

# On the Wasm Type System

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# Explicit Types

Intentional design decision in original Wasm, following extensive discussion

**No overloading:** `{i32,i64,f32,f64}.add` instead of just `add`

**Explicit block types:** `block blocktype instr* end`

Motivation two-fold:

1. indicate different **operational** behaviour
2. make **validation** easy

# Subtyping

Recent proposals added **subtyping**: more power, more responsibility

Turned out ease of validation was lost in two (pre-existing) cases:

- **select**: would require computing **least upper bound** of input types
- **br\_table**: would require computing **greatest lower bound** of output types

Fixed in Wasm 2.0+

- **select** by requiring **type annotation** (except for legacy cases)
- **br\_table** by introducing **bottom type** and relaxing typing rule

# “Modern” Wasm

Richer types and subtyping: **ref**  $t <: \text{ref } u$  and **ref**  $t <: \text{ref null } t$

Instructions that work over many reference types: **call\_ref**, **struct.get**, ...

Looong discussion in GC subgroup about [type annotations](#) on these instructions

Ultimately, we decided to require type annotations

- preserve the spirit of [explicit types](#)
- [conservative](#), safer choice; avoids some complexity
- affects [code size](#), but that eventually requires a more systematic solution

# “Modern” Wasm (2)

Changes to design of **br\_on\_cast** instruction had the discussion arise again

It wasn't clear what *exactly* we agreed upon last time!

...different folks had different motivation and interpretation of “explicit” types

No *specification* or documentation of the intended property

Risk of ad-hoc decision that negates intentions of last ad-hoc decision

*Wanted*: a condition that is *general* and *implementation-independent*



# Principal Types

## Principal Types Property

*Every* valid program phrase  $E$  has a most precise type  $T$  that is a subtype of *all* types that it can legally have.

*( $T$  only depends on the declarations in scope, not on the surrounding program text!)*

Type systems with subtyping usually want this property

- Generalises more basic “Unique Types” property of systems without subtyping
- Ensures that type checking is **composable** and does not require back tracking

Well-established for expression-based languages (*program phrase* = expression)

For generic operators, principal types are typically only expressible with **type variables**

# Principal Types in Wasm

Relevant program phrases are **instruction** (sequences) as the unit of composition

Refine design goal of “**explicit type**” to “**principal type**” for every instruction

...that is determined only by the **instruction** itself and its **immediates**

...consequently, if immediates are not enough to narrow down the principal type of an instruction, then it needs a suitable type immediate (a.k.a. annotation)

For example, **struct.get**  $\$t\ i : (\text{ref null } \$t) \rightarrow \text{i32}$  is principal, thanks to  $\$t$

We can not just **state** this, we can formally **prove** this property (easily)



## Principal Types for Wasm

*Every* valid instruction sequence  $instr^*$  has a (unique) type  $t_1^* \rightarrow t_2^*$  (possibly containing some place-holder type variables) that is a subtype of *all* types  $t'_1^* \rightarrow t'_2^*$  it can legally have (after substituting type variables with specific types).

May involve type variables for **value**, **heap**, and **stack** types:

<b>drop</b> : $t \rightarrow \varepsilon$	for all value types $t$
<b>ref.as_non_null</b> : $(\text{ref null } ht) \rightarrow (\text{ref } ht)$	for all heap types $ht$
<b>unreachable</b> : $t_1^* \rightarrow t_2^*$	for all stack types $t_1^*$ and $t_2^*$

(Special case for legacy **select**, requires a variable ranging over number and vector types only)

Type variables are **unconstrained**, i.e, denote arbitrary choice

## (Closed) Principal Forward Types

*If a (closed) input type  $t_1^*$  is given,  
and instruction sequence  $instr^*$  has a type  $t_1^* \rightarrow \dots$ ,  
then it also has a (closed) type  $t_1^* \rightarrow t_2^*$  (or  $t_1^* \rightarrow \perp^* t_2^*$ )  
that is a subtype of *all* types  $t_1^* \rightarrow t_2'^*$  it can legally have.*

