

Problem 1

$v(t)$ denotes a baseband signal to be amplitude modulated:

$$v(t) = 0.5 \cdot \cos(200 \cdot \pi \cdot t) + 1.0 \cdot \cos(400 \cdot \pi \cdot t)$$

a. The coefficients for an ordinary AM-modulation are:

1. amplitude sensitivity: 0,5
2. carrier frequency: 2 kHz
3. carrier amplitude: 10

Calculate the AM-signal $v_{AM}(t)$ and plot the spectrum $V_{AM}(f)$

b. Determine the result of a double-sideband-suppressed-carrier modulation (DSB-SC) of $v(t)$ – with a carrier frequency and a carrier amplitude similar to “a”.

i.e. calculate the signal $v_{dsb-SC}(t)$ and plot the spectrum $V_{dsb-SC}(f)$

c. Compare the spectrum $V_{AM}(f)$ with the spectrum $V_{dsb-SC}(f)$

Problem 2

Consider the signals $x(t)$ and $y(t)$:

$$\begin{aligned} x(t) &= A_x(\sin(2 \cdot \pi \cdot 5.000 \cdot t) + \text{sinc}(2 \cdot W_x \cdot t)); & \text{Bandwidth } W_x &\sim 8 \text{ kHz} \\ y(t) &= A_y(\sin(2 \cdot \pi \cdot 14.000 \cdot t) + \text{sinc}(2 \cdot W_y \cdot t)); & \text{Bandwidth } W_y &\sim 12 \text{ kHz} \end{aligned}$$

Determine the Nyquist sampling rate for:

- a. the signals $x(t)$ and $y(t)$
- b. the signals $x^2(t)$ and $y^2(t)$
- c. the signal $x(t) \cdot y(t)$

Problem 3

A FM signal with modulation index $\beta = 2$ is transmitted through an ideal bandpass filter with center frequency f_c , (carrier amplitude 1 volt) and bandwidth $7 \cdot f_m$, where f_c is the carrier frequency and f_m is the frequency of the sinusoidal modulating wave.

Determine the magnitude spectrum of the filter output.