

# Extreme Weather and Agricultural Productivity:

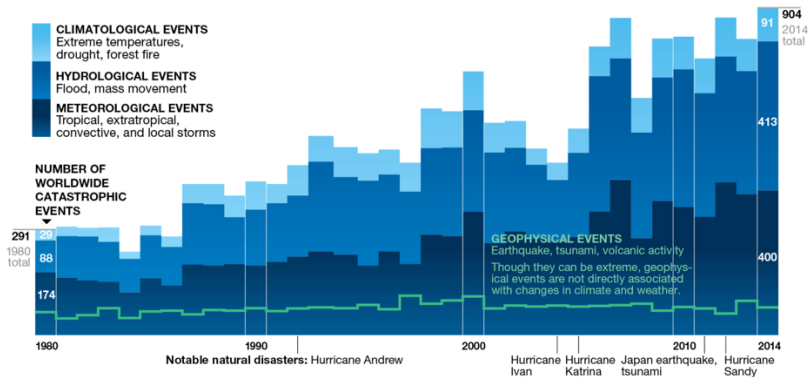
## Farm Level Responses

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# Climate Change and Extreme Weather events



# Climate Change in Developing Countries

**A rise in average temperatures and an expected increase in extreme weather events:**

- ▶ Rural poor on the front line
- ▶ In many developing countries traditional farming is still the main economic activity and source of livelihood
- ▶ Weather shocks are a constant threat to the subsistence of small farming households

# Research questions

Focus on developing countries with traditional farming

- ▶ How does extreme temperature events affect agricultural productivity?
- ▶ What are the margins for mitigation/adaptation available to farmers?
- ▶ To what extent the economic and geographic environment play a role in these responses?

# What we know

- ▶ **Non-linear relationship between temperatures and yields**
  - ▶ After a certain threshold, high temperatures reduce crop yields (Deschenes & Greenstone 2007, 2012, Roberts & Schlenker 2009)
  - ▶ Usually explored with aggregate data (district, county, etc), mostly in the US.
- ▶ Little evidence of mitigation strategies being at place (Burke & Emerik 2016)
- ▶ Little evidence from other developing countries
  - ▶ Guiteras (2009) documents non-linearities in yields using district data in India
  - ▶ A constrained data-intensive exercise: e.g. no monitoring stations in rural areas; monthly averages temperatures absorb important variation

# Our Contribution

1. We propose the use of high frequency satellite data on temperatures and precipitation
  - ▶ We geo-match it with information for Peruvian household farms (2007-2015)
2. We use rich agricultural data to unpack the effect of extreme temperature on yields
  - ▶ Yields are  $Y/T$ : we model the shock as a reduction in TFP that can affect both  $Y$  and  $T$
  - ▶ A production function approach to identify effects on TFP
3. We highlight the importance of the economic and geographic environment
  - ▶ Region-specific analysis: Coast v Highlands
4. We simulate impacts on yields under different standard climate change scenarios using our estimates

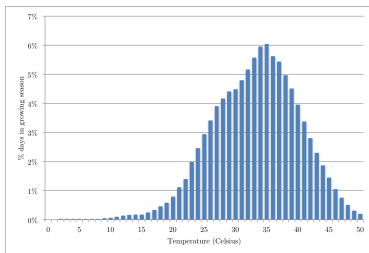
# Our Results

1. We find strong non-linearities of temperature on yields
  - ▶ Thresholds similar to the US, but vary across regions
2. We document negative effects of extreme temperature on TFP
3. Yield decomposition differs by region: in the richer coast  $Y \downarrow$ ,  $T$  unchanged; in the highlands  $T \uparrow$ ,  $Y$  unchanged
  - ▶ Consistent with a model of consumer-producer households with subsistence that face imperfect input markets
  - ▶ We find other margins of adjustment in labor and crop mix
4. Our simulation of climate change scenarios suggest strong heterogeneous effects
  - ▶ The hotter coast would suffer strong damages on averages, while the cooler highlands would benefit from higher temperatures

