

PRINCIPLE OF MOMENT AND ITS APPLICATION:-

(B.T.E.U.P. 2004)

LEVERS: Simple Machine

Consisting of a beam or rigid rod pivoted at a fulcrum.

A lever is a rigid rod capable of rotating on a point.

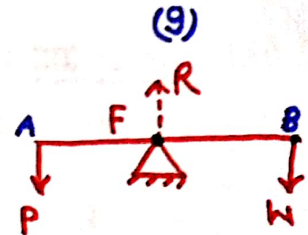
- By applying effort it can control load.
- Distance between fulcrum to effort and fulcrum to weight is called lever's arm.

On the basis of locations of fulcrum, load, effort the lever is divided into three types -

- 1- Class - I
- 2- Class - II
- 3- Class - III

(1) Class - (I) :-

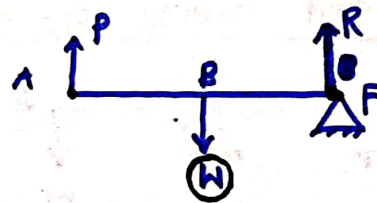
Let $F \rightarrow$ Fulcrum
 $W \rightarrow$ Load
 $P \rightarrow$ Effort



In this type the fulcrum is between load and effort. (Scissor, Balance, See-saw)

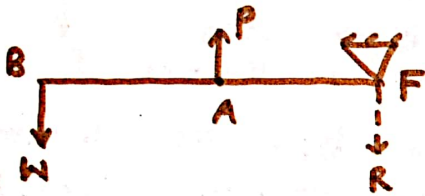
(2) Class - (II) :-

In this type the load is between effort and fulcrum.



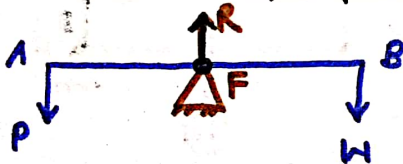
examples:- Nutcracker, Helm

(3) Class-III :- In this effort, is between load and fulcrum.



examples:- clip, Tongue.

∴ M.A. and leverage of a lever:- B.T.E.U.P. 2004



Lever is balanced due to P and W.

hence $\Sigma M_F = 0$

$$+(P \times AF - W \times BF) = 0$$

$$P \times AF = W \times BF$$

$$\left[\frac{W}{P} = \frac{AF}{BF} = \frac{\text{effort Arm}}{\text{Load Arm}} = \text{M.A.} \right]$$

Leverage:-

It is the ratio of Effort Arm to the load arm.

$$\text{leverage} = \frac{\text{effort Arm}}{\text{Load Arm}} = \frac{AF}{BF}$$

Hence;

$$\left\{ \text{M.A.} = \text{leverage} = \frac{W}{P} = \frac{AF}{BF} \right\}$$