	Forecasting Assignment Data Set - Airlines_data 1. Import Necessary libraries
In [1]:	<pre>import pandas as pd import numpy as np from matplotlib import pyplot as plt import seaborn as sns import warnings</pre>
In [2]:	<pre>passengers_data = pd.read_excel('Airlines+Data.xlsx') passengers_data</pre>
Out[2]:	0 1995-01-01 112 1 1995-02-01 118 2 1995-03-01 132 3 1995-04-01 129
	4 1995-05-01 121 91 2002-08-01 405 92 2002-09-01 355 93 2002-10-01 306 94 2002-11-01 271
	95 2002-12-01 306 96 rows × 2 columns 3. Data Understanding
In [3]: Out[3]:	
	0 1995-01-01 112 1 1995-02-01 118 2 1995-03-01 132 3 1995-04-01 129 4 1995-05-01 121
In [4]: Out[4]: In [5]:	<pre>passengers_data.shape (96, 2) passengers_data.info() <class 'pandas.core.frame.dataframe'=""> RangeIndex: 96 entries, 0 to 95</class></pre>
In [6]:	Data columns (total 2 columns): # Column Non-Null Count Dtype 0 Month 96 non-null datetime64[ns] 1 Passengers 96 non-null int64 dtypes: datetime64[ns](1), int64(1) memory usage: 1.6 KB passengers_data.isna().sum()
<pre>In [6]: Out[6]: In [7]: Out[7]:</pre>	Month 0 Passengers 0 dtype: int64 passengers_data.describe()
	count 96.000000 mean 213.708333 std 71.918216 min 104.000000 25% 156.000000
In [8]: Out[8]:	50% 200.000000 75% 264.750000 max 413.000000 passengers_data.dtypes Month datetime64[ns]
In [9]: Out[9]: In [10]:	<pre>passengers int64 dtype: object passengers_data.columns Index(['Month', 'Passengers'], dtype='object') passengers_data.set_index('Month', inplace = True) passengers_data.head()</pre>
Out[10]:	
	1995-04-01 129 1995-05-01 121 3.2 Visualization using Lineplot for Passengers:
In [11]:	<pre>plt.figure(figsize = (8,5)) plt.xlabel("Date") plt.ylabel("Number of air passengers") ax = plt.axes() ax.set_facecolor("black") plt.plot(passengers_data['Passengers'], linewidth = 2)</pre>
	plt.show() 10 400- 988:
	Number of a significant states of the states
	3.3 Visualization using Histogram :
In [12]:	<pre>ax = plt.axes() ax.set_facecolor("black") passengers_data['Passengers'].hist(figsize = (8,5)) plt.show()</pre>
	17.5 15.0 12.5 10.0
	7.5
In [13]: In [14]:	3.4 Visualization using Lagplot : from pandas.plotting import lag_plot ax = plt.axes() ax.set_facecolor("black")
	ax.set_facecolor("black") lag_plot(passengers_data['Passengers']) plt.show() 400 - 350 -
	300 - 150 -
In [15]:	3.5 Visualization using TSA Plot : import statsmodels.graphics.tsaplots as tsa_plots
In [15]:	<pre>tsa_plots.plot_acf(passengers_data['Passengers'],lags = 12) tsa_plots.plot_pacf(passengers_data['Passengers'],lags = 12) plt.show()</pre> Autocorrelation
	1.00 0.75 - 0.50 - 0.25 - 0.000.25 -
	-0.25 -0.50 -0.75 -1.00 0 2 4 6 8 10 12 Partial Autocorrelation
	0.75 - 0.50 - 0.25 - 0.000.25 -
	-0.50 -0.75 -1.00 0 2 4 6 8 10 12
In [17]:	4. Data Driven Forecasting Methods from statsmodels.tsa.holtwinters import SimpleExpSmoothing from statsmodels.tsa.holtwinters import Holt from statsmodels.tsa.holtwinters import ExponentialSmoothing 4.1 Splitting Data:
In [18]:	Train = passengers_data.head(84) Test = passengers_data.tail(12) 4.2 Moving Average Method :
In [19]:	<pre>plt.figure(figsize = (15,5)) passengers_data['Passengers'].plot(label = "org") for i in range(2,8,2): passengers_data['Passengers'].rolling(i).mean().plot(label = str(i)) plt.legend(loc = 'best') plt.show()</pre>
