

---

# LP 8 : PHENOMÈNES DE TRANSPORT.

PRÉSENTÉ PAR : RAPHAEL AESCHLIMANN

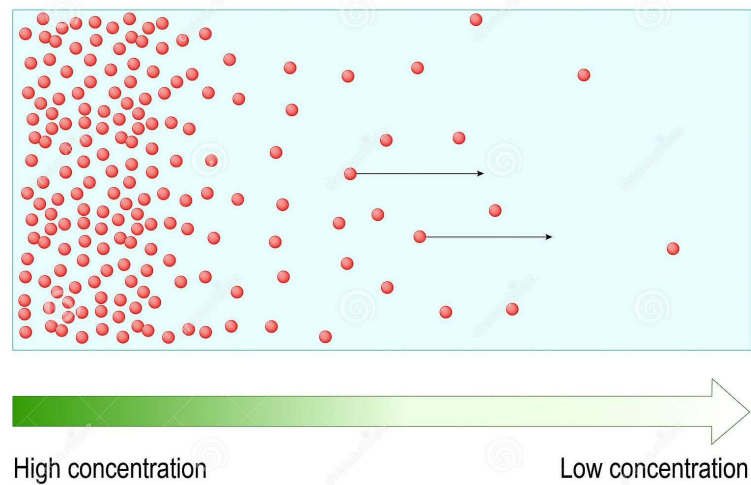


# TYPES DE TRANSPORT

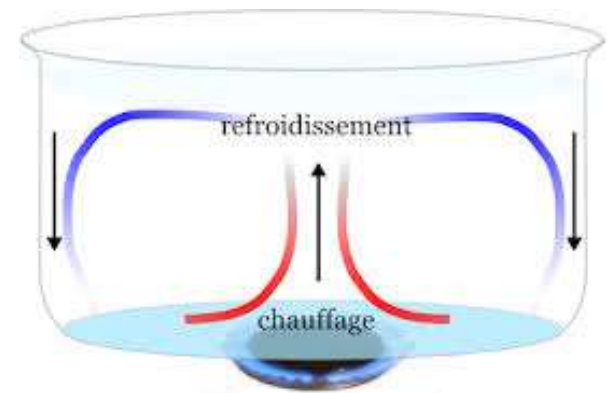
Rayonnement



Diffusion

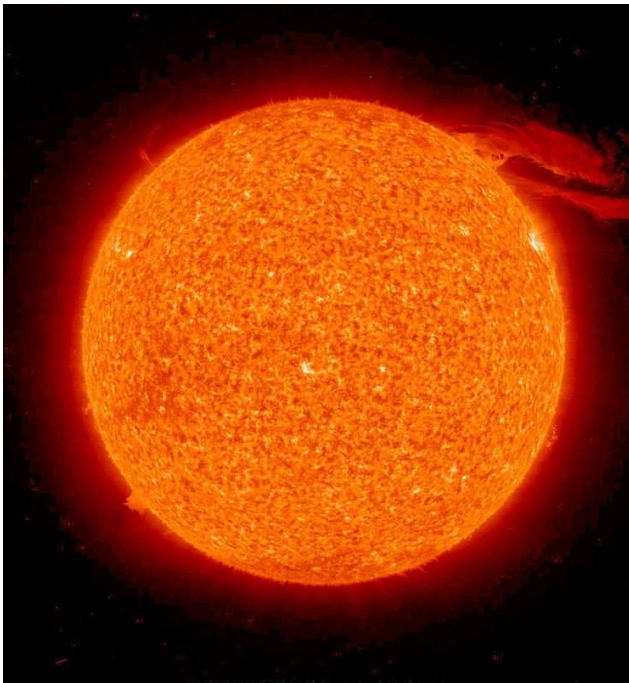


