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> # Homework Coding Questions 2
> # Exercise 6.7 Question 3 - Iris Dataset
> #installing the rpart package to access datasets
> install.packages("rpart")
> #Calling up the Iris dataset
> iris
> #Saving the data in a new variable iris df
> iris df <- iris</pre>
> #Creating a variable to store 0/1 labels for species
> #Converting species to a factor and numeric in order to use gsub to
create labels
> iris df$Group <- as.numeric(as.factor(iris df$Species))</pre>
> #Using gsub to replace the factor levels with labels 0 and 1
> iris df$Group <- gsub(1, 0, iris df$Group) #Replace 1 with 0 in the
iris df, group column
> iris df$Group <- gsub(2, 0, iris df$Group) #Replace 2 with 0 in the
iris df, group column
> iris_df$Group <- gsub(3, 1, iris df$Group) #Replace 3 with 1 in the
iris df, group column
> #converting entire variable into a numeric type
> iris df$Group <- as.numeric(iris df$Group)</pre>
> #3b - Building a regression model to predict the observation being
Virginica
> iris reg <- glm(Group ~
Sepal.Length+Sepal.Width+Petal.Length+Petal.Width,
                data = iris df, family= "binomial")
>
> exp(-2.465)-1 # getting change in odds for the first coefficient
[1] -0.9149912
> \exp(-6.681) - 1 # getting change in odds for the second coefficient
[1] -0.9987455
> exp(9.429)-1 # getting change in odds for the third coefficient
[1] 12443.08
> exp(18.286)-1 # getting change in odds for the fourth coefficient
[1] 87399489
> #Printing the summary for the regression model
> summary(iris_reg)
Call:
glm(formula = Group ~ Sepal.Length + Sepal.Width + Petal.Length +
   Petal.Width, family = "binomial", data = iris df)
Deviance Residuals:
    Min
             10
                 Median
                               30
-2.01105 -0.00065 0.00000 0.00048 1.78065
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Coefficients:
            Estimate Std. Error z value Pr(>|z|)
             -42.638 25.708 -1.659 0.0972 .
(Intercept)
Sepal.Length -2.465
                                        0.3032
                        2.394 -1.030
             -6.681
                          4.480 -1.491 0.1359
Sepal.Width
                          4.737 1.990
Petal.Length
              9.429
                                        0.0465 *
Petal.Width
                          9.743
                                1.877 0.0605 .
             18.286
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 '' 1
(Dispersion parameter for binomial family taken to be 1)
    Null deviance: 190.954 on 149 degrees of freedom
Residual deviance: 11.899 on 145 degrees of freedom
ATC: 21.899
Number of Fisher Scoring iterations: 12
> #The summary shows that only Petal.Length has a p-value that is less
than 0.05 (0.0465), which makes it the only statistically significant
coefficient in the model. All other coefficients can still be used to
explain the model and calculation even though they are statistically
insignificant.
