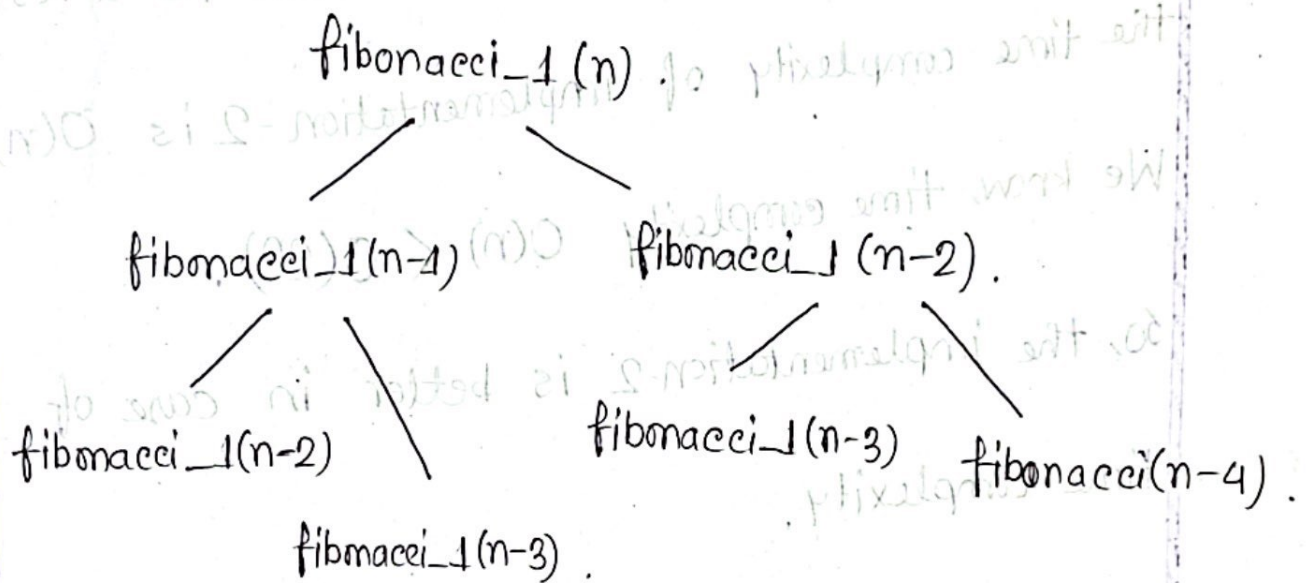


## Task 2: Time Complexity Analysis

We have given two implementation code of for finding  $n$ -th Fibonacci number.

The condition for fibonacci is:  $\text{fibonacci}_1(n-1) + \text{fibonacci}_1(n-2)$

The way the tree representation works is that:



It is visible that, we start from a given number and goes until we reach at the base case. In this way, many functions get recalled more than once in implementation 1, which results in taking a huge amount of space. As a result, the time complexity for implementation is  $O(2^n)$ .

On the other hand, in implementation-2, we store the outputs in fib list, and when we are about to store another result, we check whether we already have this value stored or not. As a result, the time complexity of implementation-2 is  $O(n)$ .

We know, time complexity  $O(n) < O(2^n)$ .

So, the implementation-2 is better in case of time complexity.