

TRANSFORMER DESIGN

EMF induced in transformer winding in V/turn, $(E_t) = k \cdot \sqrt{KVA}$

Maximum value of magnetic flux in weber, $(\phi_m) = \frac{E_t}{4.44 \cdot f}$

where,

k= constant for output voltage per turn

KVA= rating of distribution transformer in KVA

Design of core:

Net iron core area, $(A_i) = \frac{\phi_m}{B_m}$

where,

B_m =Maximum flux density in coil

core calculation not performed

Design of window:

Total area of window $(A_w) = \frac{Q}{3.33 \times B_m \times f \times k_w \times \delta \times A_i \times 10^6}$

Width of the window, $(W_w) = \sqrt{\frac{A_w}{ratioHtW}}$

Height of the window, $(H_w) = ratioHtW \times W_w$

where,

k_w = Window space factor such that,

$k_w = \frac{8}{30 + KVA}$ for $KVA < 50$

$k_w = \frac{10}{30 + KVA}$ for $50 < KVA < 200$

δ = current density which is the same for both primary and secondary winding

ratioHtW= ratio of window height to window weight

Design of yoke:

For hot rolled silicon steel, $A_y = 1.15 - 1.20 A_{gi}$

For cold rolled silicon steel, $A_y = A_{gi}$

Here we have assumed hot-rolled silicon steel.

Area of yoke, $(A_y) = 1.20 \times A_{gi}$

For the rectangular yoke,

$D_y = a$

$H_y = \frac{A_y}{D_y}$

where,

$A_{gi} = \frac{A_i}{k}$; k= Staking factor

D_y = Depth of yoke

H_y = Height of yoke

Overall dimension of frame:

Distance between adjacent limbs, $D = W_w + d$

Overall height of frame, $H = H_w + 2H_y$

Overall length of frame, $W = 2D + a$

Design of LV winding:

No. of turns of secondary winding, $(T_s) = \frac{V_s}{E_t}$

Secondary current, $(I_s) = \frac{Q(\text{in VA})}{m \times V_s}$

Area, $(A) = \frac{I_s}{\delta}$

Using bare conductor of $(w \times t) \text{ m}^2$ (From the table)

Area of bare conductor, $(a_s) = t \times w$

Current density in secondary winding, $(\delta_s) = \frac{I_s}{a_s}$ *We take paper insulation of 0.5mm and add it to the width and thickness.*

No. of turns in one layer = $\frac{H_w}{w}$

Minimum nos. of layer = $\frac{T_s}{\text{no of turns in one layer}}$

No of turns in a layer = $\frac{T_s}{\text{minimum no. of layers}}$

We used helical winding so no. of turns in a layer increases by 1.

Axial depth, $(L_{cs}) = \text{no. of turns in a layer} \times w$

Clearance on each side of winding = $\frac{(H_w - L_{cs})}{2}$

Using 0.5 pressboard cylinder layer

Radial depth of LV winding, $(b_s) = \text{no. of layers} \times \text{radial depth} + \text{insulation between layers}$

Width between core and LV winding = $5 + 0.9KV$

Inside diameter of LV winding, $(D_{in,s}) = d + 2y$

External diameter of LV winding, $(D_{ext,s}) = D_{in,s} + 2b_s$

The mean diameter of LV winding, $(D_{mts}) = \frac{D_{ext,s} + D_{in,s}}{2}$

Mean length of LV winding, $(L_{mts}) = \pi \times D_{mts}$

where,

V_s = Phase voltage of LV winding

δ = current density of material

δ_s = Current density of LV winding

d = Diameter of core

y = Insulation between core and LV winding

b_s = Radius of LV winding

Design of H.V winding

Number of primary turns $(T_p) = \left(\frac{V_p}{V_s}\right) \times T_s$

Primary current $(I_p) = \frac{Q}{3 \times V_s}$ [For Delta connection]

Taking $\delta_p = 1.05\delta$

$$\text{Area (a)} = \frac{I_s}{\delta_p}$$

Also,

$$\text{Area (a)} = \frac{\pi}{4} \times d^2 \text{ [To find d]}$$

Now, we use nearest standard conductor size for bare diameter (d') and insulated diameter (d'_s),

$$\text{Modified area of conductor (a}_p) = \frac{\pi}{4} \times (d')^2$$

$$\text{Actual current density } (\delta_p) = \frac{I_p}{a_p}$$

$$\text{Numbers of turns in layer} = \frac{H_w}{d'_s}$$

$$\text{Axial depth of one coil} = \text{Turns per layer} \times d'_s$$

Spacers used between adjacent coils are 5mm in height. so,

Axial length of H.V winding (LC_p) :

$$LC_p = \text{No. of coils} \times (\text{axial depth of each coil} + \text{depth of spacers})$$

$$\text{Clearance on each side} = \frac{H_w - LC_p}{2}$$

$$\text{Insulation between H.V and L.V (z)} = 5 + 0.9 \text{ K.V}$$

$$\text{Inside diameter of H.V winding (D}_{in,p}) = \text{Outside diameter of L.V winding} + 2 \times z$$

$$\text{External diameter of H.V winding (D}_{ext,p}) = D_{in,p} + 2 \times b_p$$

$$\text{Mean diameter (D}_{mtp}) = \frac{D_{in,p} + D_{ext,p}}{2}$$

$$\text{Mean length of H.V winding (L}_{mtp}) = \pi \times D_{mtp}$$

$$\text{Clearance between windings of two adjacent limbs} = D - D_{ext,p}$$

Operating Characteristic

Resistance:

$$\text{Total resistance referred to primary side (R}_p) = r_p + [r_s \times (\frac{T_p}{T_s})^2]$$

$$\text{Per Unit resistance } (\epsilon_r) = \frac{I_p \times R_p}{V_p}$$

where,

$$r_p = \text{Resistance of Primary winding}$$

$$r_s = \text{Resistance of Secondary winding}$$

$$T_p = \text{No. of turns in Primary}$$

$$T_s = \text{No. of turns in Secondary}$$

Leakage Reactance:

$$\text{Leakage Reactance referred to primary side (X}_p)$$

$$= 2\pi f \mu_0 T_p^2 \times \frac{L_{mt}}{L_c} \times (a + \frac{b_p + b_s}{3}) \times 10^{-3}$$

$$\text{Per unit reactance } (\epsilon_x) = \frac{I_p \times X_p}{V_p}$$

where,

$$\text{permeability } (\mu_0) = 4\pi \times 10^{-7}$$

f = frequency

L_{mt} = length of mean turn

L_c = height of winding

b_p = Radial Depth of H.V coil

b_s = Radial Depth of L.V coil

PU voltage regulation :

PU voltage regulation at 0.8 pf (ϵ)

$$= \epsilon_r \cos(\phi) + \epsilon_x \sin(\phi)$$