Tobic: - Combinations of Resistances, Colour Coding of Carbon Resistances.

[6] Combination of Resistance !-

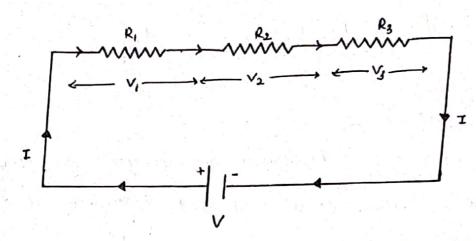
There are two Combination of Resistances

- · Resistances in Beries.
- · Resistances in Parellel.
- [1] Resistances in Series: ie No. of Resistances are connected end to end so that the same Current slows through each one of them in succession, then they are said to be connected in Series.

Key boint :- . Current through all the resistor is some.

- proportional to its resistances.
- Total Potential drop = Sum of the potential drop across the individual resistances.

Formula for Equivalent Resistances :-



1ct us Consider obove Circuit deagram in which three resistances RL, R2 & R3 Connected in Series.

Since the total Potential drop = Sum of the potential drop across each resistance

$$\Rightarrow \qquad \vee = \qquad \vee_{L} + \vee_{2} + \vee_{3} \qquad \longleftarrow \qquad (1)$$

By chm's law

$$V_1 = IRL$$
, $V_2 = IR_2$, $V_3 = IR_3$ (2).

if Rs is the equivalent Resistances of the Series Combination V = IRs - 31

Putting the value of equation (3) of (2) in equation (1)

or
$$R_s$$
: $R_L + R_2 + R_3$

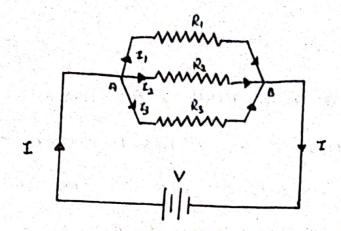
for n Resistances ...

Conclusion !-

- when No. of Resistances are connected are connected in Series, their equivalent Resistance is equal to the Sum of the Individual Resistances.
- · Equivalent Resistance is larger than the lorgest individual tesistances.
- [2] Resistances in Parellel: if a Number of Resistances are connected in between two common boints so that each of them brouldes a separate bota for current, then they are said to be connected in parallel.
 - Key boints: Potential difference across all of them is same
 - · Current through any resistor is inversely broportional to its resistance.
 - · Total Current = Sum of the airent through

individual tests tonces.

Formula for equivalent Resistances:



Let us Consider obove Circuit d'agram in which three resistances ore Connected in parellel.

Since the total current = sum of the current through individual resistances.

$$\Rightarrow I = I_1 + I_2 + I_3 \qquad --- (1)$$

by ohm's law

$$I_1 = \frac{V}{R_1}$$
, $I_2 = \frac{V}{R_2}$, $I_3 = \frac{V}{R_3}$ (2)

if Rp is the equivalent Resistance of the parallel Combination

$$I = \frac{V}{Rp} \qquad ---- (3)$$

Putting the value of ear (3) + (2) in equotion (4)

$$\frac{V}{RP}: \frac{V}{R_1} + \frac{V}{R_2} + \frac{V}{R_3}$$

$$c_{\gamma} \left| \frac{1}{R_{p}} = \frac{1}{R_{1}} + \frac{1}{R_{2}} + \frac{1}{R_{3}} \right|$$

for n Resistances.

$$\frac{1}{RP}, \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} + \cdots + \frac{1}{R_N}$$

Conclusion : -

- when a Ho-of tesistances are Connected in barallel the teciprocal of the equivalent tesistance of the parellel Combination is equal to the sum of the reciprocals of the individual tesistances.
- Equivalent resistance is less than the smallest individual resistances.