# Workshop 8 Solutions

 $Veerasak\ Kritsanapraphan$ 

We'll begin by loading all the packages we might need.

```
library(MASS)
library(plyr)
library(reshape) # You may need to install this one first!

##
## Attaching package: 'reshape'
## The following objects are masked from 'package:plyr':
##
## rename, round_any
library(ggplot2)
```

#### Is the data normal?

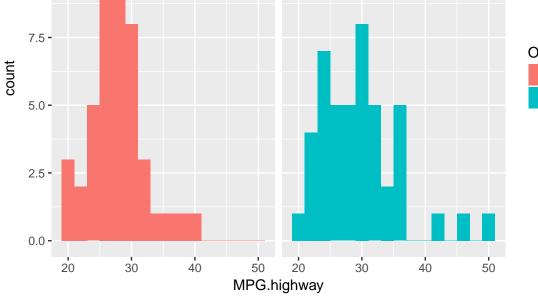
 $\textbf{(a)} \ \operatorname{Construct} \ \operatorname{histograms} \ \operatorname{of} \ \mathtt{MPG.highway}, \ \operatorname{one} \ \operatorname{plot} \ \operatorname{for} \ \operatorname{each} \ \mathtt{Origin} \ \operatorname{category}.$ 

12.5 - USA non-USA
10.0 - 7.5 - Origin

USA

non-USA

qplot(x = MPG.highway, data = Cars93, facets = ~Origin, geom = "histogram", fill = Origin, binwidth = 2



(b) Does the data look to be normally distributed?

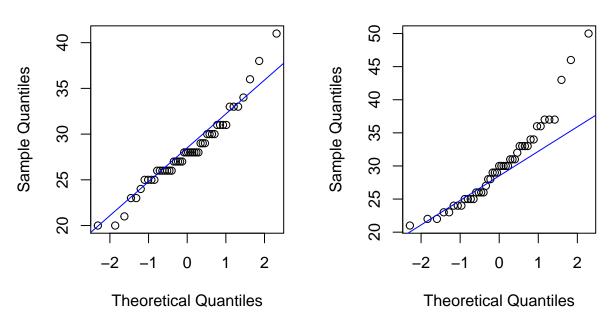
The histograms don't really look normally distributed, so we might be better off using the non-parametric test.

(c) Construct qqplots of MPG.highway, one plot for each Origin category. Overlay a line on each plot using with qqline() function.

```
par(mfrow = c(1,2))
# USA cars
with(Cars93, qqnorm(MPG.highway[Origin == "USA"]))
with(Cars93, qqline(MPG.highway, col = "blue"))
# Foreign cars
with(Cars93, qqnorm(MPG.highway[Origin == "non-USA"]))
with(Cars93, qqline(MPG.highway, col = "blue"))
```

# Normal Q-Q Plot

# Normal Q-Q Plot



(d) Does the data look to be normally distributed?

The non-USA MPG.highway data looks very far from normally distributed.

### Testing means between two groups

(a) Using the Cars93 data and the t.test() function, run a t-test to see if average MPG.highway is different between US and non-US vehicles.

Try doing this both using the formula style input and the x, y style input.

```
# Formula version
mpg.t.test <- t.test(MPG.highway ~ Origin, data = Cars93)
mpg.t.test

##
## Welch Two Sample t-test
##
## data: MPG.highway by Origin
## t = -1.7545, df = 75.802, p-value = 0.08339
## alternative hypothesis: true difference in means is not equal to 0</pre>
```

```
## 95 percent confidence interval:
## -4.1489029 0.2627918
## sample estimates:
##
       \hbox{\tt mean in group USA mean in group non-USA}
##
                28.14583
                                       30.08889
x, y version
with(Cars93, t.test(x = MPG.highway[Origin == "USA"], y = MPG.highway[Origin == "non-USA"])) ""
(b) What is the confidence interval for the difference?
mpg.t.test$conf.int
## [1] -4.1489029 0.2627918
## attr(,"conf.level")
## [1] 0.95
(c) Repeat part (a) using the wilcox.test() function.
mpg.wilcox.test <- wilcox.test(MPG.highway ~ Origin, data = Cars93)</pre>
## Warning in wilcox.test.default(x = c(31L, 28L, 25L, 27L, 25L, 25L, 36L, :
## cannot compute exact p-value with ties
mpg.wilcox.test
##
## Wilcoxon rank sum test with continuity correction
##
## data: MPG.highway by Origin
## W = 910, p-value = 0.1912
## alternative hypothesis: true location shift is not equal to 0
What about one tail?
Mean of X less then Y
t.test(formula,alternative="less")
with(Cars93, t.test(x = MPG.highway[Origin == "USA"], y = MPG.highway[Origin == "non-USA"], alternative=
## Welch Two Sample t-test
## data: MPG.highway[Origin == "USA"] and MPG.highway[Origin == "non-USA"]
## t = -1.7545, df = 75.802, p-value = 0.0417
## alternative hypothesis: true difference in means is less than 0
## 95 percent confidence interval:
           -Inf -0.09886038
## sample estimates:
```

## mean of x mean of y ## 28.14583 30.08889

# Mean of Y greater than X

## t.test(formula,alternative="greater")