

874. Walking Robot Simulation

A robot on an infinite XY-plane starts at point $(0, 0)$ facing north. The robot can receive a sequence of these three possible types of **commands**:

- -2 : Turn left 90 degrees.
- -1 : Turn right 90 degrees.
- $1 \leq k \leq 9$: Move forward k units, one unit at a time.

Some of the grid squares are **obstacles**. The i th obstacle is at grid point $\text{obstacles}[i] = (x_i, y_i)$. If the robot runs into an obstacle, then it will instead stay in its current location and move on to the next command.

Return the *maximum Euclidean distance* that the robot ever gets from the origin *squared* (i.e. if the distance is 5 , return 25).

Note:

- North means +Y direction.
- East means +X direction.
- South means -Y direction.
- West means -X direction.
- There can be obstacle in $[0,0]$.

Example 1:

Input: `commands = [4,-1,3]`, `obstacles = []`

Output: `25`

Explanation: The robot starts at $(0, 0)$:

1. Move north 4 units to $(0, 4)$.
2. Turn right.
3. Move east 3 units to $(3, 4)$.

The furthest point the robot ever gets from the origin is $(3, 4)$, which squared is $3^2 + 4^2 = 25$ units away.

Example 2:

Input: `commands = [4,-1,4,-2,4]`, `obstacles = [[2,4]]`

Output: `65`

Explanation: The robot starts at $(0, 0)$:

1. Move north 4 units to $(0, 4)$.
2. Turn right.
3. Move east 1 unit and get blocked by the obstacle at $(2, 4)$, robot is at $(1, 4)$.
4. Turn left.
5. Move north 4 units to $(1, 8)$.

The furthest point the robot ever gets from the origin is $(1, 8)$, which squared is $1^2 + 8^2 = 65$ units away.

Example 3:

Input: commands = [6, -1, -1, 6], obstacles = []

Output: 36

Explanation: The robot starts at (0, 0):

1. Move north 6 units to (0, 6).

2. Turn right.

3. Turn right.

4. Move south 6 units to (0, 0).

The furthest point the robot ever gets from the origin is (0, 6), which squared is $6^2 = 36$ units away.

Constraints:

- $1 \leq \text{commands.length} \leq 10^4$
- $\text{commands}[i]$ is either -2, -1, or an integer in the range [1, 9].
- $0 \leq \text{obstacles.length} \leq 10^4$
- $-3 \cdot 10^4 \leq x_i, y_i \leq 3 \cdot 10^4$
- The answer is guaranteed to be less than 2^{31} .

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/*

Straight forward Simulation

Time complexity: $O(m \log m + n * c_i * \log m)$, $n * (c_0 + c_1 + c_2 + \dots) = nD$

$O(m \log m + n * D * \log m)$

Space complexity: $O(m+8) = O(m)$

where:

n: size of commands table

c_i : commands[i], where $0 \leq i < n$

m: size of obstacles tables

*/

```
typedef std::vector<int> vi;
```

```
typedef std::vector<vi> vvi;
```

```
typedef std::pair<int,int> ii;
```

```
class Solution {
```

```
public:
```

```
int modulo(int a,int b){
```

```
    return ((a%b)+b)%b;
```

```
}
```

```
int robotSim(vi& commands, vvi& obstacles){
```

```
    std::set<ii> obstacles_set;
```

```
    for(auto& ob: obstacles) obstacles_set.insert({ob[0],ob[1]});
```

```
    vvi directions={{0,1},{1,0},{0,-1},{-1,0}};
```

```
    int x=0,y=0,dir=0,ans=0;
```

```
    for(auto& c: commands){
```

```
        if(c==1) dir=modulo(dir+1,4);
```

```
        else if(c==2) dir=modulo(dir-1,4);
```

```
        else{
```

```
            int dx=directions[dir][0];
```

```
            int dy=directions[dir][1];
```

```
            int i=1;
```

```
            while(i<=c && obstacles_set.find({x+dx,y+dy})==obstacles_set.end()){
```

```
                x+=dx;
```

```
                y+=dy;
```

```
                i++;
```

```
            }
```

```
        }
```

```
        ans=std::max(ans,x*x+y*y);
```

```
    }
```

```
    return ans;
```

```
}
```

```
};
```