Convection



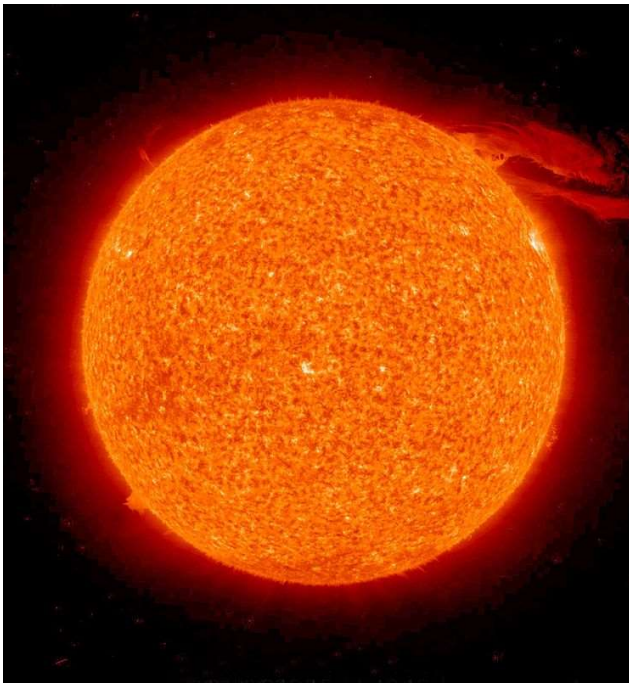
# CAS D'ETUDE

Rayonnement  
thermique



## CAS D'ETUDE

Rayonnement  
thermique

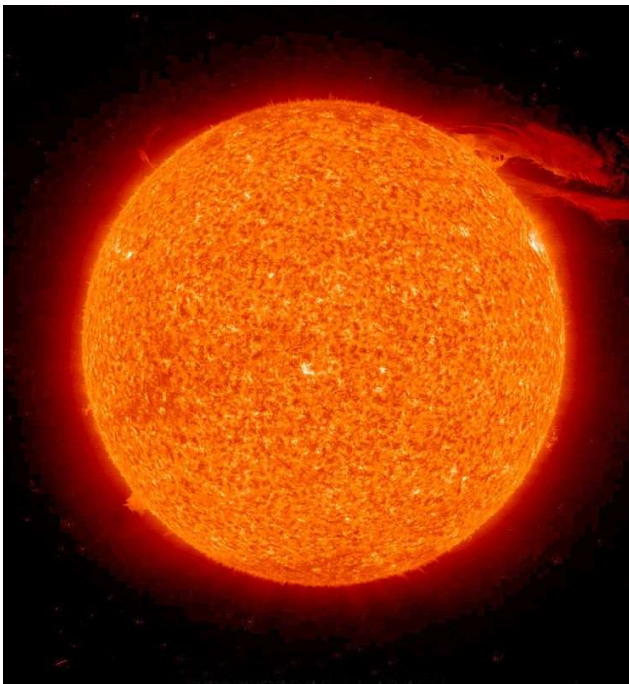


Diffusion de  
particules



