# **Diagrams—A Functional EDSL for Vector Graphics**

## Demo proposal

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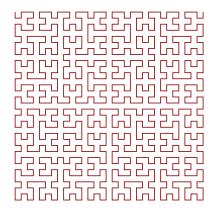
#### 1. Introduction

diagrams (http://projects.haskell.org/diagrams) is a declarative domain-specific language for creating vector graphics, embedded in the Haskell programming language (Marlow 2010). Under continuous development for the past 4+ years, it serves as a powerful platform for creating illustrations, visualizations, and artwork, as well as a testbed for new ideas in functional EDSLs and in functional approaches to graphics. Designed with "power users" in mind, it includes support for multiple vector spaces, pluggable rendering backends, a full range of standard drawing attributes, sophisticated algorithms for working with paths, and support for relative positioning of the constituent parts of a diagram. It makes extensive use of Haskell's type system to capture geometric invariants, and uses a pure functional paradigm both in its internal design (for example, using first-class functions to represent information about boundaries) as well as in the design of its API, which emphasizes composition rather than mutation.

We will give a short diagrams tutorial/demo, first explaining just enough of the basics to get started, and then using the remainder of the time to show off some more sophisticated examples. In what follows, we include a few representative examples, with commentary explaining what features of the framework are illustrated by each example, and the particular ways in which the examples highlight the power of a functional EDSL (Hudak 1996).

#### 2. Examples

Figure 1 shows an order-5 fractal Hilbert curve (Hilbert 1891), along with the complete code used to generate it. Of course, recursive functions such as hilbert are the bread and butter of



**Figure 1.** Order-5 Hilbert curve, with code

functional programming. This example also shows off the compositional nature of the framework, in this case building up a complex *path* by concatenating shorter paths using the <> operator. In fact, <> denotes not just concatenation of paths, but more generally the associative combining operation for any *monoid*—of which diagrams has quite a few, including paths, colors, transformations, styles, and diagrams themselves (Yorgey 2012).

Figure 2 shows a leaf-labelled binary tree along with the complete code used to generate it (Piponi and Yorgey 2015). The first few lines define t, an abstract representation of the tree to be drawn, and the rest of the lines specify how to render it. This example illustrates the ability of an *embedded* DSL to leverage the abstraction facilities of its host language. Here we define a new data type, LeafType, and use it to enumerate the possibilities for leaves in the tree to be drawn. We define functions to abstract out common patterns (nd, 1f) and to specify custom behavior (drawType). We also make use of higher-order functions: map is higher-order, of course,

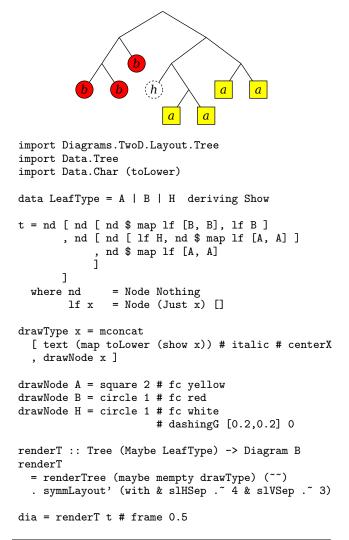


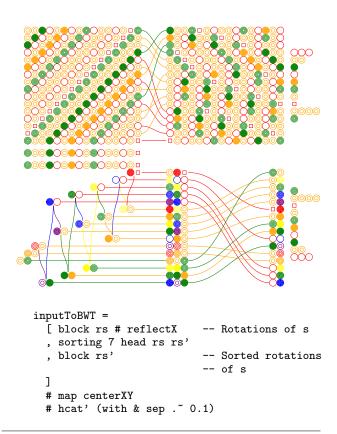
Figure 2. Labelled binary tree, with code

but more interestingly, so is renderTree, which takes function arguments specifying how to draw nodes and edges of a tree.

Finally, Figure 3 shows a portrait of the Burrows–Wheeler transform (BWT) (Burrows and Wheeler 1994) that was included in the Bridges mathematical art exhibition at the 2014 Joint Mathematics Meetings. This is a portrait in the sense that it captures an aspect of an algorithm concretely. In the middle on the left side an input value starts the diagram. This value is manipulated according to the steps of BWT clockwise with the top half encoding and the bottom half decoding back to the original input.

Having the full expressiveness of Haskell helped to shape this work as it was created. Processes like extracting common code and generalizing functions allowed rapid exploration of visual patterns and the development of a visual language for the work. For instance, the alphabet function produces a diagram of nested circles for a given number. Originally it had the colors "baked in", but later, when connecting parts of the diagram, Haskell's ease of refactoring allowed the extraction of a function with the colors with little effort. Other shapes and even variable sized shapes could easily and rapidly be experimented with as the image was being constructed.

The flexibility of diagrams also allowed the exploration of various compositions with little change to the code. Instead of blocks



**Figure 3.** A portrait of the Burrows–Wheeler transform. The small code fragment generates the top portion of the image.

proceeding clockwise, we could have a single linear progression, or a radial layout that fanned out like a circle. Most of these variations could be explored with small changes to the code responsible for composition. Indeed, various layouts were revisited later in the process even with significant changes in the code by keeping the other layouts around and fixing errors caught by type checking. In the end the algorithm's own transition from row to column gives an opportunity for the arrangement around a square and a reflective symmetry of sorts across the horizontal midline.

Although the full code is too long to include, Figure 3 shows an excerpt that illustrates building up part of the diagram as a composition of other diagrams.

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