

Assignment 2

Q1 $O(N^2)$

```
#include <iostream>
using namespace std;

int checkAllNegative(int arr[], int n,int &smallestNeg)
{
    bool allNegative = true;
    //check if there is a positive number
    for(int i=0;i<n;i++)
    {
        if(arr[i] > 0)
        {
            allNegative = false;
            break;
        }

        if(arr[i]<smallestNeg)
            smallestNeg = arr[i];
    }
    return allNegative;
}

int main()
{
    int arr[] = {1,-2,-3,-4,1,1,-6,-8,1,-8,-2,-3};
    int n = sizeof(arr)/sizeof(int);

    int smallestNeg = 0;

    if(checkAllNegative(arr,n,smallestNeg))
    {
        cout<<smallestNeg;
        exit(1);
    }

    int currMax = 0;
    int prevMax = 0;

    for(int i=0;i<n;i++)
    {
        for(int j=i;j<n;j++)
```

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```
    {
        currMax+=arr[j];
        if(currMax>prevMax)
            prevMax = currMax;
    }

    currMax = 0;
}

cout<<prevMax;

return 0;
}
```

Q1 $O(N)$

```
#include <iostream>
using namespace std;

int checkAllNegative(int arr[], int n,int &smallestNeg)
{
    bool allNegative = true;
    //check if there is a positive number
    for(int i=0;i<n;i++)
    {
        if(arr[i] > 0)
        {
            allNegative = false;
            break;
        }

        if(arr[i]<smallestNeg)
            smallestNeg = arr[i];
    }
    return allNegative;
}

int main()
{
```

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```
int posSum=0;
int negSum=0;

int arr[] = {1,-2,-3,-4,1,1,-6,-8,1,-8,-2,-3};
int n = sizeof(arr)/sizeof(int);

int smallestNeg=0;

if(checkAllNegative(arr,n,smallestNeg))
{
    cout<<smallestNeg;
    exit(1);
}

int prevSum=0;
int currSum=0;

for(int i=0;i<n;i++)
{
    currSum+=arr[i];
    if(currSum > prevSum)
        prevSum = currSum;

    if(currSum < 0)
        currSum = 0;
}
cout<<prevSum;
return 0;
}
```

Q2 $O(N\log(N))$

```
#include <iostream>
#include <map>
#include <vector>
using namespace std;

void MergeSortedIntervals(vector<int>& v, int s, int m, int e) {

    // temp is used to temporary store the vector obtained by merging
    // elements from [s to m] and [m+1 to e] in v
    vector<int> temp;
```

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```
int i, j;
i = s;
j = m + 1;

while (i <= m && j <= e) {

    if (v[i] <= v[j]) {
        temp.push_back(v[i]);
        ++i;
    }
    else {
        temp.push_back(v[j]);
        ++j;
    }

}

while (i <= m) {
    temp.push_back(v[i]);
    ++i;
}

while (j <= e) {
    temp.push_back(v[j]);
    ++j;
}

for (int i = s; i <= e; ++i)
    v[i] = temp[i - s];
}

void MergeSort(vector<int>& v, int s, int e) {
    if (s < e) {
        int m = (s + e) / 2;
        MergeSort(v, s, m);
        MergeSort(v, m + 1, e);
        MergeSortedIntervals(v, s, m, e);
    }
}

void SortArrays(vector<int>& A, vector<int>& B)
```

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```
{
    MergeSort(A,0,A.size()-1);
    MergeSort(B,0,B.size()-1);
}

void SeparateDigits(int num,vector<int>&arr)
{
    while(num>0)
    {
        arr.insert(arr.begin(),num%10);
        num/=10;
    }
}

bool sumOfArraysEqualToTarget(vector<int> A,vector<int> B, int sum)
{
    int n = A.size();
    int m = B.size();
    int l=0;
    int r=m-1;

    while (l < n && r>=0) {
        if (A[l] + B[r] == sum)
        {
            cout <<A[l]<<" in A"<<" and "<<B[r]<<" in B";
            return 1;
        }
        else if (A[l] + A[r] < sum)
            l++;
        else // A[i] + A[j] > sum
            r--;
    }

    cout<<"Not Possible";
    return 0;
}

int main()
{
    int a = 3124;
    int b = 5162;
```

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```
vector<int> A;
vector<int> B;

SeparateDigits(a,A);
SeparateDigits(b,B);

