

## 1028. Recover a Tree From Preorder Traversal

We run a preorder depth-first search (DFS) on the `root` of a binary tree.

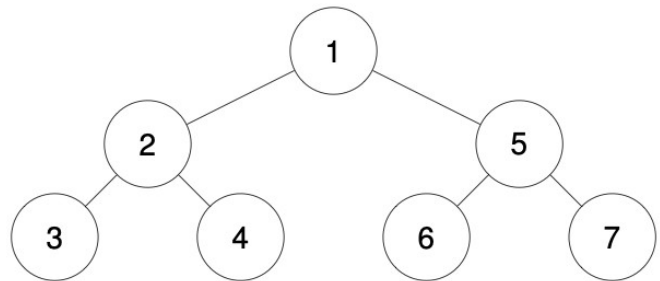
At each node in this traversal, we output `D` dashes (where `D` is the depth of this node), then we output the value of this node. If the depth of a node is `D`, the depth of its immediate child is `D + 1`. The depth of the `root` node is `0`.

If a node has only one child, that child is guaranteed to be **the left child**.

Given the output `traversal` of this traversal, recover the tree and return *its root*.

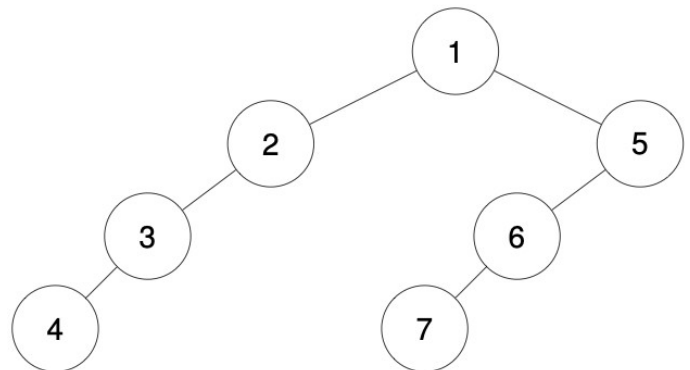
### Example 1:

**Input:** `traversal = "1-2--3--4-5--6--7"` **Output:** `[1,2,5,3,4,6,7]`

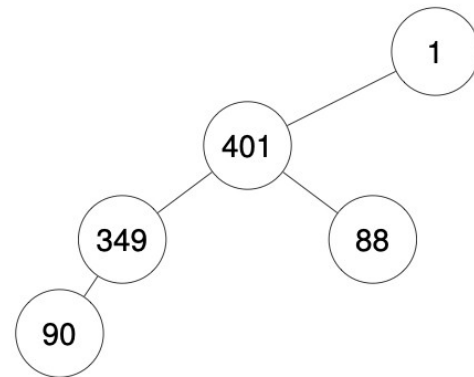


### Example 2:

**Input:** `traversal = "1-2--3---4-5--6---7"` **Output:** `[1,2,5,3,null,6,null,4,null,7]`



**Input:** `traversal = "1-401--349---90--88"`    **Output:** `[1, 401, null, 349, 88, 90]`



### Constraints:

- The number of nodes in the original tree is in the range `[1, 1000]`.
- `1 <= Node.val <= 109`

### Overview

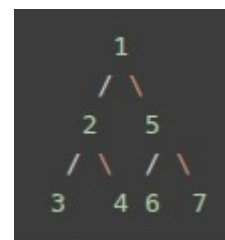
We are given a string representation of a preorder traversal of a binary tree, where each node is represented as `D` dashes followed by its value. The number of dashes `D` indicates the depth of the node in the tree, with the root having depth `0`. Each node may have one or two children, and if a node has only one child, it is always the left child. Our task is to reconstruct the original binary tree from this traversal string.

Since preorder traversal follows the **root** → **left** → **right** order, we process the nodes in sequence and assign them to their correct positions.

For example, given `traversal = "1-2--3--4-5--6--7"`, we can break it down as follows:

1 (Root)  
|- 2 (Depth 1, Left child of 1)  
|     |- 3 (Depth 2, Left child of 2)  
|     |- 4 (Depth 2, Right child of 2)  
|- 5 (Depth 1, Right child of 1)  
   |- 6 (Depth 2, Left child of 5)  
   |- 7 (Depth 2, Right child of 5)

This means the tree structure is:



**The output should be:** `[1, 2, 5, 3, 4, 6, 7]`.

Regardless of the approach, the core idea is the same: When we encounter a new node, we determine its depth. We find the next node at `depth + 1` and attach current subtree root node to the new node. Then we ensure that the first child assigned to a parent is the left child, and the second (if present) is the right child.

```
/**
 * Definition for a binary tree node.
 * struct TreeNode {
 *     int val;
 *     TreeNode *left;
 *     TreeNode *right;
 *     TreeNode() : val(0), left(nullptr), right(nullptr) {}
 *     TreeNode(int x) : val(x), left(nullptr), right(nullptr) {}
 *     TreeNode(int x, TreeNode *left, TreeNode *right) : val(x), left(left), right(right) {}
 * };
 */
```

## 1028. Recover a Tree From Preorder Traversal

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*Preorder: With processing the traversal string*

Time complexity:  $O(2n)$

Space complexity:  $O(3n)$

n: #nodes

\*/

typedef std::vector<int> vi;

class Solution {

public:

*// Process on the traversal string*

*// We get an array values contains node values, and depths, where depths[i]*

*// contains the depths of values[i]*

*// traversal="1-401--349---90--88"*

*// values= { 88, 90, 349, 401, 1}*

*// depths { 2, 3, 2, 1, 0}*

void process\_input(std::string& traversal,vi& values,vi& depths){

traversal="-"+traversal;

int m=traversal.size();

int s=m-1,e=m-1;

while(s>0){

while(s>0 && traversal[s]!='-') s--;

values.push\_back(std::stoi(traversal.substr(s+1,e)));

int depth=0;

while(s>0 && traversal[s]=='-'){

s--;

depth++;

}

depths.push\_back(depth);

e=s;

}

}

Runtime

76 ms | Beats 5.69%

i

Memory

65.57 MB | Beats 6.78%

```

TreeNode* recoverFromPreorder(std::string traversal){
// process node values and depths each in separate arrays
vi values,depths;
process_input(traversal,values,depths);

```

```

int n=values.size();
int i=n-1; // Root is at the end of the values array

```

```

// Recursive function to recover array from values and depths array in preorder traversal
// Because nodes appear before their children in preorder,
// we can sequentially assign them to their parents without needing to look ahead or
// backtrack significantly.

```

```

auto recover_tree=[&](TreeNode*& cur_node, int cur_depth,auto& self)->void{
// i<0: If we are at the end of the values or
// depths[i]!=cur_depth: The node at i does not belong to the current subtree
// rooted by cur_node.
// This ensures that we only create nodes that belong to the expected depth.
if(i<0 || depths[i]!=cur_depth) return;

```

```

// If the node belongs to the current subtree

```

```

cur_node=new TreeNode(values[i]); // Create the current node

```

```

i--; // Move to the next node in preorder sequence

```

```

// Start by creating the left subtree if the next node in preorder sequence has a depth
// greater than the current node by 1

```

```

if(i>=0 && depths[i]==cur_depth+1) self(cur_node->left,cur_depth+1,self);

```

```

// Otherwise, Create the right subtree

```

```

// or keep moving UP until finding the correct depth, and create the right subtree

```

```

self(cur_node->right,cur_depth+1,self);

```

```

};

```

```

TreeNode* root=nullptr;
recover_tree(root,0,recover_tree);
return root;

```

```

}

```

```

};

```

## 1028. Recover a Tree From Preorder Traversal

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**Preorder: Without processing the traversal string**

Time complexity:  $O(n)$

Space complexity:  $O(n)$

n: #nodes

⌚ Runtime

6 ms | Beats 32.21%

ℹ

💾 Memory

20.74 MB | Beats 85.14% 🌱

\*/

typedef std::vector<int> vi;

class Solution {

public:

TreeNode\* recoverFromPreorder(std::string traversal){

int m=traversal.size();

int i=0;

*// Recursive function to recover array from values and depths array in preorder traversal*

auto recover\_tree=[&](TreeNode\*& cur\_node, int cur\_depth,auto& self)->void{  
if(i>=m) return ;

*// Extract the node depth*

int depth=0;

while(i+depth<m && traversal[i+depth]!='-') depth++;

*// depth of the node!=cur\_depth: The node does not belong to the current*

*//subtree rooted by cur\_node.*

*// This ensures that we only create nodes that belong to the expected depth.*

if(depth!=cur\_depth) return;

*// Move index past the dashes*

i+=depth;

*// Extract the node value*

int value=0;

while(i<m && traversal[i]!='-'){  
value=value\*10+(traversal[i]-'0');  
i++;  
}

cur\_node=new TreeNode(value); *// Create the current node*

*// Start by creating the left subtree*

self(cur\_node->left,cur\_depth+1,self);

*// Otherwise, keep moving UP until finding the correct depth, and create the right subtree*

self(cur\_node->right,cur\_depth+1,self);

};

TreeNode\* root=nullptr;

recover\_tree(root,0,recover\_tree);

return root;

}

};