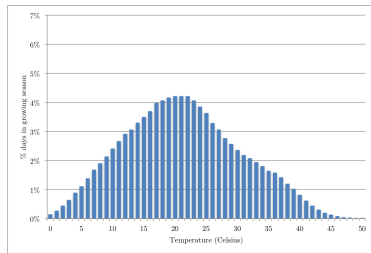
# Context: Rural Peru

- ▶ Rural poverty rate is  $>50\%$
- ▶ Mostly households farming small parcels of land ( $< 3$  hs)
- ▶ Diverse climatic regions and agricultural practices
  - ▶ Coast: sub-tropical, hot, arid ( $< 1$  mm/day)
  - ▶ Highlands: high altitude, cool, wet ( $> 3.5$  mm/day)

**Figure:** Distribution of daily average temperature by climatic region



: Coast



: Highlands

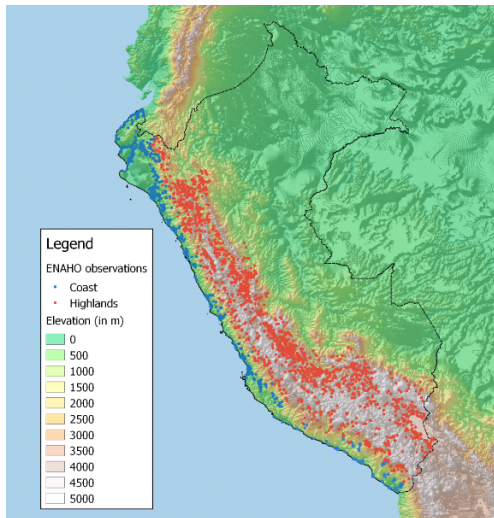


# Data

- ▶ ENAHO 2007-2015: HH survey with sample of 55K farmers in the coast and highlands of Peru.
- ▶ Daily average daytime land surface temperatures (LSTs) from NASA at 5.6km x 5.6km squares (MODIS)
- ▶ Monthly precipitation rates from reanalysis at 5.6km x 5.6km squares (CHIRPS)
- ▶ Soil quality data at a 9km x 9km grid (IIASA - FAO)

# Rural Peru: households

Figure: Agricultural survey observations by region



# Summary Statistics

Variable	Coast	Highlands	p-value (1)=(2)
	(1)	(2)	(3)
<i>A. Household characteristics</i>			
Daily per capita expenditure	4.040	2.347	0.000
Poor (%)	0.261	0.550	0.000
Extreme poor (%)	0.045	0.209	0.000
Has at least 1 unmet need (%)	0.295	0.382	0.000
Child labor (%)	0.132	0.390	0.000
Household size	4.406	4.312	0.001
HoH completed primary educ. (%)	0.590	0.498	0.000
<i>B. Agricultural characteristics</i>			
Value of agric. output	3052.7	682.0	0.000
Output per hectarea	2323.8	1077.3	0.000
Land used (ha)	2.381	1.906	0.000
Hire workers (%)	0.558	0.471	0.000
Nr. HH members work in agric.	2.197	2.315	0.000
Fruits (% total output)	0.318	0.035	0.000
Tubers (% total output)	0.056	0.356	0.000
Cereals (% total output)	0.302	0.314	0.010
Use tractor (%)	0.541	0.164	0.000
Use fertilizer (%)	0.768	0.744	0.000
Use pesticides (%)	0.651	0.412	0.000
Uncultivated land (% of land holding)	0.121	0.448	0.000
Irrigated land (% land holding)	0.823	0.287	0.000
Observations	7,969	47,026	
Notes: Sample restricted to farming households in Coast and Highlands. Columns 1 and 2 display mean values. Column 3 shows the p-value of a mean comparison test between both regions. Expenditure and agricultural output are measured in 2007 USD. HoH=household head, HH=household, HDD=harmful degree days			

Climatic regions have different agricultural practices:

- ▶ Coast: richer, more modern, market- oriented
- ▶ Highlands: poorer, subsistence farming
- ▶ We study short run responses to weather shocks in these two different models, both prevalent in developing countries

# Analytical framework

- ▶ The botanical literature has established long ago that very high temperatures are harmful for plant growth.
- ▶ That would mean that, conditional on inputs (land  $T$  and labor  $L$ ), output  $Y$  decreases with extreme temperature: this is a TFP shock.
- ▶ Most of the literature focuses on how extreme temperature affects yields  $Y/T$  in the US.
- ▶ However, we need to be explicit about constraints farmers face to rationalize a drop in yields, e.g. is land fixed in the short run?
- ▶ How is the farming environment different for small household farmers in developing countries?