That's what enables efficient forward validation without type variables

- operates on *complete* instruction sequences,  
hence always starts from an *empty* (i.e., known) input type

Note: most type annotations are not needed for this to hold

**struct.get**  $i$  : (ref null  $\$t$ )  $\rightarrow$  i32    would be forward principal, but not principal

**br\_on\_cast**  $\$l$   $rt$  :  $rt_1 \rightarrow rt'_1$     likewise

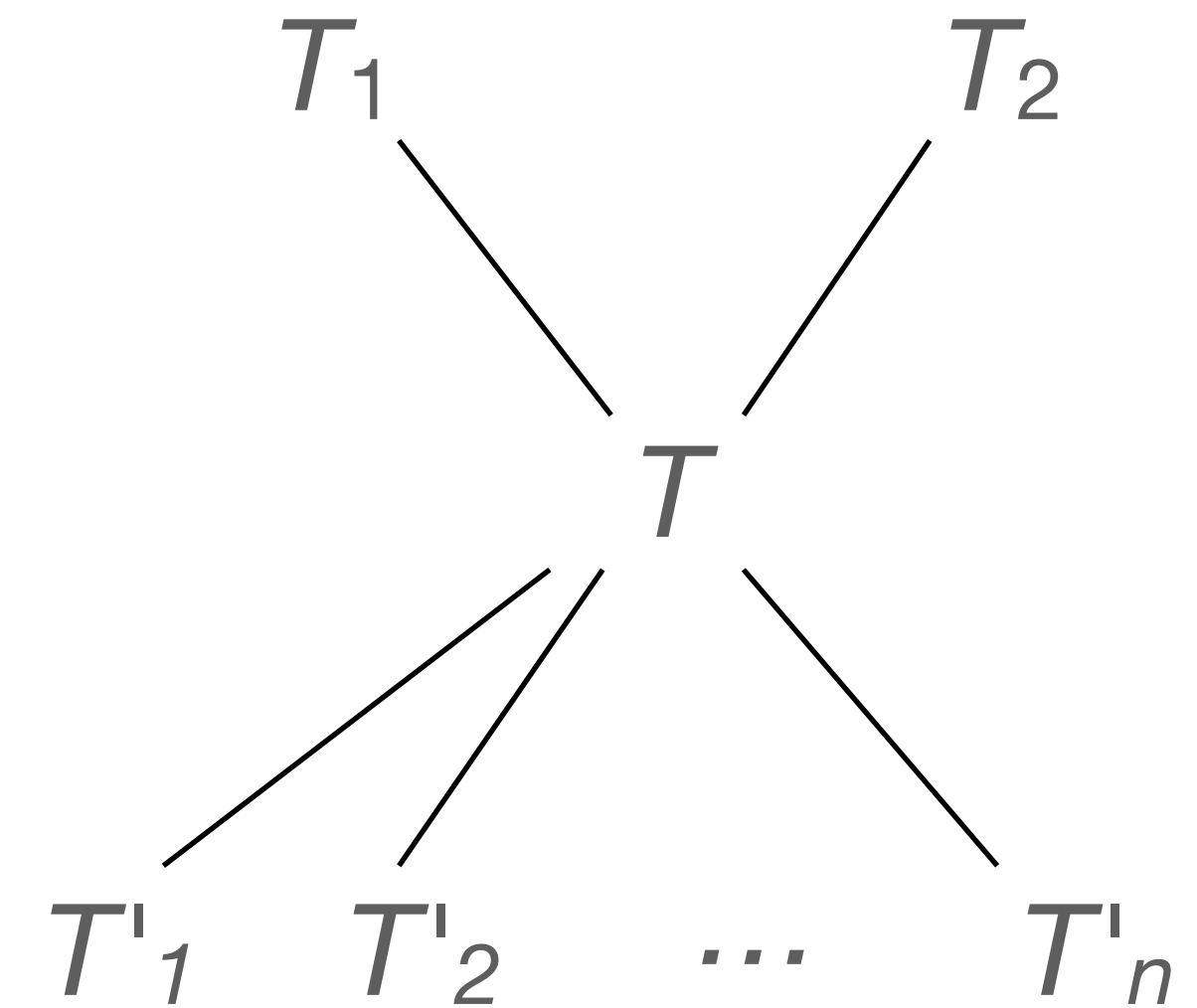
**br\_on\_cast**  $\$l$   $rt_1$   $rt_2$  :  $rt_1 \rightarrow rt'_1$     principal

