

2577. Minimum Time to Visit a Cell In a Grid

You are given a $m \times n$ matrix `grid` consisting of **non-negative** integers where `grid[row][col]` represents the **minimum** time required to be able to visit the cell (row, col) , which means you can visit the cell (row, col) only when the time you visit it is greater than or equal to `grid[row][col]`.

You are standing in the **top-left** cell of the matrix in the 0th second, and you must move to **any** adjacent cell in the four directions: up, down, left, and right. Each move you make takes 1 second.

Return the **minimum** time required in which you can visit the bottom-right cell of the matrix. If you cannot visit the bottom-right cell, then return `-1`.

Example 1:

0	1	3	2
5	1	2	5
4	3	8	6

Input: `grid = [[0,1,3,2],[5,1,2,5],[4,3,8,6]]`

Output: 7

Explanation: One of the paths that we can take is the following:

- at $t = 0$, we are on the cell $(0,0)$.
- at $t = 1$, we move to the cell $(0,1)$. It is possible because `grid[0][1] <= 1`.
- at $t = 2$, we move to the cell $(1,1)$. It is possible because `grid[1][1] <= 2`.
- at $t = 3$, we move to the cell $(1,2)$. It is possible because `grid[1][2] <= 3`.
- at $t = 4$, we move to the cell $(1,1)$. It is possible because `grid[1][1] <= 4`.
- at $t = 5$, we move to the cell $(1,2)$. It is possible because `grid[1][2] <= 5`.
- at $t = 6$, we move to the cell $(1,3)$. It is possible because `grid[1][3] <= 6`.
- at $t = 7$, we move to the cell $(2,3)$. It is possible because `grid[2][3] <= 7`.

The final time is 7. It can be shown that it is the minimum time possible.

Example 2:

0	2	4
3	2	1
1	0	4

Input: grid = [[0,2,4],[3,2,1],[1,0,4]]

Output: -1

Explanation: There is no path from the top left to the bottom-right cell.

Constraints:

- `m == grid.length`
- `n == grid[i].length`
- `2 <= m, n <= 1000`
- `4 <= m * n <= 105`
- `0 <= grid[i][j] <= 105`
- `grid[0][0] == 0`

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/*

Modified Dijkstra

Time complexity: $O(m.n.\log(m.n))$

Space complexity: $O(m.n)$

*/

typedef std::vector<int> vi;

typedef std::vector<vi> vvi;

typedef std::pair<int,int> ii;

typedef std::pair<int,ii> iii;

typedef std::vector<iii> viii;

class Solution {

private:

int m,n;

```

public:
int dijkstra(vvi& grid){
    vvi directions={{-1,0},{1,0},{0,-1},{0,1}};

    vvi visited(m,vi(n,false));

    std::priority_queue<iii,viii,std::greater<iii>> min_heap;
    min_heap.push({0,{0,0}});

    while(!min_heap.empty()){
        auto [cur_time,cur_cell]=min_heap.top();
        min_heap.pop();

        int i=cur_cell.first;
        int j=cur_cell.second;

        if(i==m-1 && j==n-1) return cur_time;

        if(visited[i][j]) continue;
        visited[i][j]=true;

        for(auto& dir: directions){
            int x=i+dir[0];
            int y=j+dir[1];

            if(x<0 || x>m-1 || y<0 || y>n-1) continue;

            int needed_time; // Needed time to enter cell(x,y)
            // If we are able to enter next cell(x,y)
            if(cur_time>=grid[x][y]) needed_time=cur_time+1;

            // Otherwise, (cur_time<grid[x][y], we need to wait until, we be
            // able to reach cell(x,y)
            // Move back and forth between cell(i,j) and cell(x,y)
            else{
                // Time we need to "waste" to move to next cell (x,y)
                int wasted_time=(grid[x][y]-cur_time)%2==0?1:0;

                needed_time=grid[x][y]+wasted_time;
            }
            min_heap.push({needed_time,{x,y}});
        }
    }
    return -1; // Never reached
}

```

```
int minimumTime(vvi& grid){
    // If from (0,0) we can't move to any cell
    // because current time=1, and values of grid[0][1]>1
    // and grid[1][0]>1
    if(grid[0][1]>1 && grid[1][0]>1) return -1;

    // Otherwise, we have an answer
    m=grid.size();
    n=grid[0].size();

    return dijkstra(grid);
}
};
```