	400 - org 2 - 4 - 5 - 6 - 5 - 6 - 6 - 6 - 6 - 6 - 6 - 6
	250 - 200 - 150 -
In [20]:	1995 1996 1997 1998 1999 2000 2001 2002 5. Time series decomposition plot from statsmodels.tsa.seasonal import seasonal_decompose
In [21]:	<pre>ts_decompose = seasonal_decompose(passengers_data.Passengers, period = 12) ts_decompose.plot() plt.show()</pre> Passengers
	1995 1996 1997 1998 1999 2000 2001 2002 1995 1996 1997 1998 1999 2000 2001 2002 1995 1996 1997 1998 1999 2000 2001 2002
	6. Evaluation Metric RMSE
In [22]: In [23]:	<pre>def RMSE(org, pred): rmse = np.sqrt(np.mean((np.array(org)-np.array(pred))**2)) return rmse import warnings warnings.filterwarnings('ignore')</pre>
In [24]: In [25]:	6.1 Simple Exponential Method: simple_model = SimpleExpSmoothing(Train["Passengers"]).fit() pred_simple_model = simple_model.predict(start = Test.index[0],end = Test.index[-1]) rmse_simple_model = RMSE(Test.Passengers, pred_simple_model) print('RMSE Value of Simple Exponential :',rmse_simple_model)
In [26]:	<pre>RMSE Value of Simple Exponential : 68.00674031350329 6.2 Holt method : holt_model = Holt(Train["Passengers"]).fit() pred_holt_model = holt_model.predict(start = Test.index[0], end = Test.index[-1])</pre>
In [27]:	rmse_holt_model = RMSE(Test.Passengers, pred_holt_model) print('RMSE Value of Holt :',rmse_holt_model) RMSE Value of Holt : 58.56209934996357 6.3 Holts winter exponential smoothing with additive seasonality and additive trend :
In [28]:	holt_model_add_add = ExponentialSmoothing(Train["Passengers"], seasonal = "add", trend = "add", seasonal_periods = 4).fit() pred_holt_add_add = holt_model_add_add.predict(start = Test.index[0], end = Test.index[-1]) rmse_holt_add_add_model = RMSE(Test.Passengers, pred_holt_add_add) print('RMSE Value of Holts add and add :',rmse_holt_add_add_model) RMSE Value of Holts add and add : 63.07585545619695
In [30]: In [31]:	<pre>print('RMSE Value of Holts Multi and add :',rmse_holt_model_multi_add_model)</pre>
	7. Model based Forecasting Methods 7. I Data propressessing for models:
<pre>In [32]: Out[32]:</pre>	7.1 Data preprocessing for models : passengers_data_1 = passengers_data.copy() passengers_data_1.head() Passengers Month
	1995-01-01 112 1995-02-01 118 1995-03-01 132 1995-04-01 129 1995-05-01 121
<pre>In [33]: Out[33]:</pre>	<pre>passengers_data_1["t"] = np.arange(1,97) passengers_data_1["t_squared"] = passengers_data_1["t"]*passengers_data_1["t"] passengers_data_1["log_psngr"] = np.log(passengers_data_1["Passengers"]) passengers_data_1.head() Passengers t t_squared log_psngr Month</pre> Month
	Month 1995-01-01 112 1 1 4.718499 1995-02-01 118 2 4 4.770685 1995-03-01 132 3 9 4.882802 1995-04-01 129 4 16 4.859812 1995-05-01 121 5 25 4.795791
In [34]:	7.2 Splitting data: Train = passengers_data_1.head(84) Test = passengers_data_1.tail(12) 7.3 Lipear Model:
In [35]: In [36]: In [37]:	<pre>7.3 Linear Model: import statsmodels.formula.api as smf linear_model = smf.ols('Passengers~t', data = Train).fit() pred_linear = pd.Series(linear_model.predict(pd.DataFrame(Test['t']))) rmse_linear_model = RMSE(Test['Passengers'], pred_linear)</pre>
In [37]:	<pre>print('RMSE Value of Linear : ', rmse_linear_model) RMSE Value of Linear : 53.19923653480267 7.4 Exponential Model : Exp_model = smf.ols('log_psngr~t', data = Train).fit()</pre>
