.3e+01 | 3.2e-03 | 2.9e+04 | -9.697934e+01 | -4.886170e+03 | 0:0:00 | spchol | 1 | 1 |
| 5 | 0.978 | 0.980 | 2.8e-01 | 1.4e-04 | 2.1e+03 | -1.776180e+01 | -1.675755e+03 | 0:0:00 | spchol | 1 | 1 |
| 6 | 0.944 | 0.898 | 1.5e-02 | 2.1e-05 | 2.4e+02 | -1.632327e+01 | -2.466606e+02 | 0:0:00 | spchol | 1 | 1 |
| 7 | 0.537 | 0.861 | 7.1e-03 | 3.1e-03 | 1.3e+02 | -1.788092e+01 | -1.445543e+02 | 0:0:00 | spchol | 1 | 1 |
| 8 | 0.281 | 0.733 | 5.1e-03 | 2.2e-03 | 1.1e+02 | -2.144092e+01 | -1.283367e+02 | 0:0:00 | spchol | 1 | 1 |
| 9 | 0.215 | 0.205 | 4.0e-03 | 2.8e-03 | 1.0e+02 | -2.355710e+01 | -1.242026e+02 | 0:0:00 | spchol | 1 | 1 |
| 10 | 0.361 | 0.384 | 2.6e-03 | 2.5e-03 | 9.8e+01 | -2.782736e+01 | -1.227482e+02 | 0:0:00 | spchol | 1 | 1 |
| 11 | 0.155 | 0.216 | 2.2e-03 | 2.5e-03 | 8.9e+01 | -2.766575e+01 | -1.146408e+02 | 0:0:00 | spchol | 1 | 1 |
| 12 | 0.433 | 0.790 | 1.2e-03 | 9.6e-04 | 6.6e+01 | -3.081874e+01 | -9.616024e+01 | 0:0:00 | spchol | 1 | 1 |
| 13 | 0.485 | 0.190 | 6.3e-04 | 1.0e-03 | 6.3e+01 | -3.206499e+01 | -9.487047e+01 | 0:0:00 | spchol | 1 | 1 |
| 14 | 0.290 | 0.618 | 4.5e-04 | 5.2e-04 | 5.1e+01 | -3.314970e+01 | -8.398570e+01 | 0:0:00 | spchol | 1 | 1 |
| 15 | 0.351 | 0.637 | 2.9e-04 | 2.8e-04 | 4.1e+01 | -3.503734e+01 | -7.570962e+01 | 0:0:00 | spchol | 1 | 1 |
| 16 | 0.502 | 0.291 | 1.5e-04 | 2.6e-04 | 3.8e+01 | -3.679118e+01 | -7.488895e+01 | 0:0:00 | spchol | 1 | 1 |
| 17 | 0.190 | 0.274 | 1.2e-04 | 2.1e-04 | 3.4e+01 | -3.731232e+01 | -7.169873e+01 | 0:0:00 | spchol | 1 | 1 |
| 18 | 0.507 | 1.000 | 5.8e-05 | 2.4e-05 | 2.6e+01 | -3.919935e+01 | -6.524879e+01 | 0:0:00 | spchol | 1 | 1 |
| 19 | 0.187 | 0.166 | 4.7e-05 | 3.1e-05 | 2.5e+01 | -3.943076e+01 | -6.399537e+01 | 0:0:00 | spchol | 1 | 1 |
| 20 | 0.553 | 1.000 | 2.1e-05 | 9.5e-06 | 1.6e+01 | -4.145426e+01 | -5.759921e+01 | 0:0:00 | spchol | 1 | 1 |
| 21 | 0.276 | 0.596 | 1.5e-05 | 8.0e-06 | 1.5e+01 | -4.225921e+01 | -5.709014e+01 | 0:0:00 | spchol | 1 | 1 |
| 22 | 0.393 | 0.887 | 9.3e-06 | 4.0e-06 | 1.2e+01 | -4.311258e+01 | -5.478006e+01 | 0:0:00 | spchol | 1 | 1 |
