

Binary Search Trees

Due

1) Binary search

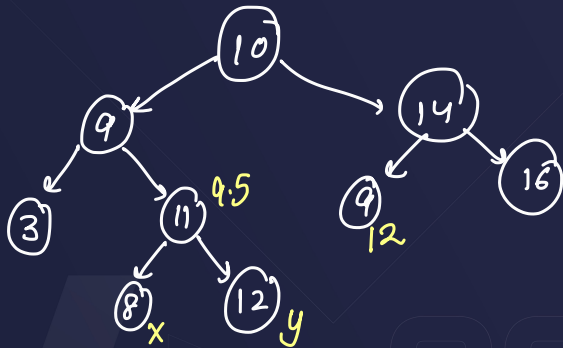
2) Binary Trees



any BT is BST if \rightarrow root.val < every value in RST
root.val > every val in LST

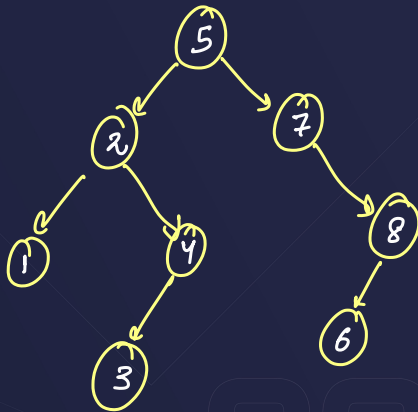
If it is BST or not.

Rules of BST



$$9 < x < 9.5$$

$$9.5 < y < 10$$

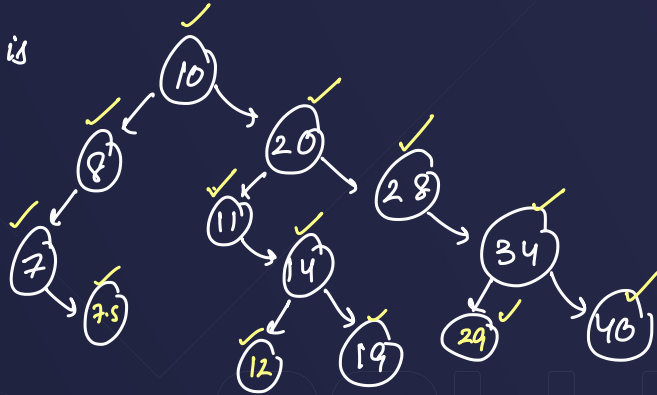


you have to
fill the
tree such
that

→ 1, 2, 3, 4 6, 7, 8

Is this a BST.

If not what is wrong



In a
BST all values are unique & always

Q₁ I have to make BST's of 2 nodes/size & values being 1 & 2. How many diff. BST's can exist?



Q₂ What about 3 nodes \rightarrow 1, 2, 3. How many BST's



2 nodes \rightarrow (1) & (2) . How many Binary Trees ?



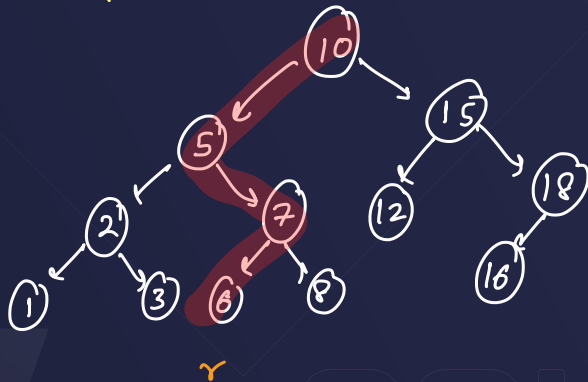
4 trees



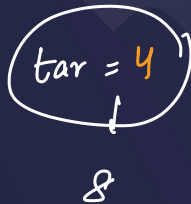
Homework: With 4



Q, Search in a B.S.T.



