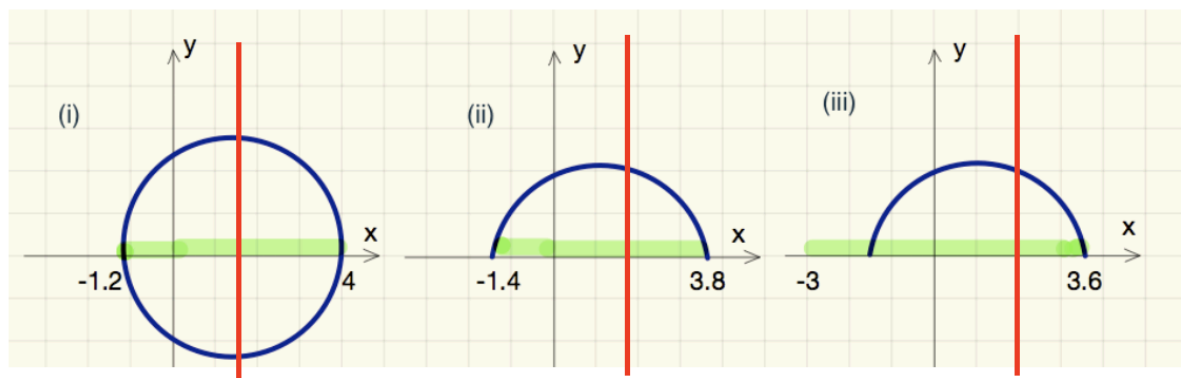


MTHS100 - Assignment 6

Question 1

- i) 30 minutes
- ii) [2pm, 2:30pm] - she was moving towards Armidale
- iii) 650km
- iv) 2 hours

Question 2



- i) - Is not a function because it does not pass the vertical line test indicating that it has more than 1 possible output for a single input
- ii) - Is indeed a function, it passes the vertical line test and for every input on the domain it has an output on the codomain
- iii) Is not a function, although it passes the vertical line test, not every input on the domain has an output on the codomain. Restricting the domain to $[-1.5, 3.6]$ would make this example a function.

Question 3

- i) $f(x) = -3x + 2$ @ $x = -4$
 $= f(4) = -3 * -4 + 2$
 $= 12 + 2$
 $f(4) = 14$

- ii) $f(x) = x^2$ for $x = 1/5$ and $x = -1/5$
Any number squared will be positive so for $x = 1/5$ and $x = -1/5$, the answer will be the same.

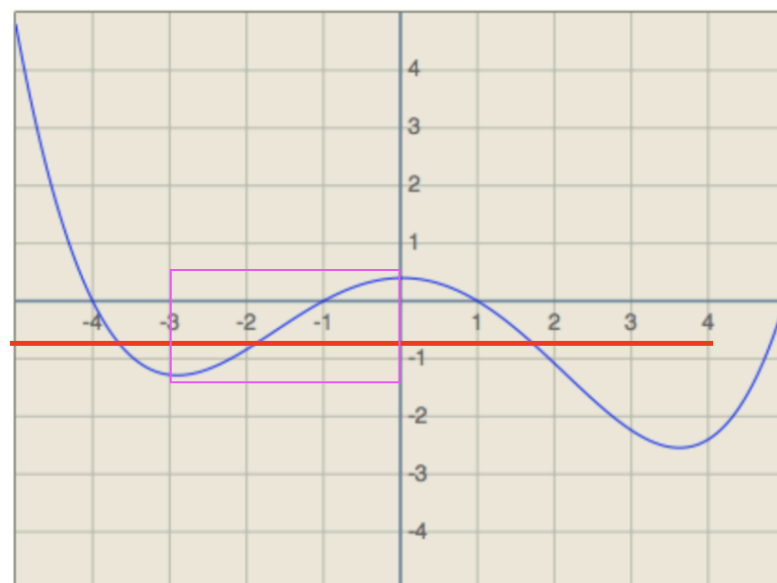
$= (1/5)^2$	$= (-1/5)^2$
$= 1/5 * 1/5$	$= -1/5 * -1/5$
$= 1/25$	$= 1/25$
$= 0.04$	$= 0.04$

- iii) $f(x) = 8/x + 1$ for $x = 8$ and $x = 1/8$

$X = 8$	$x = 1/8$
$= 8 / 8 + 1$	$= 8 / (1/8 + 1)$
$= 8 / 9$	$= 8 / (1/8 + 1/1)$
$= 0.89$	$= 8 / 2/8$
	$= 8/1 / 2/8$
	$= 8/1 * 8/2$
	$= 64/9 = 7.11$

Question 4

- i) Range = $[-2.5, 4.8]$
- ii) function = 0 at $[-4, 0]$, $[-1, 0]$, $[1, 0]$
- iii) Positive at $[-5, -4)$, $(-1, 1)$
Negative at $(-4, -1)$, $(1, 5]$
- iv) Increasing from $[-3, 0]$ and $[3.5, 5]$
Decreasing from $[-5, -3]$, $[0, 3.5]$
- v) Concave up at $[-4.5, -1]$
- vi) End points $[-5, 4.8]$ and $[5, -0.1]$
Local max $[0, 0.4]$
Local min $[3.5, -2.5]$
- vii) Local max $[0, 0.4]$
Local min $[3.5, -2.5]$
- viii) Global max $[-5, 4.8]$
Global min $[3.5, -2.5]$
- ix) The red line on the image below shows that it is not invertible.
- x) The pink box highlights shows an area you can restrict the domains to make the function invertible.
Domain = $[-3, 0]$
Codomain = $[-0.4, 0.6]$



Question 5

$$f(x) = -x + 2$$

To define if a function is increasing or decreasing we simply look to see that if any number (a) in the domain is less than any number (b) then $b - a > 0$ should return True. If that is the case then the function is increasing, if $b - a < 0$ then the function is decreasing.

An example:

We take any R number, or any real number as the domain is stated as such.

Where $a = -10$ and $b = -5$, ($a < b$)

$$= -(b + 2) - (a + 2)$$

$$= -(-5 + 2) - (-10 + 2)$$

$$= 5 - 2 + 10 - 2$$

$$= 3 + 8 > 0$$

Therefore this function is increasing.