| 23 | 0.557 | 0.797 | 4.1e-06 | 2.7e-06 | 1.0e+01 | -4.437173e+01 | -5.443686e+01 | 0:0:00 | spchol | 1 | 1 |
| 24 | 0.566 | 0.816 | 1.8e-06 | 1.3e-06 | 7.2e+00 | -4.548192e+01 | -5.267137e+01 | 0:0:00 | spchol | 1 | 1 |
| 25 | 0.293 | 0.827 | 1.3e-06 | 5.9e-07 | 6.0e+00 | -4.598746e+01 | -5.203592e+01 | 0:0:00 | spchol | 1 | 1 |
| 26 | 0.545 | 1.000 | 5.7e-07 | 2.5e-07 | 4.5e+00 | -4.686168e+01 | -5.137651e+01 | 0:0:00 | spchol | 1 | 1 |
| 27 | 0.581 | 0.953 | 2.4e-07 | 1.3e-07 | 3.6e+00 | -4.746116e+01 | -5.104690e+01 | 0:0:00 | spchol | 1 | 1 |
| 28 | 0.470 | 1.000 | 1.3e-07 | 4.8e-08 | 2.4e+00 | -4.805894e+01 | -5.049056e+01 | 0:0:00 | spchol | 1 | 1 |
| 29 | 0.963 | 0.628 | 4.7e-09 | 4.3e-08 | 1.4e+00 | -4.897208e+01 | -5.036082e+01 | 0:0:00 | spchol | 1 | 1 |
| 30 | 0.501 | 0.861 | 2.3e-09 | 7.0e-09 | 1.0e+00 | -4.910990e+01 | -5.014443e+01 | 0:0:00 | spchol | 1 | 1 |
| 31 | 0.621 | 1.000 | 8.8e-10 | 4.7e-10 | 7.9e-01 | -4.926662e+01 | -5.005805e+01 | 0:0:00 | spchol | 1 | 1 |
| 32 | 0.530 | 0.843 | 4.2e-10 | 2.5e-10 | 6.8e-01 | -4.934396e+01 | -5.002601e+01 | 0:0:00 | spchol | 1 | 1 |
| 33 | 0.944 | 1.000 | 2.3e-11 | 8.3e-11 | 4.3e-01 | -4.953493e+01 | -4.996840e+01 | 0:0:00 | spchol | 1 | 1 |
| 34 | 0.443 | 0.749 | 1.3e-11 | 2.5e-11 | 3.1e-01 | -4.961197e+01 | -4.992488e+01 | 0:0:00 | spchol | 1 | 1 |
| 35 | 0.276 | 1.000 | 9.4e-12 | 2.6e-12 | 2.8e-01 | -4.963249e+01 | -4.991210e+01 | 0:0:00 | spchol | 1 | 1 |
| 36 | 1.000 | 1.000 | 4.7e-15 | 1.9e-12 | 1.1e-01 | -4.976741e+01 | -4.988223e+01 | 0:0:00 | spchol | 1 | 1 |
| 37 | 1.000 | 0.855 | 3.9e-14 | 1.3e-12 | 1.5e-02 | -4.984399e+01 | -4.985862e+01 | 0:0:00 | spchol | 1 | 1 |
| 38 | 0.961 | 0.977 | 1.5e-14 | 1.0e-12 | 5.9e-04 | -4.985141e+01 | -4.985200e+01 | 0:0:00 | spchol | 1 | 1 |
| 39 | 0.992 | 0.989 | 1.1e-12 | 1.0e-12 | 2.0e-05 | -4.985179e+01 | -4.985181e+01 | 0:0:00 | spchol | 1 | 1 |
| 40 | 0.994 | 0.991 | 5.5e-13 | 1.0e-12 | 3.7e-07 | -4.985181e+01 | -4.985181e+01 | 0:0:00 | spchol | 1 | 1 |