(root, target)



Balanced $\rightarrow O(\log n)$

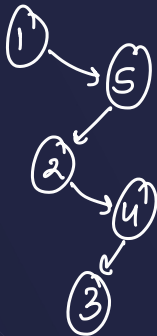


target = 1

↓
T.C. = $O(n)$

T.C. = $O(h)$

for every case

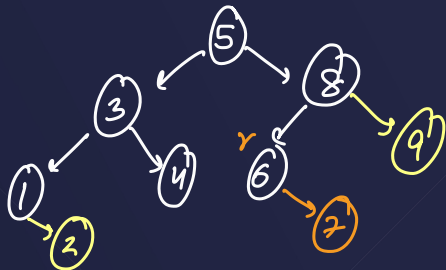


Degenerate Tree

\downarrow

$O(n)$

if we have to insert
7



val = 9
val = 2
val = 7

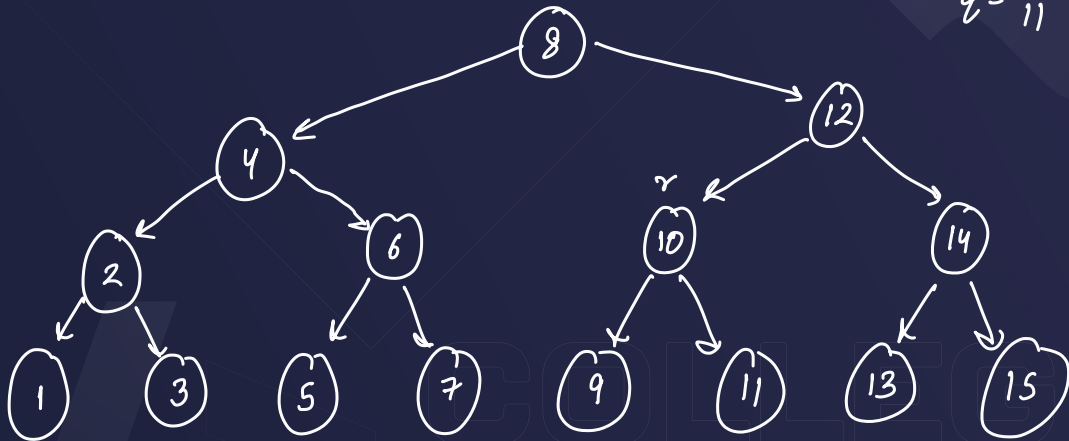


Inorder traversal of a BST is always sorted

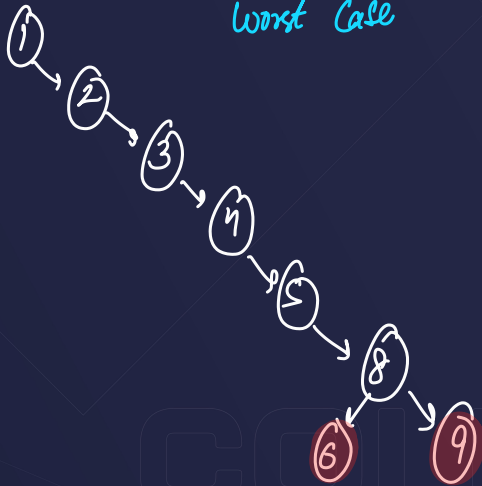
COLLEGE
WALLAH

LCA of a BST

$P = 9$
 $Q = 11$



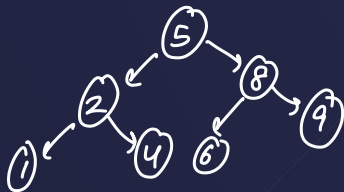
Worst Case



Validate a BST (is BST)

$$T.C. = O(n)$$

$$S.C. = O(h)$$



Ans : N 1 2 4 5 6 8 9
prev

Node prev = NULL;

```
public void inorder(TreeNode root){  
    if(root==null) return;  
    inorder(root.left);  
    if(prev!=null){  
        if(root.val<=prev.val){  
            flag = false;  
            return;  
        }  
    }  
    prev = root;  
    inorder(root.right);  
}
```

flag = ~~true~~ false

N 1 2 3 5 4 6 7 8
P