## An Overview of Security, Spam, Scaling and Fee Markets in Monero and Bitcoin Like Cryptocurrencies

Francisco "ArticMine" Cabañas articmine@getmonero.org

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#### **Definitions**

T<sub>R</sub> = Reference Transaction Size (Bytes)

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 $M_B$  = Block Size (Bytes)

BP = Block Period (Seconds)

BP (Monero) = 120 (2)

min blocks)

BP (Bitcoin) = 600 (10)

min blocks)

BP (Bitcoin Cash) = 600 (10 min

blocks)

BP (ZCash) = 75

(1.25 min blocks)

### **Definitions (Continued)**

 $R_{Base}$  = Block Reward

F = Total Fees in Block

P<sub>(i)</sub> = Penalty (and miner costs)

 $M_N$  = Median for Penalty Calculation (Bytes)

M<sub>BMax</sub> = Maximum Block Size at Time of Mining (Bytes)

B = Percentage Increase in Block size

 $= M_B/M_N - 1 \text{ For Monero } M_{BMax} = 2M_N$ 

## Fee Markets in Proof of Work Cryptocurrencies

A fee market is the free commercial interaction between miners and users of a crypto currency, where both the miners and the users act in their enlightened self interest.

The rules for the fee market are set in the consensus protocol of the crypto currency.

### **Types of Fee Markets**

The Fixed block size. M<sub>BMax</sub> can be set as follows: Consensus Protocol Miner Voting Median Driven Adaptive Block size with or without Penalty etc.

There are two scenarios:

- Neither a penalty nor other miner cost to reach M<sub>BMax</sub>
- •Penalty or other miner cost to reach M<sub>BMax</sub>

#### **Rational Miners and Users**

- •Rational miners and rational users each act in their enlightened self interest in a free market.
- •They are not altruistic.
- .They are not malicious.
- •A rational miner wishes maximum returns, while also dealing with rational users who wish to pay the lowest fee that will get their transactions mined.

#### **Rational Miners and Users**

#### The problem:

Given a finite number of transactions in the transaction pool, with a distribution of weights and fees, what is the optimal set of transactions to include in a block in order to maximize the return to the miner and minimize the cost to the user?

This is a discrete optimization problem, but as we will see, it can be simplified

## Rational Miners and Users Fee Market with No Penalty and No Miner Cost

- •One can make an approximation to the discrete optimization problem, the infinitesimal transaction approximation, as follows:
- •The miner orders the transactions in order of fee paid per byte.
- •The miner then adds transactions to the block starting with the highest paying transactions first.
- •The miner stops when:
- The miner runs out of transactions
- The miner runs out of space in the block ( $M_{BMax}$  is reached)

# Rational Miners and Users Fee Market with Penalty and / or Miner Cost

- •One can make an approximation to the discrete optimization problem, the infinitesimal transaction approximation, as follows:
- •The miner orders the transactions in order of fee paid per byte.
- •The miner then adds transactions to the block starting with the highest paying transactions first.
- •The miner test each transaction for profit against the penalty and / or the miner cost
- •The miner stops when:
- The miner runs out of profitable transactions
- The miner runs out of space in the block (M<sub>BMax</sub> is reached)

## The Monero Fee Market(s)

Monero user both a long term median  $M_L$  (100000 blocks) and a short term median of  $M_S$  (100 blocks)

 $M_1$  = The median over the last 100000 blocks of

 $max((min(M_B, 1.7M_L), Z_M, M_L/1.7))$ 

Recursive calculation of M<sub>L</sub> starting at M<sub>L</sub> of the previous 100001 block.

Where  $Z_M = 300000$  bytes for  $T_R = 3000$  bytes

Where  $Z_M = 1000000$  bytes for  $T_R = 10000$  bytes

## The Monero Fee Market(s)

 $M_S$  = The median over the last 100 blocks of min((max( $M_B$ ,  $M_L$ ), 50 $M_L$ ))

 $M_N = M_S$ 

 $P = R_{Base}B_2$ 

Case 1:  $M_S > M_I$  and  $M_B < 50M_I$  "The pure Monero case"

We add a transaction of size  $T_T$  to a block at a point B in the penalty, and define  $B_T = T_T / M_S$ ; the new penalty becomes  $R_{base}(B+B_T)^2$ . The difference between the old and the new penalty is then  $R_{base}(2BB_T + B_T^2)$ 

 $F_{-} = R$ . (2BB<sub>-</sub> + B<sub>-</sub><sup>2</sup>) Fee to overcome penalty

#### The Monero Fee Markets

Case 2:  $M_S > M_L$  and  $M_B > 50M_L$  "The Monero + Small Block Bitcoin case"

