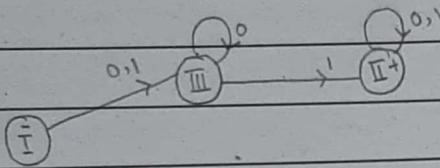


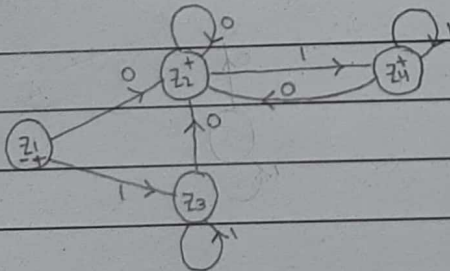
QUESTION 1:

	0	1	I	II	
- $q_0$ I	$q_1$ III	$q_3$ III	$q_0 q_1 q_2 q_3$	$q_4$	
$q_1$ III	$q_2$ III	$q_4$ II	I	II	III
$q_2$ III	$q_1$ III	$q_4$ II	I	II	$q_1 q_2 q_3$
$q_3$ III	$q_2$ III	$q_4$ II	$q_0$	$q_4$	$q_1 q_2 q_3$
+ $q_4$ II	$q_4$ II	$q_4$ II			



QUESTION 2:

	0	1
$z_1 \equiv q_1$	$(q_3, q_1) = z_2$	$q_2 \equiv z_3$
$z_2 \equiv (q_3, q_1)$	$(q_3, q_1) \equiv z_2$	$(q_3, q_1, q_2) \equiv z_4$
$z_3 \equiv q_2$	$(q_3, q_1) \equiv z_2$	$q_2 \equiv z_3$
+ $z_4 \equiv (q_3, q_1, q_2)$	$(q_3, q_1) \equiv z_2$	$(q_3, q_1, q_2) \equiv z_4$



These cases would be considered...

QUESTION 3:

Let  $w = a^n b^n$   $w^R = b^n a^n$

$ww^R = a^n b^n b^n a^n$ , take  $n \geq 3$

$aaabbbbbbbaaa$   $y > 0$  and  $|x| \leq 3$

$y^0$  (pumping  $y$ , 0th time):  $abbbbbbbaaa$

which is not a concatenation of word and its

reverse hence given is not a regular language.

2 languages that are regular

As word itself is a language so.

1)  $aabbaa$

2)  $abaaba$

languages required

$b(aa)^n b$ ,  $a(bb)^n a$

# QUESTION 4:

Mealy to Moore Machine.

