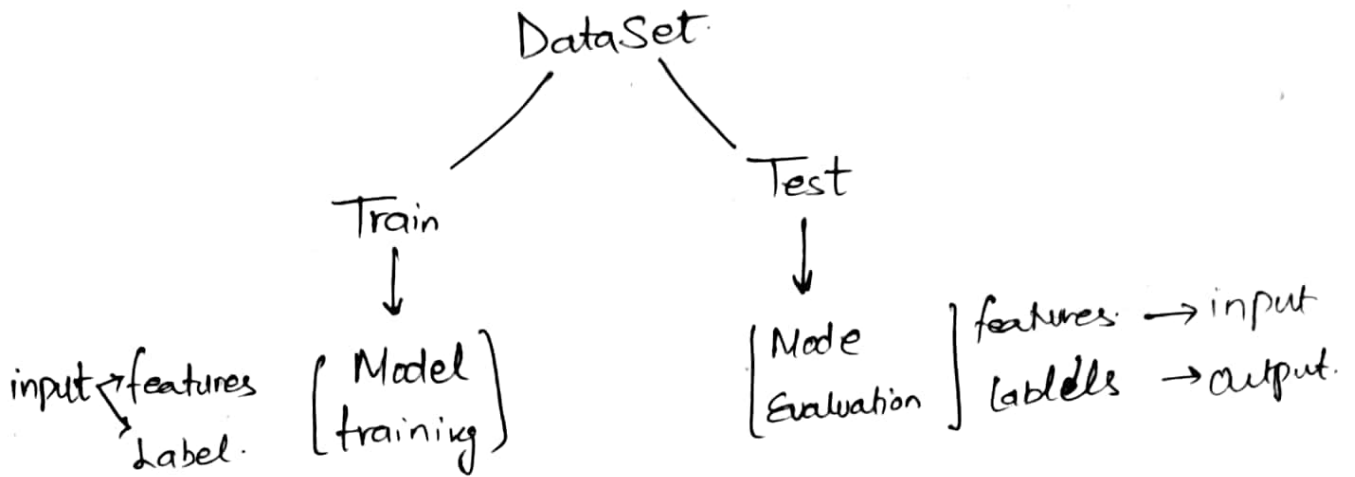


life was EZ (until) Machine Learning.

Name: Antisham.

Roll No 2127

Page: (A.P)



Baye's Theorem.

Formula: 
$$P(H/X) = \frac{P(X|H) P(H)}{P(X)}$$

prior Probability.  
 $P(H) = P(C)$



$P(C_1)$  &  $P(C_2)$



$\left(\frac{50}{100}\right)$  &  $\left(\frac{50}{100}\right)$

$X = \text{features}$   
 $C_1, H_1 \Rightarrow \text{Classes}$   
 $C_{1,2,3,}$

Bayes's

Example:-

if a customer bought computer or Not.

S.No	Age	Income	Student	Credit Rating	By/No Buy.
1	<30	High	No	Fair	No
2	>40	Medium	No	fair	Yes
3	30-40	Low	Yes	Excellent	No

features = 4 (Age, Income, Student, Credit) → (All Discrete. Because Ranges)  
 label = 1 → 2 classes (No/Yes)

→ New Customer X comes:-  
 age < 30  
 income = medium  
 student = yes  
 Credit = fair

~ Solving:-

$$\Rightarrow P(C_i|X) = P(C_i)P(X|C_i)$$

$$P(C_i) = \begin{cases} P(C_1) = 9/14 \\ P(C_2) = 5/14 \end{cases}$$

$$P(X|C_1) \text{ or } P(X|C_2)$$

$$\begin{aligned} P(\text{age} < 30 / \text{Yes}) &= 2/9 \\ P(\text{age} < 30 / \text{No}) &= 3/5 \\ P(\text{medium} / \text{Yes}) &= 4/9 \\ P(\text{medium} / \text{No}) &= 2/5 \\ P(\text{Student} / \text{Yes}) &= 6/9 \\ P(\text{Student} / \text{No}) &= 1/5 \\ P(\text{fair} / \text{Yes}) &= 6/9 \\ P(\text{fair} / \text{No}) &= 2/5 \end{aligned}$$

x (Mul)  
 x (Mul)

$$X_1, X_2, X_3, X_4 / C_1$$

$$X_1, X_2, X_3, X_4 / C_2$$

# (Continuous Variables)

Name: \_\_\_\_\_

Roll No \_\_\_\_\_

Page: \_\_\_\_\_

Same previous example, but income is continuous.

$PC_1 = \text{Same}$

$PC_2 = \text{same}$

Discrete features same = (age, credits, student).

Continuous = income = ?

Dataset

separated (yes)

(NO) separate.