> #Predicting the probability of Virginica using all the data in the
dataframe
> predict(iris reg, iris df , type="response")
> #3c - Calculating the probability of a new plant being virginica using
the given parameters
> #Creating a function that calculates the probabilty, holding the
intercepts constant
> viriginica success <- function (sepal length, sepal width,
petal length, petal width) {
   calc <- -42.638-2.645*(sepal length)-6.681*(sepal width)+
      9.429* (petal length) +18.286* (petal width)
   return(calc) #this returns the calculated value based on the user
inputs
+ }#Closing the function
> #Calling the function to calculate the probability of Virginica where:
> #sepal length = 9
> #sepal width = 5
> #petal length = 10
> #petal width = 7
> viriginica success(9,5,10,7)
[1] 122.444
> #Calculating the probabilty of success, 1, for Virginica
> #prob_succ <- 1/(1+1/exp(viriginica_success(9,5,10,7)))</pre>
> \exp(\text{viriginica success}(9,5,10,7))/(1+\exp(\text{viriginica success}(9,5,10,7)))
[1] 1
> #This code has been successfully tested by user and results
> # probability value of 1
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> # Exercise 6.7 Question 4 - Kyphosis Dataset
> #Calling the rpart library
> library(rpart)
> #Saving the kyphosis data set as a dataset
> kyphosis df <- kyphosis
> #Inspecting the data
> View(kyphosis_df)
> #Using gsub function to replace absent and present with the new labels,
0/1
> #Replace "absent" with 0 in the kyphosis df, kyphosis column
> kyphosis df$Kyphosis <- gsub("absent",0, kyphosis df$Kyphosis)</pre>
> #Replace "present" with 1 in the kyphosis df, kyphosis column
> kyphosis df$Kyphosis <- gsub("present",1, kyphosis df$Kyphosis)
> #Converting the kyphosis variable to a numberic
> kyphosis df$Kyphosis <- as.numeric(kyphosis df$Kyphosis)</pre>
> #Building a regression model
> present prob <- glm(Kyphosis ~ Age+Number+Start,
                     data = kyphosis df, family = "binomial")
> exp(0.010930)-1 # getting change in odds for the first coefficient
[1] 0.01098995
> #10.9% change in odds for success can be expected for every one unit
change in kyphosis
> \exp(0.410601) - 1 \# getting change in odds for the second coefficient
[1] 0.5077237
> #50.7% change in odds for success can be expected for every one unit
change in kyphosis
> exp(-2.06510)-1 # getting change in odds for the third coefficient
[1] -0.8731944
> #87.3% change in odds for success can be expected for every one unit
change in kyphosis
>
> #Printing the summary of the regression model
> summary(present prob)
glm(formula = Kyphosis ~ Age + Number + Start, family = "binomial",
    data = kyphosis df)
Deviance Residuals:
         1Q Median
                               3Q
-2.3124 -0.5484 -0.3632 -0.1659
                                   2.1613
Coefficients:
            Estimate Std. Error z value Pr(>|z|)
(Intercept) -2.036934 1.449575 -1.405 0.15996
           0.010930 0.006446 1.696 0.08996 .
Number
           0.410601 0.224861 1.826 0.06785.
           -0.206510 0.067699 -3.050 0.00229 **
Start
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
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(Dispersion parameter for binomial family taken to be 1)
   Null deviance: 83.234 on 80 degrees of freedom
Residual deviance: 61.380 on 77 degrees of freedom
AIC: 69.38
Number of Fisher Scoring iterations: 5
> # Based on the summary, only Start has a p-value that is less than 0.05
(0.00229), this makes it the only statistically significant coefficient
in the model. All other coefficients can still be used to explain the
model for and calculation even though they are statistically
insignificant and should be equal to zero.
