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%% Inverse Dynamics Robust Controller
%% RBE 502 Fall 2018
%% Homework 6
%% December 6, 2018
function dydt = inverseDCRobust(t, y, gama, B, p, kp, kd, estimate param, original param, o)
%% Parameters of the original system
I=original param(1,1);
mgd=original param(1,2);
fv=original param(1,3);
%% Parameters of the estimated model
I e=estimate_param(1,1);
mgd e=estimate param(1,2);
fv_e=estimate_param(1,3);
%% Desired Trajectory setting up
theta d=-\sin(t);
dtheta d=-\cos(t);
ddtheta d=sin(t);
 %% Controller setting up
ro=gama(1)*y(1)+gama(2)*y(2)+gama(3)*(y(2)^2)+gama(4)
 e=y(1)-theta d
                          %position error vector
 e dot=y(2)-dtheta d
                          %Velocity error vector
 k=[e;e dot]
                          %error state vector
 epsilon=1;
 if (B'*p*k)>epsilon
     v = (-B'*p*k*ro) / (B'*p*k);
     v=(-B'*p*k*ro)/epsilon;
 end
 aq=ddtheta d-kp*e-kd*e dot+v;
 meo = ((I e/I) - 1)*aq + ((fv e - fv)*y(2))/I + ((mgd e - mgd)*sin(y(1)))/I;
 if meo>ro
     0=1:
 else
     0=0;
 end
 figure(4)
 hold on
 grid on
plot(t,o,'*')
 ylim([0 2])
 title ('Points breaking the boundness')
 xlabel('Time')
 ylabel('Points breaking at value=1')
 hold on
 u = I_e*aq+fv_e*y(2)+mgd_e*sin(y(1));
 theta dd=(u-mgd*sin(y(1))-fv*(y(2)))/I;
dydt=zeros(2,1)
dydt(1) = y(2);
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dydt(2) = theta_dd;

end