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[https://github.com/MotiMarom/Opimization\\_Prog\\_2\\_Final.git](https://github.com/MotiMarom/Opimization_Prog_2_Final.git)

### **Optimization programming assignment #2**

#### **Quadratic objective function**

Please pick a function for analysis from the following:

1-quadratic, 2-linear

You chose 1: quadratic

Barrier init:  $x = [0.1 \ 0.2 \ 0.7]$ ,  $f(x) = 2.9399999999999995$ ,  $m/t = 4.0$

Barrier iteration #0:  $x = [0.91666667 \ 0.85714286 \ 0.125]$ ,  $f(x) = 2.8405966553287985$ ,  $m/t = 4.0$

Barrier iteration #1:  $x = [0.16350138 \ 0.16535927 \ -1.0323219]$ ,  $f(x) = 0.055121095712402715$ ,  $m/t = 0.4$

Barrier iteration #2:  $x = [0.03452498 \ 0.03420299 \ -1.00470971]$ ,  $f(x) = 0.002384000147505982$ ,  $m/t = 0.04$

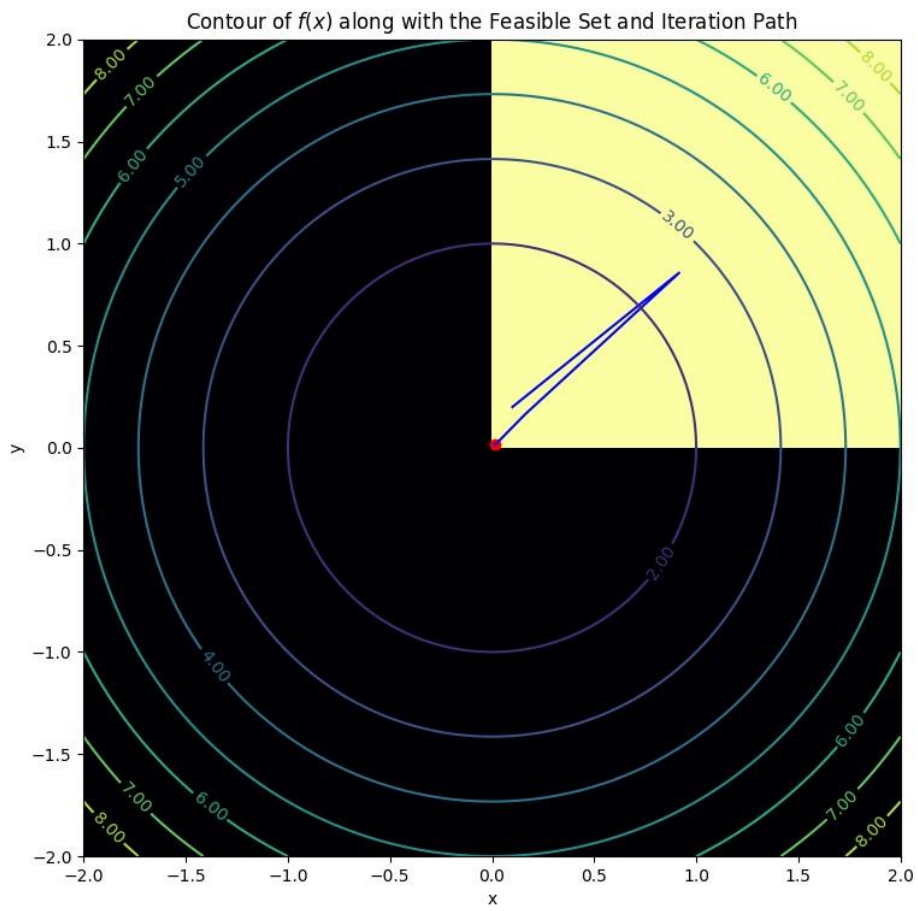
Barrier iteration #3:  $x = [0.01476839 \ 0.01490078 \ -1.00049556]$ ,  $f(x) = 0.00044038399916300367$ ,  $m/t = 0.004$