# Other Properties

## Existence of glbs

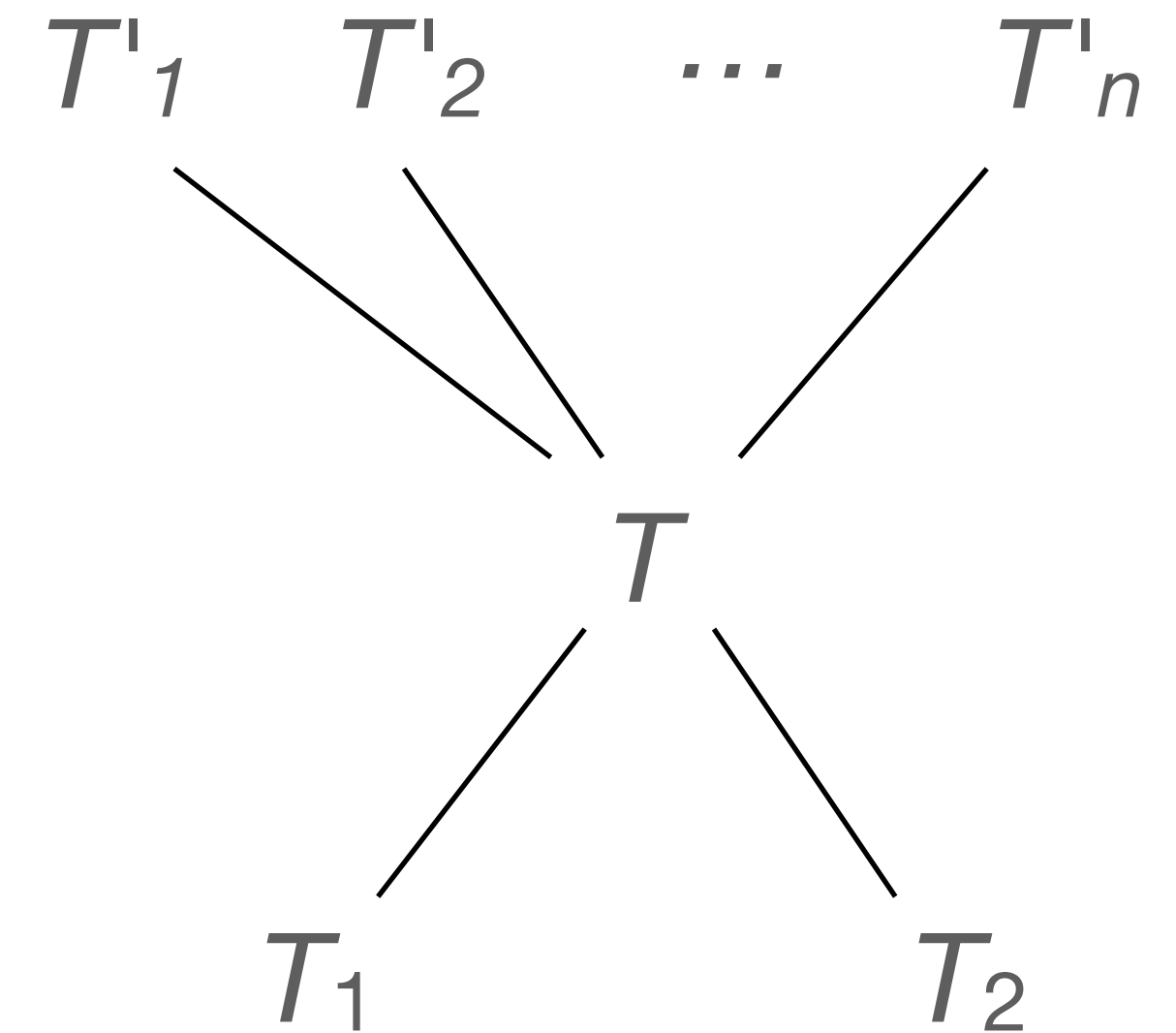
*Every pair  $T_1$  and  $T_2$  of types has a **common subtype**  $T$  that is a **supertype** of all other common subtypes. ( $T$  may be bottom.)*

- In other words, subtyping forms a **semi-lattice**.  
Relevant for both tooling and for Principal Types.



