

EXPERIMENT-10

□ Title: Counters

□ Objective: Implementation of Counters.

□ Course Outcome: CO3

□ Bloom's Level: Analyzing

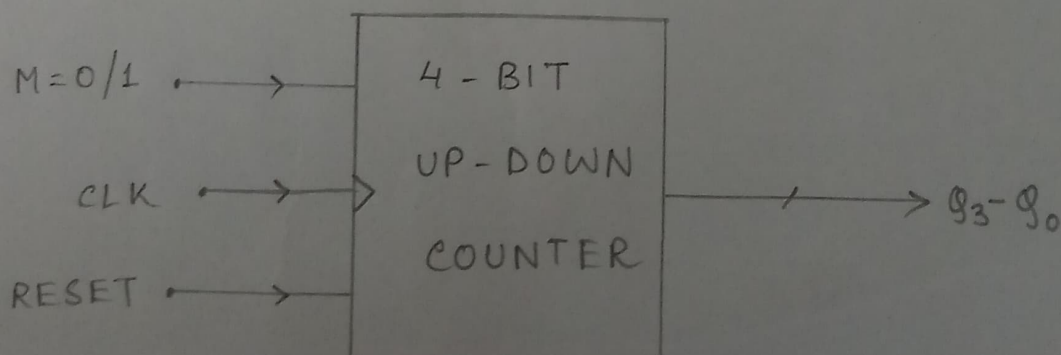
□ Problem Statement: Write verilog programs to design, simulate and test the following counters:

- A) 4-bit updown counter
- B) Random counter
- E) Johnson counter.
- C) Mod 10 counter
- D) Ring Counter

① 4-bit Up-Down Counter

□ Theory: 4bit up-down counter is a sequential circuit made up of four T or JK ff's. Depends upon the control signal, (M) counter value increases or decreases at applying of positive edge of clock. Here, we use $M=1$ for down counter and $M=0$ for up counting operation.

□ Logic Diagram:



Function Table:

M	PRESENT STATE				NEXT STATE			
	Q_3	Q_2	Q_1	Q_0	Q_3^+	Q_2^+	Q_1^+	Q_0^+
L	L	L	L	L	L	L	L	H
L	L	L	L	H	L	L	H	L
L	L	L	H	L	L	L	H	H
L	L	L	H	H	L	H	L	L
L	L	H	L	L	L	H	L	H
H	L	H	L	H	L	H	L	L
H	L	H	L	L	L	L	H	H
H	L	L	H	H	L	L	H	L
H	L	L	H	L	L	L	L	H
H	L	L	L	H	L	L	L	L

M=L \rightarrow UP

M=H \rightarrow DOWN

Design Code:

```

module t_ff (input t, input clk, input rst, output q,
             output qbar);
    reg q=0;
    assign qbar = ~q;
    always @(posedge clk)
        begin
            if (t==1) begin
                q <= ~q; end
            end
        end
    always @(posedge rst)
        begin
            q <= 0; end
endmodule

```



```

module up-down (input rst, input clk, input m,
                 output [3:0] q, output [3:0] qbar);
    t_ff f1 (1, clk, rst, q[0], qbar[0]);
    t_ff f2 (((q[0] & ~m) | (qbar[0] & m)), clk, rst, q[1],
            qbar[1]);
    t_ff f3 (((q[0] & q[1] & ~m) | (qbar[0] & qbar[1] & m)),
            clk, rst, q[2], qbar[2]);
    t_ff f4 (((q[0] & q[1] & q[2] & ~m) | (qbar[0] & qbar[1] &
            qbar[2] & m)), clk, rst, q[3], qbar[3]);

endmodule

