Laporan Proyek 1: Keamanan Komputer



God's People for God's Glory

Oleh:

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1. Buatlah sebuah program yang dapat mengenkripsi dan dekripsi menggunakan affine cipher seperti yang dijelaskan di Problem 3.1 di buku Cryptography and Network Security seventh edition (William Stalling).

```
AffineCipher.py > ...
 1 import sys
    def egcd(a, b):
     x,y, u,v = 0,1, 1,0
      while a != 0:
      q, r = b//a, b%a
      m, n = x-u*q, y-v*q
b,a, x,y, u,v = a,r, u,v, m,n
 9
    gcd = b
10
11
     return gcd, x, y
def modinv(a, m):
     gcd, x, y = egcd(a, m)
14
      if gcd != 1:
15
16
      return None
     else:
17
18
      return x % m
19
20 def encrypt(text, key):
21 | return ''.join([ chr((( key[0]*(ord(t) - ord('A')) + key[1] ) % 26) + ord('A')) for t in text.upper().replace(' ', '') ])
24 def decrypt(cipher, key):
     return ''.join([ chr((( modinv(key[0], 26)*(ord(c) - ord('A') - key[1])) % 26) + ord('A')) for c in cipher ])
25
26
27
 28
      if len(sys.argv) <= 8:
 29
           key = [17, 20]
            if sys.argv[1] == '-a' and sys.argv[3] == '-b' and sys.argv[5] == '-e' :
 30
                key[0] = int(sys.argv[2])
 31
                key[1] = int(sys.argv[4])
 32
               text = str(sys.argv[6])
 33
               enc_text = encrypt(text, key)
             print('Encrypted sentence: {}'.format(enc text))
 35
 36
           if sys.argv[1] == '-a' and sys.argv[3] == '-b'and sys.argv[5] == '-d' :
 37
 38
                text = str(sys.argv[6])
 39
                key[0] = int(sys.argv[2])
 40
                key[1] = int(sys.argv[4])
 41
                dec_text = decrypt(text, key)
 42
               print('Decrypted sentence: {}'.format(dec_text))
 43
       else:
 44
       print('Format Error')
 45
 46
```

C:\Users\yosia\keamanan komputer>python AffineCipher.py -a 17 -b 20 -e HelloWorld Encrypted sentence: JKZZYEYXZT

C:\Users\yosia\keamanan_komputer>python AffineCipher.py -a 17 -b 20 -d JKZZYEYXZT Decrypted sentence: HELLOWORLD

2. Implementasikan program enkripsi dan dekripsi untuk mengenkripsi input plaintext menggunakan AES-128 dengan operasi mode CBC.

Kode yang digunakan:

```
AESCipher.py > ...
 1 from Crypto.Cipher import AES
 2
    from Crypto.Util.Padding import pad,unpad
    import binascii
 4
     import sys
     key = pad(b"mykey", AES.block_size)
 6
 7
     iv = pad(b"myiv", AES.block_size)
 8
 9
10
     def encrypt(plaintext):
         data_bytes = bytes(plaintext, 'utf-8')
11
12
         padded_bytes=pad(data_bytes, AES.block_size)
        AES_obj = AES.new(key, AES.MODE_CBC,iv)
13
14
        ciphertext = AES_obj.encrypt(padded_bytes)
      return ciphertext
15
16
17
    def decrypt(ciphertext):
         AES_obj = AES.new(key, AES.MODE_CBC, iv)
18
        raw_bytes=AES_obj.decrypt(ciphertext)
19
        extracted_bytes = unpad(raw_bytes, AES.block_size)
20
        return extracted_bytes
21
22
23
    def read_txt(file):
24
        file = open(file, 'r')
25
         return file.read()
26
27
    def save_to_txt(file, result):
         f = open(file, 'w+')
28
29
         f.write(result.decode('utf-8'))
30
        f.close()
31
       return f
32
```

```
33
     if __name__ == '__main__':
34
         plaintext = "foeiafjeifajoeiafjo"
35
36
         f = open('test.txt', 'w+')
         f.write(plaintext)
37
38
         f.close()
39
40
41
42
         if len(sys.argv) == 3:
             if sys.argv[1] == '-e':
43
44
                 file = str(sys.argv[2])
45
                 plaintext = read_txt(file)
46
                 ciphertext = encrypt(plaintext)
47
                 binascii_ = binascii.hexlify(ciphertext)
48
                 plaintext_enc = save_to_txt('encrypted.txt', binascii_)
                print("encrypted.txt added")
49
50
             if sys.argv[1] == '-d':
51
                 file = sys.argv[2]
52
53
                 binascii_data = read_txt(bytes(file, 'utf-8'))
54
                 ciphertext = binascii.unhexlify(binascii_data)
                 plaintext_dec = decrypt(ciphertext)
55
                 plaintext = save_to_txt('plaintext.txt', plaintext_dec)
56
                 print("plaintext.txt added")
57
58
         else:
59
             print('Format Error')
```

