

2D Array

Matrix

- When data is stored in 2 Dimensions ROW * Columns

▼ Spiral Matrix Problem:

- Approach : Cover the outer boundary then move to the inner boundary towards the center of the matrix .
- Moving in a single direction until a single cell is left
- After every successful rotation the cells to be covered next would logically be $n/2$ of the original i.e. 'n'
- Find out : These values would change with every iteration
 - Starting Row
 - Ending Row
 - Starting Column
 - Ending Column
- Update Condition : After every iteration our Starting Row / Starting Column would get incremented where as our End Row / Ending Column would be decremented i.e.
 - StartRow ++
 - EndRow - -
 - StartCol ++
 - EndCol - -
- Top → Right → Bottom → Left
 - Repeat after every Iteration

▼ Diagonal sum :

Finding the Sum of the elements present on the diagonal of a 2D array

- Only applicable of $n=m$ matrix
 - Types of Diagonals
 - Primary
 - Secondary
- Types of Diagonal Sum matrix
 - $n = m = \text{Even}$
 - No overlapping element is there
 - $n = m = \text{Odd}$
 - The element at the center is overlapping
- Cell (Column , Row)
 - Column = Row for every diagonal cell

▼ Brute Force Method

Time Complexity : $O(n^2)$

▼ Optimized Method

Time Complexity : $O(n)$

▼ Search in a Sorted Matrix

- Searching a key in a Sorted Matrix


Search in Sorted Matrix


Approach

- ① Brute force → row wise
 $O(n^2)$ → col wise
- ② Row wise
 $O(n \log n)$

key = 33

10	20	30	40
15	25	35	45
27	28	37	48
32	33	39	50





▼ Bruteforce Approach

- Row wise search using Binary search . In this case we were unable to use the sorted columns of the matrix
 - Time Complexity : $O(n \log n)$

▼ Optimized Approach :

- In this approach we use both sorted components of the array and generate a pattern
- We can notice that If the key is smaller than out current element we can go left
- And if the key is comparatively larger we can go down until we have reached our key
 - Time Complexity : $O(n + m)$