```

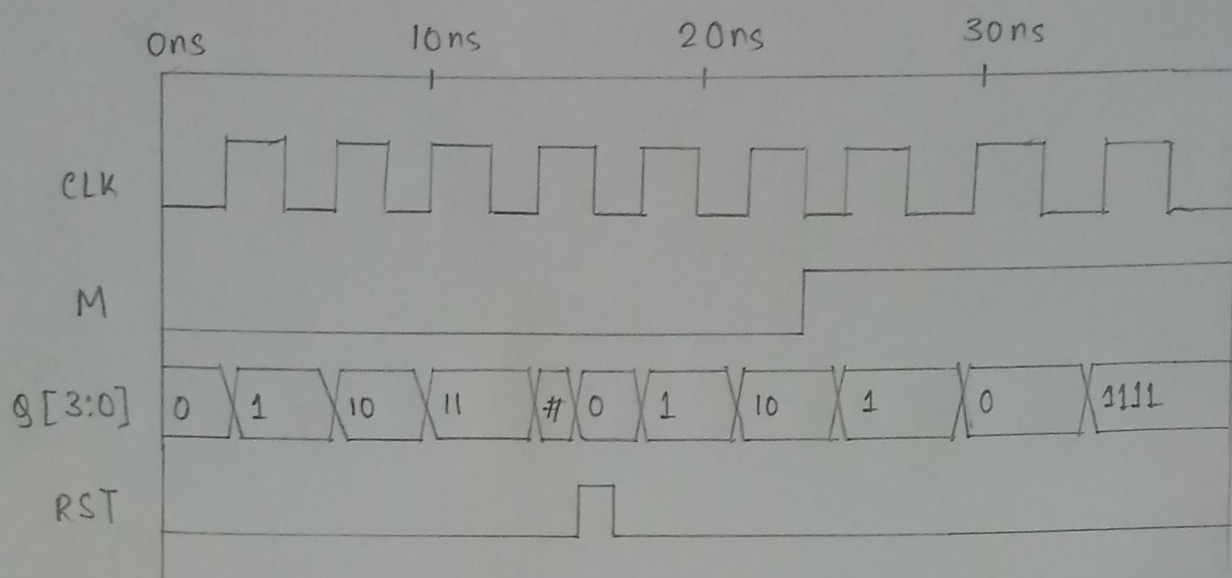
□ Testbench Code:

```

module up-down-tb();
    reg RST, CLK, M;
    wire [3:0] Q;
    up-down uut (.rst(RST), .clk(CLK), .m(M), .q(Q));
    initial
        begin
            $dumpfile("dump.vcd"); $dumpvars(1);
            CLK = 0;
            RST = 0;
            M = 0; #15;
            RST = 1; #2;
            RST = 0;
            M = 0; #7;
            M = 1; #50;
            $finish;
        end
    always #2 CLK = ~CLK;
endmodule

```

□ Timing Diagram:



⑥ Random Counter

□ Theory: Random counter is a sequential circuit made up of four 'T' or 'JK' ff's. In case of random counter, there is no constant sequence of numbers. Here, we can design the sequence of numbers which we want to show. As here, we design a random counter which counts $0 \rightarrow 1 \rightarrow 3 \rightarrow 5 \rightarrow 7$ sequencing order.

□ Function Table:

PRESENT STATE				NEXT STATE			
Q_3	Q_2	Q_1	Q_0	Q_3^+	Q_2^+	Q_1^+	Q_0^+
L	L	L	L	L	L	L	H
L	L	L	H	L	L	H	H
L	L	H	H	L	H	L	H
L	H	L	H	L	H	H	H
L	H	H	H	L	L	L	L

□ Design Code:

```
module random (input rst, input clk, output [3:0] q,  
               output [3:0] qbar);
```

```
    t_ff f1 (((~q[3] & ~q[2] & ~q[1] & ~q[0]) | (~q[3] &  
            q[2] & q[1] & q[0])), clk, rst, q[0], qbar[0]);
```

```
    t_ff f2 ((~q[3] & q[0]), clk, rst, q[1], qbar[1]);
```

```
    t_ff f3 ((~q[3] & q[1] & q[0]), clk, rst, q[2], qbar[2]);
```

```
    t_ff f4 (0, clk, rst, q[3], qbar[3]);
```

```
endmodule
```

□ Testbench Code:

```
module random_tb();
```

```
    reg RST, CLK;
```

```
    wire [3:0] Q;
```

```
    random uut (.rst(RST), .clk(CLK), Q(Q));
```

```
    initial begin
```

```
        $dumpfile ("dump.vcd"); $dumpvars(1);
```

```
        CLK = 0;
```

```
        RST = 0; #12;
```

```
        RST = 1; #2;
```

```
        RST = 0; #50;
```