//Sort Arrays
SortArrays(A,B);

sumOfArraysEqualToTarget(A,B, 10);

return 0;
}
```

Q2 $O(N)$

```
#include <iostream>
#include <unordered_map>
#include <vector>
using namespace std;

void SeparateDigits(int num,vector<int>&arr)
{
    while(num>0)
    {
        arr.insert(arr.begin(),num%10);
        num/=10;
    }
}

bool sumOfArraysEqualToTarget(vector<int> A,vector<int> B, int sum)
{
    int i=0;
    unordered_map <int,int> hash;

    for(int i=0;i<A.size();i++)
    {
        hash[A[i]] = i;
    }
}
```

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```
for(int i=0;i<B.size();i++)
{
    int numToFind = sum-B[i];
    if(hash.find(numToFind)!=hash.end())
    {
        cout <<hash[numToFind]<<" index in A"<<" and "<<i<<" index in B";
        return 1;
    }
}

cout<<"NOT FOUND";
return -1;
}

int main()
{
    int a = 3124;
    int b = 5162;

    vector<int> A;
    vector<int> B;

    SeparateDigits(a,A);
    SeparateDigits(b,B);

    sumOfArraysEqualToTarget(A,B, 10);

    return 0;
}
```

Q3 $O(\log N)$

```
#include <vector>
#include <iostream>
using namespace std;
int findLeftMost(vector<int> a)
{
    int n = a.size();
    int leftmost = -9999999;
    int l = 0;
```

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```
int r = n - 1;
int m;
while (l <= r)
{
    m = (l + r) / 2;
    if (a[m] == m)
    {
        leftmost = m;
        r = m-1;
        //rightmost = m;
        //l = m+1;
    }
    else if (a[m] > m)
    {
        r = m - 1;
    }
    else
    {
        l = m + 1;
    }
}
return leftmost;
}

int main()
{
    vector<int> a = {-1,-2,-3,3,4,5};
    int b = findLeftMost(a);
    cout << b;
}
```

Q4 $O(N)$ time and $O(1)$ Space

```
#include <iostream>
#include <vector>
using namespace std;
vector<int> func(vector<int> A)
{
    int n = A.size();
    int k = 0;
    int count = 0;
```


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```
for (int i = 0; i < n; i++)
{
    if (A[i] > 0)
    {
        A[k] = A[i];
        k++;
    }
}

for (k + 1; k < n; k++)
{
    A[k] = 0;
}
return A;
}

int main()
{
    vector<int> a = {0, 1, 0, 2, 3, 0, 7, 10, 0, 1};
    int n = a.size();
    for (int i = 0; i < n; i++)
    {
        cout << ' ' << a[i] << ' ';
    }
    cout << endl;
    a = func(a);

    for (int i = 0; i < n; i++)
    {
        cout << ' ' << a[i] << ' ';
    }
}
```

Assignment 2

Q5

Q5 X=30

Jump Search

1 2 3 6 9 12 20 30

$n=8$
 $\sqrt{n}=2 \leftarrow \text{Jump size}$

↓

1 2 3 6 9 12 20 30

not found because $\text{arr}[i] \leq X$

1 2 3 6 9 12 20 30

not found because $\text{arr}[i] \leq X$

1 2 3 6 9 12 20 30

not found because $\text{arr}[i] \leq X$

1 2 3 6 9 12 20 30

Can't jump further so apply
 linear search in that block to find it of $O(N)$.

Binary Search

0 1 2 3 4 5 6 7

1 2 3 6 9 12 20 30

↑
 $\text{arr}[i] \leq 30$

4 5 6 7

9 12 20 30

↑
 $\text{arr}[i] \leq 30$

entire left subarray is
 disregarded.

30

↑

: found

$\text{arr}[i] = X$

Assignment 2

Pros & Cons:-

- Both need to be sorted (for)
- Jump Search best time complexity \sqrt{n} , & worst is between $O(n)$ to $O(\log n)$
- Jump Search is better when you only traverse back once i.e. $O(n)$ times but binary search traverses $O(\log n)$ times. i.e. in the case of smallest element.
- Otherwise binary search works better than Jump Search.