# Analytical framework

## A Simple Model of Producer-Consumer Households

- ▶ Utility: non-homothetic over consumption  $c$ :  $U(c - s, l)$
- ▶ Production subject to productivity shocks  $A$ :  $F(A, L, T)$
- ▶ Weather  $w$  affects productivity  $A(w)$ , both directly (i.e. health of crops) and indirectly (via quality of  $L$  and  $T$ ).
- ▶ Additionally:
  - ▶ Inter-temporal use of land (fallow or crop rotation), optimal to have uncultivated land
  - ▶ Outside opportunities are restricted, households rely on their endowments.

# Implications for the empirical analysis

- ▶ Extreme temperatures should reduce TFP
  - ▶ Endowments should be a good predictor of input use
- ▶ Response to extreme heat (drop in TFP) depends of how close the HH is to minimum consumption level  $s$

Table 2: Main empirical predictions

Effect of extreme temperature on	Non-subsistence farmers	Subsistence farmers
	$c > s$	$c = s$
Yields ( $Y/T$ )	-	-
Agricultural output ( $Y$ )	-	0
Hired labor ( $L^h$ )	-	-
Domestic labor ( $L^d$ )	?	+
Land ( $T$ )	?	+

# Empirical Approach

- ▶ Starting from a Cobb-Douglas production function, estimate:

$$\ln Y_{it} = \alpha \ln T_{it} + \beta \ln L_{it} + \underbrace{g(\gamma, \omega_{it}) + \phi Z_i + \rho_j + \psi_t}_{\ln \text{ TFP}} + \xi_{it}$$

- ▶  $Y$ : annual agricultural output (in constant prices)
- ▶  $T$ : land used
- ▶  $L$ : labor (hours, wage bill)
- ▶  $g(\gamma, \omega_{it})$ : Non linear function of the weather
- ▶  $\phi Z_i + \rho_j + \psi_t$ : District and growing season FE + controls (soil, HH charact.)

# Empirical Approach

We model  $g(\gamma, \omega_{it})$  following recent literature (Schlenkler & Roberts 2006, Deschenes & Greenstone 2007):

- ▶ Temperature:
  - ▶ Cumulative exposure to heat has a non-linear effect
  - ▶ Degree days (DD):  $8 - \tau_{High}$
  - ▶ Harmful degree days (HDD): above  $\tau_{High}$
  - ▶ In our case, estimate  $\tau_{High}$  by region
  - ▶ Average: 32 C (Previous US studies: 29-32 C). Coast: 27 C , Highlands: 35 C

Degree Days

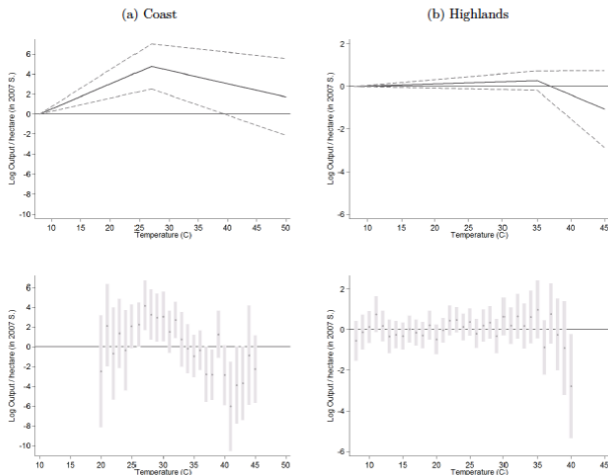
- ▶  $g$  enters our estimation as

$$g(\gamma, \omega_{it}) = \underbrace{\gamma_0 DD_{it} + \gamma_1 HDD_{it}}_{\text{temperature}} + \underbrace{\gamma_2 PP_{it} + \gamma_3 PP_{it}^2}_{\text{precipitation}}$$



# Results: Temperature and yields

Figure 3: Non-linear relationship between temperature and agricultural yields



Notes: Top panels depict piece-wise function for temperature, including degree-days and harmful degree days at each region's respective thresholds. Bottom panel shows coefficients of individual regressions of model 3 using 1°C bins that measure the fraction of the growing season spent in that temperature. Bars indicate 95% confidence intervals.

