

CSE-340

Assignment-2

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Sec: 04

Ans: fo: que: no: 1

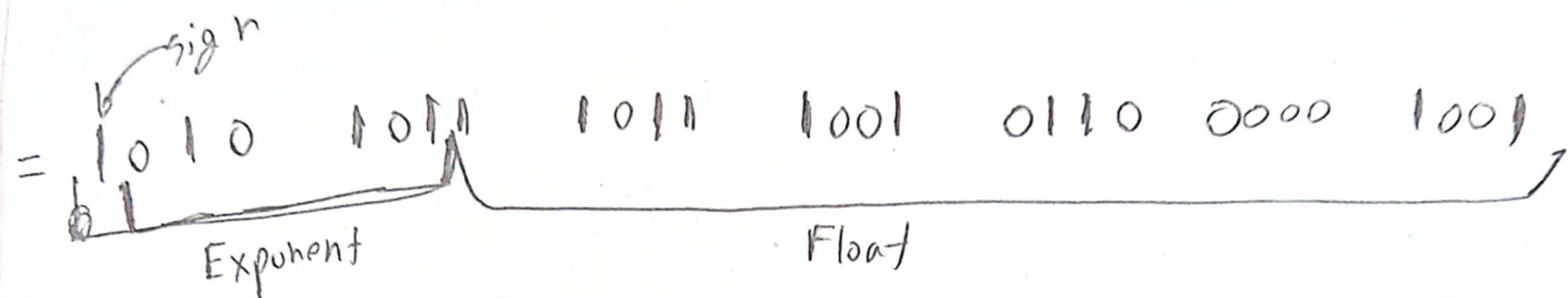
Multiplicand = ~~13~~₁₀ 13 = 1101

Multiplier = 17 = 10001

Iteration	Multiplicand	Product
0	1101	0000 10001
1	1101	1101 10001 0110 11000
2	1101	0011 01100
3	1101	0001 10110
4	1101	0000 11011
5	1101	1101 11011 0110 11101

Ans: true no 2

A B B 96 09



$$\text{Biased Exp} = 21$$

$$\text{Bias} = 2^6 - 1 = 31$$

$$\text{Exponent} = 21 - 31 = -10$$

$$\text{Fraction} = 2^{-1} + 2^{-2} + 2^{-4} + 2^{-5} + 2^{-6} + 2^{-9} + 2^{-11} \\ + 2^{-12} + 2^{-18} + 2^{-21}$$

88.85 - 88.95 + (-0.8662) \times 10

$$= 0.862064$$

$$(0.862064)^{-1} = 1.1411 \cdot 10^{-10} + \frac{0.0001110103}{10} =$$
$$\therefore (-1)^1 (1 + 0.862064) \times 2 \\ = -1.81842 \times 10^{-10}$$

ANSWER

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$$L = 3x7 \text{ cm}^2$$

$$L' = 1 - L = 1 - 3x7 = 4x10^8$$

$$0.5 = L' - LS = 4x10^8 - 3x7$$

Ausgabe: 03

$$A) 50.7869 + 79.83 - 29.58$$

$$= 110010.11001 + 100111.11010 - 11001.10000$$

$$= 1.1001011001 \times 2^5 + 1.00111111010 \times 2^8 - 1.110110000 \times 2^4$$

$$= 0.110010 \times 2^6 + 1.00111 \times 2^6$$

$$+ 0.1110110 \times 2^4$$

$$\approx 10.00000 \times 2^6 - 1.110110 \times 2^4$$

$$= 1.00000 \times 2^7 - 0.00011 \times 2^7$$

$$\approx 1.00000 \times 2^7 - 0.00111 \times 2^7$$

$$\approx 1.00000 \times 2^7 - 0.11001 \times 2^7$$

$$= 1.10010$$

$$= 1.10010 \times 2^6$$

b) $64.2486 * 49.1832$

$$= 1000000.00111 * 110001.00101$$

$$= 1.00000 \times 2^6 * 1.10001 \times 2^5$$

$$= 1.10001 \times 2^{11}$$

Ans: to: que: no: 4

$$28.4810 - (-4.0210)$$

$$= 28.4810 + 4.0210$$

$$= 11100.01111 + 100.000$$

$$\equiv 1.110001111 \times 2^4 + 1.00 \times 2^2$$

$$= 1.110001111 \times 2^4 + 0.0100 \times 2^4$$

$$\equiv 10.000001111 \times 2^4$$

$$= 110000001111 \times 2^5$$

$$\text{Bias} = 2^{8-1} - 1 = 127$$

$$\text{Biased Exponent} = 127 + 5 = 132$$

$$\text{Range} = 1 \text{ to } 2^{54}$$

As, $1 < 132 < 2^{54}$, we can say result is none

Ans: to que: no: 5

- a) In IEEE 754 bias is added to exponent field, so that it can represent both positive and negative exponents using unsigned numbers. This also reduces complexity as we can compare numbers easily as both negative and positive numbers are represented in unsigned numbers.

b] In optimized multiplication reduces the number of components that get used in long multiplication. As, we do not need separate multiplier register and we do not need product sized ALU in optimized multiplication. Because of this we need less equipment also, we can do the multiplication where one shift required for each instruction.