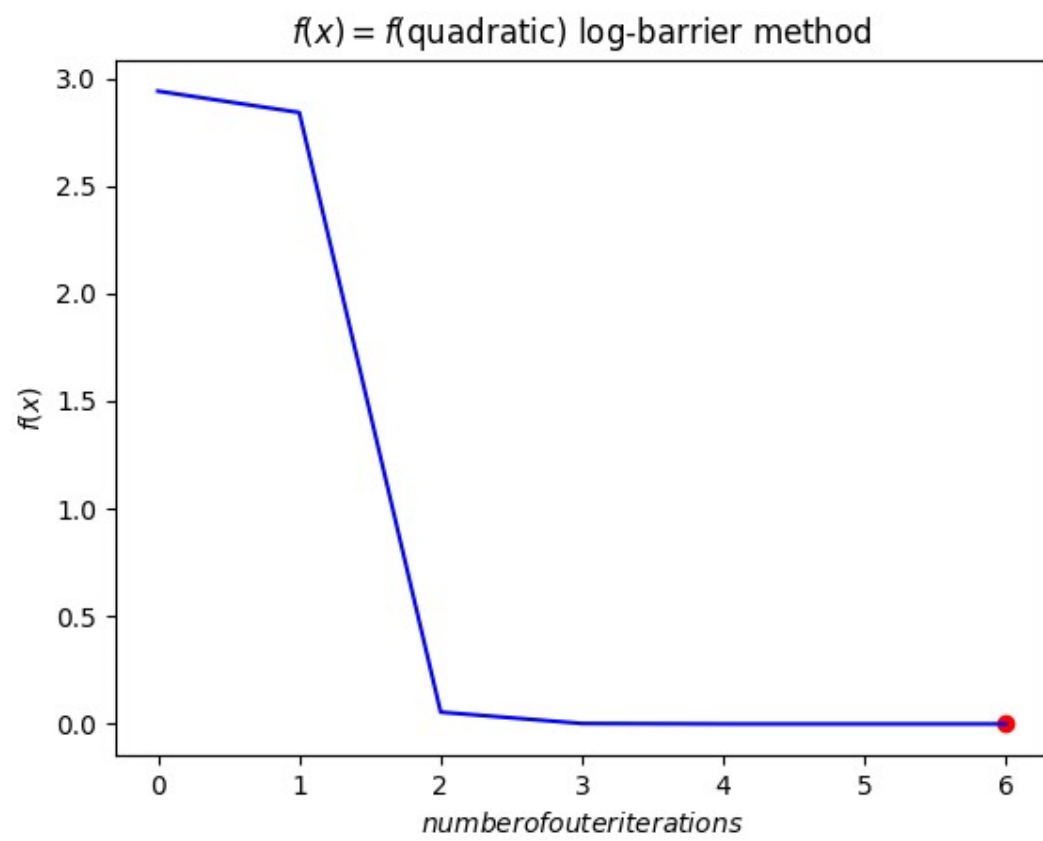
Barrier iteration #4:  $x = [0.01476839 \ 0.01490078 \ -1.00049556]$ ,  $f(x) = 0.00044038399916300367$ ,  $m/t = 0.0004$

Barrier iteration #5:  $x = [0.01476839 \ 0.01490078 \ -1.00049556]$ ,  $f(x) = 0.00044038399916300367$ ,  $m/t = 4e-05$

End of quadratic analysis

**Reached to the requested point!  $(x,y,z) \sim (0,0,-1)$**





## Linear objective function

You chose 2: linear

Barrier init:  $x = [0.5 \ 0.75]$ ,  $f(x) = -1.25$ ,  $m/t = 4.0$

Barrier iteration #0:  $x = [1.46285357 \ 0.69672008]$ ,  $f(x) = -2.1595736488296318$ ,  $m/t = 4.0$

Barrier iteration #1:  $x = [1.9051114 \ 0.91403322]$ ,  $f(x) = -2.819144619723565$ ,  $m/t = 0.4$

Barrier iteration #2:  $x = [1.9899595 \ 0.99005958]$ ,  $f(x) = -2.980019076002479$ ,  $m/t = 0.04$

Barrier iteration #3:  $x = [1.99891566 \ 0.99891675]$ ,  $f(x) = -2.9978324106590093$ ,  $m/t = 0.004$

Barrier iteration #4:  $x = [1.99984547 \ 0.99984548]$ ,  $f(x) = -2.9996909529079043$ ,  $m/t = 0.0004$

Barrier iteration #5:  $x = [1.99996881 \ 0.9999688]$ ,  $f(x) = -2.9999376108314997$ ,  $m/t = 4e-05$

End of linear analysis

Reached to the requested point, the upper right vertex of the polygon,  $(x,y) \sim (2,1)$