# Results: Yields and TFP by region

Table 3: Effect of temperature on agricultural productivity

	Coast			Highlands		
	Y/T	TFP	TFP	Y/T	TFP	TFP
	(1)	(2)	(3)	(4)	(5)	(6)
Average DD	0.149** (0.059)	0.093* (0.054)	0.104* (0.056)	0.011 (0.010)	0.013 (0.008)	0.021** (0.009)
Average HDD	-0.195*** (0.065)	-0.157*** (0.054)	-0.179*** (0.054)	-0.118* (0.068)	-0.103* (0.061)	-0.127* (0.064)
Input controls	No	Yes	Yes	No	Yes	Yes
Method	OLS	OLS	2SLS	OLS	OLS	2SLS
Obs.	7,962	7,961	7,961	47,020	47,019	47,019
R-squared	0.195	0.349	0.334	0.267	0.446	0.409
F-stat. (first stage)			311.3			1789.5

Notes: Robust standard errors in parentheses. Standard errors are clustered at district level. \* denotes significant at 10%, \*\* significant at 5% and \*\*\* significant at 1%. All regressions include as controls: district and growing season fixed effects household head's demographics (age, age<sup>2</sup>, gender, and educational attainment), indicators of soil characteristics, average precipitation, and its square. Columns 1 and 4 use log of output per hectare as outcome, while the rest of columns use log of total output. Columns 2-3 and 5-6 include log of inputs as additional controls. Inputs include land used, household members' hours worked in agriculture, and farms' expenditure on hired workers. Columns 3 and 6 use endowments (land owned and household size) as instruments for quantities of land and domestic labor.

# Results - Output

Table 4: Effect of temperature on total output and input use

	ln(output) $Y$ (1)	ln(land used) $T$ (2)	Hired workers=1 $L^h$ (3)	ln(expend. in hired workers) $L^h$ (4)
<i>A. Coast</i>				
Average DD	0.146** (0.062)	-0.004 (0.013)	0.029*** (0.010)	0.094 (0.085)
Average HDD	-0.174** (0.071)	0.021 (0.013)	-0.028*** (0.009)	0.002 (0.052)
Observations	7,962	7,962	7,962	4,436
R-squared	0.189	0.222	0.185	0.277
<i>B. Highlands</i>				
Average DD	0.005 (0.010)	-0.006 (0.007)	-0.000 (0.003)	0.028*** (0.010)
Average HDD	-0.046 (0.070)	0.073** (0.036)	0.018 (0.021)	-0.135* (0.080)
Observations	47,020	47,020	47,020	22,126
R-squared	0.266	0.325	0.155	0.290

Notes: Robust standard errors in parentheses. Standard errors are clustered at district level. \* denotes significant at 10%, \*\* significant at 5% and \*\*\* significant at 1%. All regressions include district and growing season fixed effects, average precipitation and its square, and same household and soil controls as column 1 in Table 3.

# Results - Land use

Table 4: Effect of temperature on total output and input use

	ln(output) $Y$ (1)	ln(land used) $T$ (2)	Hired workers=1 $L^h$ (3)	ln(expend. in hired workers) $L^h$ (4)
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<i>B. Highlands</i>				
Average DD	0.005 (0.010)	-0.006 (0.007)	-0.000 (0.003)	0.028*** (0.010)
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# Results - Hired labour

Table 4: Effect of temperature on total output and input use

	ln(output) $Y$ (1)	ln(land used) $T$ (2)	Hired workers=1 $L^h$ (3)	ln(expend. in hired workers) $L^h$ (4)
<i>A. Coast</i>				
Average DD	0.146** (0.062)	-0.004 (0.013)	0.029*** (0.010)	0.094 (0.085)
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Observations	7,962	7,962	7,962	4,436
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Notes: Robust standard errors in parentheses. Standard errors are clustered at district level. \* denotes significant at 10%, \*\* significant at 5% and \*\*\* significant at 1%. All regressions include district and growing season fixed effects, average precipitation and its square, and same household and soil controls as column 1 in Table 3.