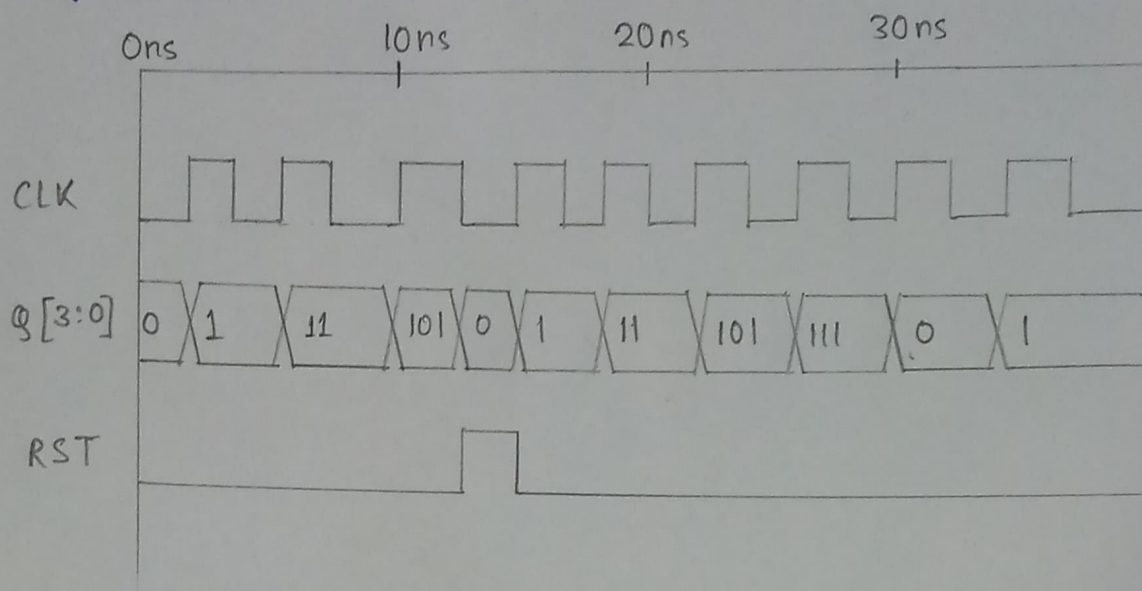
```
        $finish;
```

```
    end
```

```
    always #2 CLK = ~CLK;
```

```
endmodule
```

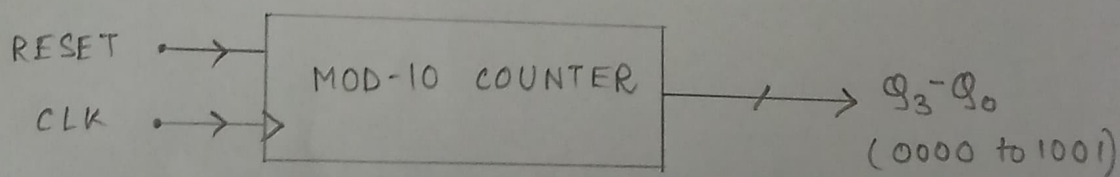
□ Timing Diagram:



© Mod-10 Counter:

□ Theory: MOD counters are cascaded counter circuit which count to a set modulus value before resetting. For Mod 10 counter, 4 T FF's are connected together with a synchronous clock pulse. This counter counts 0000 to 1001. After 1001, it goes again to '0000' and this cycle continues.

□ Logic Diagram:



□ Function Table:

PRESENT STATE				NEXT STATE			
Q ₃	Q ₂	Q ₁	Q ₀	Q ₃ ⁺	Q ₂ ⁺	Q ₁ ⁺	Q ₀ ⁺
L	L	L	L	L	L	L	H
L	L	L	H	L	L	H	L
L	L	H	L	L	L	H	H
L	L	H	H	L	H	L	L
L	H	L	L	L	H	L	H
L	H	L	H	L	H	H	L
L	H	H	L	L	H	H	H
L	H	H	H	H	L	L	L
H	L	L	L	H	L	L	H
H	L	L	H	L	L	L	L