## Conditional Existence of lubs

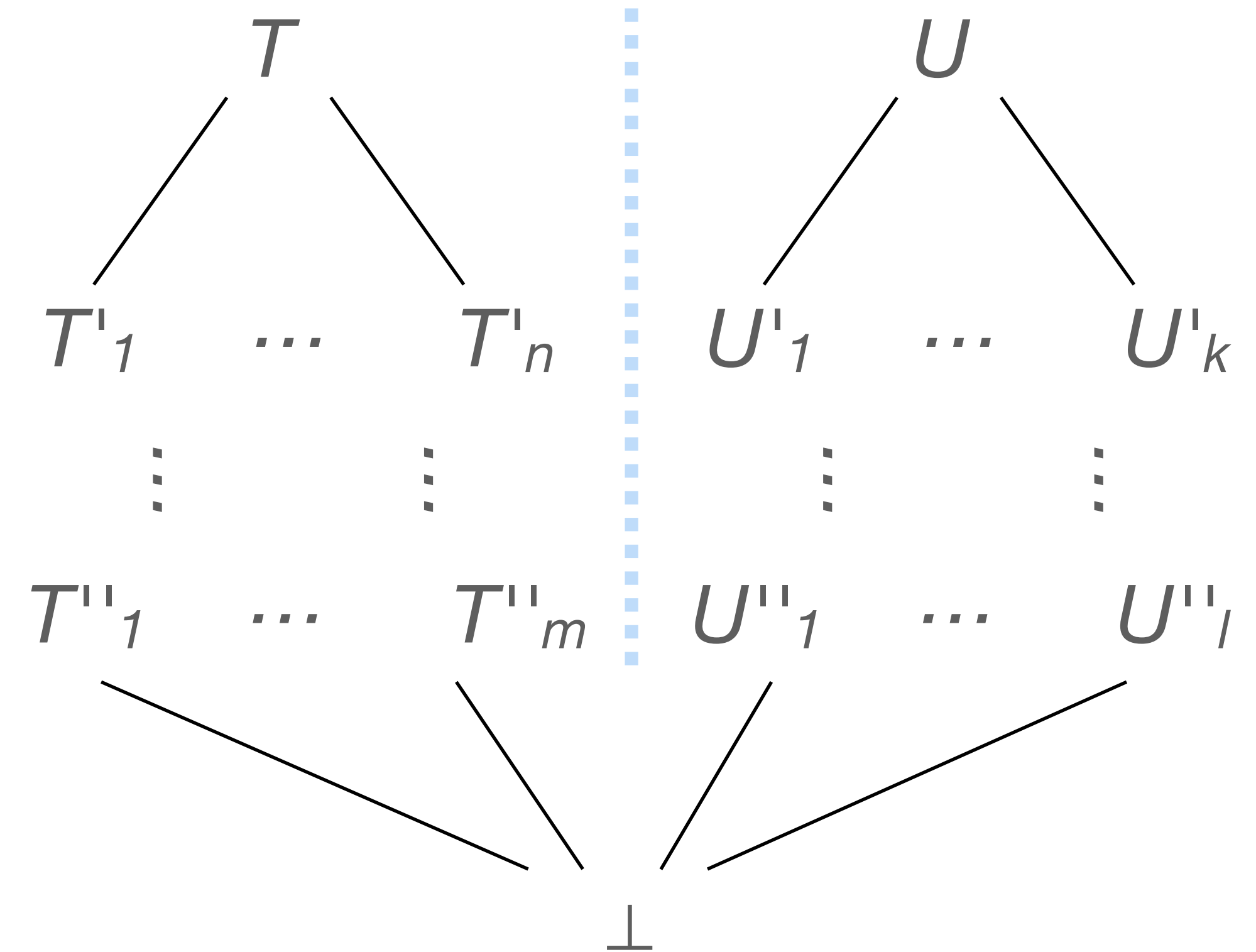
*Every pair  $T_1$  and  $T_2$  of types  
that has a common supertype at all  
has a **common supertype**  $T$   
that is a **subtype** of all other common supertypes.*



- In other words, if we were to add a provisional **top** type, we would have a proper **lattice**.