In [38]:	<pre>Exp_model = smf.ols('log_psngr-t',data = Train).fit() pred_Exp = pd.Series(Exp_model.predict(pd.DataFrame(Test['t']))) rmse_Exp_model = RMSE(Test['Passengers'], np.exp(pred_Exp)) print('RMSE Value of Exponential :',rmse_Exp_model) RMSE Value of Exponential : 46.05736110315608 7.5 Quadratic Model</pre>
In [40]:	<pre>Quad_model= smf.ols('Passengers~t+t_squared', data = Train).fit() pred_Quad = pd.Series(Quad_model.predict(Test[["t","t_squared"]])) rmse_Quad_model = RMSE(Test['Passengers'], pred_Quad) print('RMSE Value of Quadratic :',rmse_Quad_model)</pre> RMSE Value of Quadratic : 48.05188897933096
In [42]:	8. ARIMA model
Out[42]:	Passengers Month 1995-01-01 112 1995-02-01 118 1995-03-01 132
	1995-04-01 129 1995-05-01 121 2002-08-01 405 2002-09-01 355 2002-10-01 306
	2002-11-01 271 2002-12-01 306 96 rows × 1 columns
In [43]:	8.1 Separate out a validation dataset: split_point = len(series) - 12 dataset, validation = series[0:split_point], series[split_point:] print('Dataset %d, Validation %d' % (len(dataset), len(validation))) dataset.to_csv('dataset.csv', header = False) Dataset 84, Validation 12
In [44]:	8.2 Evaluate a Base model: from pandas import read_csv from sklearn.metrics import mean_squared_error from math import sqrt
	<pre>train = read_csv('dataset.csv', header = None, index_col = 0, parse_dates = True, squeeze = True) X = train.values X = X.astype('float32') train_size = int(len(X) * 0.715) train, test = X[0:train_size], X[train_size:] print(train.shape) print(train.shape)</pre>
	print(test.shape) (60,) (24,) 8.3 Walk Farward Validation:
In [48]: In [49]:	<pre>for i in range(len(test)): yhat = history[-1] predictions.append(yhat) # observation obs = test[i] history.append(obs)</pre>
	<pre>print('>Predicted=%.3f, Expected=%.3f' % (yhat, obs)) >Predicted=201.000, Expected=204.000 >Predicted=204.000, Expected=188.000 >Predicted=188.000, Expected=235.000 >Predicted=235.000, Expected=227.000 >Predicted=227.000, Expected=234.000 >Predicted=234.000, Expected=264.000</pre>
	>Predicted=264.000,
	>Predicted=267.000, Expected=269.000 >Predicted=269.000, Expected=270.000 >Predicted=270.000, Expected=315.000 >Predicted=315.000, Expected=364.000 >Predicted=364.000, Expected=347.000 >Predicted=347.000, Expected=312.000 >Predicted=312.000, Expected=312.000 >Predicted=274.000, Expected=274.000 >Predicted=274.000, Expected=274.000 >Predicted=274.000, Expected=278.000 >Predicted=237.000, Expected=278.000
In [50]: In [51]:	<pre>rmse = sqrt(mean_squared_error(test, predictions)) print('RMSE Value : %.3f' % rmse) RMSE Value : 29.058 rmse_Persistence_model = 29.058</pre>
In [69]:	9. Conclusion list = [['Simple Exponential Method',rmse_simple_model], ['Holt method',rmse_holt_model],
<pre>In [70]: Out[70]:</pre>	<pre>df = pd.DataFrame(list, columns = ['Model', 'RMSE_Value'])</pre>
	3 Holt exp smoothing multi 64.622209 4 Linear Model 53.199237 5 Exponential model 46.057361 6 Quadratic model 48.051889 7 Persistence/ Base model 29.058000
In [71]:	<pre>sns.barplot(data = df,x = 'Model',y = 'RMSE_Value') plt.show()</pre>
	Simple Exponential Metable pitts to mooth in grand times in the latest and ed Base model
	Simple Exponential to the literature of the lite