

Linear instances format

!-----General data -----;

!Periods number;

$T \sim$

!Number of prices (number of prices for each channel/period);

$|\Omega_{mt}| = 15 \sim$

- Ω_{mt} is the discrete set of prices in channel m and period t .

!Channels; (o: online website, b: brick and mortar, m: mobile application, c: catalog, sm: social media)

set of channels $M \sim$

!-----Logistics data -----;

!Used capacity; (vector of T values)

$1, \dots, 1 \sim$

- Normalized to one since capacity constraints are given by $X_t \leq b_t$.

!Capacity per period;

$b_1, \dots, b_T \sim$

!Production costs;

$c_1, \dots, c_T \sim$

!Holding costs;

$h_1, \dots, h_T \sim$

!Setup costs;

$a_1, \dots, a_T \sim$

!Big M;

$S \sim$ (Available production capacity for all the horizon)

!-----Market data -----;

!Market length per period;

$\tau_1, \dots, \tau_T \sim$

!Minimum presence per channel;

$\eta^{ch_1}, \dots, \eta^{ch_{|M|}} \sim$

!Values of $r_{mti}(f_{mti}(P_{mti}))$; ($|M| \cdot T \cdot |\Omega_{mt}|$ matrix)

Example with $M = \{o, b\}$, $T = 3$ and $|\Omega_{mt}| = 5$:

$m = o$

$t = 1: r_{o11}, r_{o12}, r_{o13}, r_{o14}, r_{o15}$

$$t = 2: r_{o21}, r_{o22}, r_{o23}, r_{o24}, r_{o25}$$

$$t = 3: r_{o31}, r_{o32}, r_{o33}, r_{o34}, r_{o35}$$

m = b

$$t = 1: r_{b11}, r_{b12}, r_{b13}, r_{b14}, r_{b15}$$

$$t = 2: r_{b21}, r_{b22}, r_{b23}, r_{b24}, r_{b25}$$

$$t = 3: r_{b31}, r_{b32}, r_{b33}, r_{b34}, r_{b35}$$

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!Values of $q_{mti}(\tau_{mti}^f(P_{mti}))$; ($|M|.T.|\Omega_{mt}|$ matrix)

Example with $M = \{o,b\}$, $T = 3$ and $|\Omega_{mt}| = 5$:

m = o

$$t = 1: q_{o11}, q_{o12}, q_{o13}, q_{o14}, q_{o15}$$

$$t = 2: q_{o21}, q_{o22}, q_{o23}, q_{o24}, q_{o25}$$

$$t = 3: q_{o31}, q_{o32}, q_{o33}, q_{o34}, q_{o35}$$

m = b

$$t = 1: q_{b11}, q_{b12}, q_{b13}, q_{b14}, q_{b15}$$

$$t = 2: q_{b21}, q_{b22}, q_{b23}, q_{b24}, q_{b25}$$

$$t = 3: q_{b31}, q_{b32}, q_{b33}, q_{b34}, q_{b35}$$

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