

# Chocolate Bar DP Analysis - Manuel Morales

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## Analyze the problem based on sub-problems

This problem can be broken down into sub-problems by considering the weight of the knapsack. Each sub-problem represents the maximum number of pieces of chocolate that can be cut from a chocolate bar of weight  $W$ . The sub-problems can be solved by considering the weight of the chocolate bar and the weight of the pieces that can be cut from it.

## Identify where the overlap occurs

The overlap occurs when we are calculating the maximum number of pieces of chocolate that can be cut from a chocolate bar of weight  $W$ . The maximum number of pieces that can be cut from a chocolate bar of weight  $W$  is the maximum of the maximum number of pieces that can be cut from a chocolate bar of weight  $W-1$  and the maximum number of pieces that can be cut from a chocolate bar of weight  $W-2, W-3, \dots, 1$ .

## Implement the code

```
#ifdef LOCAL
#include "/home/morven/Desktop/code/competitive-programming/conf/debug.h"
#define line cerr << "-----" << endl;
#else
#define deb(x...)
#define line
#endif

#include <bits/stdc++.h>
using namespace std;

#define endl '\n'
#define F first
#define S second
#define pb push_back
#define sz size
#define all(x) begin(x), end(x)
#define sortt(x) sort(all(x))
#define each(x, xs) for (auto &x : (xs))
#define rep(i, be, en) for (__typeof(en) i = (be); i < (en); i++)
#define per(i, be) for (__typeof(be) i = (be)-1; i >= 0; i--)
#define readline(x) getline(cin, x)
#define strInt(str) stoi(str)
#define chrInt(chr) (int)chr - 48
#define ensp(i, n) (" \n"[i == n - 1])

template <typename... T>
void cinn(T &...args)
{
    ((cin >> args), ...);
}
```

```

template <typename... T>
void coutt(const T &...args)
{
    __typeof(sizeof...(T)) i = 1;
    ((cout << args << (i++ != sizeof...(T) ? " " : ""), ...);
    cout << '\n';
}

template <typename T>
void couts(const T &xs)
{
    for (__typeof(xs.sz()) i = 0; i < xs.sz(); i++)
    {
        cout << xs[i] << " \n"[i == xs.sz() - 1];
    }
}

using ll = long long;
using ld = long double;
using lli = long long int;
using pi = pair<int, int>;
using pl = pair<ll, ll>;
using ti = tuple<int, int, int>;
using tl = tuple<ll, ll, ll>;
using vi = vector<int>;
using vb = vector<bool>;
using vl = vector<ll>;
using vs = vector<string>;
using vvi = vector<vector<int>>;
using vvl = vector<vector<ll>>;
using vpi = vector<pair<int, int>>;
using vpl = vector<pair<ll, ll>>;
template <class T>
using pq = priority_queue<T>;
template <class T>
using pqg = priority_queue<T, vector<T>, greater<T>>;

const ll INF = INT64_MAX;
const int inf = INT32_MAX;
const ld PI = acos(-1);
const lli MOD = 1e9 + 7;
const vector<int> DX{1, 0, -1, 0}, DY{0, 1, 0, -1};
ll testId = 0;

void _()
{
    ios::sync_with_stdio(0);
    cin.tie(0);
    cout.tie(0);
#ifdef LOCAL
    freopen("/home/morven/Desktop/code/competitive-programming/conf/main.in",
    "r", stdin);
    freopen("/home/morven/Desktop/code/competitive-

```

```
programming/conf/main.out", "w", stdout);
    freopen("/home/morven/Desktop/code/competitive-
programming/conf/main.err", "w", stderr);
#endif
}

void solve();

void init();

void exit();

int main()
{
    _();
    init();
    ll T = 1;
    // cinn(T);
    rep(t, 0, T)
    {
        testId++;
        solve();
    }
    return 0;
}

const ll MAXN = 202020;

void init()
{
}

void exit()
{
}

int knapsack(const int &W)
{
    vector<vector<int>> dp(W + 1, vector<int>(W + 1, 0));
    for (int i = 1; i <= W; i++)
    {
        for (int j = 1; j <= W; j++)
        {
            if (i <= j)
            {
                dp[i][j] = max(dp[i - 1][j], 1 + dp[i - 1][j - i]);
            }
            else
            {
                dp[i][j] = dp[i - 1][j];
            }
        }
    }
    return dp[W][W];
}
```

```
}

void solve()
{
    int w;
    cinn(w);
    coutt(knapsack(w));
}
```

## What is the time complexity of your solution?

The time complexity of the solution is  $O(W^2)$  because we have a nested loop that iterates through the weight of the knapsack.