

End - Sem - Examination

Name :- Tanishq Chauhan

Roll No. :- 21C3184

Subject :- Data Structure (CER3C3)

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Branch :- Computer Science & Engineering (CS-B)

TChauhan

Data Structure (CER3C3)

* Answer of Q. No. 4.

(a). Insertion of a Node

1. Create a new BST node and assign value to it.
2. insert (node, key)
 - (i) If $\text{root} = \text{NULL}$,
return the new node to the calling function.
 - (ii) If $\text{root} \Rightarrow \text{data} < \text{key}$
call the insert function with $\text{root} \Rightarrow \text{right}$
and assign the return value in $\text{root} \Rightarrow \text{right}$.
 $\text{root} \Rightarrow \text{right} = \text{insert}(\text{root} \Rightarrow \text{right}, \text{key})$
 - (iii) If $\text{root} \Rightarrow \text{data} > \text{key}$
call the insert function with $\text{root} \Rightarrow \text{left}$
and assign the return value in $\text{root} \Rightarrow \text{left}$.
 $\text{root} \Rightarrow \text{left} = \text{insert}(\text{root} \Rightarrow \text{left}, \text{key})$
3. Finally, return the original root pointer to the calling function.

(b) No. of leaf nodes

getLeafCount (node)

1. If node is NULL then return 0.
2. Else If left and right child nodes are NULL return 1.
3. Else recursively calculate leaf count of the tree using below formula.

Leaf count of a tree = Leaf count of left subtree

+

Leaf count of right subtree

getLeafCount (node \rightarrow left) +
getLeafCount (node \rightarrow right)

(c) Number of nodes

CountNodes (node)

1. If node is NULL then return 0.

IF $x = \text{NULL}$

return 0

[End If]

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2. ~~IF~~ If ($x \rightarrow \text{left}$) = NULL

$n = n + 1$;

(CountNode ($x \rightarrow \text{left}$))

[End IF]

If [$x \rightarrow \text{right}$] = NULL

$n = n + 1$

(CountNode ($x \rightarrow \text{right}$))

[End IF]

3. Return n ;

Q1 Simply, recursively we can calculate Number of Nodes of ^{tree} using below formula.

Total No. of Nodes = Total No. of nodes in leftsub tree
+
Total No. of nodes in right sub tree

+
1

int yes = 0

yes + = (CountNode ($\text{root} \rightarrow \text{left}$) + CountNode ($\text{root} \rightarrow \text{right}$));
return yes;

(e) Find the address of parent node to specific node

We can find the parent of a specific node using the following code below:

```
void findParent (struct Node* node, int val, int parent)
{
    if (node == NULL)
        return;
    // If current node is the required node
    if (node->data == val)
    {
        count << parent;
    }
    else
    {
        // Recursive calls for the children
        // of the current node
        // Current node is now the new parent
        findParent (node->left, val, node->data);
        findParent (node->right, val, node->data);
    }
}
```

Answer of Q. No. 1. (b)

include <iostream>

using namespace std;

int M = 3; // Declared Globally
int N;

void transpose (int array[N][M] , int rows , int
columns);
{

int transp[N][M]; // transpose sparse matrix

if (N > 0) {

{

// non zero matrix

int current = 0;

// current row of transp[][],

for (int c = 0; c < columns; c++)

{

// for each column of matrix

for (int i = 0; i < N; i++)

{

// iterate each non-zero transp

if it has column index = c;

```
if (array[i][1] == c)
{
    transp[current][0] = c;
    transp[current][1] = array[i][0];
    transp[current++][2] = array[i][1];
}
}
} // end if (N > 0)
```

```
cout << "Transpose Matrix: " << endl;
```

```
for (int i=0; i < N; i++)
{
    for (int j=0; j < M; j++)
    {
        cout << array[i][j] <<
        cout << endl;
    }
}
```

Answer of Q. No. 1 (c)

