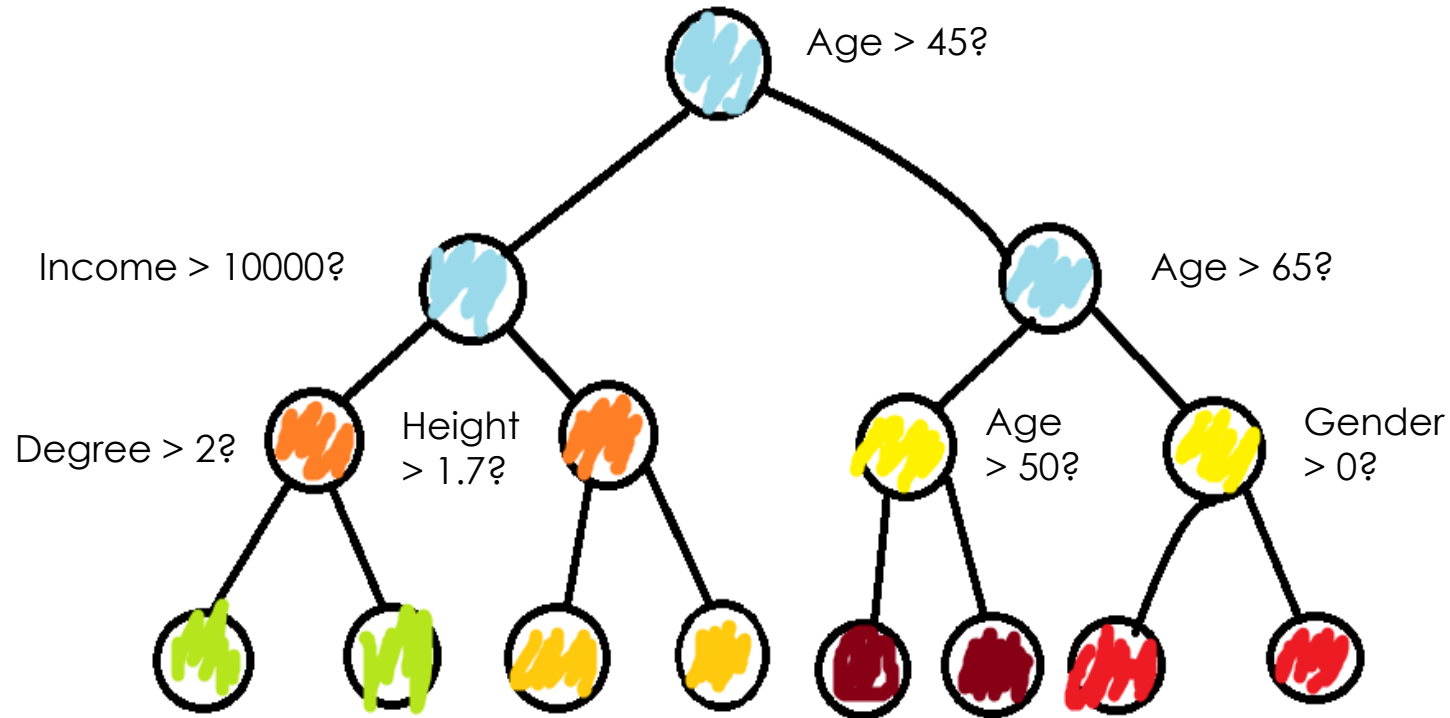




Decision trees induction



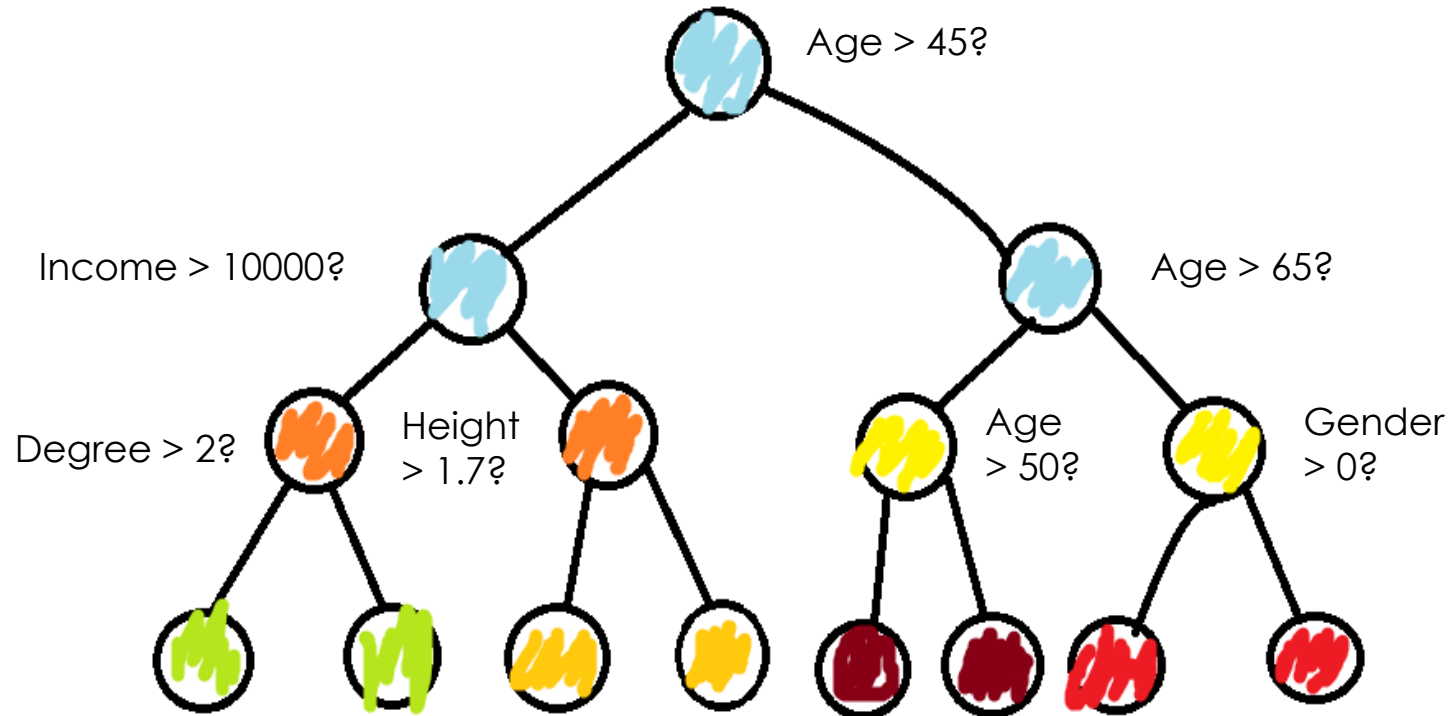
Decision trees: induction



At each node:

Choose variable
and split point that
achieve best fit.

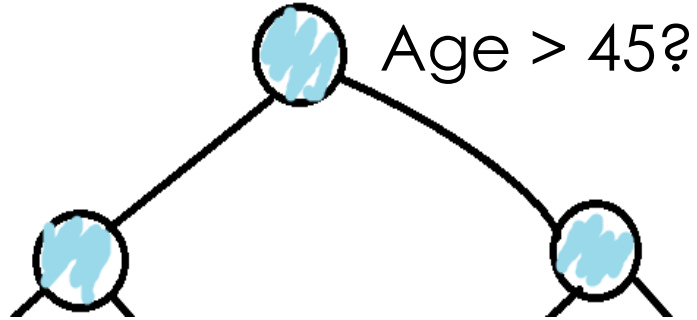
Decision trees: induction



At each node:

**Best split is
quantified with a