We add a transaction of size  $T_T$  to a block at a point B in the penalty, and define  $B_T = T_T / M_S$ ; the new penalty becomes  $R_{base}(B+B_T)^2$ . The difference between the old and the new penalty is then  $R_{base}(2BB_T + B_T^2)$ 

 $F_T > R_{base}(2BB_T + B_T^2)$  Fee not only has to overcome penalty (Monero) but also has to compete Bitcoin style with other transactions against a fixed  $M_{BMax}$  since  $M_S$  can no longer scale

#### The Monero Fee Markets

Case 3: M<sub>B</sub> < M<sub>L</sub> "The Large Block Bitcoin Case"

There is no penalty.  $F_T = 0$  and  $B = B_T = 0$ . Theoretically the fees can be 0. This was in fact the case with Bitcoin (Cash) until about 2014 - 2016 when there was still room in the blocks

Total Fees per block will be lower than in Monero

Monero can support a minimum fee via node relay only because of the threat of a penalty should  $\rm M_B > M_L$ 

There is a very high risk of a spam attack particularly when

M<sub>B</sub> << M<sub>BMax</sub> A case in point was the recent attack in ZCash

## Big Bang A Proposed Monero Spam Attack

- •The Big Bang attack<sup>1</sup> proposed an attacker will spam the Monero network to double every 100 blocks and attributed the cost of the attack to the block reward per block,  $R_{base}$ .
- If the Monero Fee Market is taken into account the cost of Big Bang per block is  $4R_{base}$  with  $R_{base}$  going to the penalty and  $3R_{base}$  going to the honest miners.
- If the attacker already has 51% then the additional cost is  $R_{base}$

<sup>-1)</sup> https://github.com/noncesense-research-lab/Blockchain big bang/blob/master/models/Isthmus Bx big bang model.ipynb

# Replacing Block Rewards with Fees and the Bitcoin Security Deficit

The Fee in Reward is the critical parameter here. It is defined as the Fee Percentage in the total block reward or  $(F - P) / (R_{Base} + (F - P))$ 

In Monero F is proportional to  $R_{\text{base}}$  and for large block Bitcoin type crypto currencies F is likely less than in Monero. As  $M_{\text{B}}$  increases in Monero the Fee in Reward will fall or remain constant.

## What About High Fee Cryptocurrencies Bitcoin and Ethereum?

Ethereum can be modelled here if we use the Gas Limit as a proxy for Block Size and validators as proxy for miners.

The evidence says that in spite of spikes the fee in reward has remained in the low percentage especially for Bitcoin

https://bitinfocharts.com/comparison/fee to reward-btc-eth.html#log&alltime

There is little evidence that Fees will eventually replace block rewards

#### The Monero Tail Emission

Monero has a tail or minimum emission of 0.6 XMR per block. The cost of Spam and 51% attacks in Monero are proportional to  $R_{\rm Base}$ .

If  $R_{\text{Base}}$  were allowed to fall Monero would become insecure and very vulnerable to spam and 51% attacks.

### **Further Hardening Monero**

Stricter Pricing of Scaling

Changing  $M_L$  and  $M_S$  as follows:

 $M_L$  = The median over the last 100000 blocks of max((min(M<sub>B</sub>, 2M<sub>L</sub>), Z<sub>M</sub>, M<sub>L</sub>/2)) Recursive calculation of M<sub>L</sub> starting at M<sub>L</sub> of the previous 100001 block.

 $M_S$  = The median over the last 100 blocks of min((max( $M_B$ ,  $M_L$ ), 16 $M_L$ ))

Over 5 cycles this drops the max growth in  $M_{\rm S}$  from ~705 to 512

### **Further Hardening Monero**

Introduce a Ultra Long Term Sanity Median  $M_A$  of 1000000 blocks. This is approximately 2 years to track Nielsen's Law of Internet Bandwidth

https://www.nngroup.com/articles/law-of-bandwidth/

 $M_A$  = The median over the last 1000000 blocks of max((min( $M_B$ ,  $2M_A$ ),  $Z_M$ ,  $M_A$ /2)) Recursive calculation of  $M_A$  starting at  $M_A$  of the previous 1000001 block.

 $M_L$  = The median over the last 100000 blocks of max((min( $M_B$ ,  $2M_L$ ,  $320M_A$ ),  $M_A$ ,  $M_L/2$ ))

Recursive calculation of  $M_L$  starting at  $M_L$  of the

### **Further Hardening Monero – Node Relay**

Node relay can be used for more than just minimum fees. The important fact is that Node Relay can be overridden by the miners who are **only** bound by consensus. Node Relay is a **soft** form of consensus that can be changed without a hard fork.

Use Node Relay, for example to further limit block size growth.

One can have a generous block size growth in Consensus with a stricter block size growth in node relay.

#### **Questions and Discussion**