> #Using the predict function to caculate the probabilty
> predicted kyphosis <- predict(present prob, kyphosis df, type =
"response")
> #calculating the probability of success for present in the dataset
> present success <- function(Age, Number, Start){</pre>
  success <- -2.036934+0.010930*(Age)+0.410601*(Number)-
0.206510*(Start)
+ return(success)
+ }#closing User Defined Function
> #Calling the function to calculate the probability where:
> \#Age = 50
> #Number = 5
> #Start = 10
> present success (50,5,10)
[1] -1.502529
> \exp(\text{present success}(50,5,10))/(1+\exp(\text{present success}(50,5,10)))
[1] 0.1820486
> present succ <-1/(1+1/\exp(present success(50,5,10)))
> #The probability of sucess of kyphosis present is 0.18
> # Question 5 - Homoscedactic/Heteroscedastic Test
> #Installing package to fit linear regression
> install.packages("lmtest")
> #loading the lmtest to run the linear regression
> library(lmtest)
> #Calculating the linear regression of each variable pair
> iris sepal 1 <- lm(Sepal.Length ~ Sepal.Width, iris df)</pre>
> summary(iris_sepal_1)
lm(formula = Sepal.Length ~ Sepal.Width, data = iris df)
Residuals:
            1Q Median
                          3Q
                                  Max
-1.5561 -0.6333 -0.1120 0.5579 2.2226
Coefficients:
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Estimate Std. Error t value Pr(>|t|)
(Intercept) 6.5262 0.4789 13.63 <2e-16 *** Sepal.Width -0.2234 0.1551 -1.44 0.152
Sepal.Width -0.2234
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 0.8251 on 148 degrees of freedom
Multiple R-squared: 0.01382, Adjusted R-squared: 0.007159
F-statistic: 2.074 on 1 and 148 DF, p-value: 0.1519
> #This model is not statistically significant as the p-value is higher
than 0.05
> #Pair 2
> iris sepal 2 <- lm(Sepal.Length ~ Petal.Length, iris df)</pre>
> summary(iris sepal 2)
lm(formula = Sepal.Length ~ Petal.Length, data = iris df)
Residuals:
             10 Median
-1.24675 -0.29657 -0.01515 0.27676 1.00269
Coefficients:
            Estimate Std. Error t value Pr(>|t|)
            4.30660 0.07839 54.94 <2e-16 ***
(Intercept)
Petal.Length 0.40892
                       0.01889 21.65 <2e-16 ***
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 0.4071 on 148 degrees of freedom
Multiple R-squared: 0.76, Adjusted R-squared: 0.7583
F-statistic: 468.6 on 1 and 148 DF, p-value: < 2.2e-16
> #This model is statistically significant as the p-value is lower than
0.05
> #Pair 3
> iris sepal 3 <- lm(Sepal.Length ~ Petal.Width, iris df)</pre>
> summary(iris sepal 3)
lm(formula = Sepal.Length ~ Petal.Width, data = iris df)
Residuals:
              1Q Median
                                3Q
-1.38822 -0.29358 -0.04393 0.26429 1.34521
Coefficients:
           Estimate Std. Error t value Pr(>|t|)
(Intercept) 4.77763 0.07293 65.51 <2e-16 ***
Petal.Width 0.88858
                      0.05137 17.30 <2e-16 ***
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
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Residual standard error: 0.478 on 148 degrees of freedom
Multiple R-squared: 0.669, Adjusted R-squared:
F-statistic: 299.2 on 1 and 148 DF, p-value: < 2.2e-16
> #This model is also statistically significant as the p-value is lower
than 0.05
> #Calculating the bptest of each variable pair to test for
homoscedasticity or heteroscedasticcity
> bptest(iris sepal 1)
      studentized Breusch-Pagan test
data: iris sepal 1
BP = 0.7824\overline{3}, df = 1, p-value = 0.3764
> bptest(iris sepal 2)
     studentized Breusch-Pagan test
data: iris sepal 2
BP = 2.7561, df = 1, p-value = 0.09688
> bptest(iris sepal 3)
     studentized Breusch-Pagan test
data: iris sepal 3
BP = 12.357, df = 1, p-value = 0.0004393
> #Plotting scatter plots
> plot(x= iris_df$Sepal.Width, y= iris$Sepal.Length, type= "p")
> # For this pair, we can conclude that heteroscedasticity is present
because the p-value of the test
> # is lower than 0.05.
> plot(x= iris df$Petal.Length, y= iris$Sepal.Length, type= "p")
> # For this pair, we can conclude that homoscedasticity is present. the
error variances are equal.
> plot(x= iris df$Petal.Width, y= iris$Sepal.Length, type= "p")
> # For this pair, we can conclude that heteroscedasticity is present
because the p-value of the test
> # is lower than 0.05.
> #the script has minimal errors
> #The following warning message is displayed whenever the iris reg is
run
> #Warning message:
> #glm.fit: fitted probabilities numerically 0 or 1 occurred
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