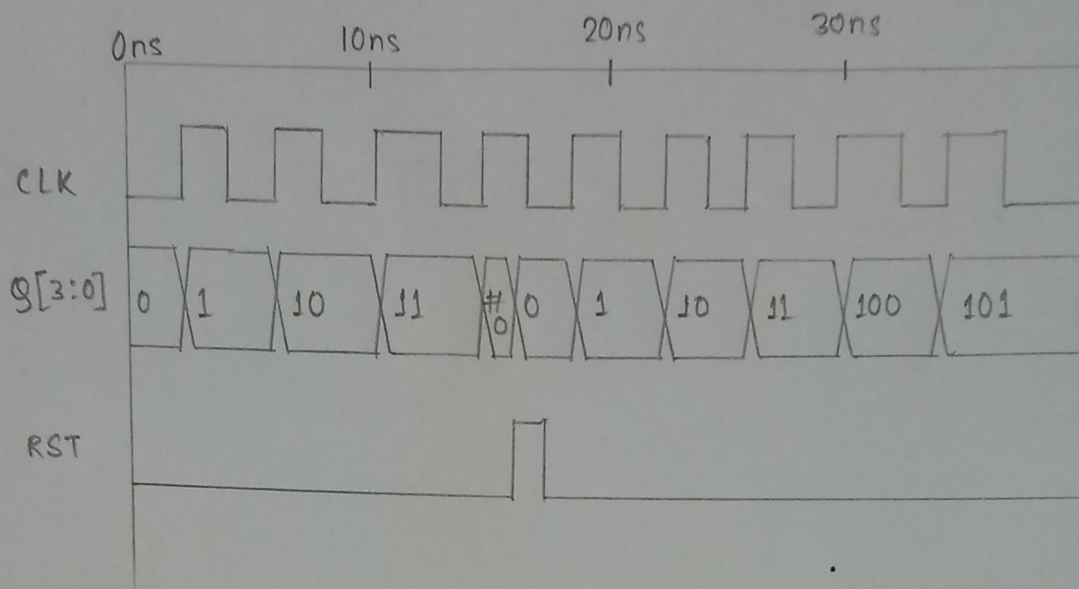
□ Design Code:

```
module mod-10(input rst, input clk, output [3:0] q, output [3:0] qbar);  
    t_ff f1(1, clk, ((~q[0] & q[1] & ~q[2] & q[3]) | rst), q[0],  
            qbar[0]);  
    t_ff f2(q[0], clk, ((~q[0] & q[1] & ~q[2] & q[3]) | rst), q[1],  
            qbar[1]);  
    t_ff f3((q[1] & q[0]), clk, ((~q[0] & q[1] & ~q[2] & q[3]) | rst),  
            q[2], qbar[2]);  
    t_ff f4((q[2] & q[1] & q[0]), clk, ((~q[0] & q[1] & ~q[2] &  
            q[3]) | rst), q[3], qbar[3]);  
  
endmodule
```

□ Testbench Code:

```
module mod-10-tb();  
    reg RST, CLK;  
    wire [3:0] Q;  
    mod-10 uut(.rst(RST), .clk(CLK), .q(Q));  
    initial begin  
        $dumpfile("dump.rcd"); $dumpvars(1);  
        CLK = 0;  
        RST = 0; #15;  
        RST = 1; #2;  
        RST = 0; #50;  
        $finish;  
    end  
    always #2 CLK = ~CLK;  
  
endmodule
```

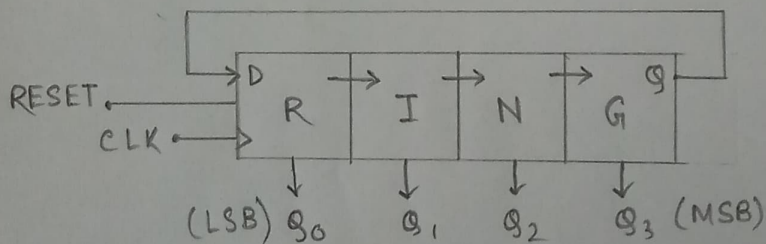
□ Timing Diagram:



① Ring Counter :

□ Theory: A ring counter is a type of counter composed of flipflops connected into a shift register, with the output of the last flipflop fed to the input of the first, making a ring structure. Here we make a ring counters with outputs $0001 \rightarrow 0010 \rightarrow 0100 \rightarrow 1000 \rightarrow 0001$.

□ Logic Diagram:



□ Function Table:

PRESENT STATE				NEXT STATE			
Q_3	Q_2	Q_1	Q_0	Q_3^+	Q_2^+	Q_1^+	Q_0^+
L	L	L	H	L	L	H	L
L	L	H	L	L	H	L	L
L	H	L	L	H	L	L	L
H	L	L	L	L	L	L	H

□ Design Code:

```
module ring-counter (clk, rst, q);
```

```
    input clk, rst;
```

```
    output [3:0] q;
```

```
    wire clk, rst;
```

```
    reg [3:0] q = 4'b0001;
```

```
    always @(posedge clk or posedge rst)
```

```
        begin
```

```
            if (~rst) begin
```

```
                q <= q << 1; q[0] <= q[3]; end
```

```
            else
```

```
                q <= 4'b0001;
```

```
        end
```

```
    endmodule
```

□ Testbench Code

```
module ring-counter-tb();
```

```
    reg CLK, RST;
```

```
    wire [3:0] q;
```

```
    ring-counter uut (.clk(CLK), .rst(RST), .q(q));
```

```
    initial begin
```

```
        $dumpfile ("dump.vcd");
```

```
        $dumpvars (1);
```

```
        CLK = 0;
```

```
        RST = 1; #5;
```

```
        RST = 0; #50;
```

```
        RST = 1; #5;
```

```
        RST = 0; #20;
```