Interpolation Search

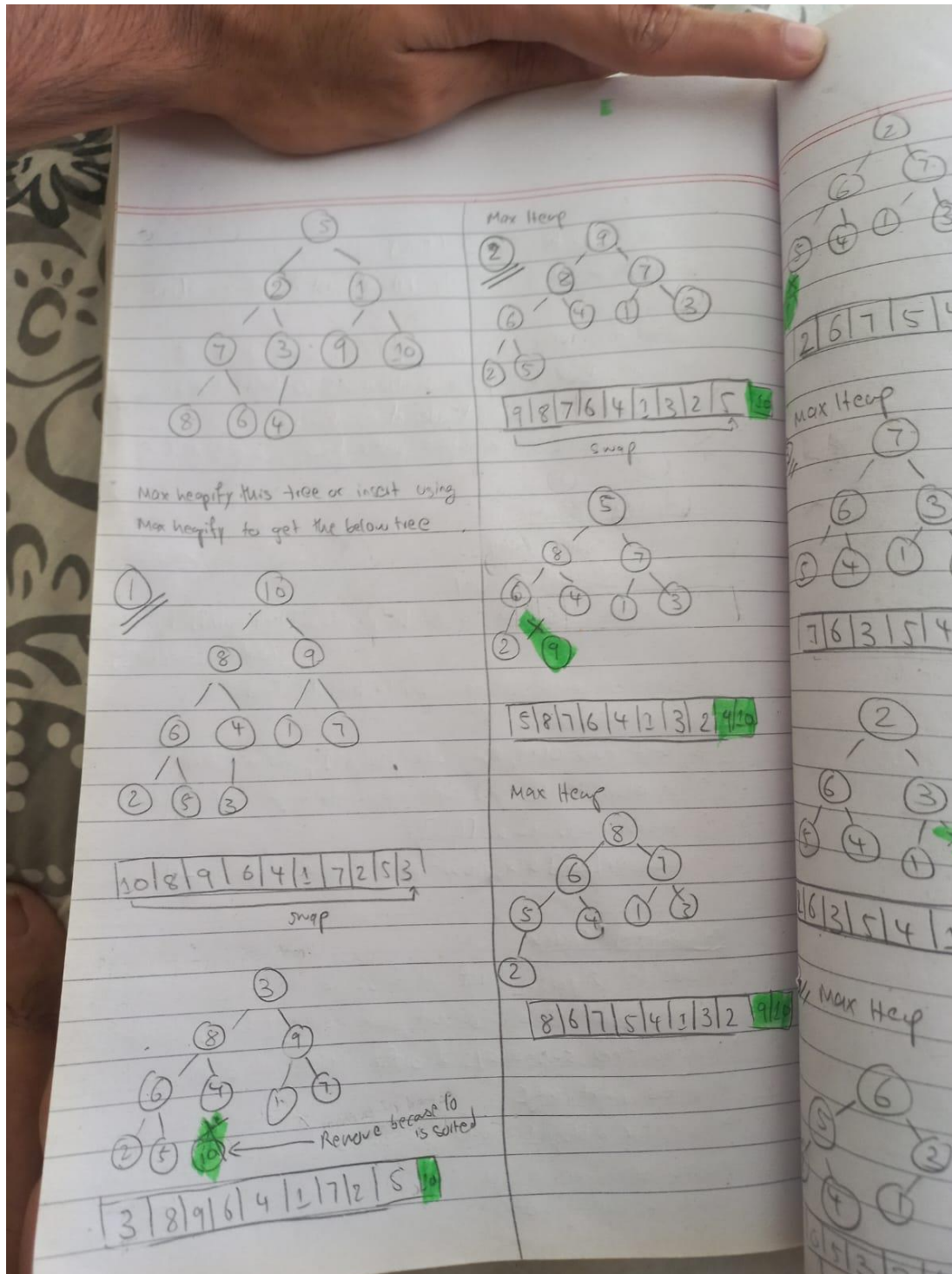
- Works on sorted Array
- Better for uniform array
- Use this formula to search $pos = low + (key - arr[low]) \times \frac{(high - low)}{(arr[high] - arr[low])}$
- Uses a range between low to high to find the element.
- best case $O(1)$, Avg $O(\log(\log n))$; worst $O(n)$
- It returns $arr[high]$ when closer to high and $arr[low]$ when closer to low.
- If $arr[pos] > x$, $low = pos + 1$, else $high = pos - 1$

Exponential Search

- Works in 2 parts, first it finds 2 in range in which element to be found is present, then we apply binary search
- Try to find sub-arrays of different sizes in order to find the right range
- Works for $O(\log n)$ and for unbounded/infinite sizes
- Works better than binary search especially when element is closer to starting index.

Assignment 2

Q6



Assignment 2

The handwritten notes illustrate the steps of a sorting algorithm, likely Heap Sort, using binary trees and arrays. The notes are on two pages of a lined notebook. The left page shows steps 1, 2, and 3. The right page shows steps 4, 5, and 6. Each step includes a binary tree diagram and an array representation. Green highlights are used to mark specific elements and swaps. A blue pen and a yellow eraser are visible on the right side of the notebook.

Step 1: Binary tree with root 7, left child 1, right child 2. Array: 6 | 4 | 2 | 3 | 2 | 5. Swap 5 and 2.

Step 2: Binary tree with root 7, left child 6, right child 3. Array: 2 | 6 | 7 | 5 | 4 | 1 | 3. Max Heap.

Step 3: Binary tree with root 2, left child 6, right child 3. Array: 7 | 6 | 3 | 5 | 4 | 1 | 2. Max Heap.

Step 4: Binary tree with root 1, left child 5, right child 3. Array: 1 | 5 | 3 | 2 | 4 | 6 | 7 | 8 | 9 | 10. Max Heap.

Step 5: Binary tree with root 5, left child 4, right child 3. Array: 5 | 4 | 3 | 2 | 1 | 6 | 7 | 8 | 9 | 10. Swap 10 and 5.

Step 6: Binary tree with root 4, left child 2, right child 3. Array: 4 | 2 | 3 | 1 | 5 | 6 | 7 | 8 | 9 | 10. Swap 10 and 4.

Assignment 2

