

**Esercizio 1.** Let  $A \subseteq N \models T_{\text{rg}}$  and let  $\varphi(x) \in L(A)$ , where  $|x| = 1$ . Prove that if  $\varphi(N)$  is finite then  $\varphi(N) \subseteq A$ .

Suggerimento. Una dimostrazione concisa si ottiene usando l'omogeneità dei grafi aleatori.

**Esercizio 2.** The language contains only two binary relations  $<$  and  $e$ . The theory  $T_0$  says that  $<$  is a strict linear order and that  $e$  is an equivalence relation. Let  $\mathcal{M}_{\text{ob}} = \text{Mod}(T_0)$  and let  $\mathcal{M}_{\text{ar}}$  be the class of partial isomorphisms between models. Do rich models exist? Can we axiomatize their theory? Is it  $\omega$ -categorical?