Ans: to give no: 6

1] fadd.s

- i) Do floating point addition for single-precision
- ii) fadd.s des, src1, src2
- iii) fadd.s des, src1, src2
Here, src1, src2 have single-precision floating numbers which gets added and stored in des register
- iv) fadd.s f3, f4, f5

2] fsub.s

- i) Do floating point subtraction for single-precision
- ii) fsub.s des, src1, src2

(iii) Here, value of src1 get substituted by src2. The result will stored in des.

④ fsub f4, f3, f2

3] fmuls

i) Do floating point multiplication for single-precision

ii) fmuls des, src1, src2

iii) Here values of src1, src2 both single precision floating numbers will be multiplied and gets stored in des register

⑤ ④ fmuls f4, f3, f2

4) fdiv.s

(i) Do floating-point division of two single precision numbers.

(ii) fdiv.s des, src1, src2

(iii) Here, values of src1, src2 both single-precision floating numbers, src1 will get divided by src2 and the result will be stored in des.

(iv) fdiv.s f², f³, f⁴

5) fsqrt.s

(i) Performs floating-point square root for single-precision numbers

(ii) fsqrt.s des, src

(iii) single-precision floating number of src will get square root, and the result will get stored in ~~reg~~ des.

④ (iv) fsgnt.s f²⁰, f¹³

6) feg.d

i) Compares between two double precision number, if they are equal jumps to mentioned label or not.

ii) feg.d des, src1, src2

iii) if src1 == src2 then it stores 1 to des register, otherwise it stores 0.

iv) feg.d x1, f², f³

7) field

i) compares between two double precision numbers if one is less than or equal to

numbers if one is less than the other number.

ii) flesd des, sinc1, sinc2

iii) If sinc1 is less than or equal to sinc2

then it stores 1 in des, otherwise it stores 0;

iv) flesd x3, f1, f2

if the count is more than some value then it

is stored in memory at address f1, f2

if the count is less than some value then it

8] flt.s

- (i) checks if one single-point floating number is less than another number,
- (ii) flt.s des, src1, src2
- (iii) If src1's value is less than src2 then it stores 1 to des register, otherwise it stores 0 to des register
- (iv) flt.s ~~f12~~, f3, f4

Ans: to: que: no: 7

feg.d X19, f1, f2

beg X19, X0, Jump Not Equal

Jump Equal:

// code for jump equal

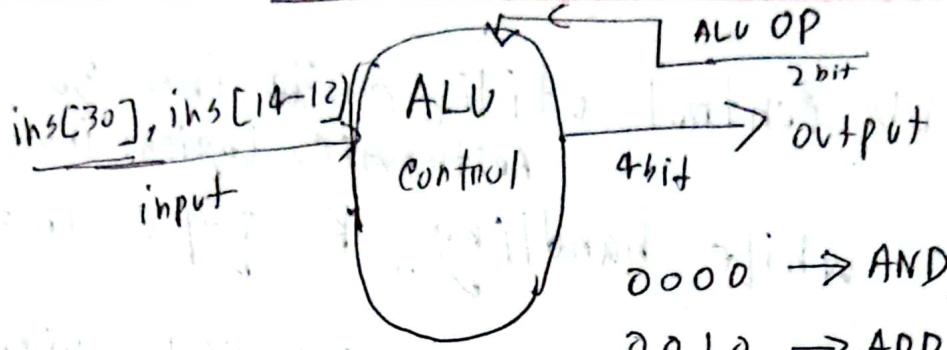
beg X0, X0, exit

Jump Not Equal:

// code for jump not equal

exit:

Ans: to que: no: 8



a) Ans: For LD instruction the ALU control does not utilize instruction $30, 14-12$ as to generate output. As for LD operation it do not have to rely on $ins[30, 14-12]$ bits as the ~~instruction~~ control DP-code gives ALU ~~the instruction~~ control Unit's ALU op code gives the instruction to ALU control to do $(base + offset)$ operation. So, it do not need to rely on $ins[30, 14-12]$ ALU op by control Unit gives the instruction to load to ALU ~~op~~ control unit.