## CAS D'ETUDE

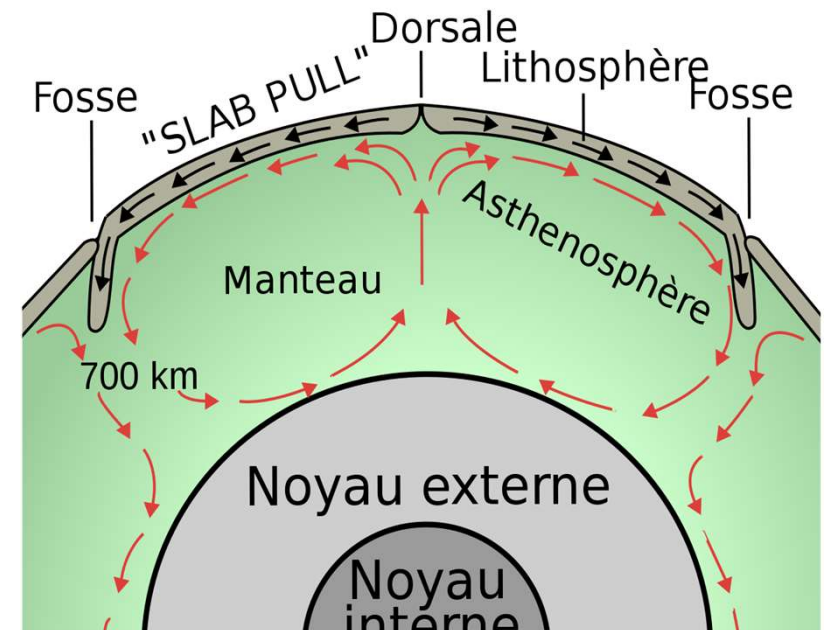
Rayonnement  
thermique



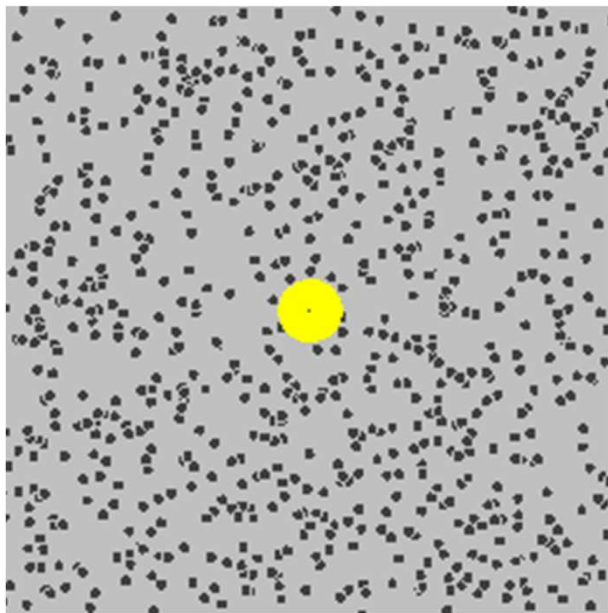
Diffusion de  
particules



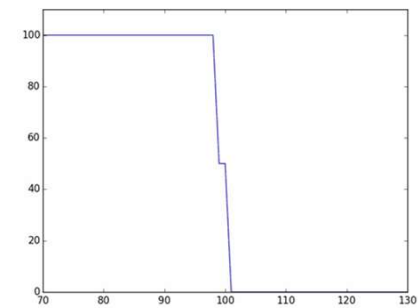
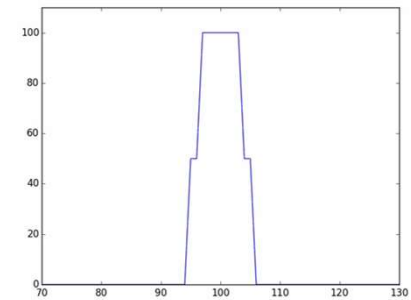
Convection  
thermique