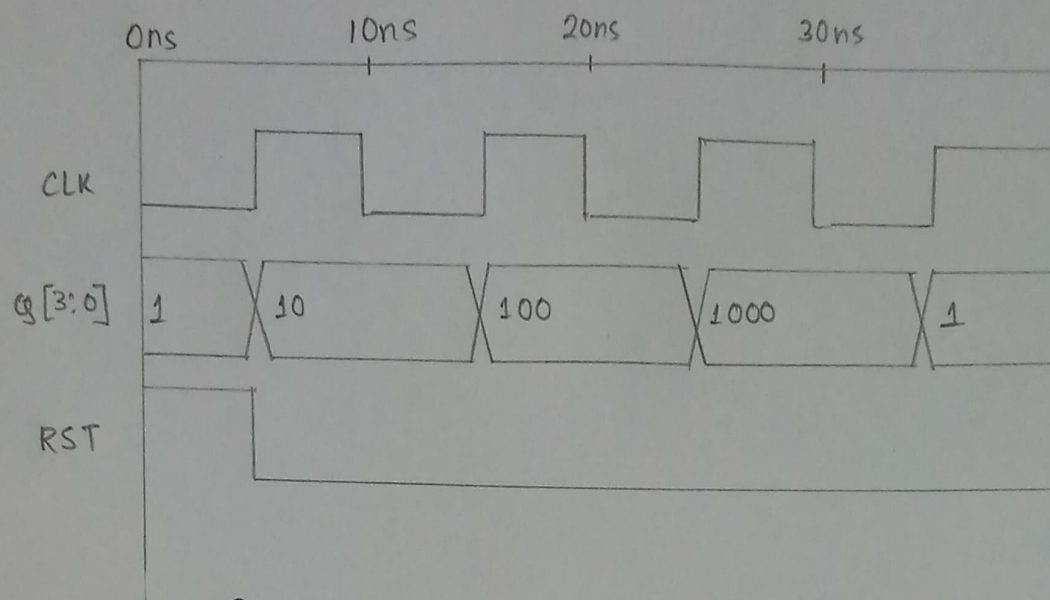
```
        $finish;
```

```
    end
```

```
    always #5 CLK = ~CLK;
```

```
endmodule
```

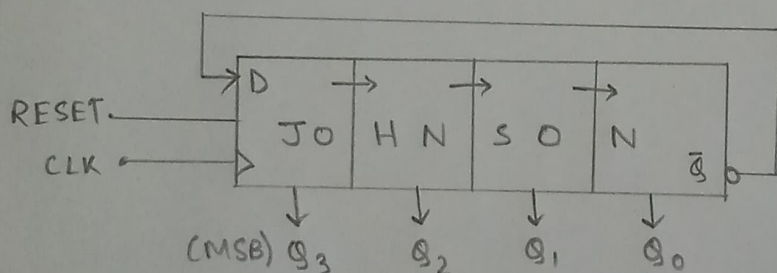
□ Timing Diagram:



⑤ Johnson Counter

□ Theory: A Johnson Counter is a type of counter composed of ff's connected to a shift register. With the compliment of the output of last ff is fed to the input of the first ff. Johnson counter with 'n' ffs has '2n' no. of states.

□ Logic Diagram:



□ Function Table :

PRESENT STATE				NEXT STATE			
Q ₃	Q ₂	Q ₁	Q ₀	Q ₃ ⁺	Q ₂ ⁺	Q ₁ ⁺	Q ₀ ⁺
L	L	L	L	H	L	L	L
H	L	L	L	H	H	L	L
H	H	L	L	H	H	H	L
H	H	H	L	H	H	H	H

H	H	H	H	L	H	H	H
L	H	H	H	L	L	H	H
L	L	H	H	L	L	L	H
L	L	L	H	L	L	L	L

□ Design Code:

```
module johnson-counter (clk, rst, q);
```

```
    input clk, rst;
```

```
    output [3:0] q;
```

```
    wire clk, rst;
```

```
    reg [3:0] q = 4'b0000;
```

```
    always @ (posedge clk)
```

```
        begin
```

```
            if (!rst) begin
```

```
                q <= q >> 1;
```

```
                q[3] <= ~q[0];
```

```
            end
```

```
        else
```

```
            q <= 4'b0000; end
```

```
    endmodule
```