stop: max(relative gap, infeasibilities) < 1.49e-08

number of iterations = 40
 primal objective value = -4.98518075e+01
 dual objective value = -4.98518079e+01
 gap := trace(XZ) = 3.67e-07
 relative gap = 3.65e-09
 actual relative gap = 3.65e-09
 rel. primal infeas (scaled problem) = 5.46e-13

```

rel. dual      "      "      "      = 1.01e-12
rel. primal infeas (unscaled problem) = 0.00e+00
rel. dual      "      "      "      = 0.00e+00
norm(X), norm(y), norm(Z) = 4.6e+00, 2.1e+02, 9.7e+02
norm(A), norm(b), norm(C) = 5.0e+02, 5.7e+00, 7.1e+01
Total CPU time (secs) = 0.34
CPU time per iteration = 0.01
termination code = 0
DIMACS: 2.5e-12  0.0e+00  3.2e-12  0.0e+00  3.6e-09  3.6e-09
-----

```

```

-----
Status: Solved
Optimal value (cvx_optval): +133.039

```

```

rI = r % see the amount of materials

```

```

rI = 10x1
65.6924
59.6062
55.1515
70.7618
69.7342
68.3545
55.3436
57.3714
63.7671
66.1721

```

```

fprintf('<CVX_optimal Value = Profit = "%f"\n',cvx_optval)

```

```

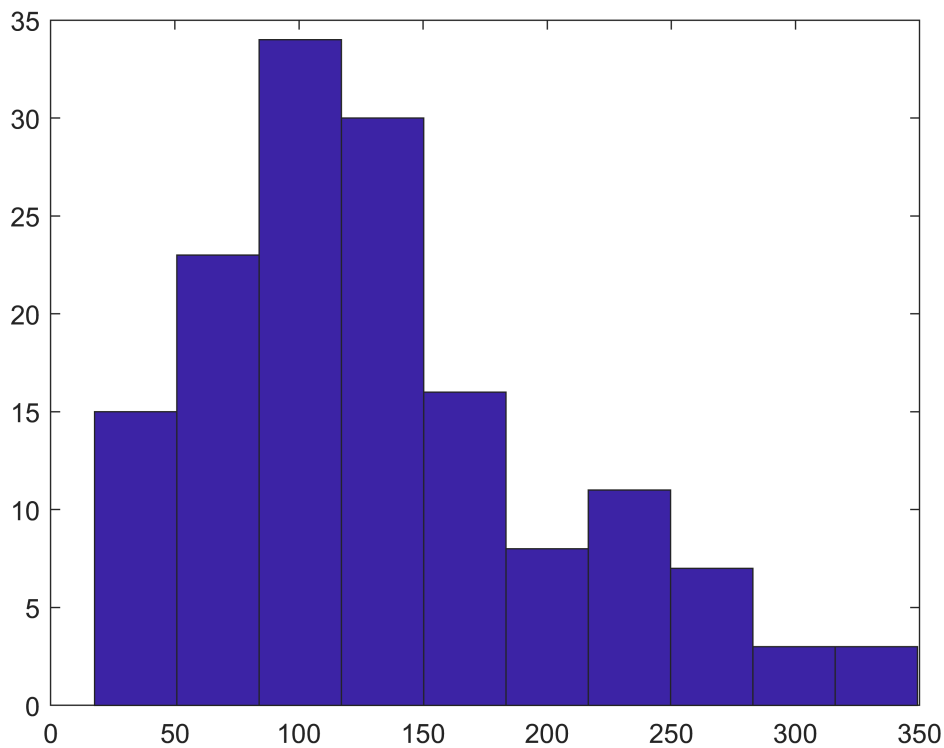
<CVX_optimal Value = Profit = "133.039255"

```

```

% Profit from this kind of viewing at problem:
profit2 = p'*S - c'*r; % keeping
nbins = 10;
hist(profit2, nbins)

```



```

r = rI; % Having rI from previous step
cvx_begin
    variable q(n, K); % quantity of products paired with demands
    r*ones(1,K) >= A*q; q >= 0; S = min(q, D);
    maximize(p'*S*pi - c'*r)% Same Objective as ever!
cvx_end

