3016. Minimum Number of Pushes to Type Word II

You are given a string word containing lowercase English letters.

Telephone keypads have keys mapped with **distinct** collections of lowercase English letters, which can be used to form words by pushing them. For example, the key 2 is mapped with ["a", "b", "c"], we need to push the key one time to type ["a"], two times to type ["b"], and three times to type ["c"].

It is allowed to remap the keys numbered 2 to 9 to **distinct** collections of letters. The keys can be remapped to **any** amount of letters, but each letter **must** be mapped to **exactly** one key. You need to find the **minimum** number of times the keys will be pushed to type the string word.

Return the *minimum* number of pushes needed to type word after remapping the keys.

An example mapping of letters to keys on a telephone keypad is given below. Note that $\boxed{1}$, $\boxed{*}$, $\boxed{\#}$, and $\boxed{0}$ do **not** map to any letters.



Example 1:

Input: word = "abcde"

provide a lower cost.

Output: 5

Explanation: The remapped keypad given in the image provides the minimum cost.

"a" -> one push on key 2

"b" -> one push on key 3

"c" -> one push on key 4

"d" -> one push on key 5

"e" -> one push on key 6

Total cost is 1 + 1 + 1 + 1 + 1 = 5.

It can be shown that no other mapping can



Example 2:

Input: word = "xyzxyzxyzxyz"

Output: 12

Explanation: The remapped keypad given in the image provides the minimum cost.

"x" -> one push on key 2
"y" -> one push on key 3

"z" -> one push on key 4

Total cost is 1 * 4 + 1 * 4 + 1 * 4 = 12It can be shown that no other mapping can

provide a lower cost.

Note that the key 9 is not mapped to any

letter: it is not necessary to map

letters to every key, but to map all the letters.



Example 3:

Input: word = "aabbccddeeffgghhiiiii"

Output: 24

Explanation: The remapped keypad given in the image provides the minimum cost.

"a" -> one push on key 2

"b" -> one push on key 3

"c" -> one push on key 4

"d" -> one push on key 5

"e" -> one push on key 6
"f" -> one push on key 7

"g" -> one push on key 8

"h" -> two pushes on key 9

"i" -> one push on key 9

Total cost is 1 * 2 + 1 * 2 + 1 * 2 + 1 * 2 + 1 * 2 + 1 * 2 + 2 * 2 + 6 * 1 = 24.

It can be shown that no other mapping can provide a lower cost.



Constraints:

- 1 <= word.length <= 105
- word consists of lowercase English letters.

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```
counting+Max heap
    n: word's length
    Time complexity: 0(n+26\log 26+26)=0(n)
    Space complexity: 0(26+26)=0(1)
*/
class Solution {
public:
    int minimumPushes(std::string word) {
        int freq[26]={0};
        for(auto& c: word) freq[c-'a']++;
        std::priority_queue<int> max_heap;
        for(int i=0; i<26; ++i){
            if(freq[i]!=0) max_heap.push(freq[i]);
        }
        int key=1, ans=0, mul=1;
        while(!max_heap.empty()){
            int f=max_heap.top();
            max_heap.pop();
            ans+=mul*f;
            if(key%8==0) mul++;
            key++;
        }
        return ans;
    }
};
```