

2563. Count the Number of Fair Pairs

Given a **0-indexed** integer array `nums` of size `n` and two integers `lower` and `upper`, return *the number of fair pairs*.

A pair (i, j) is **fair** if:

- $0 \leq i < j < n$, and
- $lower \leq nums[i] + nums[j] \leq upper$

Example 1:

Input: `nums = [0,1,7,4,4,5]`, `lower = 3`, `upper = 6`

Output: 6

Explanation: There are 6 fair pairs: $(0,3)$, $(0,4)$, $(0,5)$, $(1,3)$, $(1,4)$, and $(1,5)$.

Example 2:

Input: `nums = [1,7,9,2,5]`, `lower = 11`, `upper = 11`

Output: 1

Explanation: There is a single fair pair: $(2,3)$.

Constraints:

- $1 \leq nums.length \leq 10^5$
- $nums.length == n$
- $-10^9 \leq nums[i] \leq 10^9$
- $-10^9 \leq lower \leq upper \leq 10^9$

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```
/*
    Sorting+Binary search
    Time complexity:  $O(n \log n)$ 
    Space complexity:  $O(1)$ 
*/
typedef long long ll;
typedef std::vector<int> vi;

class Solution {
public:
    ll countFairPairs(vi& nums, int lower, int upper) {
        std::sort(nums.begin(),nums.end());
        int n=nums.size();
        ll ans=0;
        for(int i=0;i<n-1;++i){
            int up=std::upper_bound(nums.begin()+i+1,nums.end(),upper-nums[i])-nums.begin();
            int low=std::lower_bound(nums.begin()+i+1,nums.end(),lower-nums[i])-nums.begin();
            ans+= (up-low);
        }
        return ans;
    }
};
```