Ketika Program dijalankan:

C:\Users\yosia\keamanan_komputer>python AESCipher.py -e test.txt
encrypted.txt added

```
    test.txt
    foeiafjeifajoeiafjo
```

```
C:\Users\yosia\keamanan komputer>python AESCipher.py -d encrypted.txt plaintext.txt added

C:\Users\yosia\keamanan_komputer>

Plaintext.txt

foeiafjeifajoeiafjo
```

3. Tulislah sebuah program fungsi perkalian (perkalian) dan pembagian (pembagian) untuk menghitung operasi aritmatika di Bidang Galois GF(2^N) - (AES GF(2^8) diharapkan).

```
GaloisField.py > ...
 1 def degree(digit):
 2
         for i in range(len(digit)):
 3
           if digit[i] == 1:
                return len(digit) - i - 1
 5
        return -1
 6
 7
 8
      def index_of_power(power, len_list):
 9
        return len_list - power - 1
10
    def multiply(a, b):
11
         res = [0] * (degree(a) + degree(b) + 1)
12
          len_res = len(res)
13
14
         len_a = len(a)
          len_b = len(b)
15
          for power_a in range(degree(a), -1, -1):
16
17
              for power_b in range(degree(b), -1, -1):
                 res_index = index_of_power(power_a+ power_b, len_res)
18
19
                 a_index = index_of_power(power_a, len_a)
20
                 b_index = index_of_power(power_b, len_b)
21
                 res[res_index] += a[a_index] * b[b_index]
22
          for i in range(len(res)):
23
            res[i] = res[i]%2
24
          return res
25
```

```
27 v def xor(a, b):
  28
  29
           a_degree = degree(a)
  30
           b_degree = degree(b)
  31
           a_size = len(a)
  32
           b_size = len(b)
  33 🗸
           if(a_size > b_size):
  34
               b = resize(b, a_size)
  35 V
           elif(a_size < b_size):
  36
            a = resize(a, b_size)
  37
           res = []
  38 ~
           for i in range(a_size):
  39
             res.append(a[i]^b[i])
  40
           return res
  41
  42 ∨ def modulo(a, b):
  43
  44
           a degree = degree(a)
  45
           b_degree = degree(b)
  46
           div_res_degree = a_degree
  47
           div_res = [0] * div_res_degree
  48
           remainder = a
  49
           remainder_degree = degree(a)
  50
  51
           multi_res = []
  52
  53 V
           while remainder degree >= b degree:
  54
               div_res_power = remainder_degree - b_degree
  55
               div_res_power_index = index_of_power(div_res_power, div_res_degree)
  56
               div_res[div_res_power_index] = 1
               multi_res = multiply(div_res[div_res_power_index:], b)
  57
  58
               remainder = xor(remainder, multi res)
  59
               remainder_degree = degree(remainder)
  60
           return remainder
  61
62 def resize(binary, n):
        binary_size = len(binary)
64
        if(binary_size < n):</pre>
65
            binary = [0]*(n - binary_size) + binary
        elif(binary_size > n):
66
67
         binary = binary[binary_size-n:]
68
       return binary
69
70
    def gf_multiply_modular(a,b,mod,m):
71
       multi_res = multiply(a,b)
72
       res = modulo(multi_res, mod)
73
74
      return resize(res, m)
75
76
    a_string = '00000111'
77
    b_string = '00000011'
78
    mod_string ='100011011'
79
    m = 8
80
    a = list(map(lambda i:int(i), a_string))
    b = list(map(lambda i:int(i), b_string))
82
    mod = list(map(lambda i:int(i), mod_string))
    print(f"Multiplication of '{a_string}' and '{b_string}' :",gf_multiply_modular(a,b, mod, m))
84
```

```
87
      from BitVector import BitVector
 88
 89
      mod = BitVector(bitstring=mod_string)
      a = BitVector(bitstring= a_string)
 90
    b = BitVector(bitstring= b_string)
      quotient1, remainder1 = a.gf_divide_by_modulus(mod, m)
 92
 93
      quotient2, remainder2 = b.gf_divide_by_modulus(mod, m)
 94
 95
    print("Division by Modulos")
 96 print('Quotient a:', quotient1)
      print('Remainder a:',remainder1)
 97
 98
    print('Quotient b:', quotient2)
      print('Remainder b:',remainder2)
100
101
C:\Users\yosia\keamanan_komputer>python GaloisField.py
Multiplication of '00000111' and '00000011' : [0, 0, 0, 0, 1, 0, 0, 1]
Division by Modulos
Quotient a: 00000000
Remainder a: 00000111
Quotient b: 00000000
Remainder b: 00000011
```