~~#include <iostream>~~

~~#include <string.h>~~

~~using namespace std;~~

~~void substring (string s, int n)~~

~~{~~

~~String s1 = s, substr (0, n-1);~~

~~cout << " Substring is " << s1 << endl;~~

~~string substring (string s, int n)~~

~~{~~

~~return s.substr(0, n);~~

~~}~~

~~int main()~~

~~{~~

~~// Take any string~~

~~string s1 = "Hello India";~~

~~string result = substring (s1, 5);~~

Answer of Q. No 1(c)

```
#include <iostream>
#include <string.h>
using namespace std;
```

```
string substring (string s , int n)
```

```
{
```

```
    return s.substr (0, n);
}
```

```
int main ()
```

```
{
```

```
// Take any string
```

```
string s1 = "Hello India";
string result = substring (s1, 5);
```

```
// print the result
```

```
cout << "Substring is : " << result;
```

```
return 0;
```

```
}
```

Answer of Q-No. 1 (b)

#include <bits/stdc++.h>
using namespace std;

void transpose (int matrix [] [3], int n)
{

 int m1 [size] [3], m2 [size] [3];

 for (int j=0; j<3; j++)

 {

 for (int i=0; i<n; i++)

 {

 if (j == 0)

 {

 m1 [i] [1] = matrix [i] [j]

 }

 if (j == 1)

 {

 m1 [i] [0] = matrix [i] [j];

 }

 if (j == 2)

 {

 m1 [i] [2] = matrix [i] [j];

 }

for (int i=0; i<n; i++)

{

 for (int j=i+1; j<n; j++)

{

 if ($m_1[i][0] > m_1[j][0]$ || ($m_1[i][0] == m_1[j][0]$ & $m_1[i][1] > m_1[j][1]$))

{

 for (int k=0; k<3; k++)

{

 int c = $m_1[j][k]$;

$m_1[j][k] = m_1[i][k]$;

$m_1[i][k] = c$;

}

}

}

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cout << " The transpose of the entered matrix
is " << endl;

for

Answer of Q. No 2 (c)

Algorithm for Infix to postfix (using stack)

Step 1 : Scan the infix expression from left to right.

Step 2 : If the scanned character is an operand output it.

Step 3 : Else.

(i) If the precedence of the scanned operator is greater than precedence of the operator in the stack (or the stack is empty or the stack contains "()", ") push it.

(ii) Else, pop all the operators from the stack which are greater than or equal to in precedence than that of the scanned operator. After doing that push the scanned operator to the stack. (IF you encounter parenthesis) while popping then stop there and pushed the scanned operator in stack);

Step 4 : If the scanned character is an '(' push it to the stack.

Step 5: If the scanned character is an ')'

pop the stack & output it until a
'(' is encountered & discard both
parenthesis.

Step 6: Repeat steps 2-6 until fix expression
is scanned.

Step 7: Print the output.

Step 8: Pop and output from the stack
until it is not empty.

Procedure :

: x is an operand : print(x)

: x = ')' while stack (top) ≠ 'c' do
print (stack (top)) ; top ← top - 1
end

top ← top - 1

: else while ISP (stack (top)) = ICP (x) do
print (stack (top))

top ← top - 1

end

call ADD (x, stack, n, top)

end

forever

end postfix

Answer of Q. No 2(b)

(i) To insert an element (enqueue) in a circular queue :-

Step 1 : [check for the ~~next~~ overflow]

IF $\text{Front} = 1$ and $\text{rear} = n$
Output "overflow" and return

Step 2 : [Insert element in the queue)

Else if $\text{Front} = 0$

$\text{Front} = 1$

$\text{rear} = 1$

$Q[\text{rear}] = \text{value}$

Step 3 : [check if the rear at the end of the queue]

Else if $\text{rear} = n$

$\text{rear} = 1$

$Q[\text{rear}] = \text{value}$

Step 4 : [Insert an element]

else

$\text{rear} = \text{rear} + 1$

$Q[\text{rear}] = \text{value}$

Step 5 : Return

(ii) To delete an element or dequeue in a circular queue

Step 1 : [Check for underflow]