# Results - Explained by subsistence farmers

Table 5: Effect of temperature on land and domestic labor, by subsistence level

	Using extreme poverty			Using basic unmet needs		
	ln(land used) $T$ (1)	ln(hours agric. work) $L^d$ (2)	Child labor=1 $L^d$ (3)	ln(land used) $T$ (4)	ln(hours agric. work) $L^d$ (5)	Child labor=1 $L^d$ (6)
<i>A. Subsistence farmers</i>						
Average DD	-0.010 (0.009)	-0.004 (0.009)	-0.020* (0.012)	-0.008 (0.008)	-0.016* (0.008)	-0.020** (0.009)
Average HDD	0.150* (0.080)	0.120 (0.077)	0.197* (0.101)	0.097* (0.050)	0.067 (0.052)	0.063 (0.056)
Observations	9,783	9,783	9,783	17,946	17,946	17,946
R-squared	0.382	0.251	0.235	0.377	0.225	0.208
<i>B. Non-subsistence farmers</i>						
Average DD	-0.006 (0.007)	-0.024*** (0.007)	-0.014*** (0.005)	-0.009 (0.006)	-0.027*** (0.007)	-0.018*** (0.006)
Average HDD	0.056 (0.036)	0.011 (0.042)	0.016 (0.029)	0.032 (0.039)	-0.002 (0.051)	0.043 (0.036)
Observations	37,173	37,173	37,173	29,023	29,023	29,023
R-squared	0.331	0.220	0.184	0.326	0.240	0.209

# Other Results

- ▶ Household in the highlands expand production into woods (areas covered in bushes, etc)
- ▶ Production of cereals is replaced by tubers
- ▶ Evidence of botanical impact rather than input productivity (analysis by month)

# Climate Change Simulations

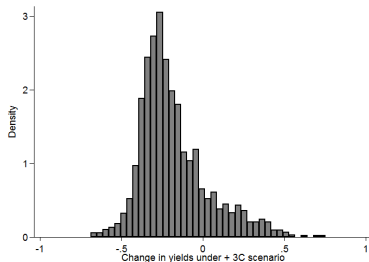
- ▶ Climate change scenarios are contingent on assumptions about behavioral change (e.g. fossil fuel emissions).
- ▶ While economic theory suggests that farming technologies are more flexible in the long run, allowing for adaptation, researchers failed to find evidence, e.g. Burke and Emerick (2016), Guiteras (2009)
- ▶ Using different emission scenarios from The Intergovernmental Panel on Climate Change, it is estimated that Peru's average temperatures would increase between 1.5 and 3 °C

**We distribute additional degrees uniformly and use our estimations to compute differences in yields**

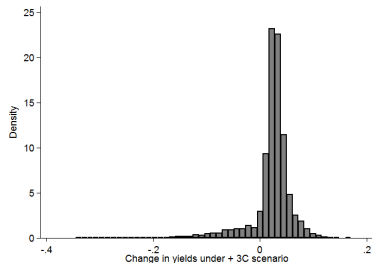


# Distribution of Impacts - 3°C scenario

: Coast



: Highlands



**Substantial damages in the coast, while highlands would benefit from higher temperatures**

# Conclusion

- ▶ We confirm the non-linear relationship between temperature and agricultural yields in a sample of Peruvian farmers.
- ▶ The threshold at which temperatures become detrimental is different by region
- ▶ Effect via agricultural TFP and regions react differently to it
- ▶ Subsistence farmers (mostly in the Highlands) increase land use to compensate for lower productivity and domestic labour, and manage to avoid a drop in output.
- ▶ Heterogeneous results by region of climate change scenarios highlight strong redistributive effects

# Temperature Function: Degree-Days

Piecewise linear function of daily temperature  $\tau_t$

$$DD_t = \begin{cases} 0 & \text{if } \tau_t < 8^\circ\text{C} \\ \tau_t - 8 & \text{if } 8 < \tau_t \leq \tau_{High} \\ \tau_{High} - 8 & \text{if } \tau_{High} < \tau_t \end{cases}$$

And:

$$HDD_t = \begin{cases} 0 & \text{if } \tau_t \leq \tau_{High} \\ \tau_t - \tau_{High} & \text{if } \tau_{High} < \tau_t < 40 \\ 40 - \tau_{High} & \text{if } 40 < \tau_t \end{cases}$$

- Threshold temperature  $\tau_{High}$  will be estimated from data