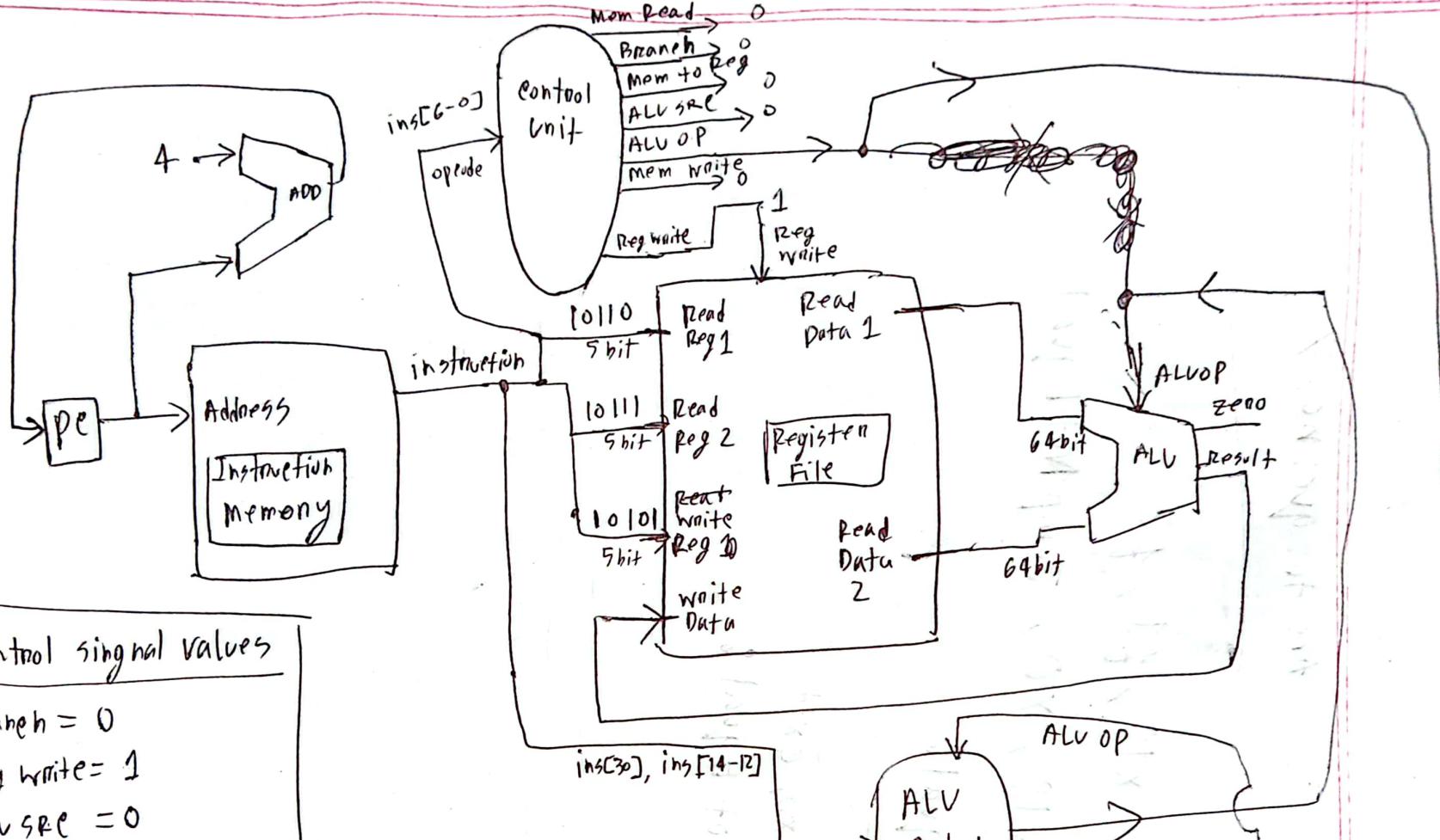
b) ALU control utilize 3 bits ins[30], 14-12 bits while handling R-type instructions.

As in R-type the ins[14-12] which is funct3 let the ALU control decide which instruction of R-type to perform.

Based on funct3 it gives ALU bits to perform ADD/SUB/MUL operation.

On the other hand funct7 ins[30] is used to add more variation in the instruction. Some times, a funct7 is used as parity checker.

Ans to que no: 9



Control signal values

Branch = 0

Reg write = 1

ALU SRC = 0

MEM write = 0

ALU OP = XX

Mem Read = 0

Mem to Reg = 0