function.**

Decision trees: induction

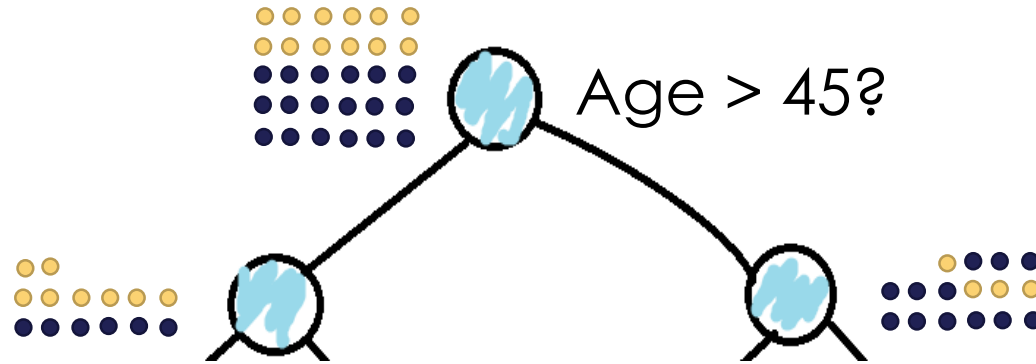


G is the impurity (loss) function.

Two terms: one from the left child, and one from the right child.

$$G = \frac{n_{left}}{N_m} H_{left} + \frac{n_{right}}{N_m} H_{right}$$

Decision trees: induction



G is the impurity (loss) function.