```

Calling SDPT3 4.0: 3750 variables, 1500 equality constraints
 For improved efficiency, SDPT3 is solving the dual problem.

```

num. of constraints = 1500
dim. of linear var  = 3750
*****
SDPT3: Infeasible path-following algorithms
*****
version  predcorr  gam  expon  scale_data
NT      1      0.000  1      0
it pstep dstep pinfeas dinfeas  gap      prim-obj      dual-obj      cputime
-----
0|0.000|0.000|1.4e+04|6.1e+01|5.6e+08| 5.732385e+06  0.000000e+00| 0:0:00| spchol  1  1
1|0.961|0.887|5.6e+02|6.8e+00|3.2e+07| 3.382605e+05 -2.556678e+05| 0:0:00| spchol  1  1
2|0.942|0.790|3.2e+01|1.4e+00|6.0e+06| 2.174498e+05 -3.145191e+05| 0:0:00| spchol  1  1
3|1.000|1.000|5.7e-05|6.7e-04|3.2e+05| 1.950165e+05 -1.187988e+05| 0:0:00| spchol  1  1
4|0.987|0.977|1.1e-06|2.2e-04|5.3e+03| 2.501419e+03 -2.781930e+03| 0:0:00| spchol  1  1
5|0.956|0.880|5.0e-08|4.5e-05|1.1e+03| 4.726241e+02 -6.211641e+02| 0:0:00| spchol  1  1
6|0.997|0.570|3.4e-10|2.0e-05|7.2e+02| 3.155087e+02 -4.064351e+02| 0:0:00| spchol  1  1
7|1.000|0.926|5.7e-11|1.7e-06|3.1e+02| 1.626336e+02 -1.471369e+02| 0:0:00| spchol  1  1
8|0.942|0.902|7.4e-12|1.9e-07|1.8e+02| 8.421589e+01 -9.631459e+01| 0:0:00| spchol  1  1
9|1.000|0.761|3.2e-12|4.6e-08|9.6e+01| 3.563096e+01 -6.029864e+01| 0:0:00| spchol  1  1

```

```

10|1.000|0.988|1.7e-16|7.7e-10|4.6e+01| 1.040233e+01 -3.601334e+01| 0:0:00| spchol 1 1
11|1.000|0.899|1.5e-16|9.7e-11|2.4e+01|-3.877482e+00 -2.758338e+01| 0:0:00| spchol 1 1
12|1.000|1.000|1.6e-16|3.0e-12|1.1e+01|-1.164452e+01 -2.254326e+01| 0:0:00| spchol 1 1
13|1.000|1.000|3.0e-16|1.2e-12|4.7e+00|-1.579254e+01 -2.049926e+01| 0:0:00| spchol 1 1
14|1.000|1.000|2.5e-16|1.0e-12|1.0e+00|-1.838432e+01 -1.941346e+01| 0:0:00| spchol 1 1
15|0.833|1.000|2.7e-16|1.0e-12|2.8e-01|-1.890154e+01 -1.917774e+01| 0:0:00| spchol 1 1
16|0.977|0.987|5.1e-16|1.0e-12|1.0e-02|-1.912402e+01 -1.913425e+01| 0:0:00| spchol 1 1
17|0.988|0.988|4.7e-16|1.0e-12|1.2e-04|-1.913245e+01 -1.913257e+01| 0:0:00| spchol 1 1
18|0.994|0.958|5.2e-16|1.0e-12|4.0e-06|-1.913255e+01 -1.913255e+01| 0:0:00| spchol 1 1
19|0.839|0.979|1.9e-15|1.0e-12|1.1e-06|-1.913255e+01 -1.913255e+01| 0:0:00| spchol 1 1
20|0.982|1.000|5.7e-16|1.0e-12|3.1e-07|-1.913255e+01 -1.913255e+01| 0:0:00|

```

```

stop: max(relative gap, infeasibilities) < 1.49e-08

```

```

-----
number of iterations      = 20
primal objective value    = -1.91325530e+01
dual   objective value    = -1.91325533e+01
gap := trace(XZ)          = 3.09e-07
relative gap              = 7.87e-09
actual relative gap       = 7.75e-09
rel. primal infeas (scaled problem) = 5.75e-16
rel. dual      "      "      "      = 1.00e-12
rel. primal infeas (unscaled problem) = 0.00e+00
rel. dual      "      "      "      = 0.00e+00
norm(X), norm(y), norm(Z) = 4.6e+00, 6.7e+01, 9.5e+02
norm(A), norm(b), norm(C) = 5.0e+02, 5.7e+00, 2.5e+03
Total CPU time (secs)    = 0.17
CPU time per iteration    = 0.01
termination code          = 0
DIMACS: 2.6e-15  0.0e+00  3.4e-11  0.0e+00  7.7e-09  7.9e-09
-----