IF front = 0

Output "Underflow" and return

Step 2 : [Remove the element]

value = Q[Front]

Step 3 : [Check whether the queue is empty or not]

IF front = rear

front = 0

rear = 0

Step 4 : [Check the front pointer position]

else if front = n

front = 1

else

front = front + 1

Step 5 : [Return the removed element]

Return [value]

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Answer of Q. No 3 (a)

Reversing the singly linked list

```
#include <bits/stdc++.h>
using namespace std;
```

```
struct node
```

```
{  
    int data;  
    struct node* next;  
};
```

```
// function for reversal
```

```
void reverse (node* &head)
```

```
{  
    node* p = head; // initializing node pointer  
    node* q = NULL;  
    node* r = NULL;
```

```
while (p)
```

```
{  
    r = q;  
    q = p;  
    p = p->next;  
    q->next = r;
```

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head = q ;

}

Answer of Q. No. 3 (c)

Insert and Delete Element

// for insertion // Insert

void insertmiddle (node* head, int val)

{

int ctri = 0; // for counting no. of nodes)

node* ptri = head;

while (ptri \rightarrow next != NULL)

{

ctr1 ++;

ptri = ptri \rightarrow next;

}

node* p = new (node);

node* q = new (node);

p = head;

int i = 0;

while (i != (ctr1/2) - 1) // condition for reaching
the middle.

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{

$p = p \rightarrow \text{next};$

$p++;$

}

$q \rightarrow \text{data} = \text{val};$

$q \rightarrow \text{next} = p \rightarrow \text{next};$

$p \rightarrow \text{next} = q;$

$q \rightarrow \text{prev} = p \rightarrow \text{next} \rightarrow \text{prev};$

$p \rightarrow \text{next} \rightarrow \text{prev} = q;$

}

|| for deleting middle element || Delete

void deletemid (node* head)

{

int ctri = 0;

node* ptri = head;

while (ptri \rightarrow next != NULL)

{

ctr1 ++; || counting

ptri = ptri \rightarrow next;

}

node* p = head; || initializing nodes

node* q;

node* r = p \rightarrow next;

int i=0;

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while ($i \neq (ctr/2)-1$) // reaching middle node

}

$q = q \rightarrow \text{next};$

$p = p \rightarrow \text{next};$

$i++;$

}

$p \rightarrow \text{next} = q \rightarrow \text{next};$ // Re-linking the elements

$q \rightarrow \text{next} \rightarrow \text{prev} = p;$

$\text{free}(q);$ // deleting mid

}

Answer of Q. No 5 (c)

Breadth First Search (BFS) Depth First Search (DFS)

- | | |
|--|---|
| 1. BFS uses Queue data structure for finding the shortest path | 1. DFS uses stack data structure. |
| 2. BFS operates using FIFO list | 2. DFS operates using LIFO list. |
| 3. BFS can be used to find single source shortest path in an unweighted graph because in BFS, we reach a vertex with minimum number of edges from a source vertex. | 3. In DFS, we might traverse through more edges to reach destination vertex from a source. |
| 4. BFS is more suitable for searching vertices which are closer to the given source | 4. DFS is more suitable when there are solutions away from source. |
| 5. BFS considers all neighbours first and therefore not suitable for decision making tree used in games or puzzles. | 5. In DFS we make a decision, then explore all paths through this decision. And if this decision leads to win situation, we stop. |

6. In BFS, siblings are visited before the children.

6. In DFS, children are visited before the siblings.

* Depth-First Search Without Recursion

dfs(σ)

visit (σ , no parent)

$v = \sigma$

next

edge

for all vertices w adjacent to v

if evaluate(v, w) is unvisited

depth = depth + 1

visit (w, v);

$v = w$;

go to next edge

if $v \neq \sigma$

$v = \text{evaluate}(\rho, v)$

depth = depth - 1

go to next edge