Weighted by the fraction of samples at each child.

$$G = \frac{n_{left}}{N_m} H_{left} + \frac{n_{right}}{N_m} H_{right}$$

Decision trees: classification

$$G = \frac{n_{left}}{N_m} H_{left} + \frac{n_{right}}{N_m} H_{right}$$

p_{mk} = proportion of
observations of class k
at each node

Gini \rightarrow $H(X_m) = \sum_k p_{mk}(1 - p_{mk})$

Entropy \rightarrow $H(X_m) = - \sum_k p_{mk} \log(p_{mk})$

Misclassification \rightarrow $H(X_m) = 1 - \max(p_{mk})$

Decision trees: regression

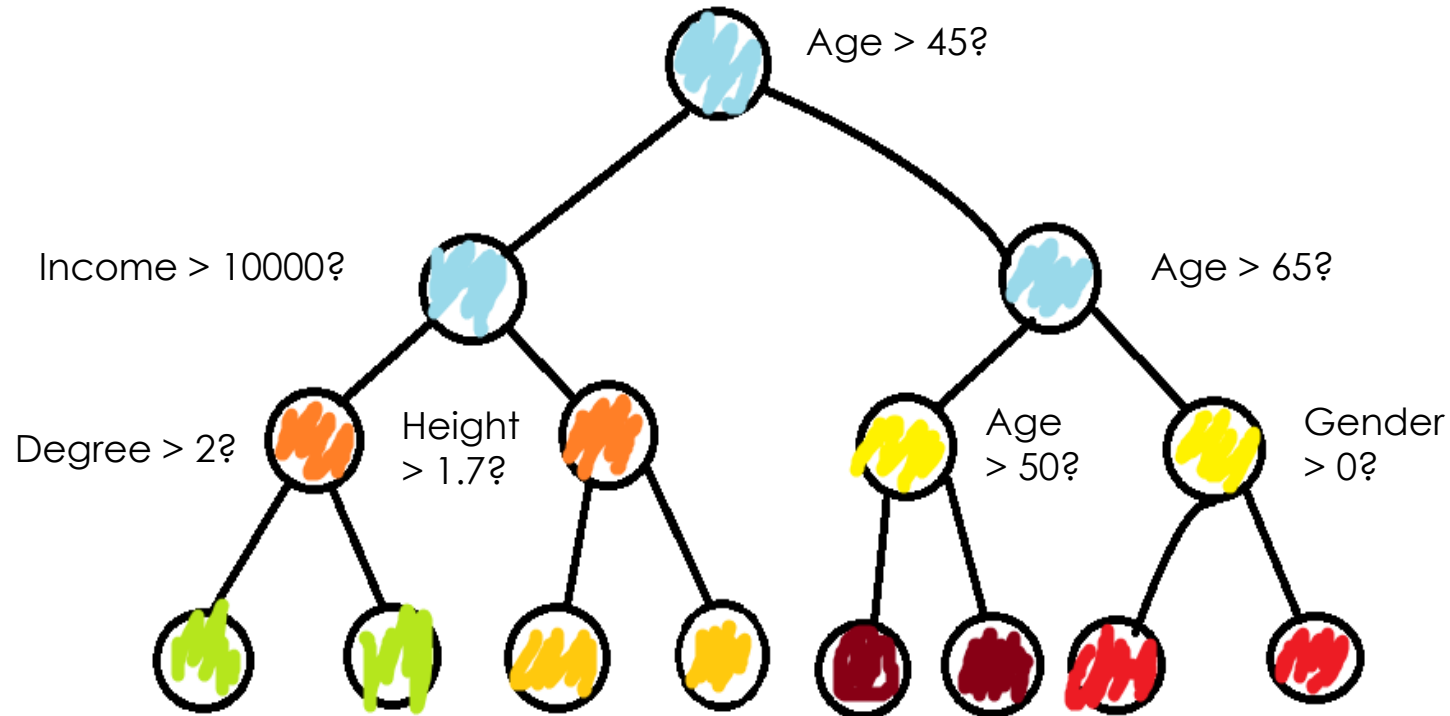
$$G = \frac{n_{left}}{N_m} H_{left} + \frac{n_{right}}{N_m} H_{right}$$

Sum of squares → $H(Q_m) = \frac{1}{n_m} \sum_{y \in Q_m} (y - \bar{y}_m)^2$

Poisson deviance → $H(Q_m) = \frac{1}{n_m} \sum_{y \in Q_m} (y \log \frac{y}{\bar{y}_m} - y + \bar{y}_m)$

Mean absolute error → $H(Q_m) = \frac{1}{n_m} \sum_{y \in Q_m} |y - \text{median}(y)_m|$

Decision trees: induction



Process:

Continues until
stopping criteria.

Loss function → feature importance

$$G = \frac{n_{left}}{N_m} H_{left} + \frac{n_{right}}{N_m} H_{right}$$

The loss function is used to infer feature importance.

THANK YOU

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