

BB84

Alice is sending 10 qubits

 $R = \{u_0 = |0\rangle, u_1 = |1\rangle\}$ rectangular basis $D = \{d_0 = |+\rangle, d_1 = |-\rangle\}$ diagonal basis

a) Since Alice is sending 10 qubits and the probability of Bob measuring in the same basis as in which Alice prepared the state is $\frac{1}{2}$, so they'll get 5 bits of strings as key.

b) Since Eve is Eavesdropping and she measured all the states in R basis

SUNDAY

27

Eve introduces an error when their basis is diff than Alice and Bob's.

50% of time they guess the right basis and when the basis is wrong they introduce an error with 50% prob. $(0.5 \times 0.5) = 0.25$

25% probability that they introduce an error

2017 SEPTEMBER

Mon	4	11	18	25
Tue	5	12	19	26
Wed	6	13	20	27
Thu	7	14	21	28
Fri	1	8	15	22
Sat	2	9	16	23
Sun	3	10	17	24

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AUGUST
MONDAY

2017

So the probability that Eve could Eavesdrop only 10 bits and not introduce an error.

$$(0.75)^{10} = 5.6\% \text{ for 10 bits}$$

So, 94.4% prob, she'll induce an error.

So, it'll induce an error 25% prob,

so, with Eve Eavesdropping, Alice and

Bob are only expected to get 2-3 bits

Prob that first bit in Alice's key is same as of Bob is 25%.

R basis

(1) If Eve measures in γ basis

$$\gamma = \left\{ \frac{|0\rangle + i|1\rangle}{\sqrt{2}}, \frac{|0\rangle - i|1\rangle}{\sqrt{2}} \right\}$$

the answer ~~remains~~ remains the same.
for (B) \rightarrow

2017 AUGUST

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Notes