□ Testbench Code:

```
module johnson-counter-tb();
```

```
    reg CLK, RST;
```

```
    wire [3:0] q;
```

```
    johnson-counter uut(.clk(CLK), .rst(RST), .q(q));
```

```
    initial
```

```
        begin
```

```
            $dumpfile("dump.vcd"); $dumpvars(1);
```

```

CLK=0 ;
RST=0; #50;
$finish;

```

end

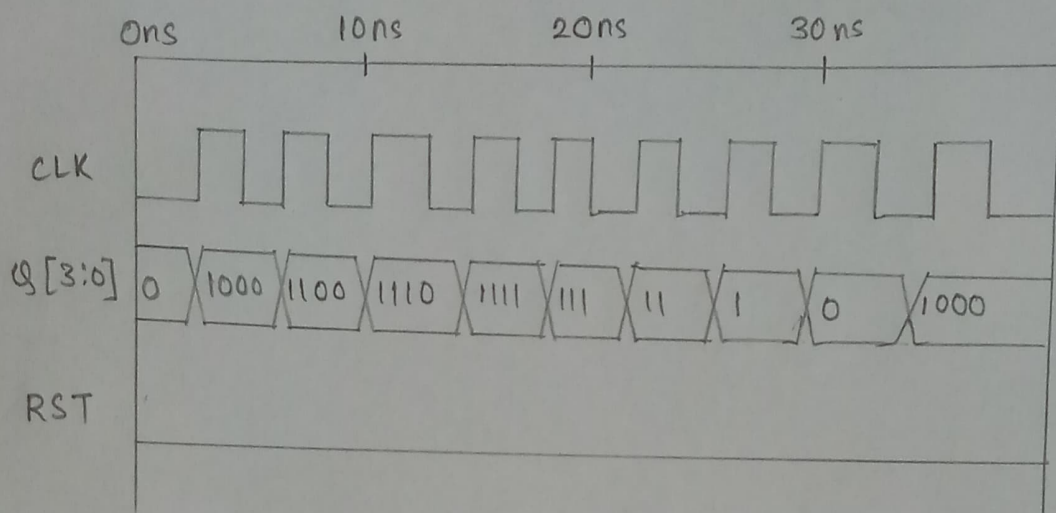
```

always #2 CLK=~CLK;

```

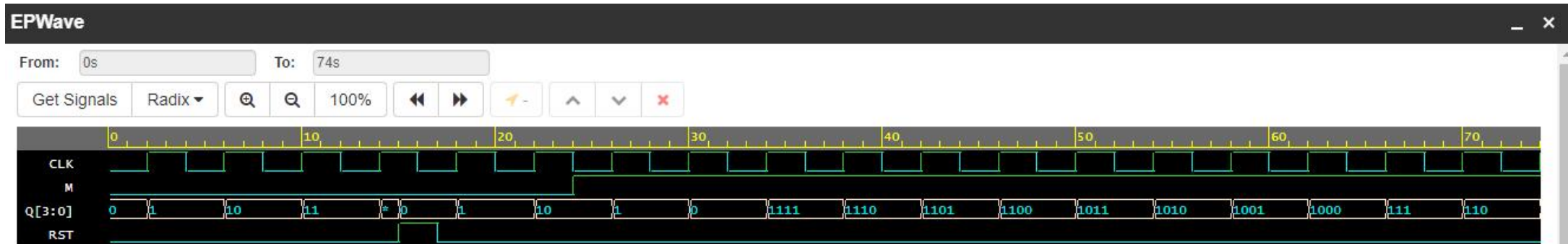
endmodule

□ Timing Diagram :