```

```

-----
Status: Solved
Optimal value (cvx_optval): +133.039

```

```

fprintf('<CVX_optimal Value = Profit =  "%f"\n',cvx_optval)

```

```

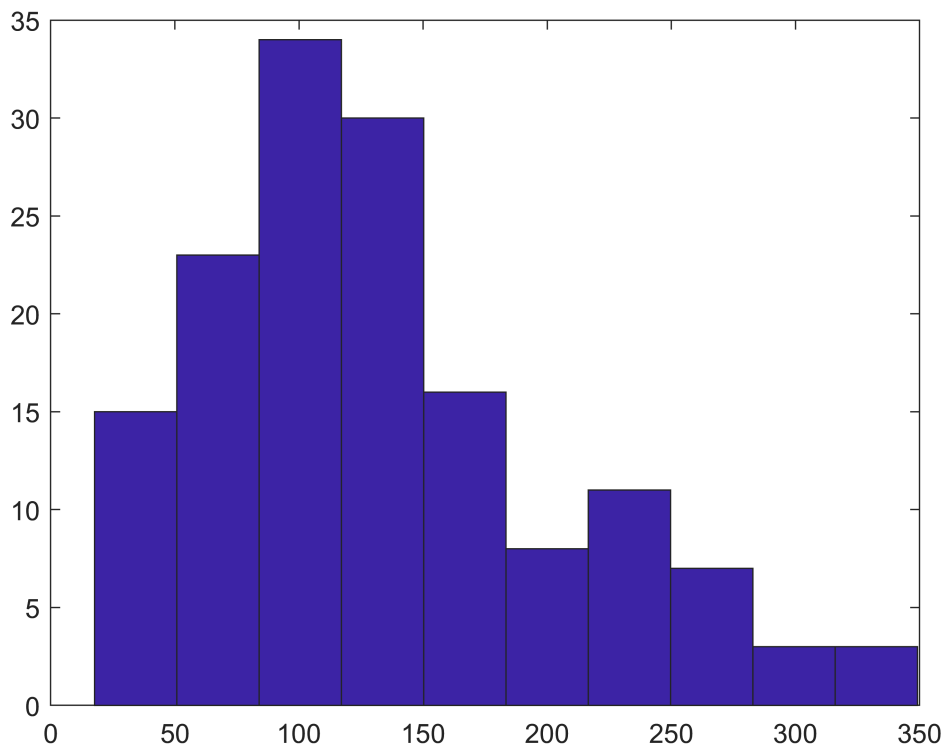
<CVX_optimal Value = Profit =  "133.039255"

```

```

% Profit from this kind of viewing at problem:
profit2_rI = p'*S - c'*r; % keeping
nbins = 10;
hist(profit2_rI, nbins)

```



Final Point of View:

```
cvx_begin
variable r(m, K); % amount of raw material for each demands
variable q(n, K); % quantity of products paired with demands

    S = min(q, D); r >= A*q; r >= 0;  q >= 0;

    maximize((p'*S - c'*r)*pi)
cvx_end
```