4. Lakukan perhitungan enkripsi dan dekripsi menggunakan algoritma RSA, seperti pada Gambar 9.5 berikut ini:

a. Diketahui:

$$p = 3$$

 $q = 7$
 $e = 5$
 $M = 10$

- Menghitung nilai n

-
$$n = p \times q$$

 $n = 3 \times 7$
 $n = 21$

- Menghitung nilai phi(n)

-
$$phi(n) = (p-1)(q-1)$$

 $phi(n) = (3-1)(7-1)$
 $phi(n) = 12$

- Menghitung nilai d
 - d = e^-1 (mod phi(n))
 d = 5^-1 (mod 12)
 d = 5
- Dari hasil di atas, didapatkan:
 - Public Key: 5,21
 - Private key: 5,21
- Nilai enkripsi menjadi Chipertext :
 - $C = M^e \mod n$ = 10^5 mod 21 = 19
- Nilai dekripsi menjadi Plaintext
 - $M = C^d \mod n$ = 19^5 mod 21 = 10
- b. Diketahui:

$$p = 5$$

$$q = 13$$

$$e = 5$$

$$M = 8$$

- Menghitung nilai n
 - $n = p \times q$

$$n = 5 \times 13$$

$$n = 65$$

- Menghitung nilai phi(n)
 - phi(n) = (p-1)(q-1)

$$phi(n) = (5-1)(13-1)$$

$$phi(n) = 48$$

- Menghitung nilai d
 - $d = e^{-1} \pmod{phi(n)}$

$$d = 5^{-1} \pmod{48}$$

$$d = 29$$

- Dari hasil di atas, didapatkan:
 - Public key: 5,65
 - Private key: 29,65
- Nilai enkripsi menjadi Chipertext :
 - $C = M^e \mod n$

$$= 8^5 \mod 65$$

= 8

- Nilai dekripsi menjadi Plaintext
 - $M = C^d \mod n$ = $8^2 \mod 65$ = 8
- c. Diketahui:

$$p = 7$$

 $q = 17$
 $e = 11$
 $M = 11$

- Menghitung nilai n
 - $n = p \times q$ $n = 7 \times 17$ n = 119
- Menghitung nilai phi(n)

-
$$phi(n) = (p-1)(q-1)$$

 $phi(n) = (7-1)(17-1)$
 $phi(n) = 96$

- Menghitung nilai d
 - d = e^-1 (mod phi(n)) d = 11^-1 (mod 96) d = 35
- Dari hasil di atas, didapatkan:
 - Public key: 11,119Private key: 35,119
- Nilai enkripsi menjadi Chipertext :

-
$$C = M^e \mod n$$

= 11^11 mod 119
= 114

- Nilai dekripsi menjadi Plaintext
 - $M = C^d \mod n$ = 114^35 mod 119 = 11