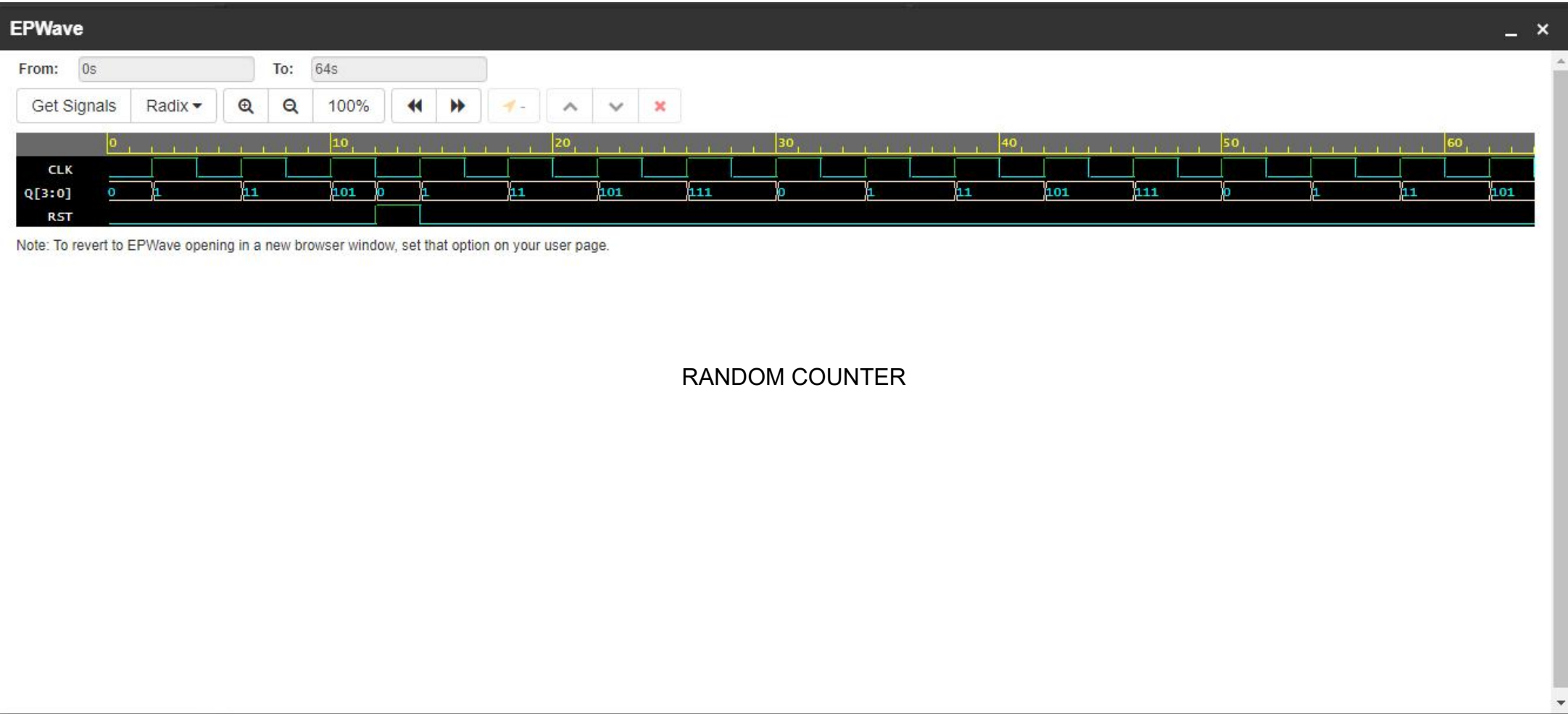
□ Discussion: In this experiment, we have implemented various types of counters – up-down counter, random counter, ring counter, mod10 counter and johnson counter. We have also learned various HDL terms.