# ORIGINE MICROSCOPIQUE



Mouvement brownien

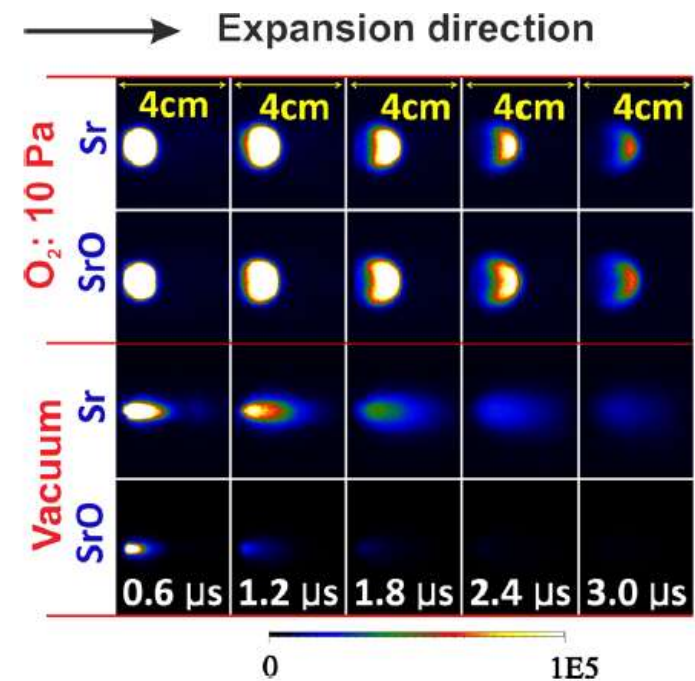
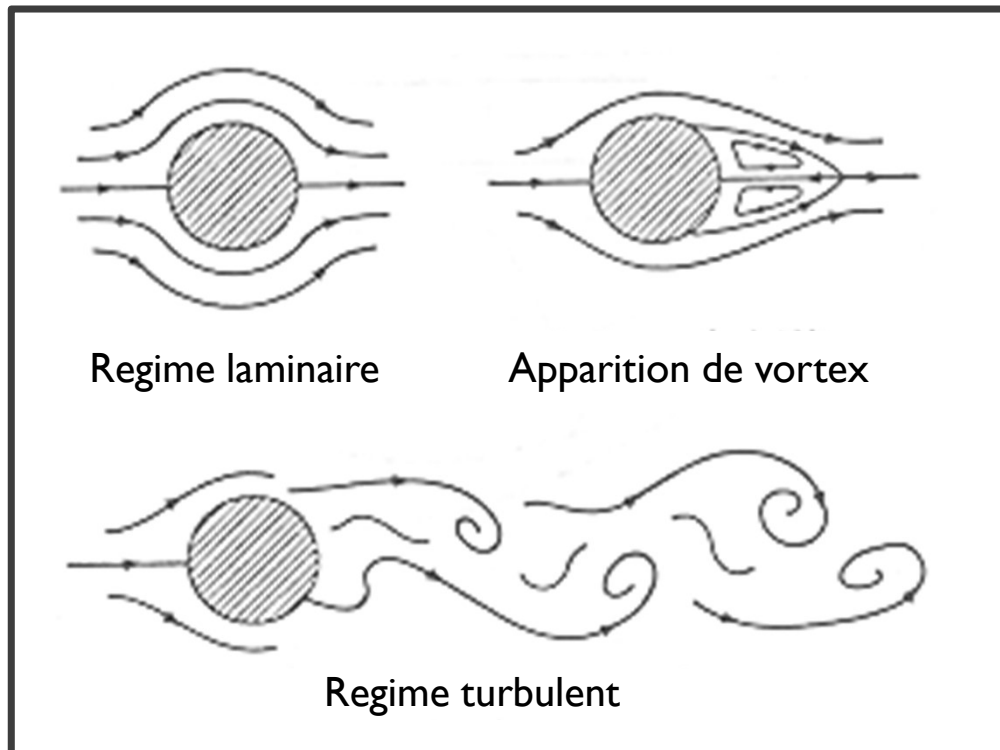


# ANALOGIES

	Diffusion thermique	Diffusion de particules	Diffusion électrique
Grandeur intensive $f$	Température	Densité de particule	Potentiel électrique
Cause	$-\overrightarrow{\text{grad}} T \neq 0$	$-\overrightarrow{\text{grad}} n \neq 0$	$-\overrightarrow{\text{grad}} V \neq 0$
Grandeur extensive $G$	Énergie interne	Nombre de particules	Charge électrique
Effet	$\delta Q = \overrightarrow{j_Q} \overrightarrow{dS} dt$	$\delta N = \overrightarrow{j_N} \overrightarrow{dS} dt$	$\delta q = \overrightarrow{j} \overrightarrow{dS} dt$
Loi phenomenologique	$\overrightarrow{j_Q} = -\lambda \overrightarrow{\text{grad}} T$ loi de Fourier	$\overrightarrow{j_N} = -D \overrightarrow{\text{grad}} n$ loi de Fick	$\overrightarrow{j} = -\sigma \overrightarrow{\text{grad}} V$ loi d'Ohm
Equation de conservation	$\text{div } \overrightarrow{j_Q} + \mu c_V \frac{\partial T}{\partial t} = 0$	$\text{div } \overrightarrow{j_N} + \frac{\partial n}{\partial t} = 0$	$\text{div } \overrightarrow{j} + \frac{\partial \rho}{\partial t} = 0$