Calling SDPT3 4.0: 5250 variables, 2250 equality constraints

```
-----
num. of constraints = 2250
dim. of linear var  = 5250
*****
SDPT3: Infeasible path-following algorithms
*****
version  predcorr  gam  expon  scale_data
NT      1      0.000  1      0

it pstep dstep pinfeas dinfeas  gap      prim-obj      dual-obj      cputime
-----
0|0.000|0.000|8.1e+03|6.8e+02|2.2e+08| 2.811282e+02  0.000000e+00| 0:0:00| spchol  1  1
1|0.964|0.946|2.9e+02|3.8e+01|1.2e+07| 6.393142e+04 -2.087654e+02| 0:0:00| spchol  1  1
2|1.000|0.814|4.5e-05|7.2e+00|2.6e+06| 7.314090e+04 -1.260577e+02| 0:0:00| spchol  1  1
3|1.000|1.000|1.9e-05|1.2e-01|9.6e+04| 5.559950e+04 -9.626541e+01| 0:0:00| spchol  1  1
4|0.980|1.000|5.7e-07|6.2e-02|5.8e+03| 1.173726e+03 -9.701235e+01| 0:0:00| spchol  1  1
5|0.981|0.801|1.8e-07|3.7e-02|1.4e+03| 1.139459e+02 -1.050911e+02| 0:0:00| spchol  1  1
```



```

6|0.611|0.802|8.6e-08|2.0e-02|7.5e+02| 5.747582e+01 -1.287660e+02| 0:0:00| spchol 1 1
7|0.377|0.517|5.5e-08|1.4e-02|5.2e+02| 1.085780e+01 -1.388862e+02| 0:0:00| spchol 1 1
8|0.891|0.933|8.2e-09|4.6e-03|2.2e+02| -6.500176e+01 -1.601409e+02| 0:0:00| spchol 1 1
9|0.706|0.728|2.7e-09|2.7e-03|1.0e+02| -1.104409e+02 -1.611778e+02| 0:0:00| spchol 1 1
10|0.744|1.000|7.0e-10|5.9e-04|4.9e+01| -1.279649e+02 -1.659733e+02| 0:0:00| spchol 1 1
11|0.872|0.986|8.9e-11|1.8e-04|7.5e+00| -1.569795e+02 -1.629561e+02| 0:0:00| spchol 1 1
12|1.000|0.856|2.3e-14|7.1e-05|2.5e+00| -1.599952e+02 -1.619483e+02| 0:0:00| spchol 1 1
13|1.000|0.917|1.1e-14|2.0e-05|3.9e-01| -1.612381e+02 -1.614966e+02| 0:0:00| spchol 1 1
14|0.932|0.976|1.9e-14|5.1e-06|3.5e-02| -1.614049e+02 -1.614069e+02| 0:0:00| spchol 1 1
15|0.984|0.984|9.4e-14|1.5e-06|5.6e-04| -1.614270e+02 -1.614181e+02| 0:0:00| spchol 1 1
16|0.996|0.998|2.3e-12|3.2e-09|9.0e-06| -1.614274e+02 -1.614274e+02| 0:0:00| spchol 1 1
17|0.997|1.000|4.0e-13|1.5e-12|1.2e-07| -1.614274e+02 -1.614274e+02| 0:0:00|
stop: max(relative gap, infeasibilities) < 1.49e-08

```

```

-----
number of iterations    = 17
primal objective value = -1.61427376e+02
dual  objective value = -1.61427376e+02
gap := trace(XZ)        = 1.16e-07
relative gap           = 3.57e-10
actual relative gap    = 3.27e-10
rel. primal infeas (scaled problem) = 3.97e-13
rel. dual      "      "      "      = 1.54e-12
rel. primal infeas (unscaled problem) = 0.00e+00
rel. dual      "      "      "      = 0.00e+00
norm(X), norm(y), norm(Z) = 1.9e+03, 4.3e+00, 4.3e+00
norm(A), norm(b), norm(C) = 5.0e+02, 7.1e+01, 7.7e+00
Total CPU time (secs) = 0.19
CPU time per iteration = 0.01
termination code      = 0
DIMACS: 1.3e-12  0.0e+00  9.5e-12  0.0e+00  3.3e-10  3.6e-10
-----

```

```

-----
Status: Solved
Optimal value (cvx_optval): +161.427

```

```
fprintf('<CVX_optimal Value = Profit = "%f"\n',cvx_optval)
```

```
<CVX_optimal Value = Profit = "161.427376"
```

```

% Profit from this kind of viewing at problem:
profit3 = p'*S - c'*r; % keeping
nbins = 10;
hist(profit3, nbins)

```