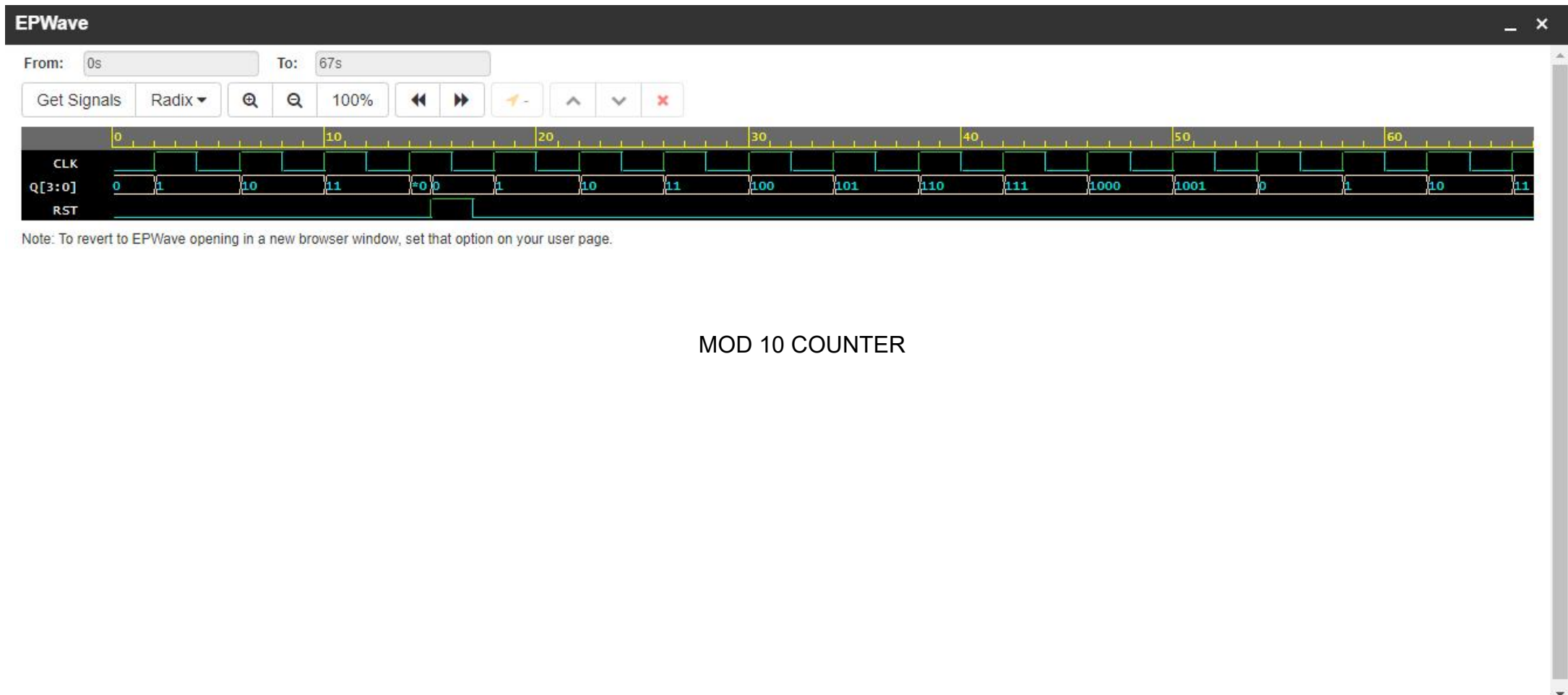
□ Justification of CO: In this experiment, we have designed various sequential circuits and used some sequential modules in those circuits, which fulfills the conditions of CO3. So, CO3 is justified.



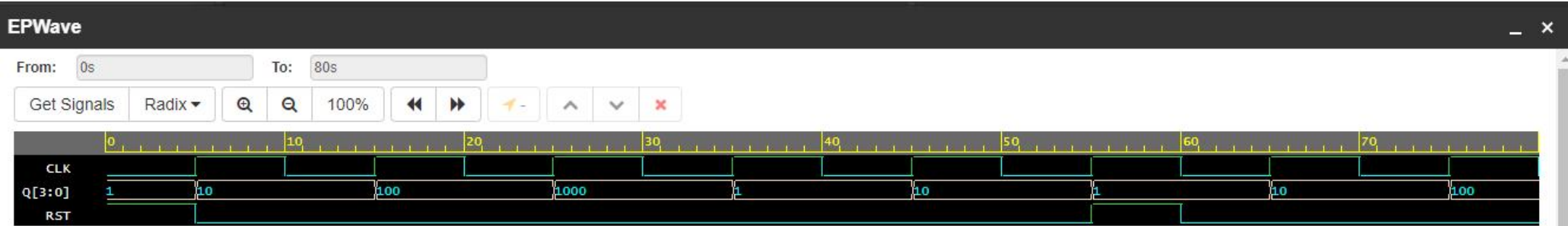
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UPDOWN COUNTER



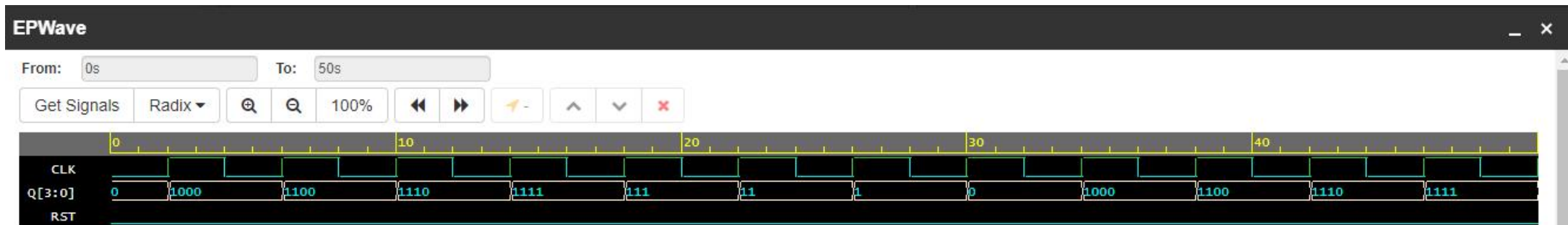


MOD 10 COUNTER



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RING COUNTER



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JOHNSON COUNTER