# Dynamics 2

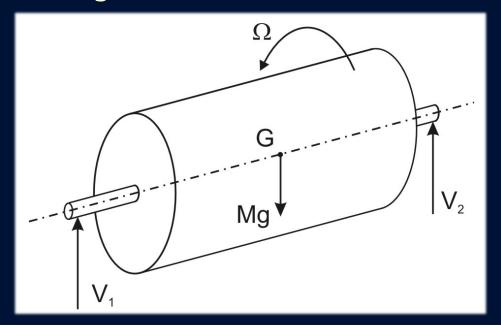
FAR – Rotating Unbalance (Dynamics of Systems of Bodies)

## Rotating Unbalance

- rotating unbalance applies the force equation ie GN2
- remember:
  sum of external forces and the body inertia force = 0
- and inertia force acts in opposite direction to a<sub>G</sub>
- enormous consequence for rotating machinery

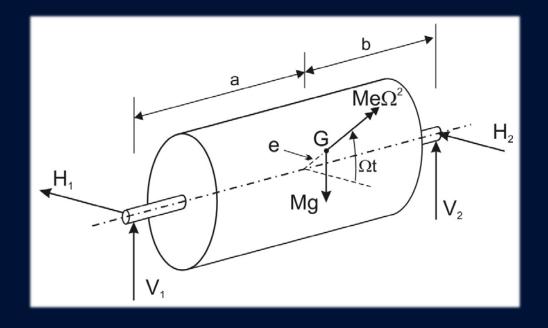
#### **Perfect Rotor**

- mathematically perfect at constant  $\Omega$
- G lies on centre line between bearings
  - no acceleration so no inertia force
- bearings simply oppose weight



- real rotors are subject to machining tolerances
  - not mathematically perfect
  - G will not lie on the centre line
- during rotation G will follow a circle of radius e
  - where e is the eccentricity of G
- G will have a centripetal acceleration
  - FBD needs an inertia force acting radially outwards through G
- bearing forces will oscillate

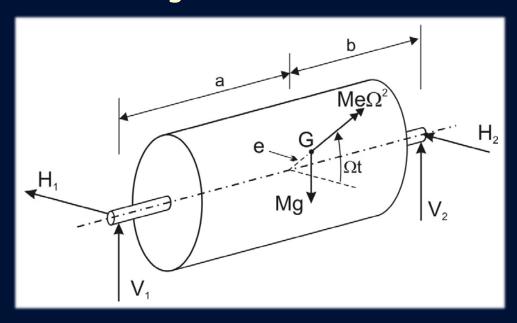
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- by ∑ forces & moments on FBD
  - define horizontal and vertical bearing forces

$$H_1 = \frac{b}{L} M e \Omega^2 \cos \Omega t$$

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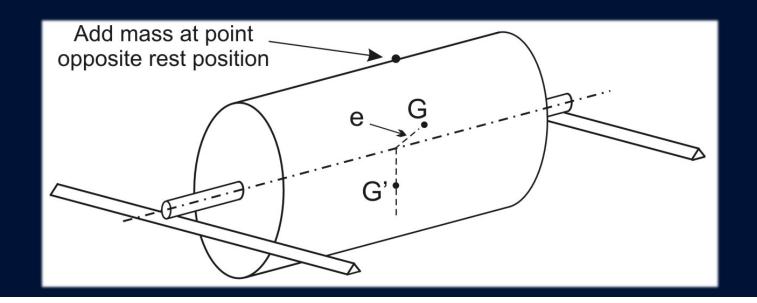
- similarly for H<sub>2</sub> and V<sub>2</sub>
- bearing forces are oscillatory
  - proportional to  $e \& \Omega^2$ . This is Rotating Unbalance

## Rotor Balancing

- unbalanced rotors cause excessive noise, wear and fatigue failure
  - balancing is standard practice
- two approaches
  - Static
  - Dynamic

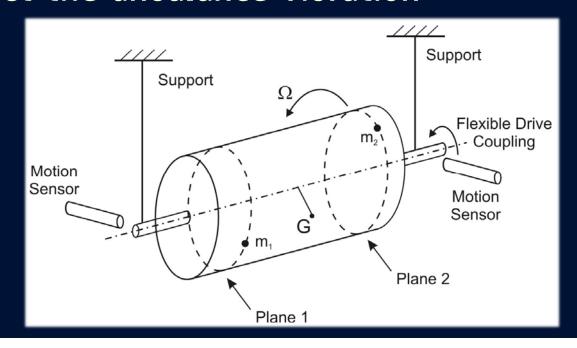
# Static Balancing

- rotor is placed in a low-friction support
- mass added until no obvious pendulum action
  - G on bearing centre line
- unreliable except for thin rotors (as single plane)



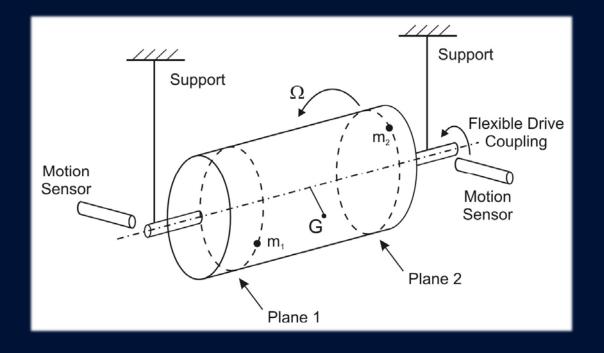
# **Dynamic Balancing**

- rotor mounted in balancing machine
  - run at high speed through a flexible coupling
- bearings very flexible in the horizontal plane
  - transducers detect the unbalance vibration



# **Dynamic Balancing**

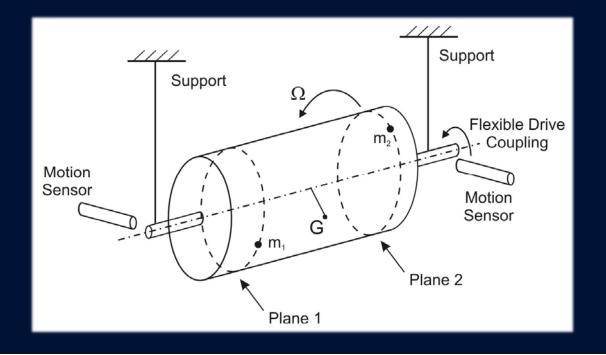
- two balancing planes chosen
  - machine computes the mass to be added at specific angular locations in each plane
- reliable
  - zero deformation
  - not for large rotors



# Dynamic Balancing

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- Kwik-Fit
  - tyre balancing



# Dynamic Balancing – Car Tyre



# Summary

- causes and effects of rotating unbalance
- static balancing
- dynamic balancing