

Homework 1

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Problem 1

Initial state: 3 cats, 2 dogs, boat - 0 cats, 0 dogs

State space upper limit: Two places where the boat can be, dogs can be 2-0,1-1,0-2, and cats can be 3-0,2-1,1-2,0-3 so upper limit is $2^1 + 3^2 + 4^2 = 288$

Actions(initial_state) = { 1 cat goes (pointless) 1 dog goes (pointless) 1 cat and 1 dog go 2 dogs go (termination in 2 steps) 2 cats go (termination right after this step) } every action moves the boat to the opposite bank branching factor of at most 5

State representation: cdbdc where c is the number of cats d is the number of dogs b is 1 if the boat is on the left bank, 0 otherwise

Goal state: 00123

Action representation: cd

Transition model:

```
take_action(state, action)
    if state.b == 0:
        state.b = 1
        state.left_c = state.left_c - action.c
        state.left_d = state.left_d - action.d
        state.right_c = state.right_c + action.c
        state.right_d = state.right_d + action.d
    else:
        state.b = 0
        state.right_c = state.right_c - action.c
        state.right_d = state.right_d - action.d
        state.left_c = state.left_c + action.c
        state.left_d = state.left_d + action.d
```

- c. It is better to use a graph search algorithm since the number of nodes aren't that many (memory won't be a problem) and there are loops in the graph.

Problem 2

Password: ***

$\in \{X, Y, Z\}$

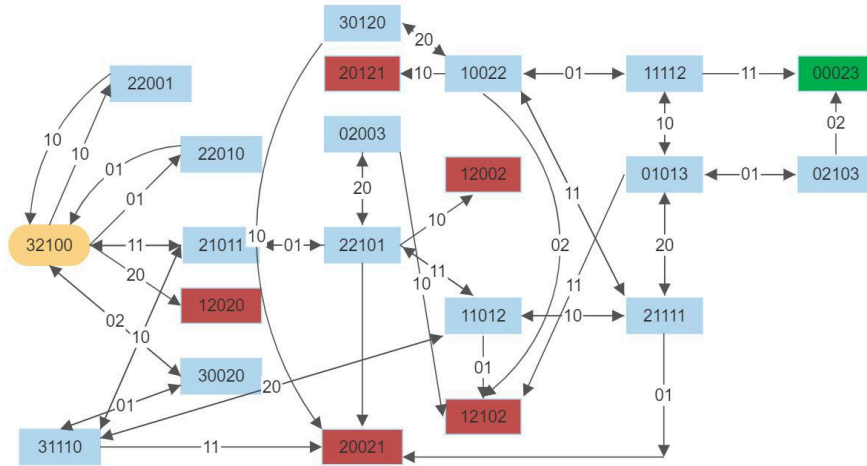


Figure 1: Transition map

Initial state = 'action = append*'

goal state =

password in {'ZYX', 'YXY', 'XYX', 'ZY', 'ZZZ', 'YZZ', 'XXX'}

branching factor = 3

shallowest solution depth = 2

upper limit on state space = $3 \times 3 \times 3 = 27$

We will use tree search since we can't end up exploring the same state twice.

DFS:

1. X
2. XX
3. XXX

Since we are going alphabetically we will reach the XXX goal state without exploring other branches.

BFS:

1. X
2. Y
3. Z
- done with layer one, onto layer two
4. XX
5. XY
6. XZ

7. YX
 8. YY
 9. YZ
 10. ZZ
 11. ZY
- reached shallowest goal state ZY

UCS:

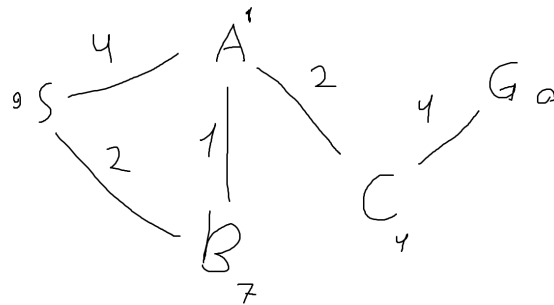
0. Expanded "", got {X (10), Y (2), Z (1)}
 1. Z (1), frontier = {X (10), Y (2), ZZ (2), ZY (3), ZX (11)}
 2. Y (eventho this state and ZZ have the same cost of 2, we respect the alphabet), frontier = {X (10), ZZ (2), ZY (3), ZX (11), YZ (3), YY (4), YX (10)}
 3. ZZ (2), frontier = {X (10), ZY (3), ZX (11), YZ (3), YY (4), YX (10), ZZZ (3), ZZY (4), ZZX (12)}
 4. YZ (3), frontier = {X (10), ZY (3), ZX (11), YY (4), YX (10), ZZZ (3), ZZY (4), ZZX (12), YZZ (4), YZY (5), YZX (13)}
 5. ZY (3)
- Reached shallowest goal state ZY

If it weren't for the alphabetical tie breaker, we might have reached the ZZZ goal state

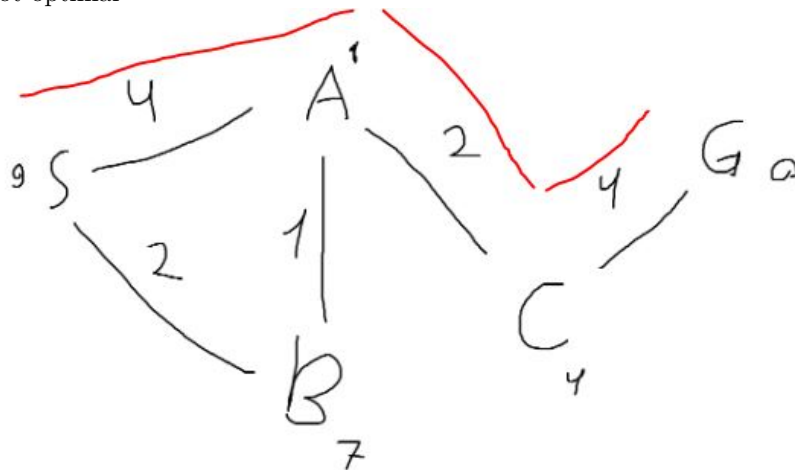
Problem 3

- a.
 - $M[241 = 0 + 241]$
 - $L[314 = 70 + 244]$, $D[317 = 75 + 242]$
 - $T[510 = 181 + 329]$, $D[317 = 75 + 242]$
 - $T[510 = 181 + 329]$, $C[355 = 120 + 75 + 160]$
 - $T[510 = 181 + 329]$, $R[534 = 146 + 195 + 193]$, $P[433 = 138 + 195 + 100]$
 - $T[510 = 181 + 329]$, $R[534 = 146 + 195 + 193]$, $B[404 = 333 + 101 + 0]$, $R[623 = 97 + 333 + 193]$
 - B (404 path cost)
- b. It wouldn't change the outcome but the frontier would be different. More efficient in terms of memory, same time because we only keep one of each letter state.

Problem 4



- Admissible but not consistent
- Not optimal



- Not optimal
- $S[0 + 9 = 9]$
 - $A[4 + 1 = 5]$, $B[2 + 7 = 9]$
 - $C[6 + 4 = 10]$, $B[2 + 7 = 9]$, new B is more costly thus don't replace
 - $C[6 + 4 = 10]$, S and A are explored
 - $G[10 + 0 = 10]$, A is explored
 - G tested and found solution