## Disjoint Type Hierarchies

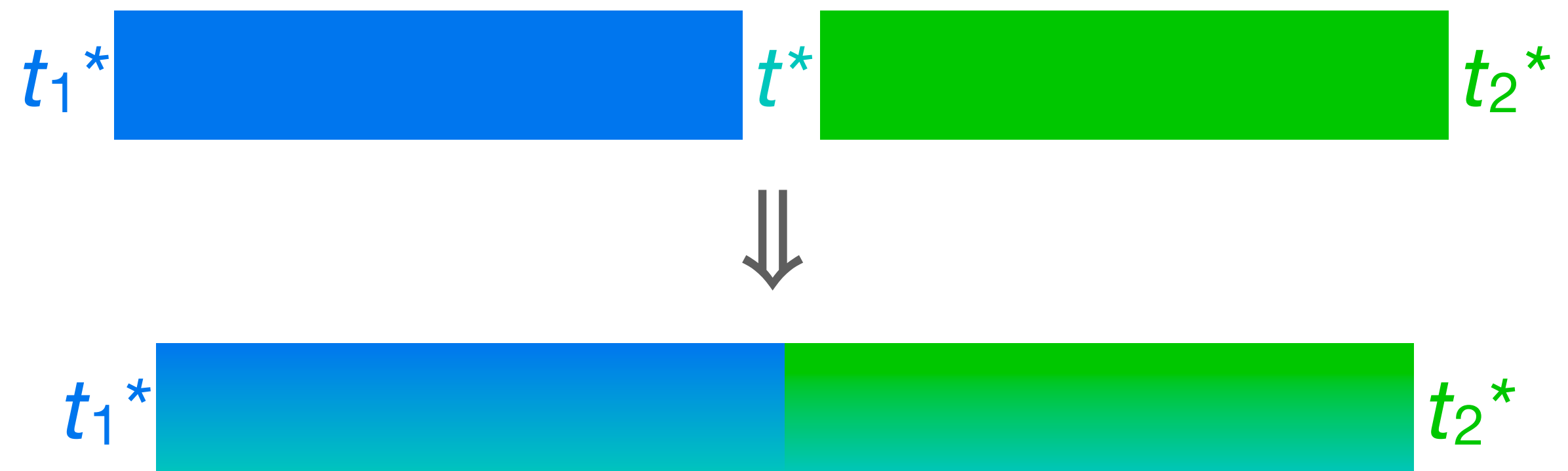
The *glb* of two types is *bottom*  
if and only if  
they have *no common supertype*.



- Values from separate type hierarchies can never flow to the same place and can hence safely be implemented with incompatible representations.

## Composition

If two instruction sequences  $instr_1^*$  and  $instr_2^*$  are valid with types  $t_1^* \rightarrow t^*$  and  $t'^* \rightarrow t_2^*$ , respectively, where  $t^* \leq t'^*$ , then the *combined* sequence  $instr^* = instr_1^* instr_2^*$  is valid with type  $t_1^* \rightarrow t_2^*$ .



