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Hw # 2

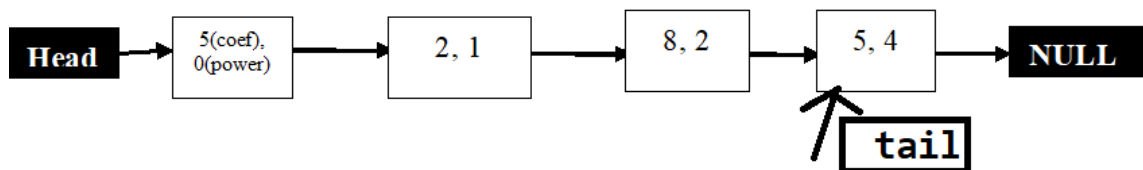
Deadline: 8/4/2021

Q1: Polynomials can be represented as a sorted linked list. Consider the Polynomial

$$F(x) = 5 + 2x + 9x^2 + 5x^3.$$

The Polynomial can be represented as a list of nodes which contain the coefficient and the power of x. The list is sorted in increasing order of power of x.

Write a complete C++ code that do the following:



- 1- Declare the structure **NODE** which represent coefficient and power as integers (private).
- 2- The class **Poly** that represents a single linked list with **head** and **tail** pointers (private). The class should include the following functions:
 - Default **Constructor**.
 - **Constructor** that takes integer arrays for coefficients and power. (Coeff_arr, Pow_arr)
 - **Destructor**
 - Write function to insert a node to the linked list sorted based on power. Make sure if there is a term with **the same entered power, then you should add them**.
 - Write function to delete a node from the linked list **based on the power**.
 - Write the function to overload the operator >> such that it reads and creates all nodes that represent the polynomial from a file or a user Keyboard.
 - Write the function to overload the operator << to print the polynomial represented by the list in a nice format on the console and output file.
 - Write the function **Eval** which returns the result of evaluation the polynomial for a value as an input parameter.
 - Add two **Poly** objects using **+** operator.
 - Write function that takes a linked list and then return the degree of polynomial (degree = highest power).
 - Merge two **Poly** objects into one object. Passed as a parameter. Check examples below.

Result example:

①

int A[] = {2, 4, 1, 3, 5} // Coefficient
 int B[] = {1, 2, 0, 3, 4} // Power

Poly F1(A, B, 5); // or from a file

=

cout << F1; // $1 + 2x^1 + 4x^2 + 3x^3 + 5x^4$
 cout << F1.Eval(1.5); // 28.1875
 cout << F1.degree(); // 4

②

Poly F2; //

$3x^2 + 1x^6 + 2x^7$

Poly F3;
 $F_3 = F_2 + F_1$

cout << F1; // $1 + 2x^1 + 4x^2 + 3x^3 + 5x^4$
 cout << F2; // $3x^2 + 1x^6 + 2x^7$
 cout << F3; // $1 + 2x^1 + 6x^2 + 3x^3 + 5x^4 + 1x^6 + 2x^7$

③

$F_1 = F_2$;
 cout << F1; // $3x^2 + 1x^6 + 2x^7$

④

Poly F1; // $1 + 2x^1 + 4x^2 + 3x^3 + 5x^4$
 Poly F2; // $3x^2 + 1x^6 + 2x^7$
 F1.merge(F2);
 cout << F1; // $1 + 2x^1 + 6x^2 + 3x^3 + 5x^4 + 1x^6 + 2x^7$
 cout << F2; // Empty Poly.