

Problem A

In this problem, you will have a linked list of sorted linked lists containing integers. You will have to merge the linked lists of integers into a single sorted linked list of integers.

You must use the given template.

Input:

First line: n , the number of linked lists. ($1 \leq n \leq 100$)

For $1 \leq i \leq n$:

Next line: m_i , an integer ($1 \leq m_i \leq 10000$), the number of integers in i -th linked list.

Next m_i lines: v_j , an integer ($-2147483648 \leq v_j \leq 2147483647$), the j -th value of the i -th linked list.

Output:

Each line contains the values in the sorted linked list.

Sample Case:

Input	Output
3	3
3	4
3	5
5	6
9	7
2	8
4	9
7	
2	
6	
8	

Problem B

In this problem, you will have a ternary tree of integers where each node has up to three children: left child, mid-child, and right child. You will have to print the tree in a new order that prints the tree in the following order: left sub-tree, mid sub-tree, node value, and finally the right sub-tree.

Input:

First line: r , the value of root. ($-2147483648 \leq r \leq 2147483647$)

Next line: n , the number of operations. ($1 \leq n \leq 10000$)

Next n lines: $op \ key \ val$, three integers ($0 \leq op \leq 2$, $-2147483648 \leq key, val \leq 2147483647$). If $op = 0$, set the left child of the node with the value key to val . If $op = 1$, set the mid child of the node with the value key to val . If $op = 2$, set the right child of the node with the value key to val . If the key is not found, ignore the command.

Output:

Each line contains the values in the tree according to the new order.

Sample Case:

Input	Output
5	6
5	9
0 5 6	7
1 5 7	10
2 5 8	5
0 7 9	8
2 7 10	

Problem C

In this problem, you will have to check whether two binary trees are equal or not.

Input:

First line: r_1 , the value of root of the first tree. ($-2147483648 \leq r_1 \leq 2147483647$)

Next line: n_1 , the number of operations. ($1 \leq n_1 \leq 10000$)

Next n lines: $op \ key \ val$, three integers ($0 \leq op \leq 1$, $-2147483648 \leq key$, $val \leq 2147483647$). If $op = 0$, set the left child of the node in the first tree with the value key to val . If $op = 1$, set the right child of the node in the first tree with the value key to val . If the key is not found, ignore the command.

Next line: r_2 , the value of root of the second tree. ($-2147483648 \leq r_2 \leq 2147483647$)

Next line: n_2 , the number of operations. ($1 \leq n_2 \leq 10000$)

Next n lines: $op \ key \ val$, three integers ($0 \leq op \leq 1$, $-2147483648 \leq key$, $val \leq 2147483647$). If $op = 0$, set the left child of the node in the second tree with the value key to val . If $op = 1$, set the right child of the node in the second tree with the value key to val . If the key is not found, ignore the command.

Output:

1, if the trees are equal. 0, otherwise.

Sample Case:

Input	Output
5 4 0 5 6 1 5 7 0 7 9 1 7 10 5 4 0 5 6 1 5 9 1 9 10 0 10 7	0
5 4 0 5 6 1 5 7	1

0 7 9 1 7 10 5 4 0 5 6 1 5 7 1 7 10 0 7 9	
--	--

Problem D

Input:

First line: n , a number ($1 \leq n \leq 15$).

Second line: k , a number ($1 \leq k \leq n$).

Output:

Print all possible combinations of k digits from $(0-n)$ in descending order.

Sample Case:

Input	Output
5 3	4 3 2 4 3 1 4 3 0 4 2 1 4 2 0 4 1 0 3 2 1 3 2 0 3 1 0 2 1 0

Problem E

Input:

First line: n, a number ($1 \leq n \leq 10$).

Output:

Each line will contain a list of space-separated digits where,

- The list contains n digits.
- The digits in the list are 0-4 (inclusive)
- The odd indexed digit in the list is an even digit
- The even indexed digit in the list is an odd digit

The lists will be printed in descending order. Example: {1 0 3} before {1 0 1}.

Sample Case:

Input	Output
2	3 4 3 2 3 0 1 4 1 2 1 0
3	3 4 3 3 4 1 3 2 3 3 2 1 3 0 3 3 0 1 1 4 3 1 4 1 1 2 3 1 2 1 1 0 3 1 0 1