## Review Ouestions

- 1. linear search-simple method used for searching an array for a particular value. binary search-Used to shorten the search time. Interpolation search-It is same as binary search Jump search-Since the search is performed through a jump, the time complexity is smaller than the linear search.
- 2. Sorting means arranging the elements of an array so that they are placed in some relevant order which may be either ascending or descending. A sorting algorithm is defined as an algorithm that puts the elements of a list in a certain order, which can be either numerical order, or any user-defined order.
- 3. There are Bubble sort, insertion sort, selection sort, Merge sort, Quick sort, Radix sort, Heap sort, Shell sort, Tree sort. Tree sort or bucket sort has best time complexity=O(n).
- 4. Bubble sort algorithm is consecutive adjacent pairs of element in the array are compared with each other. Quick sort algorithms works by using a divide and conquer strategy. It selects pivot element and rearranges the element in such a way that all elements less than pivot appear before it and all elements greater than pivot apper after it. Average case of Bubble sort and Quick sort are  $O(n^2)$  and O(nlogn). Worst case of Bubble sort and Qucik sort are  $O(n^2)$  and O(nlog). Therefore, bubble sorting is more inefficient.

5.

(a)

33

25

9 12

47

(b)

11 49 25 12 9 33 56 8 1
9 49 25 12 91 33 56 8 1
9 12 25 49 11 33 56 8 1
9 12 25 33 11 49 56 81
9 12 25 33 49 56 11 7 (

(c)

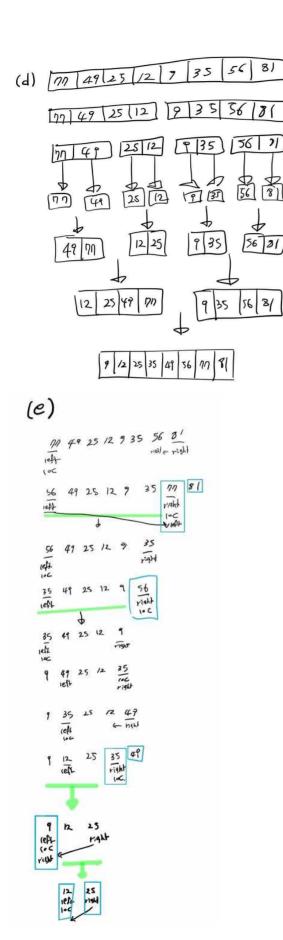
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9 12 25 33 49



(t)

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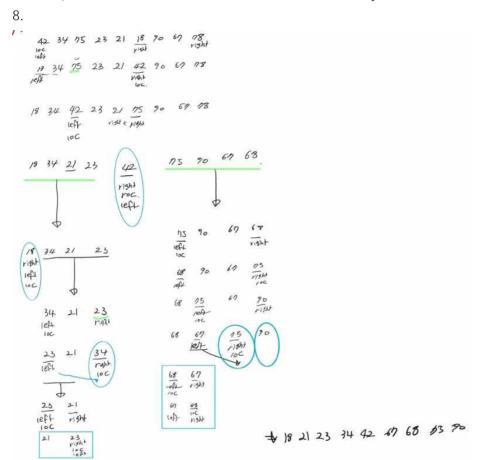
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(7)

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$$49$$
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12 9 117  $\rightarrow$  33 49 17  $(4+1)/2=2$   
56 81

→ 9 12 25 33 47 ND 56 81

- 6.Heap sort time complexity of average case is O(nlogn) and worst case is O(nlogn). Quick sort time complexity of average case is O(nlogn) and worst case is O(n^2).
- 7. The worst case occurs when the array is already sorted(ascending or descending order) and the left-most element is chosen as the pivot.



9. ?

10.

selection sort

```
insertion Sort,
  45 1 63 36 54 90
  1 45 63 36 54 90
  1 45 63 36 54 90
13.
void selection(int a[], int i, int j, int flag, int size)
{
    int temp;
    if (i < size - 1)
       if (flag)
       {
           j = i + 1;
        if (j < size)
           if (a[i] > a[j])
               temp = a[i];
               a[i] = a[j];
               a[j] = temp;
            selection(a, i, j + 1,0,size);
       }
        selection(a, i + 1, 0,1,size);
   }
}
14.
```

algorithm	Average case	Worst case		
Bubble sort	O(n^2)	O(n^2)		
Radix sort	O(n*k)	O(n^2*k)		
Selection sort	O(n^2)	O(n^2)		
Insertion sort	O(n^2)	O(n^2)		
Shell sort	-	O(nlogn)		
Merge sort	O(nlogn)	O(nlogn)		
Heap sort	O(nlogn)	O(nlogn)		
Quick sort	O(nlogn)	O(n^2)		

15.

- -It is easy to implement and efficient to use on small sets of data
- -It can be efficiently implemented on data sets that are already substantially sorted.
- -It requires less memory space.
- -It is said to be online, as it can sort a list as and when it receives new elements.

## Multiple-choice Questions 1.(b) 2.(d)3.(c)4.(d)5.(b)6.(a) 7.(b)8.(a) 9.(c)10.(c) 11.(d) True or False 1. T 2. T 3. T 4. F 5. T 6. T 7. F 8. F 9. T 10. T 11. F Fill in the Blacks 1. list 2. O(n) 3. arranging the elements of an array 4. Bubble 5. external sorting 6. selection sort 7. O(n^2) 8. merge 9. O(nlogn) 10. O(n\*k) 11. O(nlogn)

12. pivot