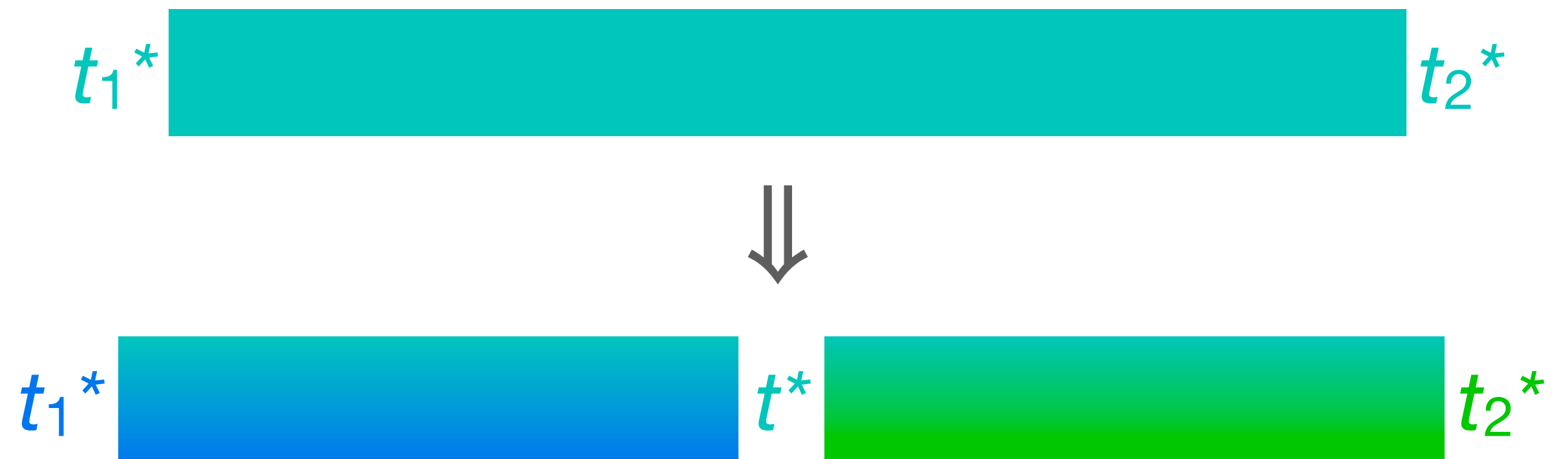
- This is straightforward.



## Decomposition

If an instruction sequences  $instr^*$  is valid with type  $t_1^* \rightarrow t_2^*$ , then any *split* into two instruction sequences  $instr_1^* instr_2^* = instr^*$ , is valid with some types  $t_1^* \rightarrow t^*$  and  $t^* \rightarrow t_2^*$ .

- Depends on typing of unreachable code.



# Summary

# Summary of Wasm Type System Properties

Essential:

Soundness

(Closed) Principal Forward Types

Conditional Existence of lubs

Disjoint Type Hierarchies

Composition

Desirable:

Principal Types

Existence of glbs

Decomposition

Now all collected in Appendix A.3 of Typed References Proposal spec draft

# Outtakes

# Explicit Types vs Subtyping

What does “explicit types” mean in the presence of subtyping?

Via subsumption, instructions can naturally have many different types

**struct.get**  $\$t\ i : [(\text{ref } \text{null? } \$t')]$   $\rightarrow$  **[i32]**

for any  $\$t' <: \$t$

with or without **null**

# Example: br\_on\_cast

**br\_on\_cast**  $\$l\ rt : rt_1 \rightarrow rt_2$

iff  $rt_l <: \text{type}(\$l)$

and  $rt <: trt$  and  $rt_1 <: trt$  for some reference type  $trt$

and  $rt.\text{heapttype} = rt_l.\text{heapttype} \wedge rt_1.\text{heapttype} = rt_2.\text{heapttype}$

and  $rt.\text{null} = rt_l.\text{null} \neq rt_2.\text{null} \vee rt_1.\text{null} = rt_2.\text{null} = rt_l.\text{null} = \varepsilon$

Requires distinguishing 6 different cases and checking 2 types for null in validator

# Example: br\_on\_cast

**br\_on\_cast**  $\$l\ rt_1\ rt_2\ :\ rt_1 \rightarrow rt'_1$

iff  $rt_2 <: \text{type}(\$l)$

and  $rt_2 <: rt_1$

and  $rt'_1.\text{heapttype} = rt_1.\text{heapttype}$

and  $rt'_1.\text{null} = rt_1.\text{null} \wedge \neg rt_2.\text{null}$