(same)

Take Mean.

$$\mu = \bar{X} = \sum_{i=1}^N \frac{x_i}{N}$$

①  $\frac{\text{Sum of all values}}{\text{total no. of values.}}$

Take variance

$$\sigma^2 = \frac{\sum (x_i - \mu)^2}{N}$$

②  $\frac{\text{every value 'x' from Mean.}}{\text{total no.}}$   

$$\frac{(x_1 - \mu)^2 + (x_2 - \mu)^2 + \dots}{N}$$

③ Gaussian formula.

$$\left( \frac{1}{\sqrt{2\pi\sigma^2}} \exp\left(-\frac{(x-\mu)^2}{2\sigma^2}\right) \right) \Rightarrow \left( \frac{1}{\sqrt{2(3.14 \times 14630)^2}} \exp\left(-\frac{(405-334)^2}{2(14630)^2}\right) \right)$$

last Step  
 { at the end  
 Multiply Class  
 Probability with  
 $P(x/c)$ .

# (K-NN Classifier.)

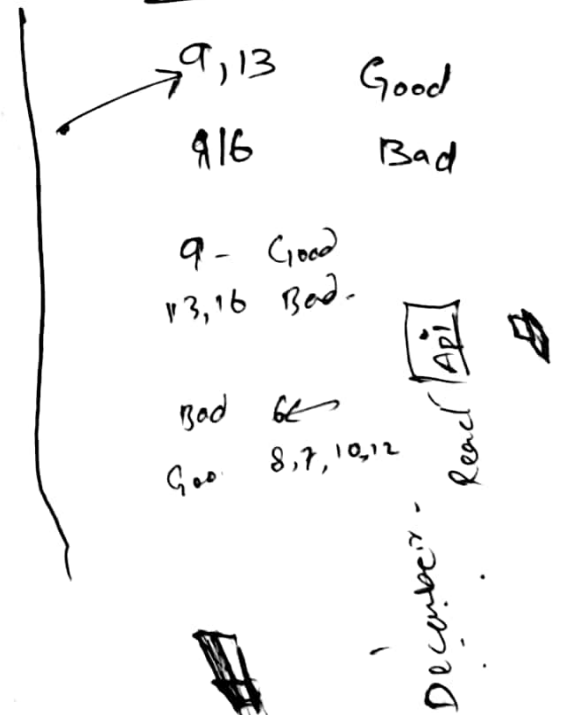
nearest neighbour - NN.

We check distance between points of dataset and then classify further.

When new coordinate comes, we check its distance with dataset.

imp.  
 $k = (\text{odd value})$   
because we don't want a tie

Example.



24/12/21.

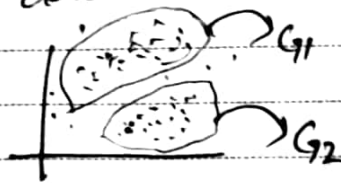
Name: \_\_\_\_\_

Roll No \_\_\_\_\_

Page \_\_\_\_\_

## K-mean Clustering.

- Dividing data into groups based on common features.



Classification

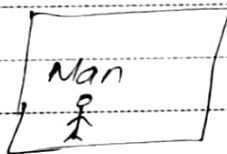
vs

Clustering

Supervised  
Classes

Un-Supervised  
No-classes (only groups).

Man



Man

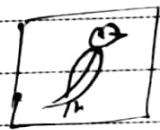


Man

Bird



Bird



Centerpoint : Centroid is must for group.

$$K = C$$

Calculate distance of all points to all Centroids.

Value of  $K \rightarrow$  Random but important.

Centroid =  $C \rightarrow$  based on value of  $K$ .

# Customer Dataset.

x	y
2	10
2	5
8	5
5	10
7	2
6	2
1	4

Suppose  $k=3$   
so,  $C=3$ .

$C_1 = 2, 5$   
 $C_2 = 5, 8$   
 $C_3 = 1, 2$

Generated Randomly By algo.  
No Algorithm. (Can be out of Dataset)

Dist. from $C_1$	Dist $C_2$	Dist $C_3$
$\sqrt{(2-2)^2 + (10-10)^2}$	$\sqrt{(2-5)^2 + (10-8)^2}$	$\sqrt{(2-1)^2 + (10-2)^2}$
$\sqrt{(2-2)^2 + (5-10)^2}$	$\sqrt{(2-5)^2 + (5-8)^2}$	$\sqrt{(2-1)^2 + (5-2)^2}$
$\vdots$	$\vdots$	$\vdots$

	$C_1$	$C_2$	$C_3$	Class
$P_1$	10	5	9	$C_1$
$P_2$	5	6	4	$C_3$

{ Pick lowest values.  
and assign to respective C. }

when made clusters ; check new/updating dataset.  
update cluster and perform Distance check again.  
when value of C stops update then stop.  
Calculate Centroid. Avg.  $\frac{C_1 + n_2 + n_3}{n}$