# COMPARAISON DES DIFFERENT TYPES DE TRANSPORT

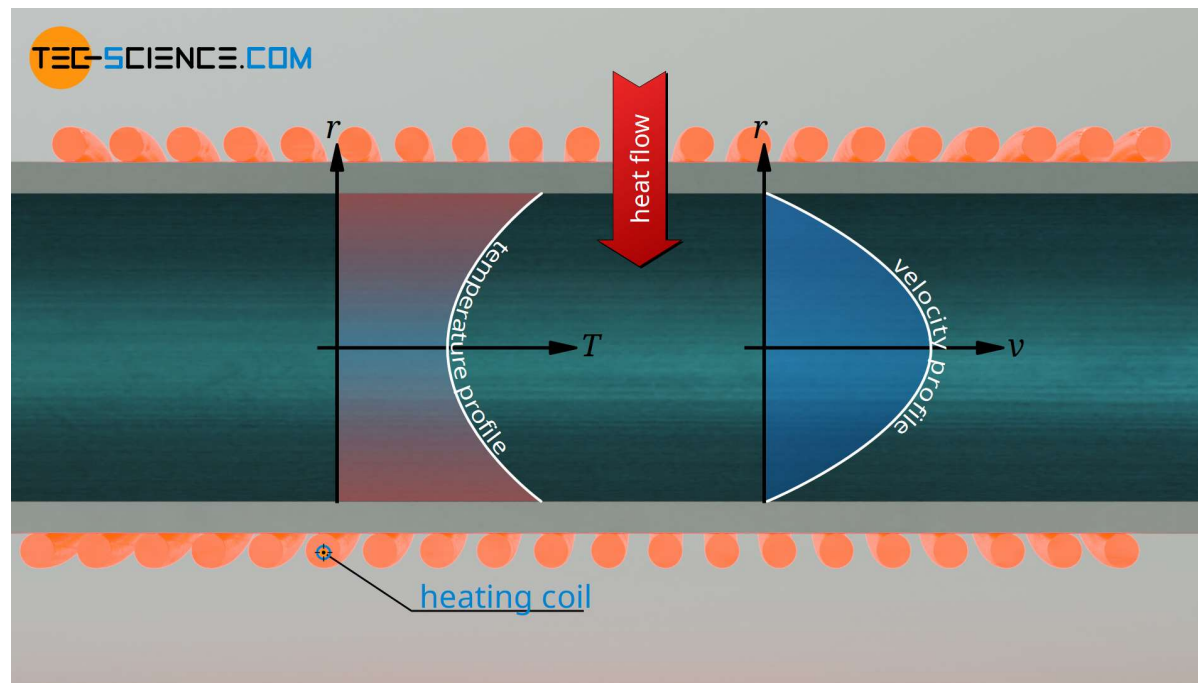


Adapté de Stender, D. et al. *Journal of Applied Physics* **118**, 165306 (2015).



# CONVECTION VS DIFFUSION

## Nombre de Prandtl



## RETOUR SUR LE CAFÉ

- Rayonnement :  $\overrightarrow{j_Q} = \sigma T^4 \approx 593 \text{ W.m}^2$
- Diffusion :  $\overrightarrow{j_Q} = \lambda \overrightarrow{\text{grad}} T \approx 1000 \text{ W.m}^2$
- Convection :  $\overrightarrow{j_Q} = h \Delta T \approx 1000 - 6000 \text{ W.m}^2$

# OUVERTURE

Effet Seebeck



$$\vec{j}_Q \rightarrow \vec{j}$$

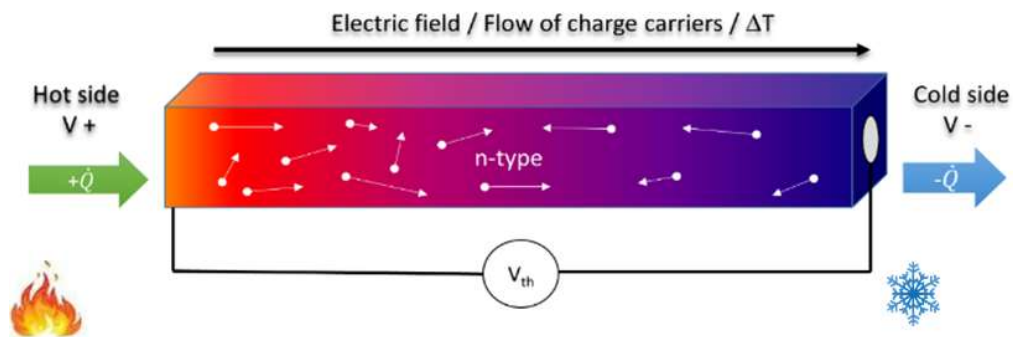
Effet Peltier



$$\vec{j} \rightarrow \vec{j}_Q$$

# OUVERTURE

Effet Seebeck



Effet Peltier

